

Anomalies and Tensions in Cosmological Data: Challenges and Insights

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Corfu

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The Λ CDM model

The Lambda Cold Dark Matter (Λ CDM) model has been chosen as the standard cosmological model due to its simplicity and its ability to accurately describe a wide range of observations.

However, it has **theoretical limitations** and relies on three main components which are inferred from observations rather than theoretical principles or laboratory experiments:

- **Inflation** is modeled by a slow-rolling scalar field.
- **Dark matter** is considered cold, pressureless, and interacts only through gravity
- **Dark energy** is represented by the cosmological constant.

Despite accurately describing observed phenomena, Λ CDM is based on six parameters and lacks deep-rooted physical principles, making it an **approximation of an unknown underlying theory**.

Increasingly precise observations are expected to reveal deviations from Λ CDM. Indeed, discrepancies such as the value of the Hubble constant (H_0) have emerged, suggesting possible flaws in the model.

These persistent tensions may indicate that new physics is needed to explain these **observational shortcomings**, potentially signaling the **failure of the Λ CDM model**.

H0 tension

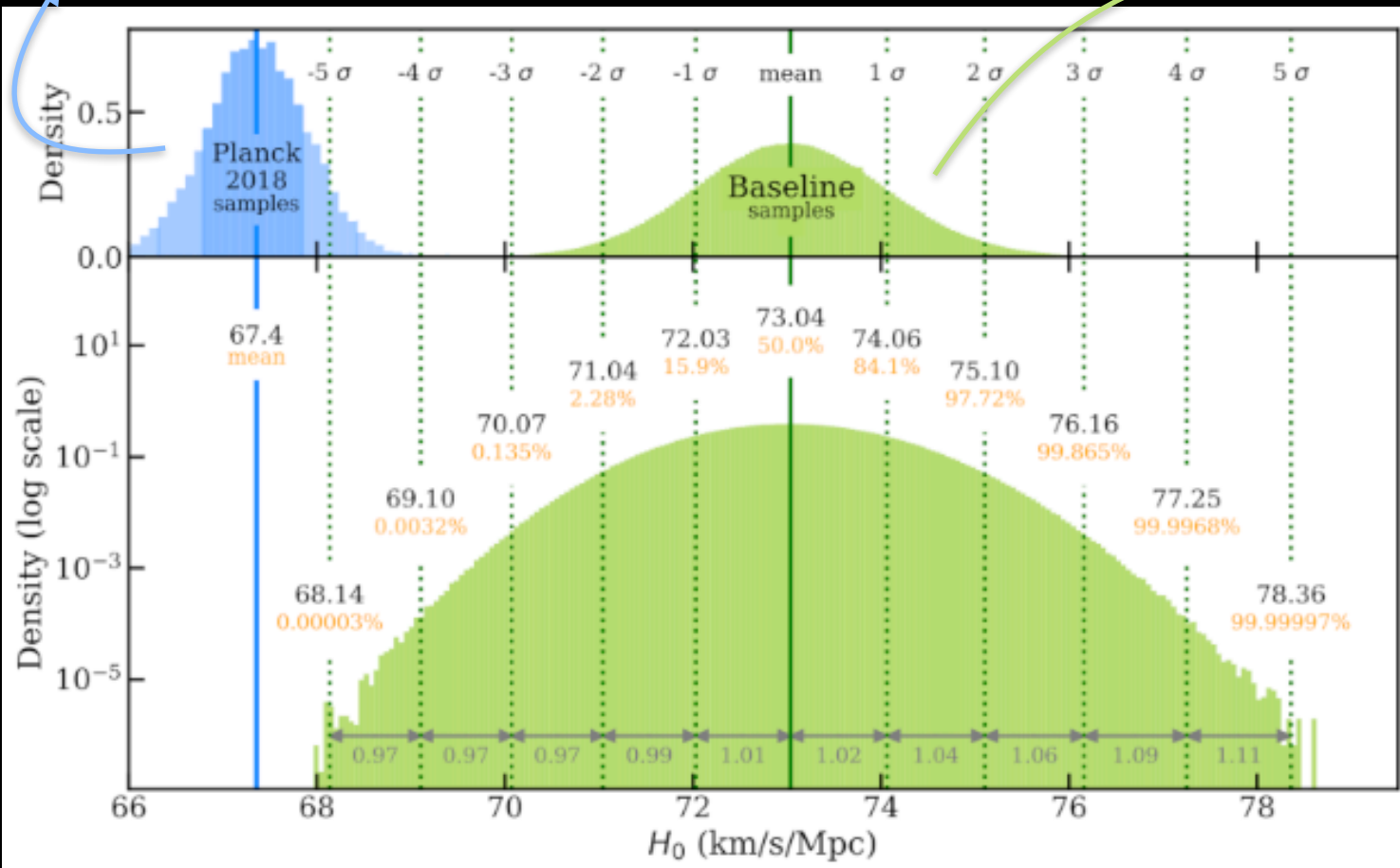
The most statistically significant tension is the disagreement in the Hubble constant.

The Planck estimate assuming a “vanilla”

Λ CDM cosmological model:

$$H_0 = 67.36 \pm 0.54 \text{ km/s/Mpc}$$

Planck 2018, *Astron.Astrophys.* 641 (2020) A6



The latest local measurements obtained by the SH0ES collaboration

$$H_0 = 73.04 \pm 1.04 \text{ km/s/Mpc}$$

Riess et al. *arXiv:2112.04510*

5σ = one in 3.5 million implausible to reconcile the two by chance

Distance Ladder

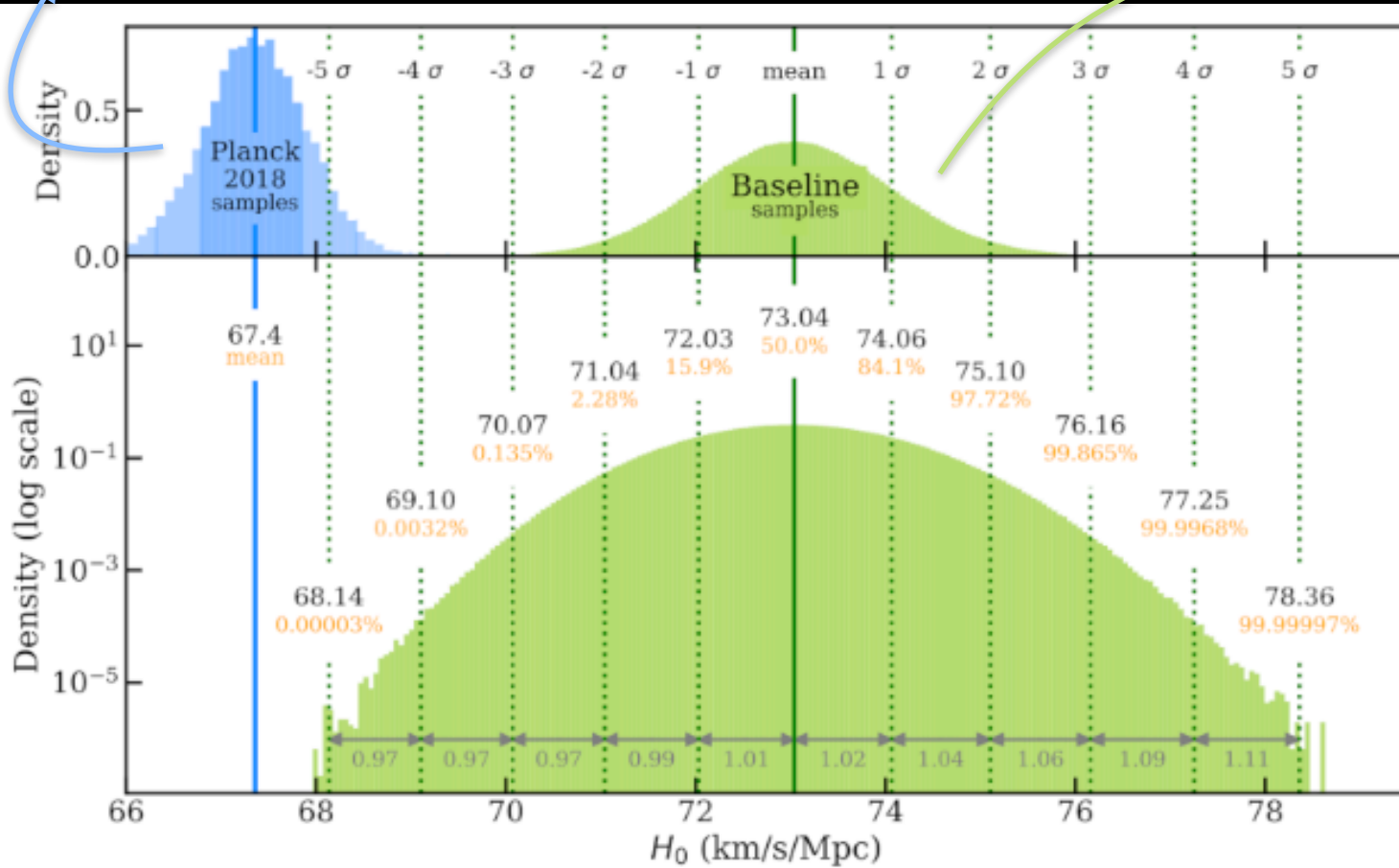


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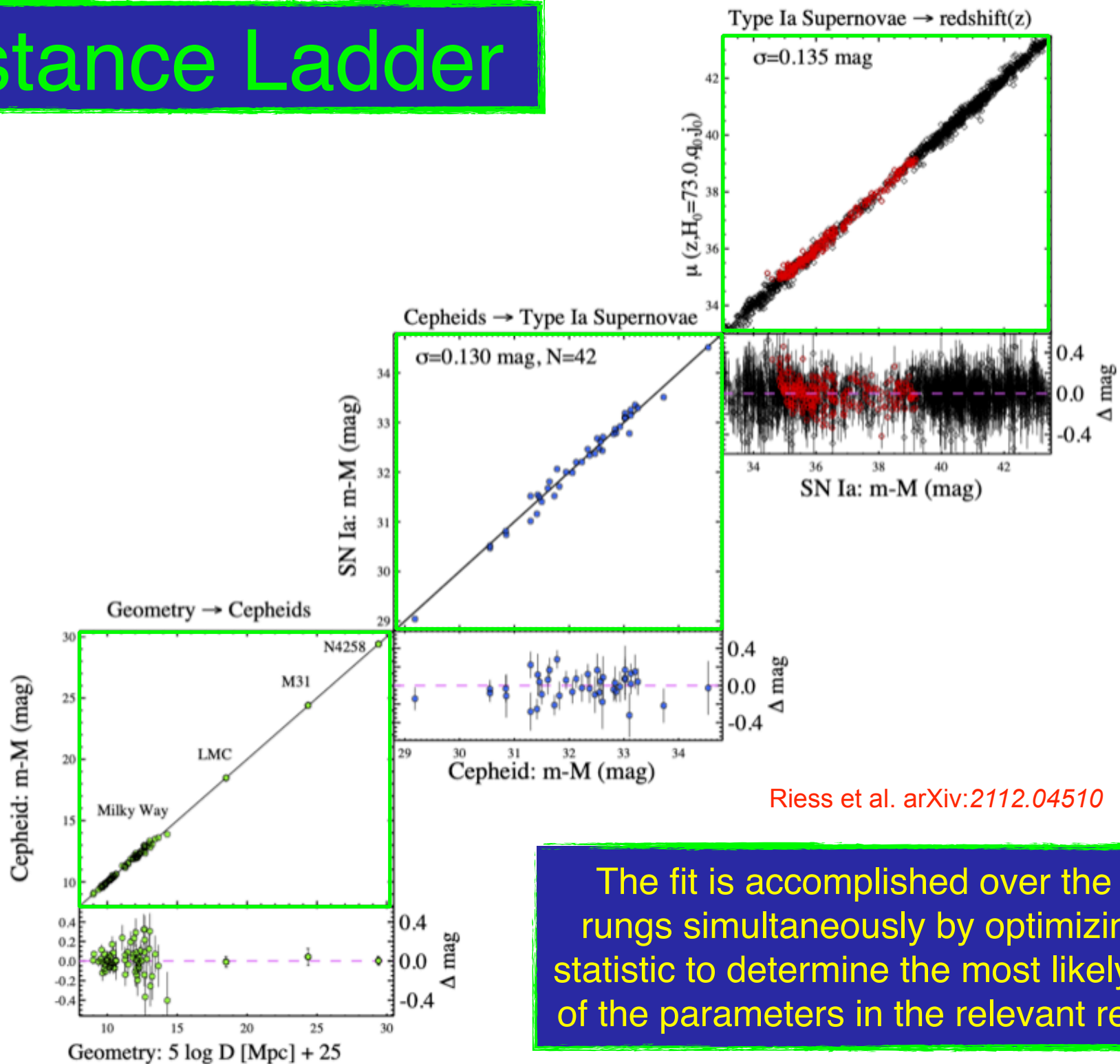
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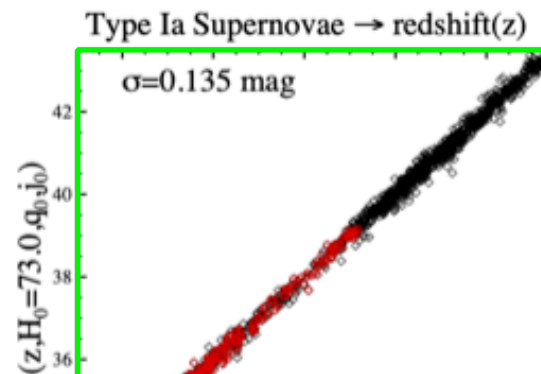
Distance Ladder



Riess et al. arXiv:2112.04510

The fit is accomplished over the three rungs simultaneously by optimizing a χ^2 statistic to determine the most likely values of the parameters in the relevant relations.

Distance Ladder



arXiv > astro-ph > arXiv:2404.08038

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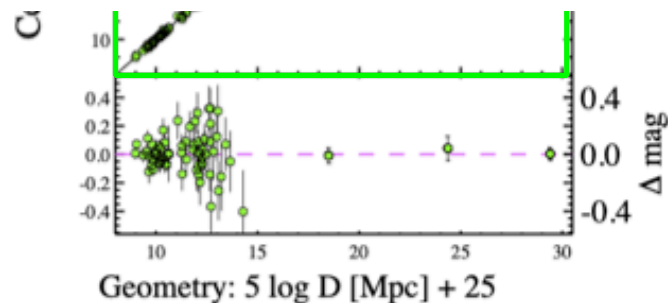
Astrophysics > Cosmology and Nongalactic Astrophysics

[Submitted on 11 Apr 2024]

Small Magellanic Cloud Cepheids Observed with the Hubble Space Telescope Provide a New Anchor for the SH0ES Distance Ladder

Louise Breuval, Adam G. Riess, Stefano Casertano, Wenlong Yuan, Lucas M. Macri, Martino Romaniello, Yukei S. Murakami, Daniel Scolnic, Gagandeep S. Anand, Igor Soszyński

We present photometric measurements of 88 Cepheid variables in the core of the Small Magellanic Cloud (SMC), the first sample obtained with the Hubble Space Telescope (HST) and Wide Field Camera 3, in the same homogeneous photometric system as past measurements of all Cepheids on the SH0ES distance ladder. We limit the sample to the inner core and model the geometry to reduce errors in prior studies due to the non-trivial depth of this Cloud. Without crowding present in ground-based studies, we obtain an unprecedentedly low dispersion of 0.102 mag for a Period-Luminosity relation in the SMC, approaching the width of the Cepheid instability strip. The new geometric distance to 15 late-type detached eclipsing binaries in the SMC offers a rare opportunity to improve the foundation of the distance ladder, increasing the number of calibrating galaxies from three to four. With the SMC as the only anchor, we find $H_0 = 74.1 \pm 2.1 \text{ km s}^{-1} \text{ Mpc}^{-1}$. Combining these four geometric distances with our HST photometry of SMC Cepheids, we obtain $H_0 = 73.17 \pm 0.86 \text{ km s}^{-1} \text{ Mpc}^{-1}$. By including the SMC in the distance ladder, we also double the range where the metallicity ($[Fe/H]$) dependence of the Cepheid Period-Luminosity relation can be calibrated, and we find $\gamma = -0.22 \pm 0.05 \text{ mag dex}^{-1}$. Our local measurement of H_0 based on Cepheids and Type Ia supernovae shows a 5.8σ tension with the value inferred from the CMB assuming a Λ CDM cosmology, reinforcing the possibility of physics beyond Λ CDM.



CMB constraints

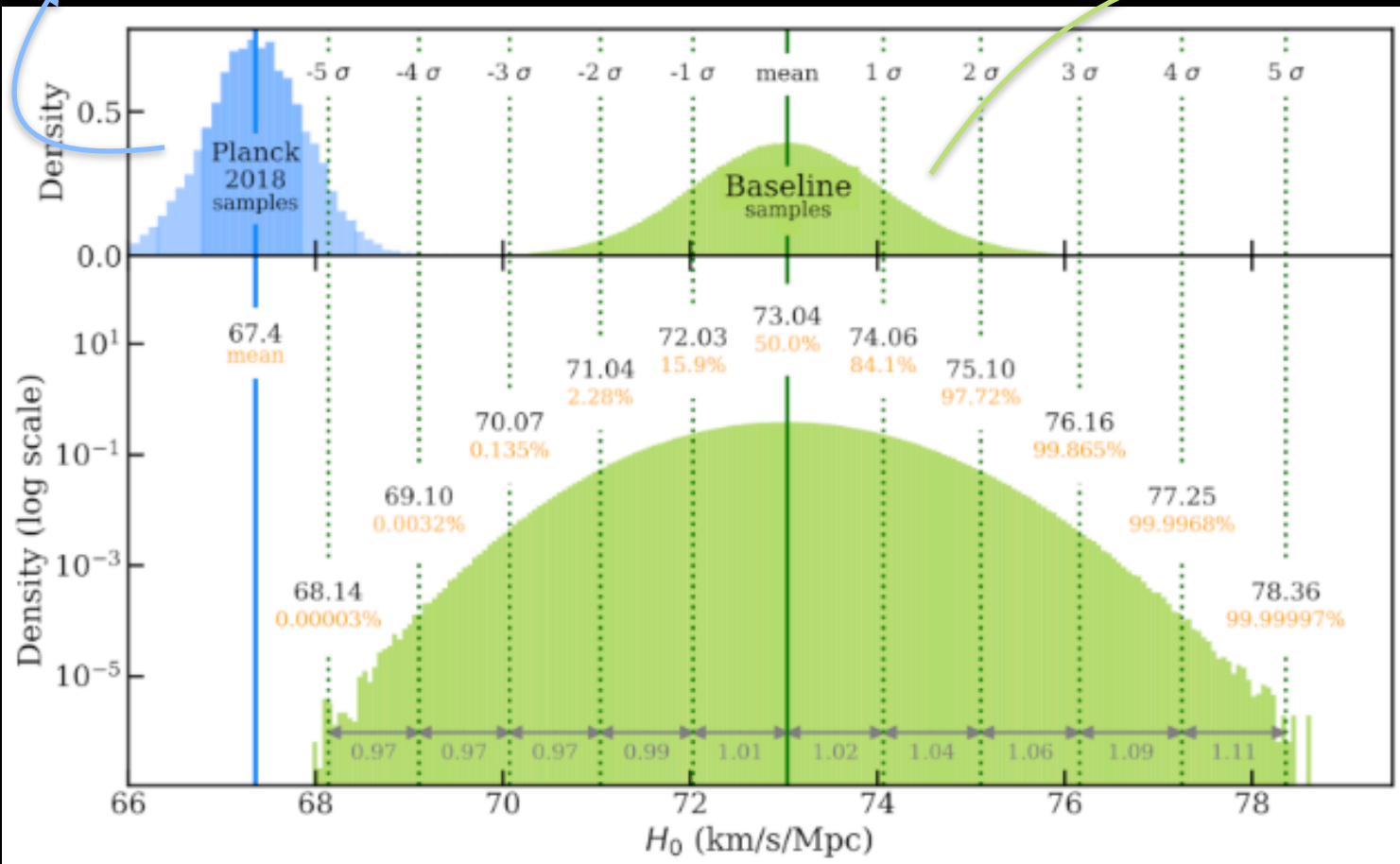


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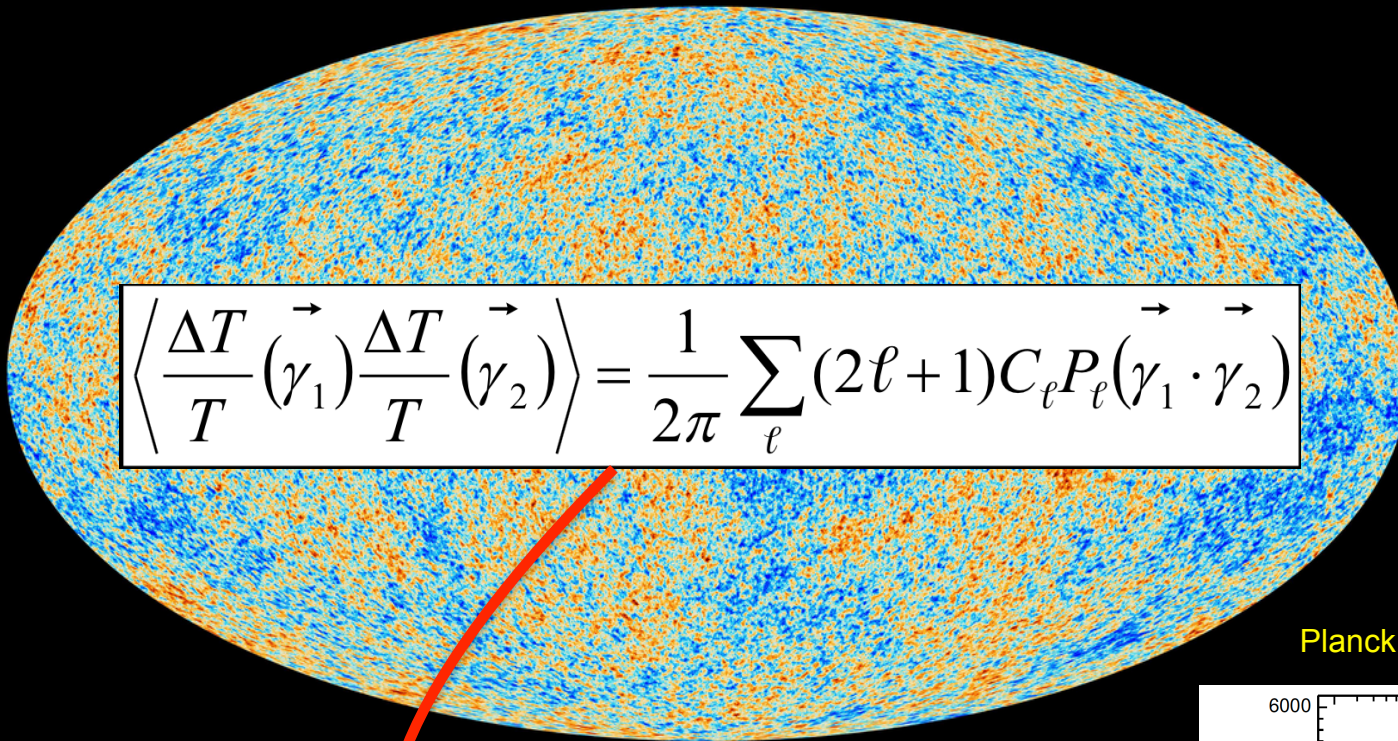


The latest local measurements obtained by the SH0ES collaboration

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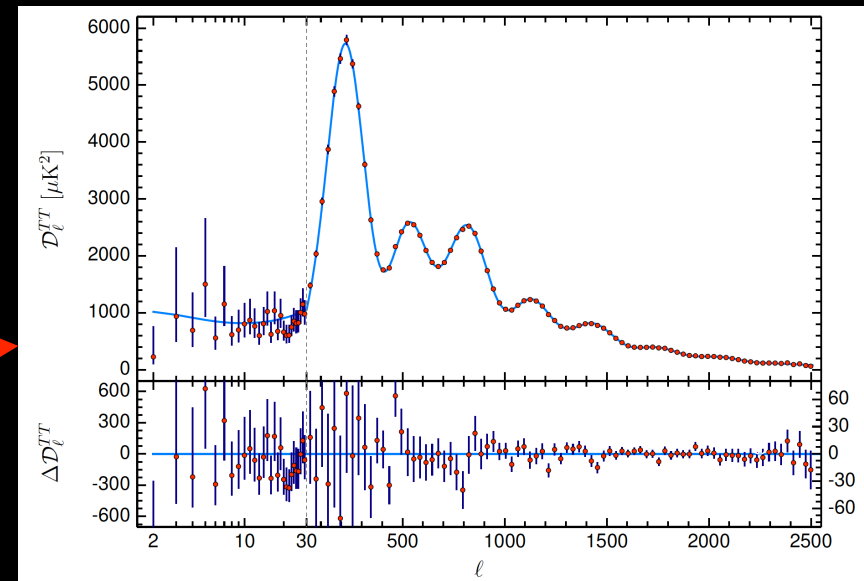
Riess et al. [arXiv:2112.04510](https://arxiv.org/abs/2112.04510)

CMB constraints



From the map of the CMB anisotropies we can extract the temperature angular power spectrum.

Planck 2018, *Astron.Astrophys.* 641 (2020) A6



CMB constraints

Parameter	TT+lowE 68% limits	TE+lowE 68% limits	EE+lowE 68% limits	TT,TE,EE+lowE 68% limits	TT,TE,EE+lowE+lensing 68% limits	TT,TE,EE+lowE+lensing+BAO 68% limits
$\Omega_b h^2$	0.02212 ± 0.00022	0.02249 ± 0.00025	0.0240 ± 0.0012	0.02236 ± 0.00015	0.02237 ± 0.00015	0.02242 ± 0.00014
$\Omega_c h^2$	0.1206 ± 0.0021	0.1177 ± 0.0020	0.1158 ± 0.0046	0.1202 ± 0.0014	0.1200 ± 0.0012	0.11933 ± 0.00091
$100\theta_{MC}$	1.04077 ± 0.00047	1.04139 ± 0.00049	1.03999 ± 0.00089	1.04090 ± 0.00031	1.04092 ± 0.00031	1.04101 ± 0.00029
τ	0.0522 ± 0.0080	0.0496 ± 0.0085	0.0527 ± 0.0090	$0.0544^{+0.0070}_{-0.0081}$	0.0544 ± 0.0073	0.0561 ± 0.0071
$\ln(10^{10} A_s)$	3.040 ± 0.016	$3.018^{+0.020}_{-0.018}$	3.052 ± 0.022	3.045 ± 0.016	3.044 ± 0.014	3.047 ± 0.014
n_s	0.9626 ± 0.0057	0.967 ± 0.011	0.980 ± 0.015	0.9649 ± 0.0044	0.9649 ± 0.0042	0.9665 ± 0.0038
H_0 [km s ⁻¹ Mpc ⁻¹]	66.88 ± 0.92	68.44 ± 0.91	69.9 ± 2.7	67.27 ± 0.60	67.36 ± 0.54	67.66 ± 0.42
Ω_Λ	0.679 ± 0.013	0.699 ± 0.012	$0.711^{+0.033}_{-0.026}$	0.6834 ± 0.0084	0.6847 ± 0.0073	0.6889 ± 0.0056
Ω_m	0.321 ± 0.013	0.301 ± 0.012	$0.289^{+0.026}_{-0.033}$	0.3166 ± 0.0084	0.3153 ± 0.0073	0.3111 ± 0.0056
$\Omega_m h^2$	0.1434 ± 0.0020	0.1408 ± 0.0019	$0.1404^{+0.0034}_{-0.0039}$	0.1432 ± 0.0013	0.1430 ± 0.0011	0.14240 ± 0.00087
$\Omega_m h^3$	0.09589 ± 0.00046	0.09635 ± 0.00051	$0.0981^{+0.0016}_{-0.0018}$	0.09633 ± 0.00029	0.09633 ± 0.00030	0.09635 ± 0.00030
σ_8	0.8118 ± 0.0089	0.793 ± 0.011	0.796 ± 0.018	0.8120 ± 0.0073	0.8111 ± 0.0060	0.8102 ± 0.0060
$S_8 \equiv \sigma_8(\Omega_m/0.3)^{0.5}$	0.840 ± 0.024	0.794 ± 0.024	$0.781^{+0.052}_{-0.060}$	0.834 ± 0.016	0.832 ± 0.013	0.825 ± 0.011

Planck 2018, Astron.Astrophys. 641 (2020) A6

2018 Planck results are a wonderful confirmation of the flat standard Λ CDM cosmological model, but are **model dependent!**

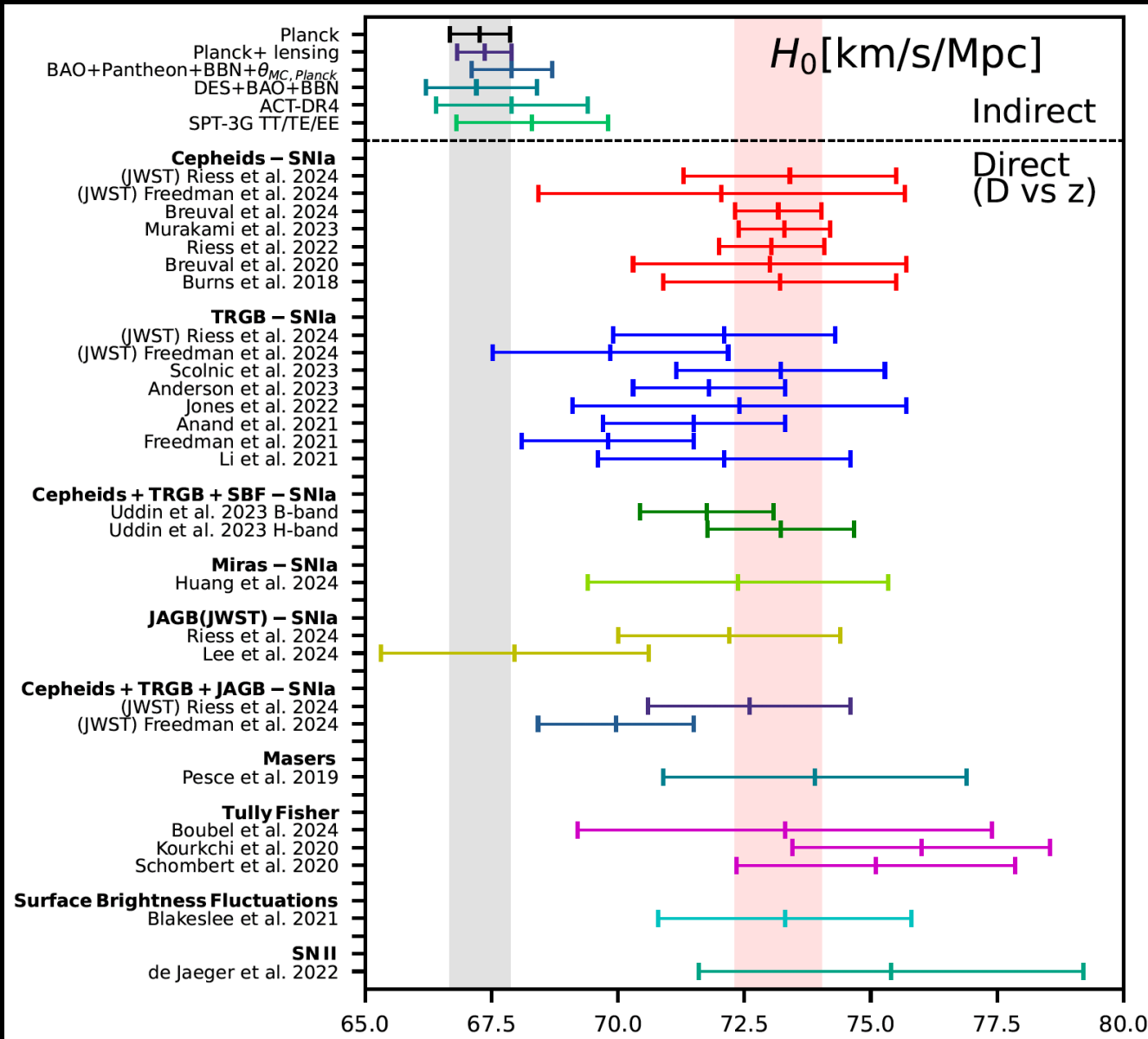
- The cosmological constraints are obtained **assuming** a cosmological model.
- The results are affected by the degeneracy between the parameters that induce similar effects on the observables.

Are there other H_0 estimates?

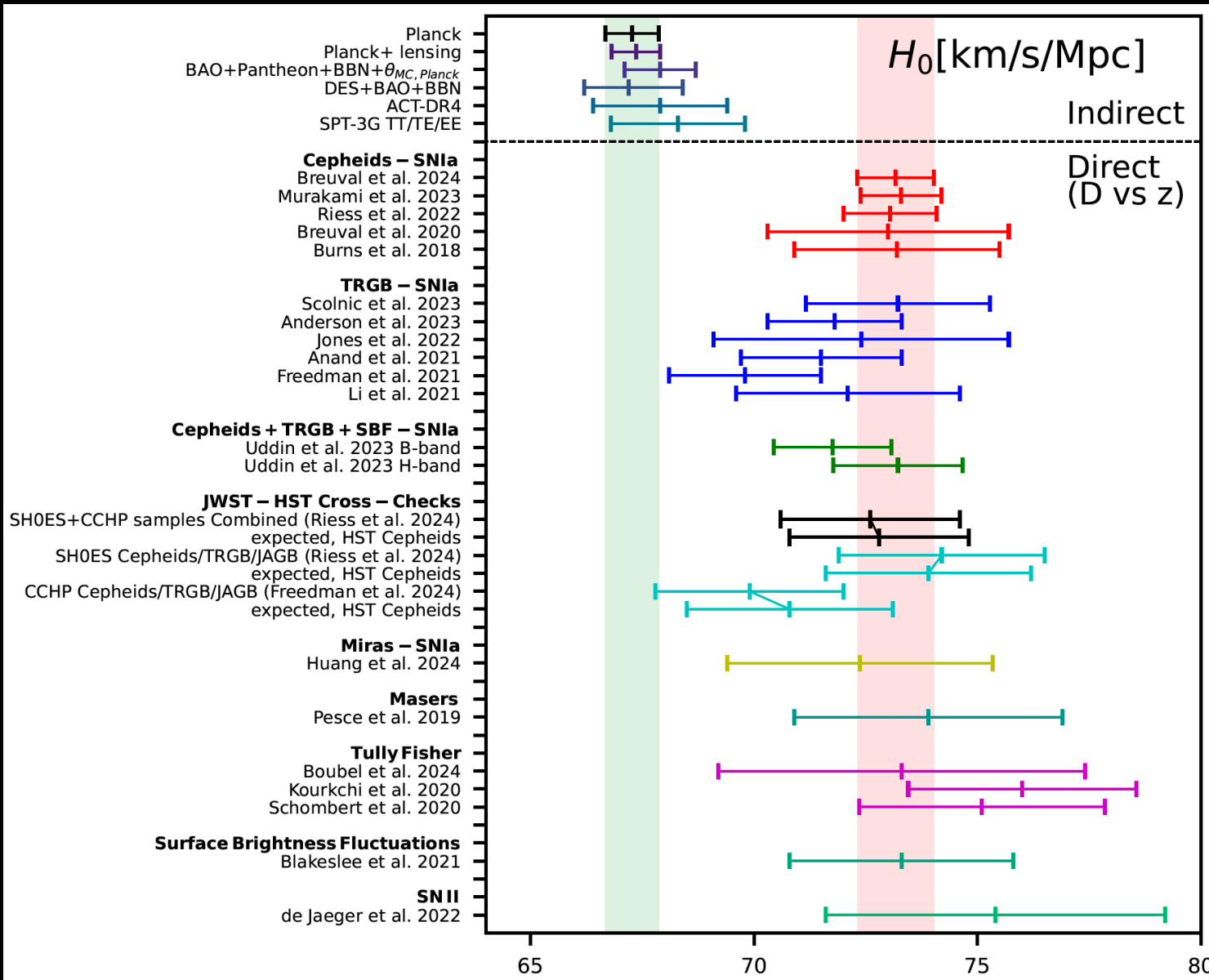
Latest H0 measurements

Hubble constant measurements made by different astronomical missions and groups over the years.

The red vertical band corresponds to the H0 value from SH0ES Team and the grey vertical band corresponds to the H0 value as reported by Planck 2018 team within a Λ CDM scenario.



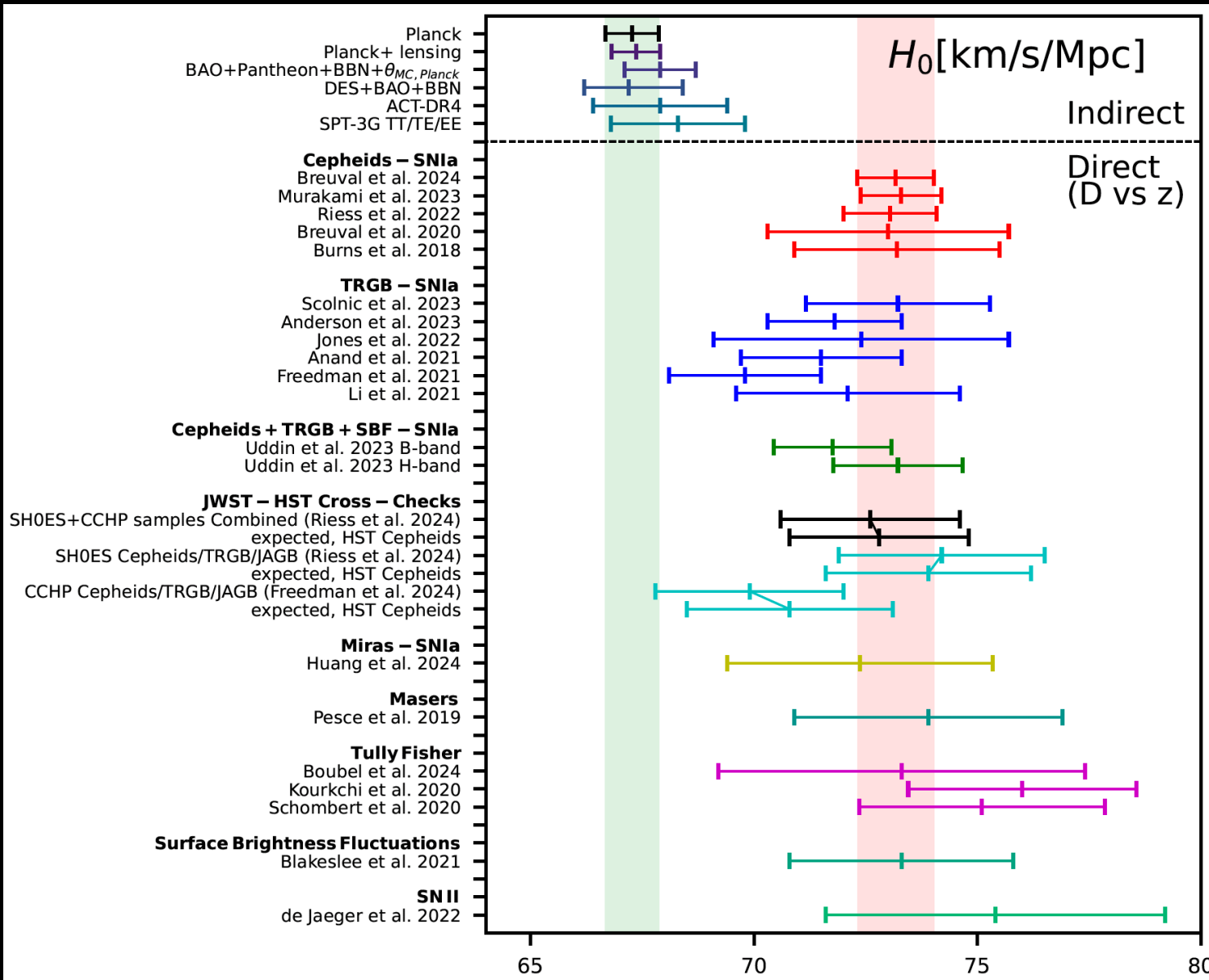
Latest H0 measurements



The JWST results serve as "cross-checks": they do not introduce any new objects and represent only a small portion of the full HST sample, which includes 42 SN Ia and 4 anchors, compared to JWST's 10 SNe and 1 anchor.

Therefore, our approach should be to compare the findings from this sub-sample with the corresponding objects observed by HST.

Latest H0 measurements



SH0ES+CCHP samples
 $H_0 = 72.6 \pm 2.0$ km/s/Mpc
 expected, HST Cepheids
 $H_0 = 72.8 \pm 2.0$ km/s/Mpc

SH0ES Ceph/TRGB/JAGB
 $H_0 = 74.2 \pm 2.3$ km/s/Mpc
 expected, HST Cepheids
 $H_0 = 73.9 \pm 2.3$ km/s/Mpc

CCHP Ceph/TRGB/JAGB
 $H_0 = 69.8 \pm 2.1$ km/s/Mpc
 expected, HST Cepheids
 $H_0 = 70.8 \pm 2.3$ km/s/Mpc

Riess et al., arXiv: 2408.11770

It is difficult to attribute the Hubble constant tension to a **single systematic error** because such an error would need to consistently explain discrepancies across a wide range of phenomena.

While multiple independent systematic errors could theoretically resolve the tension, they are unlikely to bias the measurements all in the same direction.

Since indirect constraints rely on model assumptions, **it is worth exploring modifications to the cosmological model.** Investigating these extensions could help resolve discrepancies between different cosmological observations.

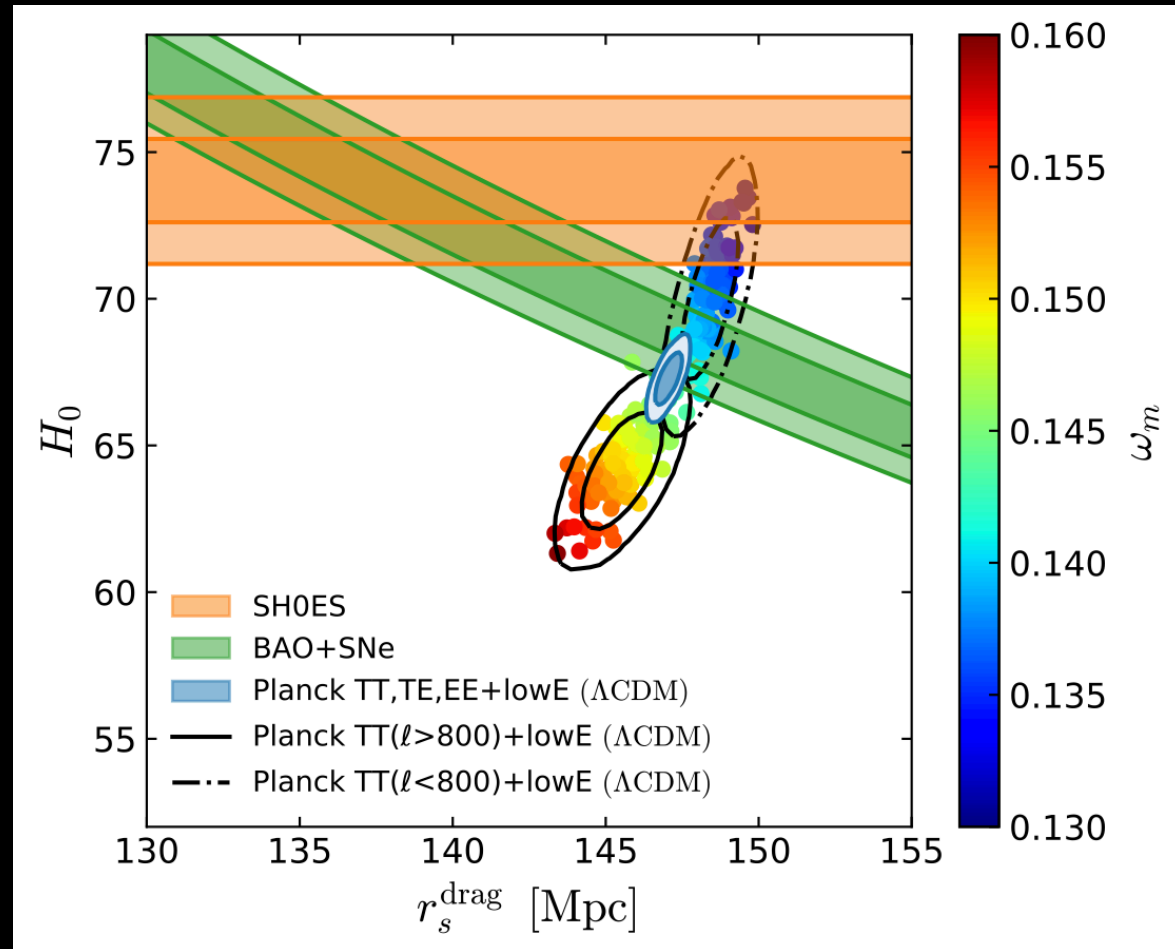
Complication: the sound horizon problem

What about BAO+Pantheon?

BAO+Pantheon measurements constrain the product of H_0 and the sound horizon r_s .

In order to have a higher H_0 value in agreement with SH0ES, we need r_s near 137 Mpc. However, Planck by assuming Λ CDM, prefers r_s near 147 Mpc.

Therefore, a cosmological solution that can increase H_0 and at the same time can lower the sound horizon inferred from CMB data is the most promising way to put in agreement all the measurements.

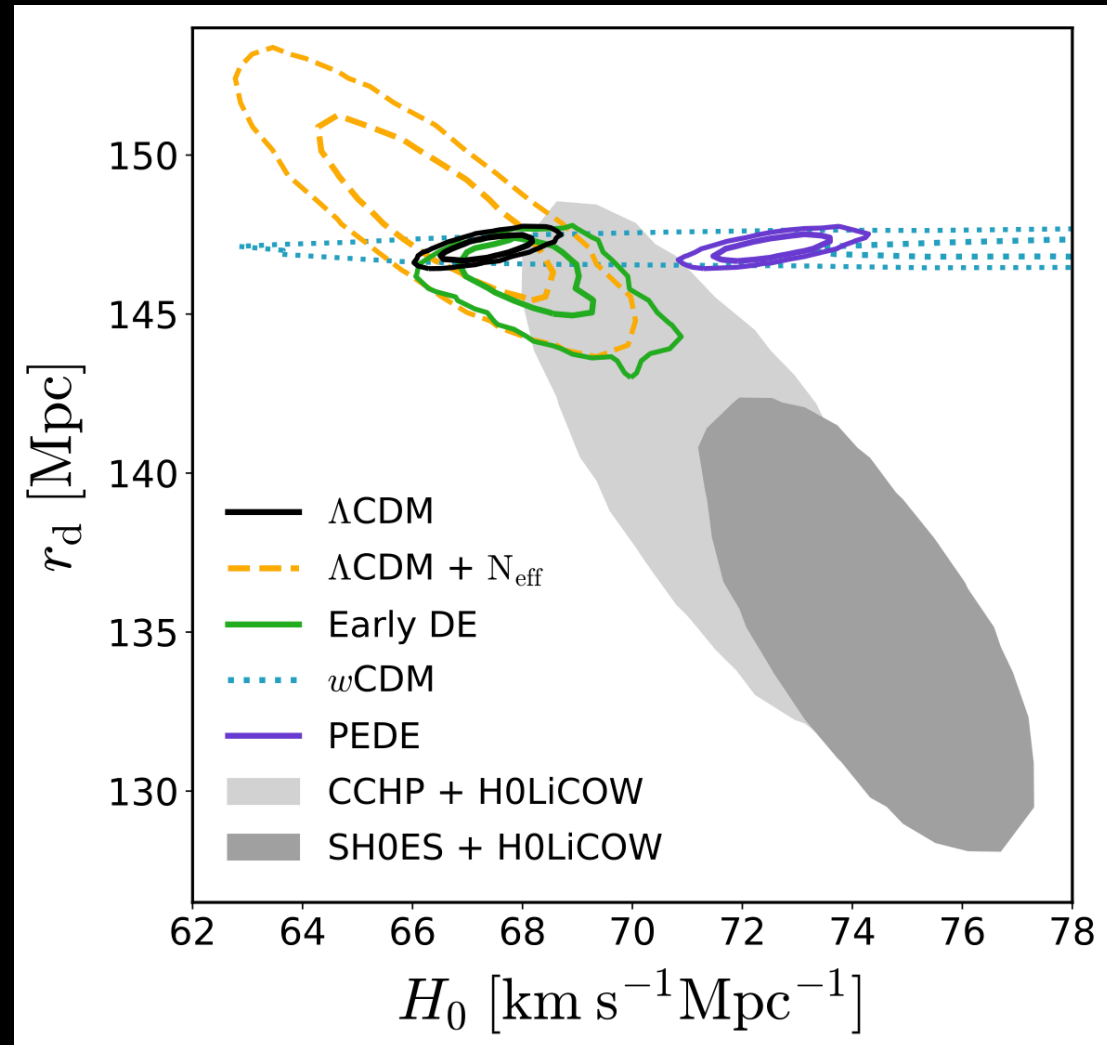


Knox and Millea, *Phys.Rev.D* 101 (2020) 4, 043533

Early vs late time solutions

Here we can see the comparison of the 2σ credibility regions of the CMB constraints and the measurements from late-time observations (SN + BAO + H0LiCOW + SH0ES).

We see that the late time solutions, as w CDM, increase H_0 because they decrease the expansion history at intermediate redshift, but leave r_s unaltered.



The Dark energy equation of state

Changing the cosmological constant to a form of dark energy with an equation of state w alters the universe's expansion rate:

$$H^2 = \left(\frac{\dot{a}}{a}\right)^2 = H_0^2 \left(\frac{\Omega_r}{a^4} + \frac{\Omega_m}{a^3} + \frac{\Omega_k}{a^2} + \Omega_\Lambda \right)$$

$$H^2 = H_0^2 \left[\Omega_m(1+z)^3 + \Omega_r(1+z)^4 + \Omega_{de}(1+z)^{3(1+w)} + \Omega_k(1+z)^2 \right]$$

w introduces a geometrical degeneracy with the Hubble constant that is almost unconstrained using the CMB data only, resulting in agreement with SH0ES. We have from Planck only $w = -1.58^{+0.52}_{-0.41}$ with $H_0 > 69.9$ km/s/Mpc at 95% c.l.

Planck data suggest a preference for phantom dark energy ($w < -1$), which implies a density increasing over time and could lead to a Big Rip scenario.

Phantom dark energy violates the energy condition $\rho \geq |\rho|$, allowing matter to move faster than light, leading to negative energy densities and potential vacuum instabilities due to negative kinetic energy.

The state of the Dark energy equation of state

Dataset combination	w	H_0 [km/s/Mpc]
CMB	$-1.57^{+0.16}_{-0.36}$ ($-1.57^{+0.53}_{-0.42}$)	> 82.4 (> 69.3)
CMB+BAO	-1.039 ± 0.059 ($-1.04^{+0.11}_{-0.12}$)	68.6 ± 1.5 ($68.6^{+3.1}_{-2.8}$)
CMB+SN	-0.976 ± 0.029 ($-0.976^{+0.055}_{-0.056}$)	66.54 ± 0.81 ($66.5^{+1.6}_{-1.6}$)

Escamilla, Giarè, Di Valentino et al., JCAP 05 (2024) 091

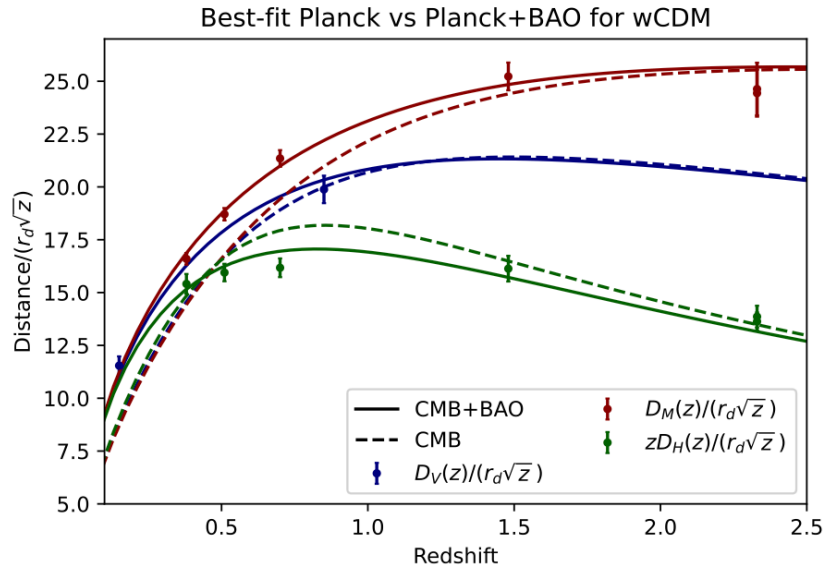


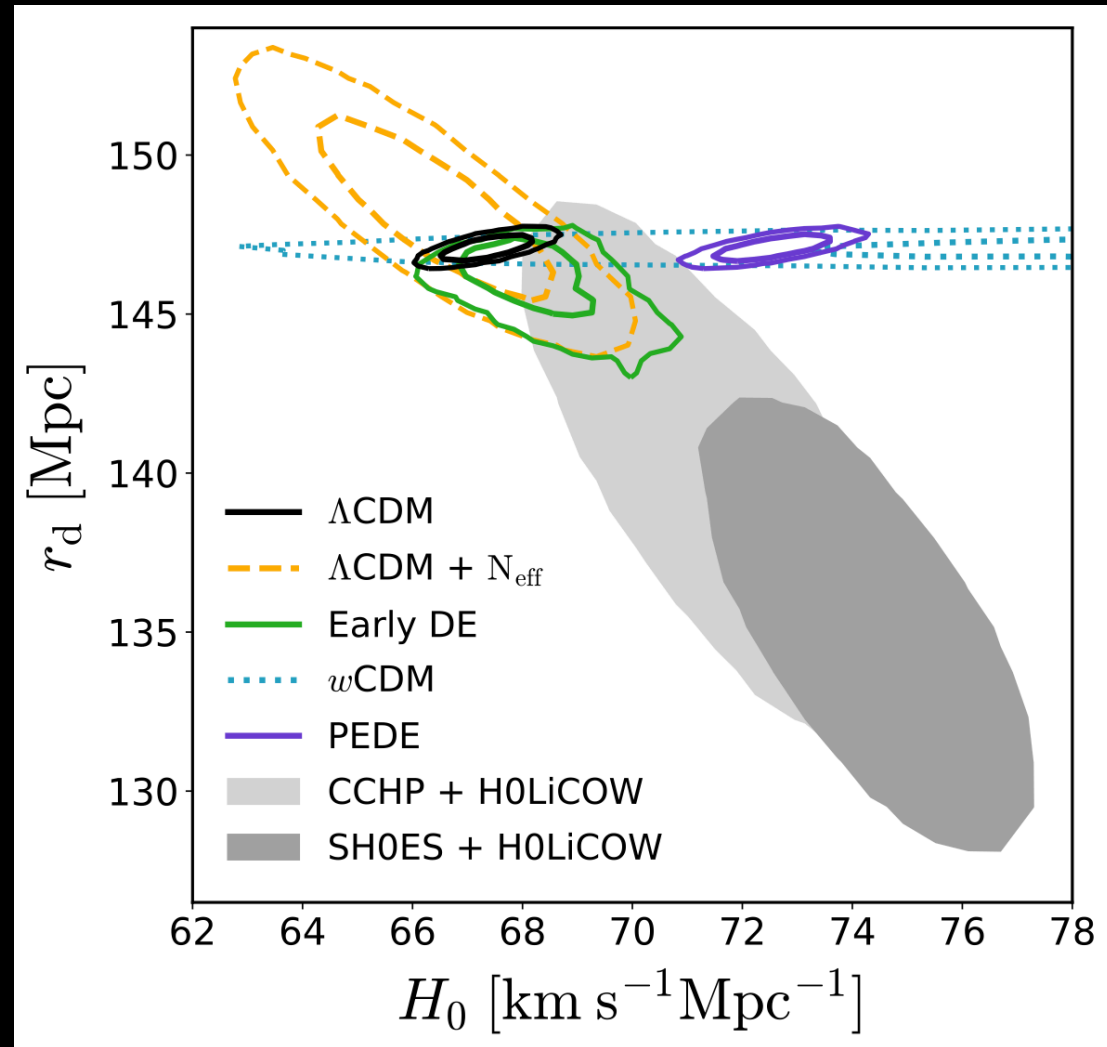
FIG. 5. Best-fit predictions for (rescaled) distance-redshift relations from a w CDM fit to *Planck* CMB data alone (dashed curves) and the CMB+BAO dataset (solid curves). These predictions are presented for the three different types of distances probed by BAO measurements (rescaled as per the y label), each indicated by the colors reported in the legend. The error bars represent $\pm 1\sigma$ uncertainties.

However, if BAO data are included, the w CDM model with $w < -1$ worsens considerably the fit of the BAO data because **the best fit from Planck alone fails in recover the shape of $H(z)$ at low redshifts**. Therefore, when the CMB is combined with BAO data, the favoured model is again the Λ CDM one and the H_0 tension is restored.

Early vs late time solutions

Here we can see the comparison of the 2σ credibility regions of the CMB constraints and the measurements from late-time observations (SN + BAO + H0LiCOW + SH0ES).

However, the **early time solutions**, as N_{eff} or Early Dark Energy, **move in the right direction both the parameters, but can't solve completely the H_0 tension between Planck and SH0ES.**



Early Dark Energy

Constraints at 68% cl.

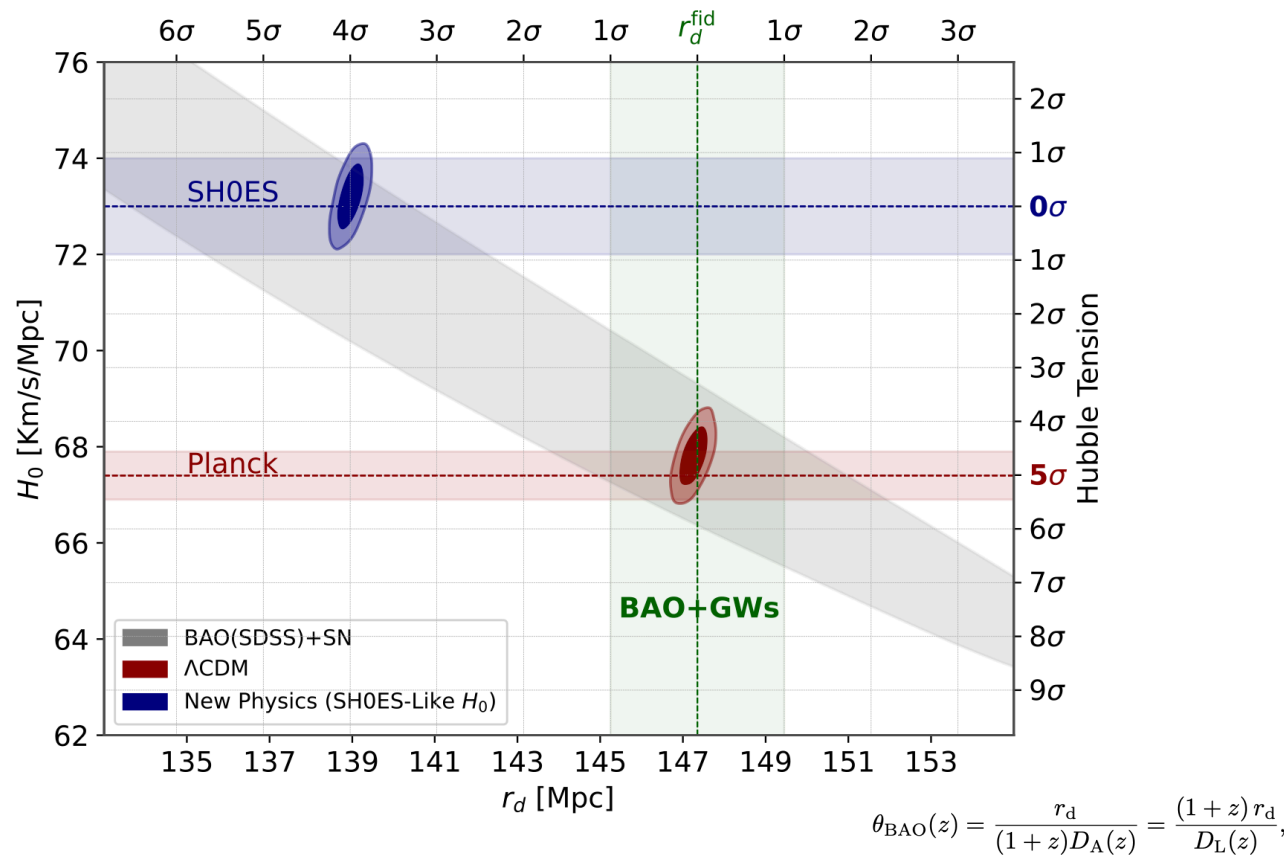
Constraints from *Planck* 2018 data only: TT+TE+EE

Parameter	Λ CDM	EDE ($n = 3$)
$\ln(10^{10} A_s)$	3.044 (3.055) \pm 0.016	3.051 (3.056) \pm 0.017
n_s	0.9645 (0.9659) \pm 0.0043	0.9702 (0.9769) $^{+0.0071}_{-0.0069}$
$100\theta_s$	1.04185 (1.04200) \pm 0.00029	1.04164 (1.04168) \pm 0.00034
$\Omega_b h^2$	0.02235 (0.02244) \pm 0.00015	0.02250 (0.02250) \pm 0.00020
$\Omega_c h^2$	0.1202 (0.1201) \pm 0.0013	0.1234 (0.1268) $^{+0.0031}_{-0.0030}$
τ_{reio}	0.0541 (0.0587) \pm 0.0076	0.0549 (0.0539) \pm 0.0078
$\log_{10}(z_c)$	–	3.66 (3.75) $^{+0.28}_{-0.24}$
f_{EDE}	–	< 0.087 (0.068)
θ_i	–	> 0.36 (2.96)
H_0 [km/s/Mpc]	67.29 (67.44) \pm 0.59	68.29 (69.13) $^{+1.02}_{-1.00}$
Ω_m	0.3162 (0.3147) \pm 0.0083	0.3145 (0.3138) \pm 0.0086
σ_8	0.8114 (0.8156) \pm 0.0073	0.8198 (0.8280) $^{+0.0109}_{-0.0107}$
S_8	0.8331 (0.8355) \pm 0.0159	0.8393 (0.8468) \pm 0.0173
$\log_{10}(f/\text{eV})$	–	26.57 (26.36) $^{+0.39}_{-0.36}$
$\log_{10}(m/\text{eV})$	–	–26.94 (–26.90) $^{+0.58}_{-0.53}$

Hill et al. *Phys.Rev.D* 102 (2020) 4, 043507

Planck 2018 results shows no evidence for EDE
and H_0 is in agreement with the value obtained assuming Λ CDM.

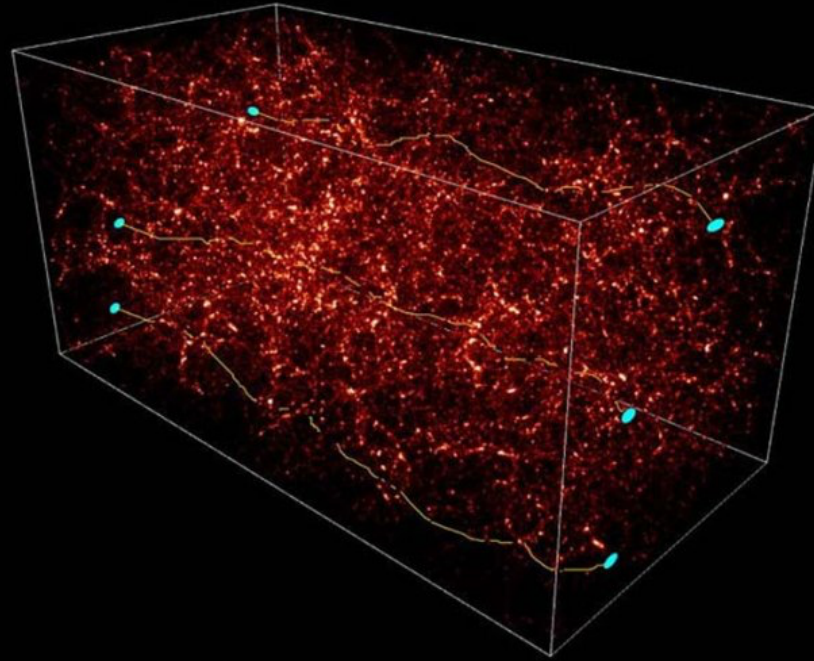
Sound Horizon from GWSS and 2D BAO



We forecast a relative precision of $\sigma_{r_d} / r_d \sim 1.5\%$ within the redshift range $z \lesssim 1$. These measurements can serve as a consistency test for Λ CDM, potentially clarifying the nature of the Hubble tension and confirming or ruling out new physics prior to recombination with a statistical significance of $\sim 4\sigma$.

Complication:
the early solutions proposed to
alleviate the H0 tension increase
the S8 tension!

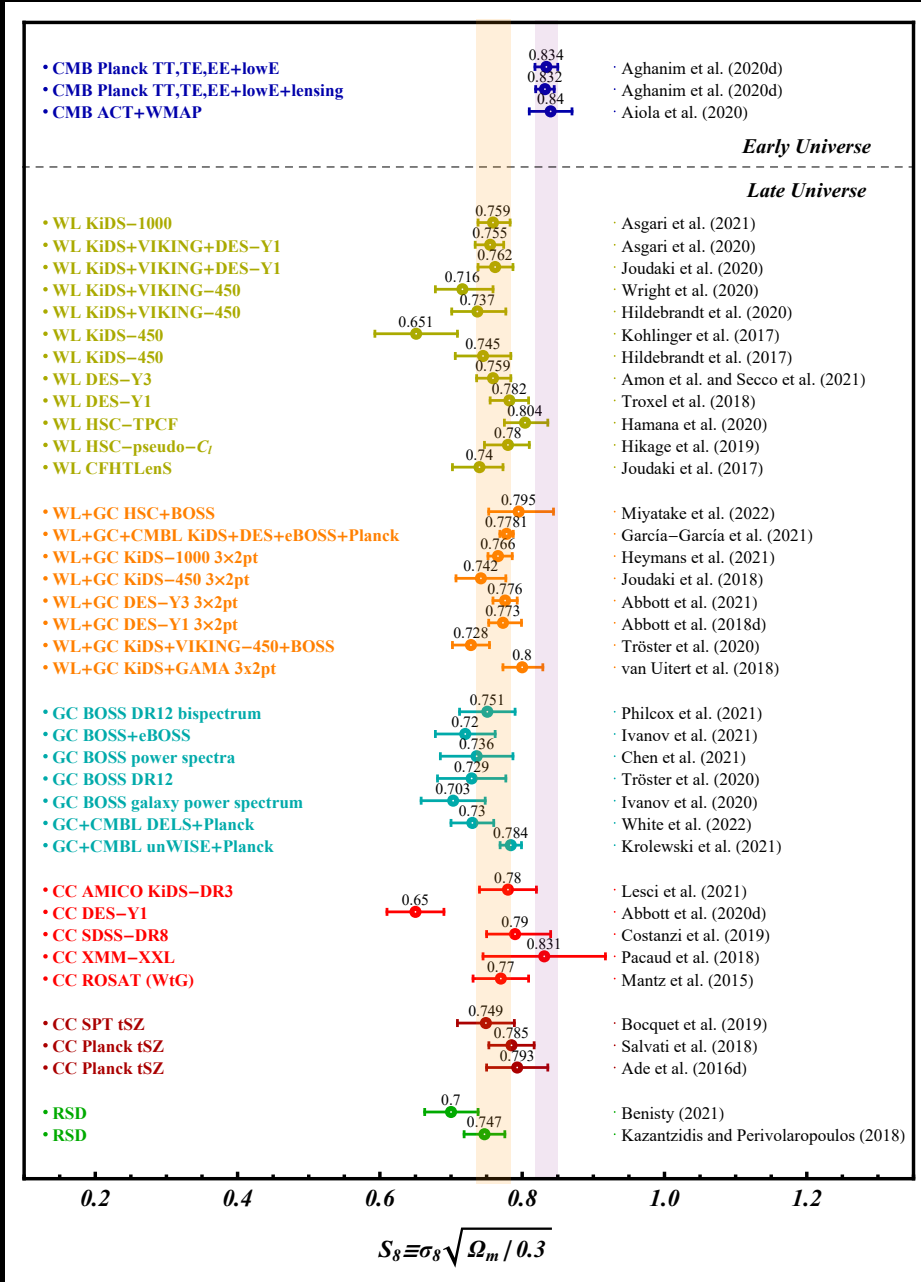
The S8 tension



$$S_8 \equiv \sigma_8 \sqrt{\Omega_m / 0.3}$$

A tension on **S8** is present between the Planck data in the Λ CDM scenario and the cosmic shear data.

The S8 tension

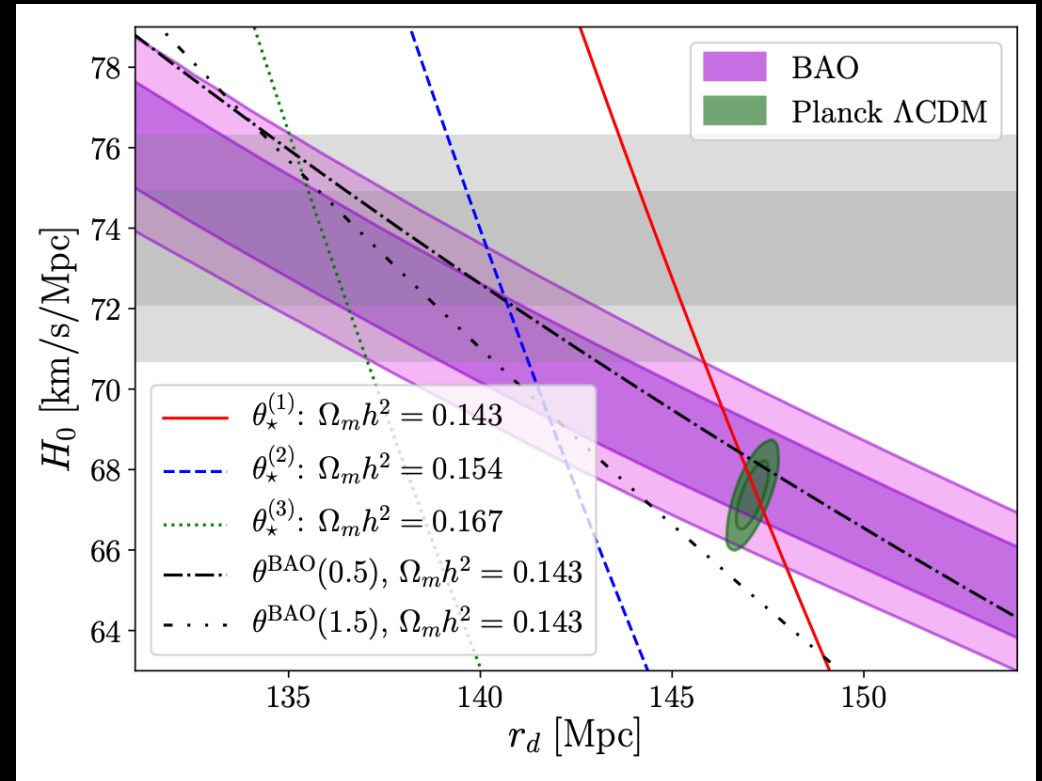


See Di Valentino et al. *Astropart.Phys.* 131 (2021) 102604 and Abdalla et al., arXiv:2203.06142 [astro-ph.CO] for a summary of the possible candidates proposed to solve the S8 tension.

Early solutions to the H0 tension

Actually, a dark energy model that merely changes the value of r_d would not completely resolve the tension, since it will affect the inferred value of Ω_m and transfer the tension to it.

This is a plot illustrating that achieving a full agreement between CMB, BAO and SH0ES through a reduction of r_d requires a higher value of $\Omega_m h^2$.



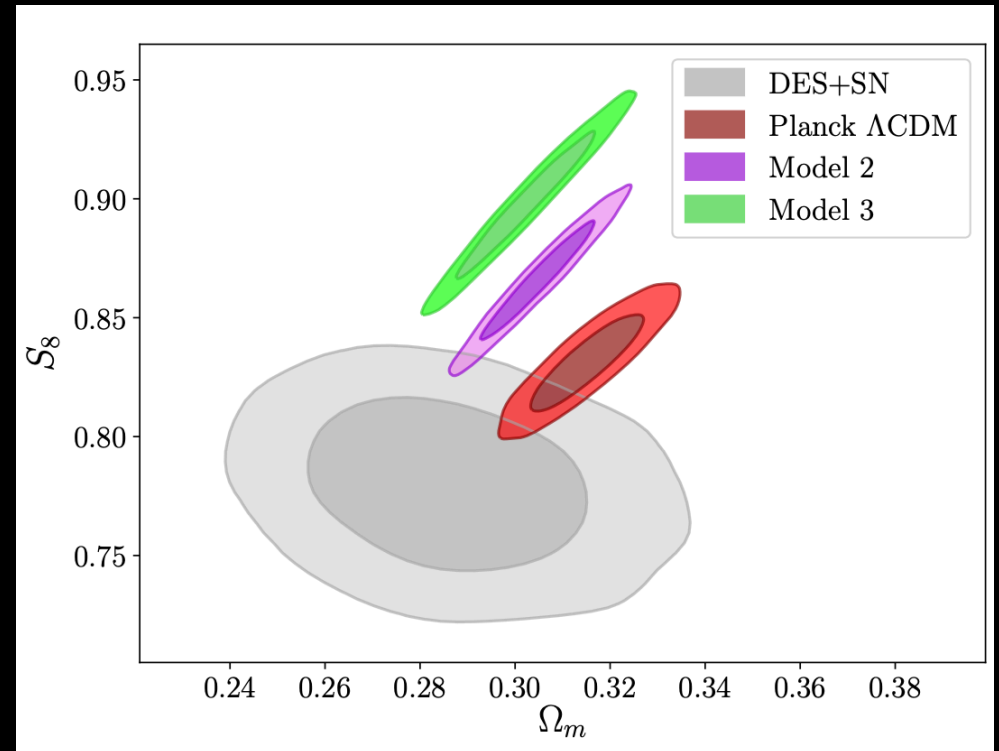
Jedamzik et al., Commun.in Phys. 4 (2021) 123

Early solutions to the H0 tension

Model 2 is defined by the simultaneous fit to BAO and CMB acoustic peaks at $\Omega_m h^2 = 0.155$, while model 3 has $\Omega_m h^2 = 0.167$

The sound horizon problem should be considered not only in the plane H_0 - r_d , but it should be extended to the parameters triplet H_0 - r_d - Ω_m .

The figure shows that when attempting to find a full resolution of the Hubble tension, with CMB, BAO and SH0ES in agreement with each other, one exacerbates the tension with DES, KiDS and HSC.

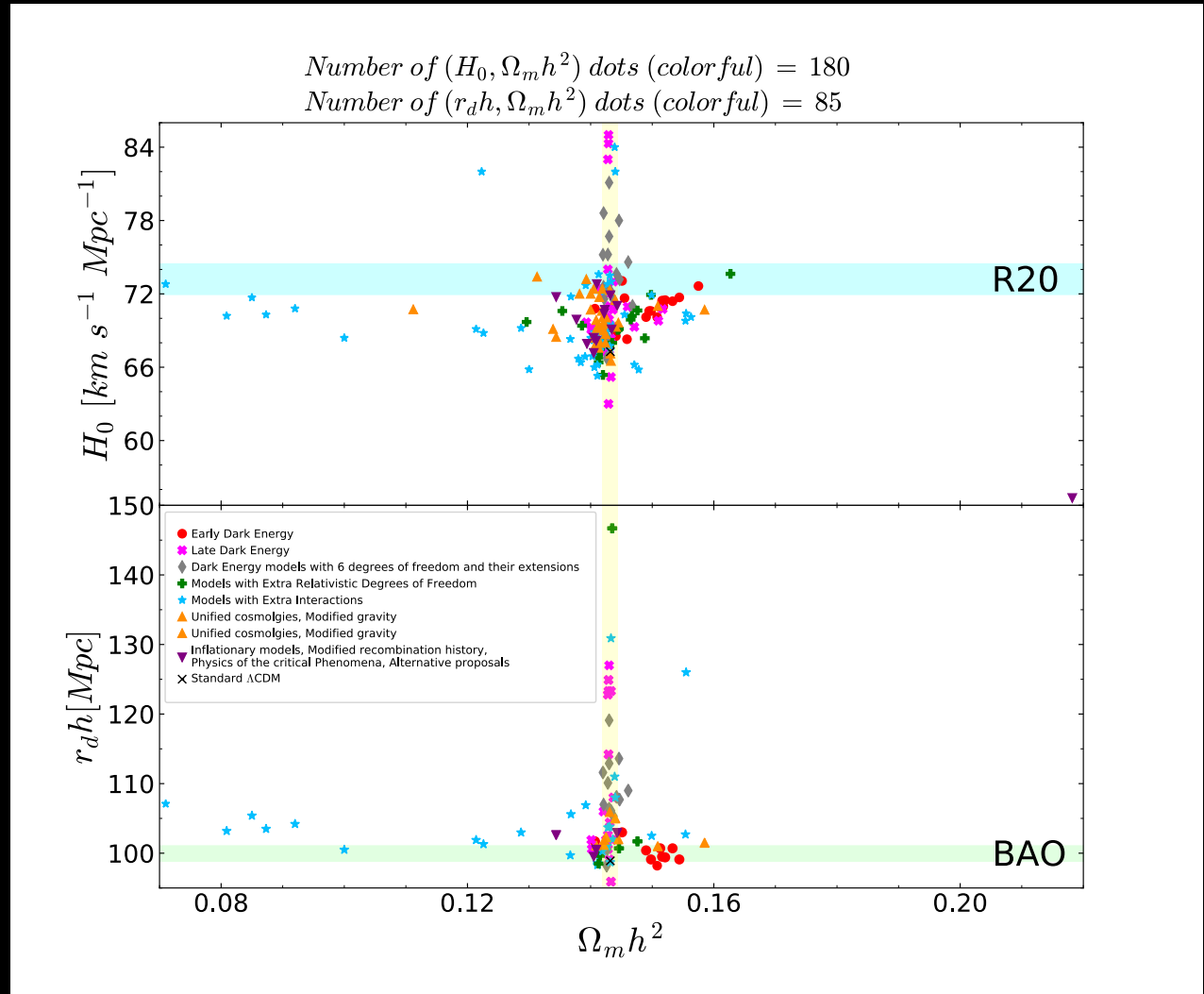


Jedamzik et al., *Commun.in Phys.* 4 (2021) 123

Successful models?

This is the density of the proposed cosmological models: →

At the moment no specific proposal makes a strong case for being highly likely or far better than all others !!!



Di Valentino et al., Class.Quant.Grav. (2021), arXiv:2103.01183 [astro-ph.CO]

What about the interacting
DM-DE models?

The IDE case

In the standard cosmological framework, DM and DE are described as separate fluids not sharing interactions beyond gravitational ones.

At the background level, the conservation equations for the pressureless DM and DE components can be decoupled into two separate equations with an inclusion of an arbitrary function, Q , known as the coupling or interacting function:

$$\begin{aligned}\dot{\rho}_c + 3\mathcal{H}\rho_c &= Q, \\ \dot{\rho}_x + 3\mathcal{H}(1+w)\rho_x &= -Q,\end{aligned}$$

and we assume the phenomenological form for the interaction rate:

$$Q = \xi\mathcal{H}\rho_x$$

proportional to the dark energy density ρ_x and the conformal Hubble rate \mathcal{H} , via a negative dimensionless parameter ξ quantifying the strength of the coupling, to avoid early-time instabilities.

The IDE case

In this scenario of IDE the tension on H_0 between the Planck satellite and SH0ES is completely solved.

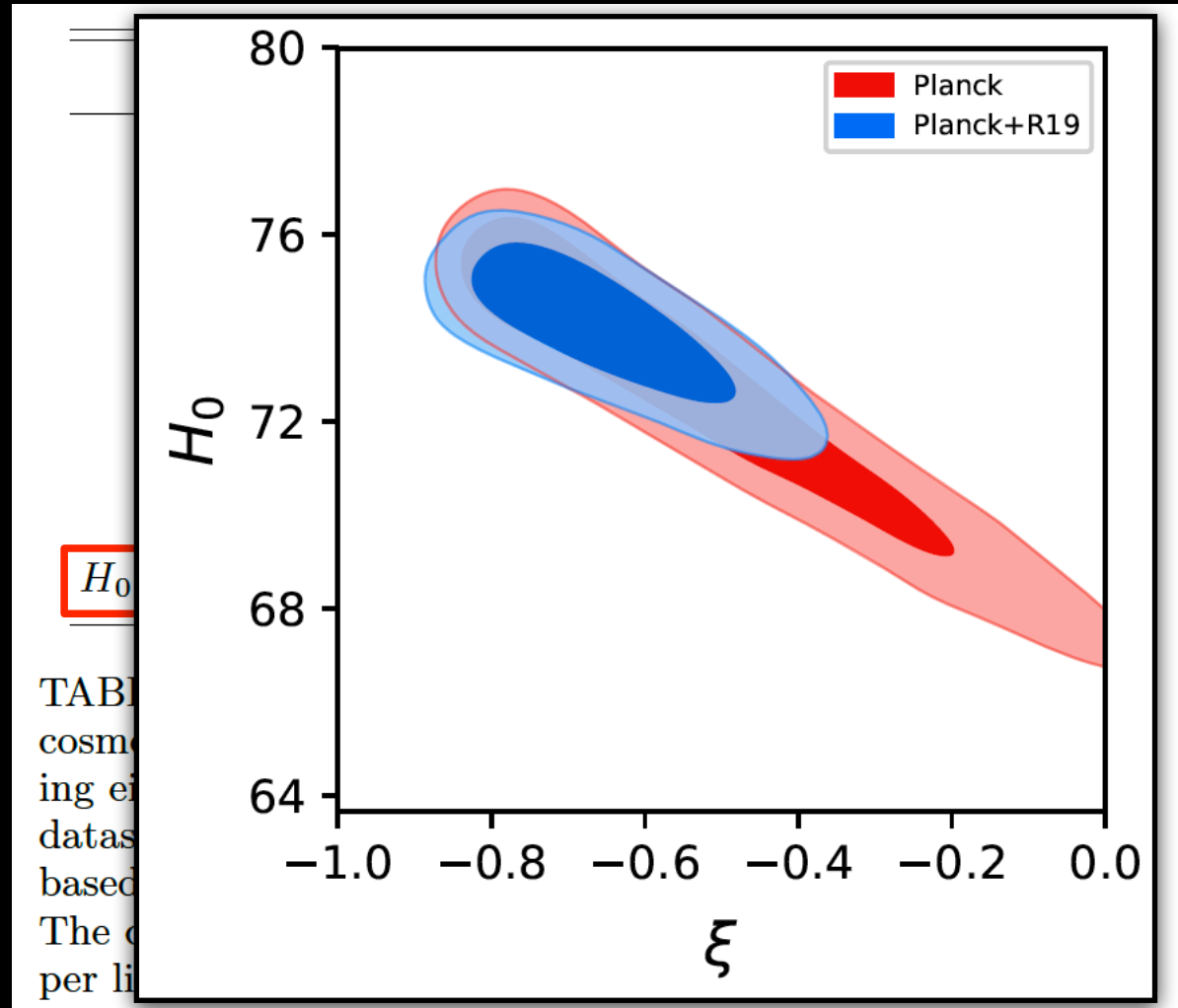
The coupling could affect the value of the present matter energy density Ω_m . Therefore, if within an interacting model Ω_m is smaller (because for negative ξ the dark matter density will decay into the dark energy one), a larger value of H_0 would be required in order to satisfy the peaks structure of CMB observations, which accurately determine the value of $\Omega_m h^2$.

Parameter	<i>Planck</i>	<i>Planck</i> + <i>R19</i>
$\Omega_b h^2$	0.02239 ± 0.00015	0.02239 ± 0.00015
$\Omega_c h^2$	< 0.105	< 0.0615
n_s	0.9655 ± 0.0043	0.9656 ± 0.0044
$100\theta_s$	$1.0458^{+0.0033}_{-0.0021}$	1.0470 ± 0.0015
τ	0.0541 ± 0.0076	0.0534 ± 0.0080
ξ	$-0.54^{+0.12}_{-0.28}$	$-0.66^{+0.09}_{-0.13}$
H_0 [km s ⁻¹ Mpc ⁻¹]	$72.8^{+3.0}_{-1.5}$	$74.0^{+1.2}_{-1.0}$

TABLE I. Mean values with their 68% C.L. errors on selected cosmological parameters within the $\xi\Lambda$ CDM model, considering either the *Planck* 2018 legacy dataset alone, or the same dataset in combination with the *R19* Gaussian prior on H_0 based on the latest local distance measurement from *HST*. The quantity quoted in the case of $\Omega_c h^2$ is the 95% C.L. upper limit.

The IDE case

Therefore we can safely combine the two datasets together, and we obtain a **non-zero dark matter-dark energy coupling ξ at more than FIVE standard deviations.**



The IDE case

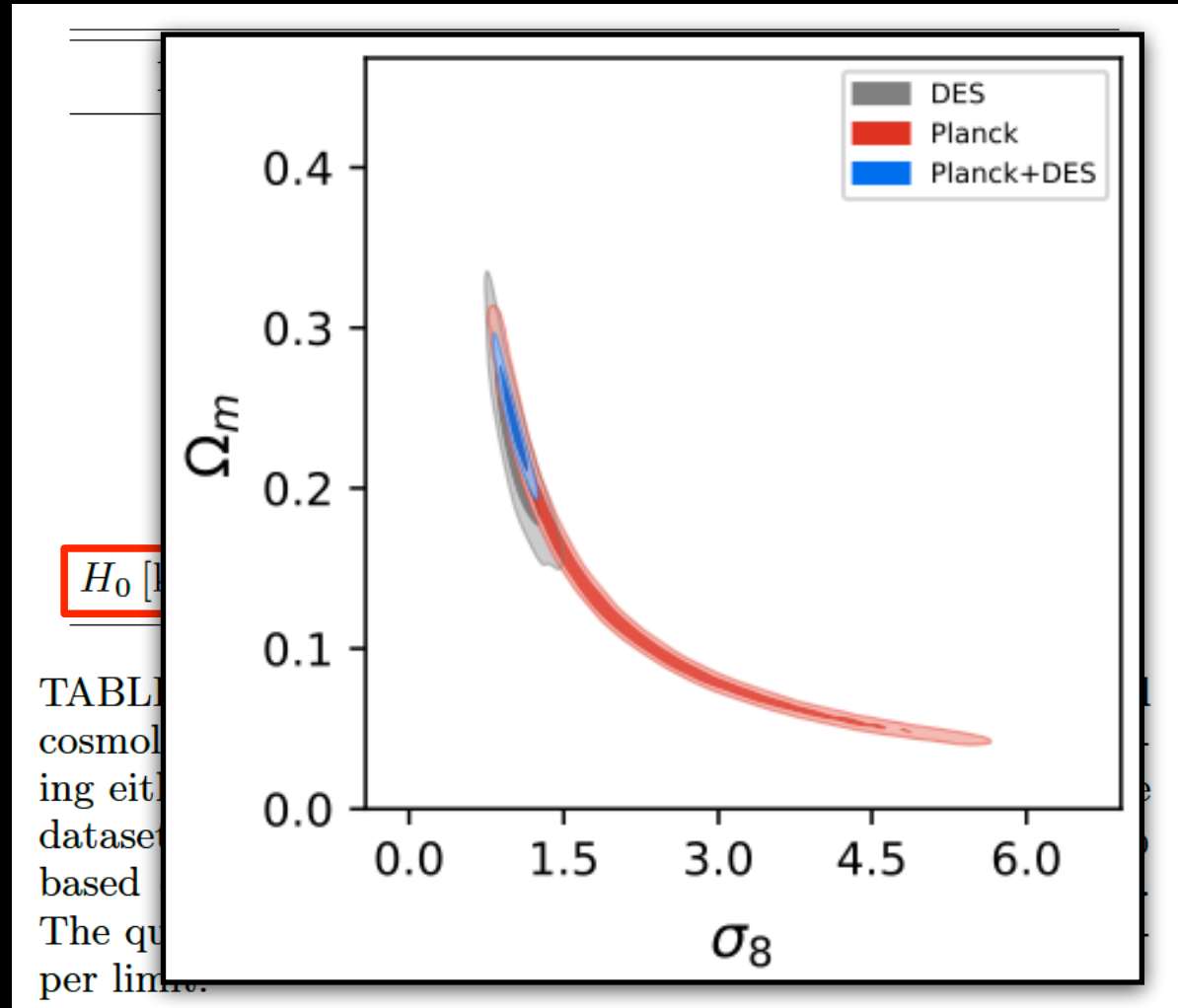
Moreover, we find a shift of the clustering parameter σ_8 towards a higher value, compensated by a lowering of the matter density Ω_m , both with relaxed error bars.

The reason is that once a coupling is switched on and

Ω_m becomes smaller, the clustering parameter σ_8 must be larger to have a proper normalization of the (lensing and clustering) power spectra.

This model can therefore significantly reduce the significance of the S8 tension

(See also Lucca, *Phys.Dark Univ.* 34 (2021) 100899)



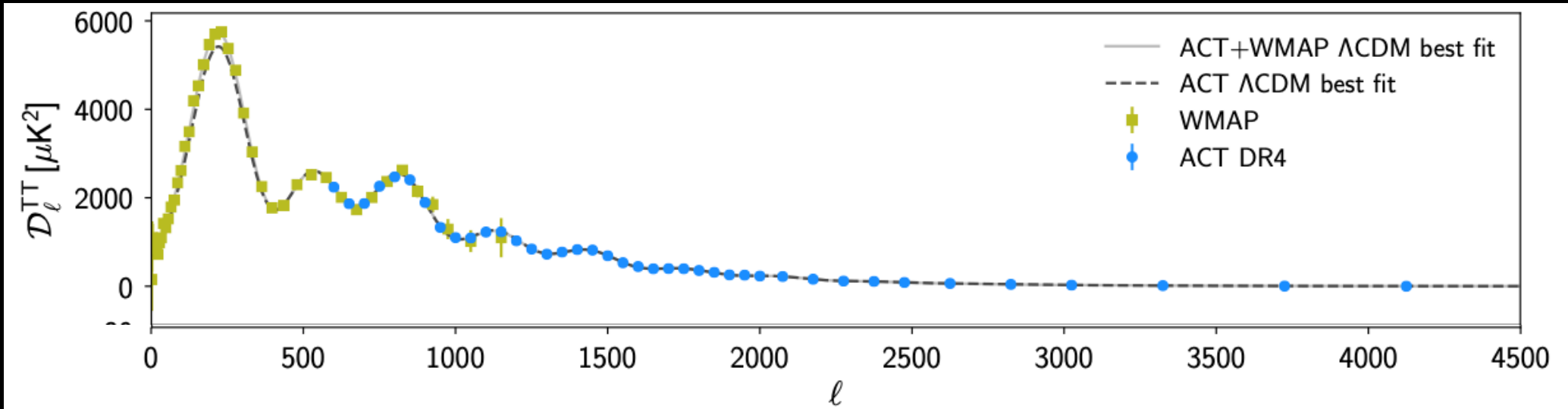
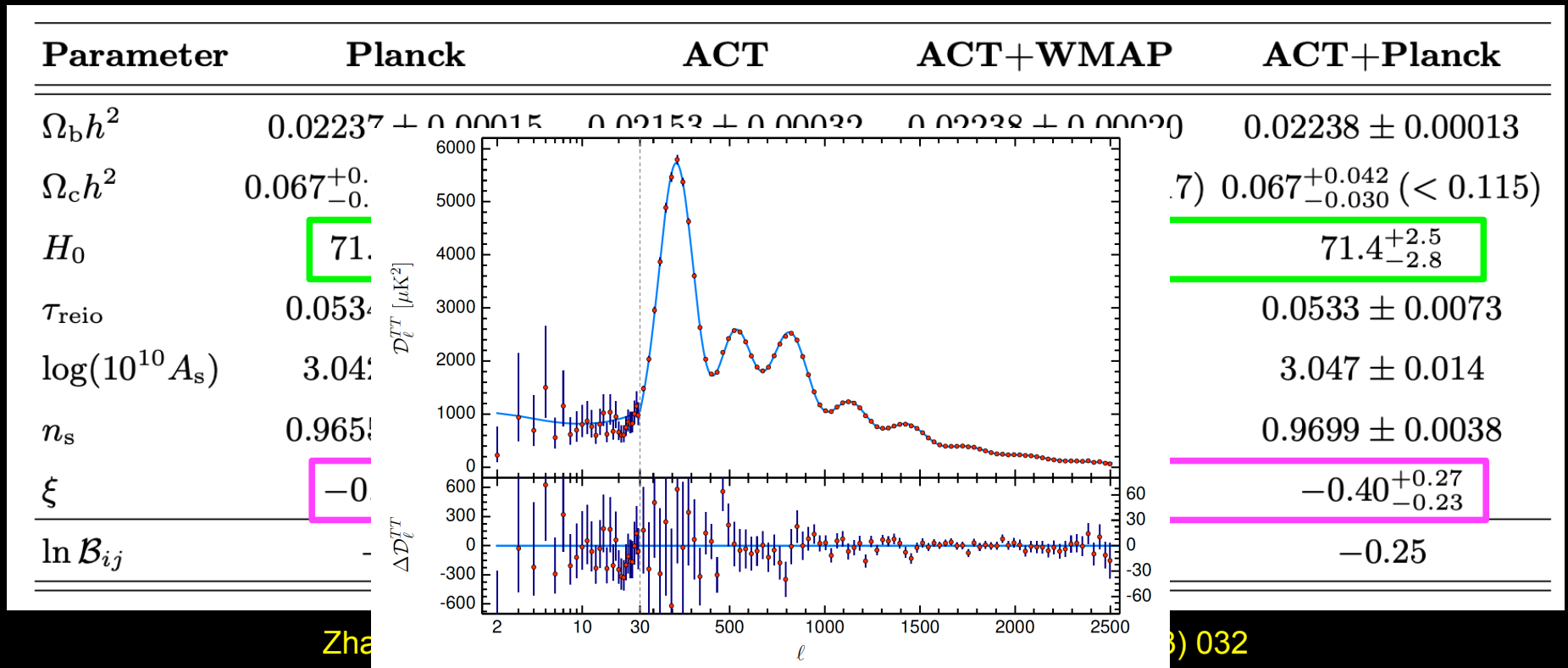
IDE from ACT

Parameter	Planck	ACT	ACT+WMAP	ACT+Planck
$\Omega_b h^2$	0.02237 ± 0.00015	0.02153 ± 0.00032	0.02238 ± 0.00020	0.02238 ± 0.00013
$\Omega_c h^2$	$0.067^{+0.042}_{-0.031} (< 0.115)$	$< 0.0754 (< 0.111)$	$0.070^{+0.046}_{-0.021} (< 0.117)$	$0.067^{+0.042}_{-0.030} (< 0.115)$
H_0	71.6 ± 2.1	$72.6^{+3.4}_{-2.6}$	$71.3^{+2.6}_{-3.2}$	$71.4^{+2.5}_{-2.8}$
τ_{reio}	0.0534 ± 0.0079	0.063 ± 0.015	0.061 ± 0.014	0.0533 ± 0.0073
$\log(10^{10} A_s)$	3.042 ± 0.016	3.046 ± 0.030	3.064 ± 0.028	3.047 ± 0.014
n_s	0.9655 ± 0.0045	1.010 ± 0.016	$0.9741^{+0.0066}_{-0.0064}$	0.9699 ± 0.0038
ξ	$-0.40^{+0.23}_{-0.20}$	$-0.46^{+0.20}_{-0.28}$	$-0.38^{+0.35}_{-0.14}$	$-0.40^{+0.27}_{-0.23}$
$\ln \mathcal{B}_{ij}$	-0.17	-0.07	0.06	-0.25

Zhai, Giarè, van de Bruck, Di Valentino, et al, *JCAP* 07 (2023) 032

Let's now consider different combinations of CMB datasets.

IDE from ACT



IDE from ACT

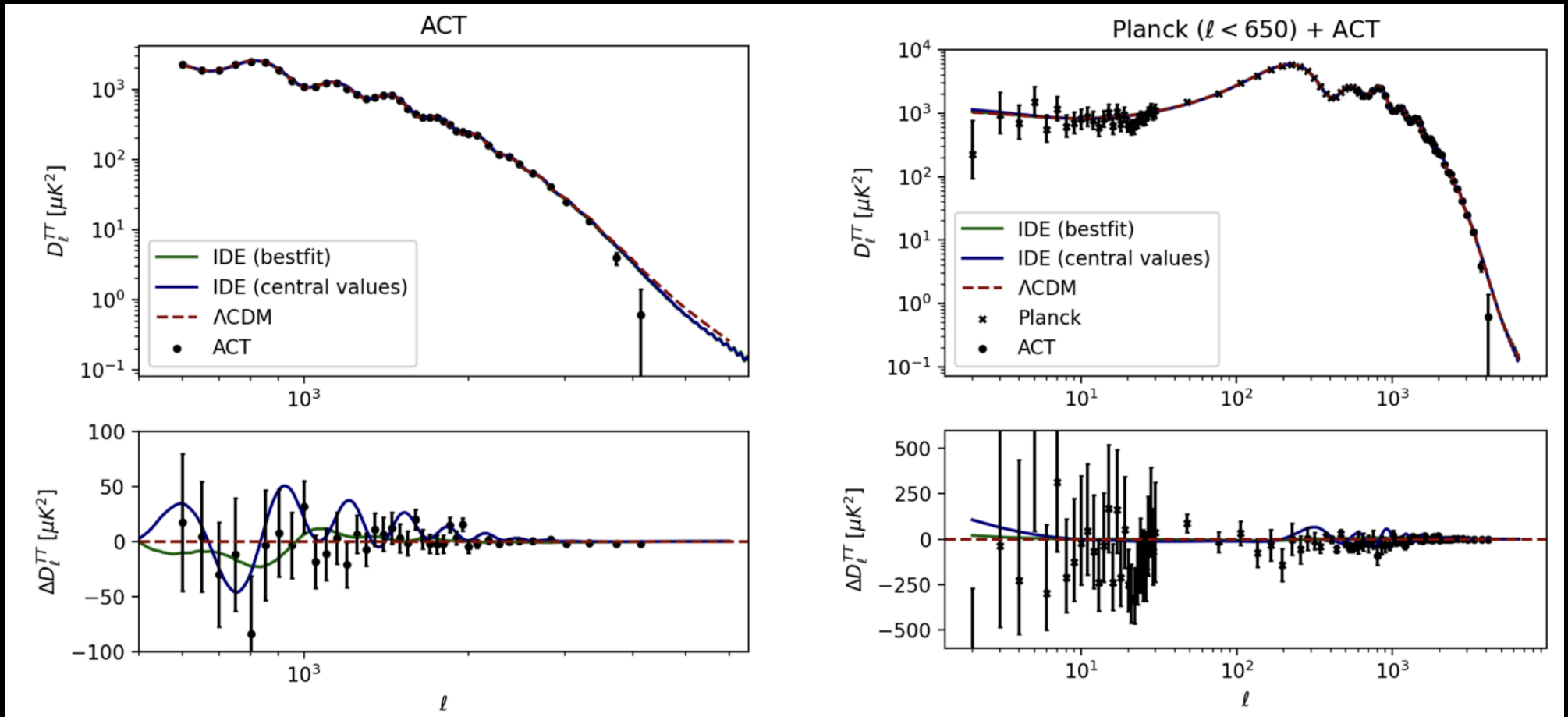
Parameter	Planck	ACT	ACT+WMAP	ACT+Planck
$\Omega_b h^2$	0.02237 ± 0.00015	0.02153 ± 0.00032	0.02238 ± 0.00020	0.02238 ± 0.00013
$\Omega_c h^2$	$0.067^{+0.042}_{-0.031} (< 0.115)$	$< 0.0754 (< 0.111)$	$0.070^{+0.046}_{-0.021} (< 0.117)$	$0.067^{+0.042}_{-0.030} (< 0.115)$
H_0	71.6 ± 2.1	$72.6^{+3.4}_{-2.6}$	$71.3^{+2.6}_{-3.2}$	$71.4^{+2.5}_{-2.8}$
τ_{reio}	0.0534 ± 0.0079	0.063 ± 0.015	0.061 ± 0.014	0.0533 ± 0.0073
$\log(10^{10} A_s)$	3.042 ± 0.016	3.046 ± 0.030	3.064 ± 0.028	3.047 ± 0.014
n_s	0.9655 ± 0.0045	1.010 ± 0.016	$0.9741^{+0.0066}_{-0.0064}$	0.9699 ± 0.0038
ξ	$-0.40^{+0.23}_{-0.20}$	$-0.46^{+0.20}_{-0.28}$	$-0.38^{+0.35}_{-0.14}$	$-0.40^{+0.27}_{-0.23}$
$\ln \mathcal{B}_{ij}$	-0.17	-0.07	0.06	-0.25

Zhai, Giarè, van de Bruck, Di Valentino, et al, *JCAP* 07 (2023) 032

If we consider different combinations of CMB datasets, they provide similar results, favoring IDE with a 95% CL significance in the majority of the cases.

Remarkably, such a preference remains consistent when cross-checked through independent probes, while always yielding a value of the expansion rate H_0 consistent with the local distance ladder measurements.

IDE from ACT



Zhai, Giarè, van de Bruck, Di Valentino, et al, *JCAP* 07 (2023) 032

It is easy to observe that the preference for $\xi < 0$ is primarily driven by the high multipole ACT CMB data that have a reduced amplitude. These data are also responsible for the improvement of the fit in the context of IDE models compared to the minimal Λ CDM, indicating that it is a genuine effect rather than one caused by parameter degeneracies.

fake IDE detection

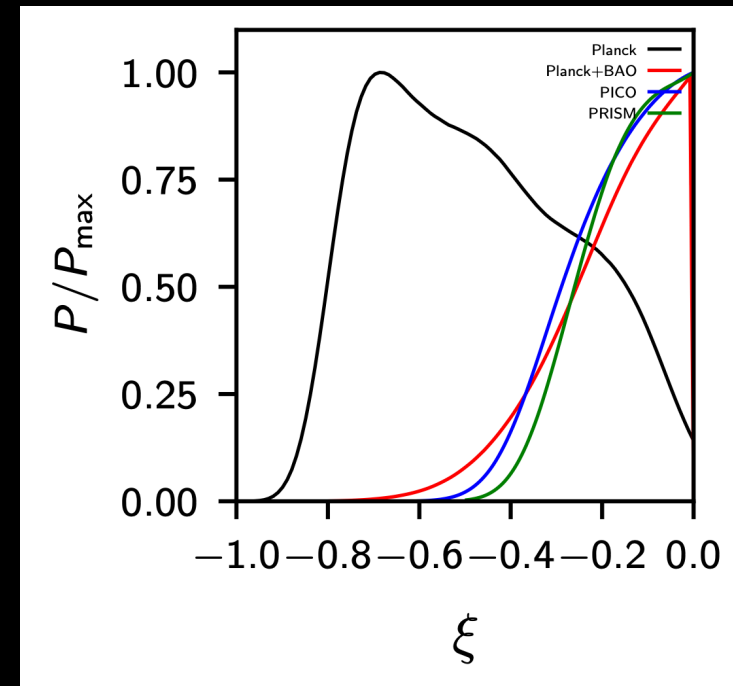
Parameters	Fiducial model	Planck	Planck+BAO	PICO	PRISM
$\Omega_b h^2$	0.02236	0.02238 ± 0.00015	0.02230 ± 0.00014	0.022364 ± 0.000029	0.022361 ± 0.000019
$\Omega_c h^2$	0.1202	$0.056^{+0.025}_{-0.047}$	$0.101^{+0.019}_{-0.006}$	$0.100^{+0.019}_{-0.008}$	$0.103^{+0.016}_{-0.007}$
$100\theta_{MC}$	1.04090	$1.0451^{+0.0021}_{-0.0032}$	$1.0419^{+0.0005}_{-0.0011}$	$1.04206^{+0.0005}_{-0.0011}$	$1.04191^{+0.00042}_{-0.00094}$
τ	0.0544	$0.0528^{+0.010}_{-0.009}$	0.0517 ± 0.0098	$0.0543^{+0.0016}_{-0.0019}$	$0.0542^{+0.0017}_{-0.0019}$
n_s	0.9649	0.9652 ± 0.0041	0.9624 ± 0.0036	0.9571 ± 0.0014	0.9657 ± 0.0012
$\ln(10^{10} A_s)$	3.045	$3.041^{+0.020}_{-0.018}$	3.042 ± 0.019	$3.0436^{+0.0030}_{-0.0034}$	3.0435 ± 0.0032
ξ	0	$-0.48^{+0.16}_{-0.30}$	> -0.223	> -0.220	> -0.195

Di Valentino & Mena, Mon.Not.Roy.Astron.Soc. 500 (2020) 1, L22-L26, arXiv:2009.12620

For a **mock Planck-like experiment**,
 due to the strong correlation present between the
 standard and the exotic physics parameters, there is a
 dangerous **detection at more than 3σ** for a coupling
 between dark matter and dark energy different from
 zero, even if the fiducial model has $\xi = 0$:

$$-0.85 < \xi < -0.02 \text{ at } 99\% \text{ CL}$$

Mock experiments

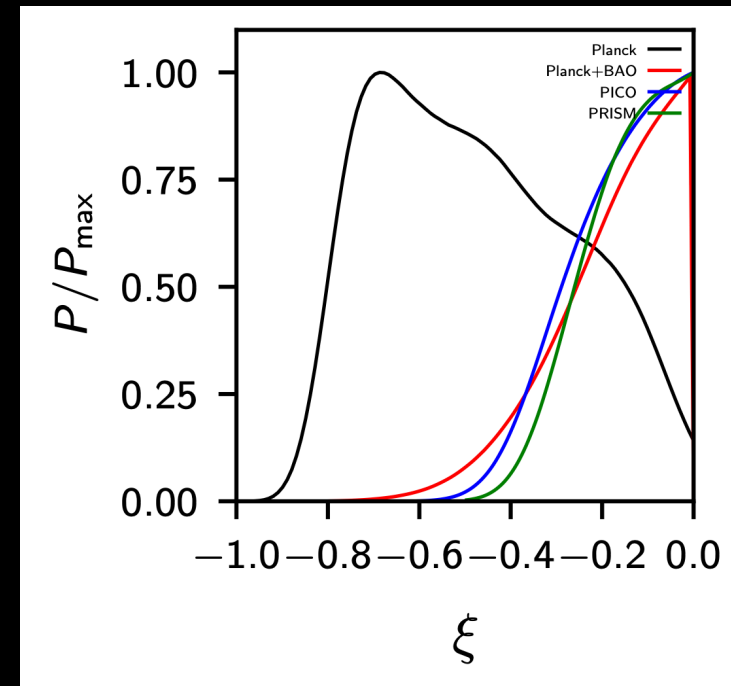


fake IDE detection

Parameters	Fiducial model	Planck	Planck+BAO	PICO	PRISM
$\Omega_b h^2$	0.02236	0.02238 ± 0.00015	0.02230 ± 0.00014	0.022364 ± 0.000029	0.022361 ± 0.000019
$\Omega_c h^2$	0.1202	$0.056^{+0.025}_{-0.047}$	$0.101^{+0.019}_{-0.006}$	$0.100^{+0.019}_{-0.008}$	$0.103^{+0.016}_{-0.007}$
$100\theta_{MC}$	1.04090	$1.0451^{+0.0021}_{-0.0032}$	$1.0419^{+0.0005}_{-0.0011}$	$1.04206^{+0.0005}_{-0.0011}$	$1.04191^{+0.00042}_{-0.00094}$
τ	0.0544	$0.0528^{+0.010}_{-0.009}$	0.0517 ± 0.0098	$0.0543^{+0.0016}_{-0.0019}$	$0.0542^{+0.0017}_{-0.0019}$
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$\ln(10^{10} A_s)$	3.045	$3.041^{+0.020}_{-0.018}$	3.042 ± 0.019	$3.0436^{+0.0030}_{-0.0034}$	3.0435 ± 0.0032
ξ	0	$-0.48^{+0.16}_{-0.30}$	> -0.223	> -0.220	> -0.195

Di Valentino & Mena, Mon.Not.Roy.Astron.Soc. 500 (2020) 1, L22-L26, arXiv:2009.12620

The inclusion of **mock BAO data**,
a mock dataset built using the same fiducial
cosmological model than that of the CMB,
helps in breaking the degeneracy,
providing a **lower limit for the coupling ξ**
in perfect agreement with zero.



Mock experiments

The IDE case

Constraints at 68% cl.

Parameter	<i>CMB+BAO</i>	<i>CMB+FS</i>	<i>CMB+BAO+FS</i>
ω_c	$0.094^{+0.022}_{-0.010}$	$0.101^{+0.015}_{-0.009}$	$0.115^{+0.005}_{-0.001}$
ξ	$-0.22^{+0.18}_{-0.09} [> -0.48]$	> -0.35	> -0.12
H_0 [km/s/Mpc]	$69.55^{+0.98}_{-1.60}$	$69.04^{+0.84}_{-1.10}$	$68.02^{+0.49}_{-0.60}$
Ω_m	$0.243^{+0.054}_{-0.030}$	$0.261^{+0.038}_{-0.025}$	$0.299^{+0.015}_{-0.007}$

Nunes, Vagnozzi, Kumar, Di Valentino, and Mena, *Phys.Rev.D* 105 (2022) 12, 123506

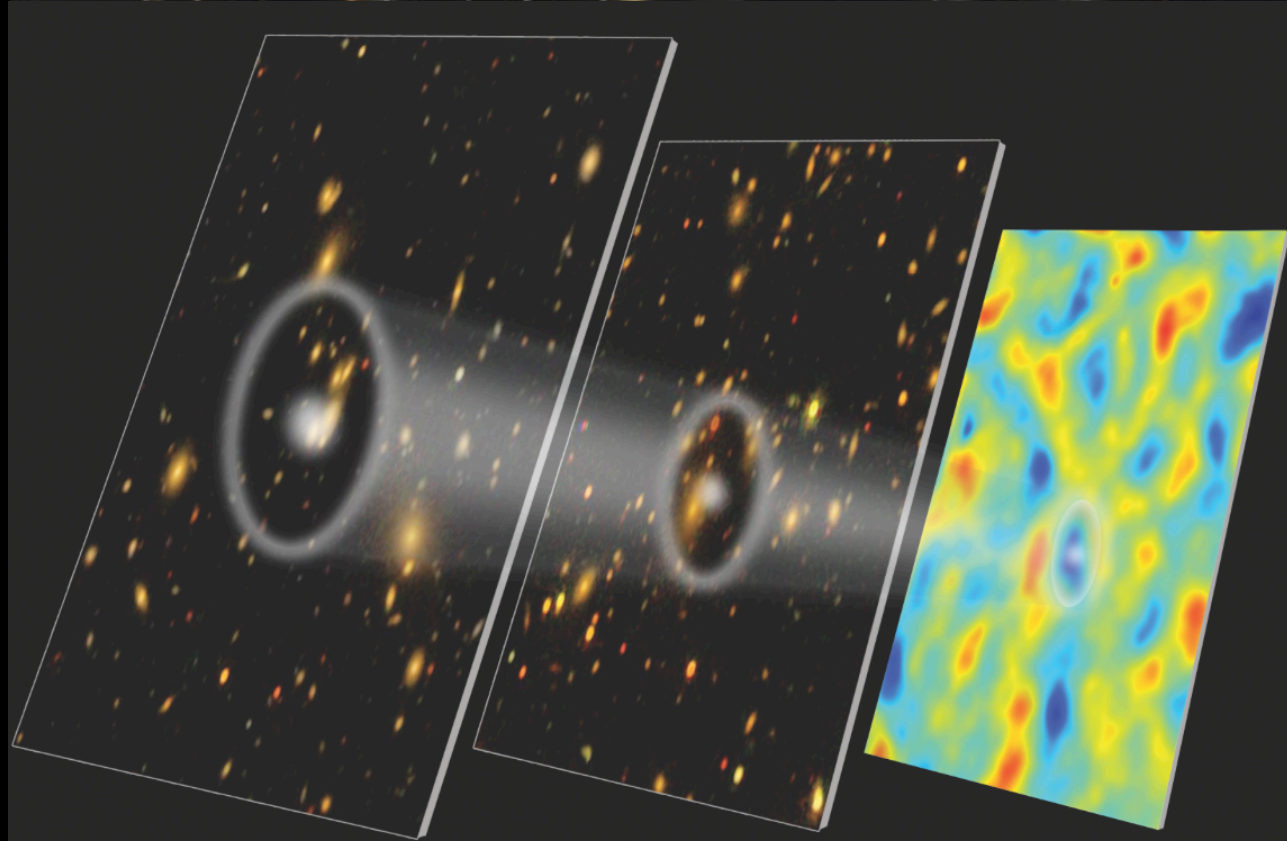
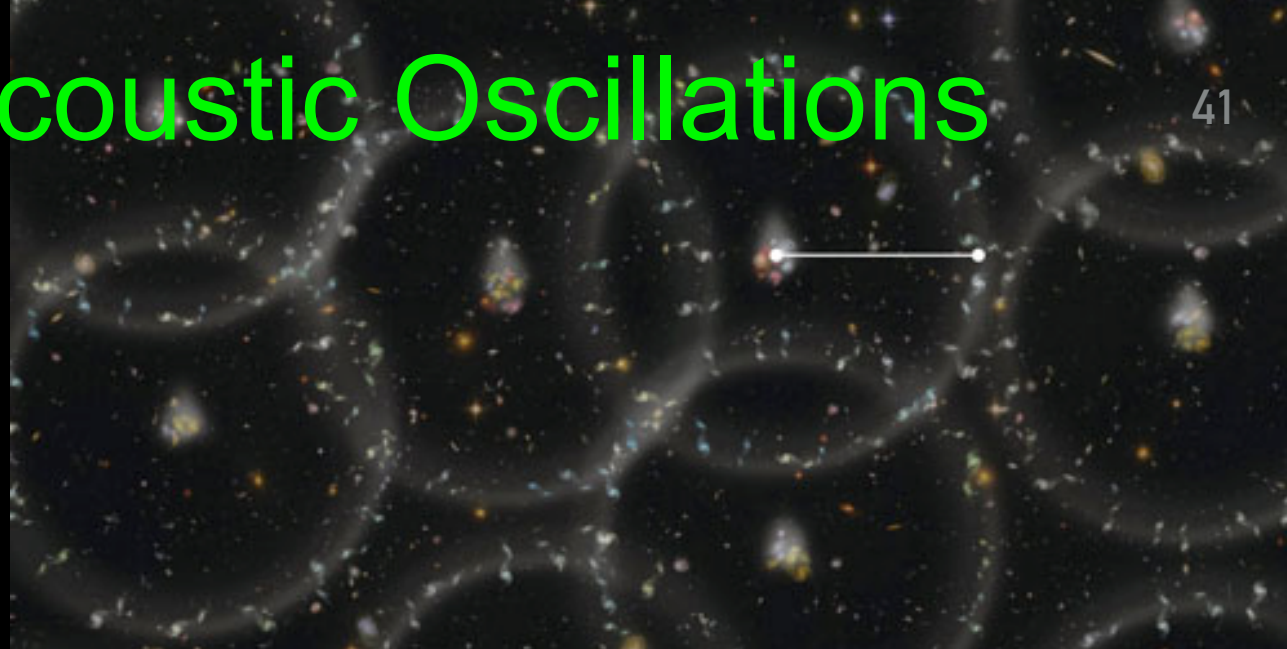
The addition of low-redshift measurements, as BAO data, still hints to the presence of a coupling, albeit at a lower statistical significance. Also for this data sets the Hubble constant value is larger than that obtained in the case of a pure Λ CDM scenario, enough to bring the H_0 tension at 2.1σ with SH0ES.

Baryon Acoustic Oscillations

41

BAO is formed in the early universe, when baryons are strongly coupled to photons, and the gravitational collapse due to the CDM is counterbalanced by the radiation pressure. Sound waves that propagate in the early universe imprint a characteristic scale on the CMB. Since the scale of these oscillations can be measured at recombination, BAO is considered a "standard ruler". These fluctuations have evolved and we can observe BAO at low redshifts in the distribution of galaxies.

Since the data reduction process leading to these measurements involves making certain assumptions about the fiducial cosmology, this makes BAO measurements dependent on the cosmological model being used.



Galaxy map 3.8 billion years ago

Galaxy map 5.5 billion years ago

CMB 13.7 billion years ago

Baryon Acoustic Oscillations

In other words, the tension between Planck+BAO and SH0ES could be due to a statistical fluctuation in this case.

Actually, BAO data are extracted under the assumption of Λ CDM, and the modified scenario of interacting dark energy could affect the result.

In fact, the full procedure which leads to the BAO datasets carried out by the different collaborations might be not necessarily valid in extended DE models with important perturbations in the non-linear scales.

BAO datasets (both the pre- and post- reconstruction measurements) might need to be revised in a non-trivial manner when applied to constrain more exotic dark energy cosmologies.

Baryon Acoustic Oscillations

The problem is that for **3D BAO data** one needs to reconstruct the comoving distance and this is done assuming a fiducial model.

We can try to see what happens using **2D BAO measurements**, that are less model dependent because they are obtained working on spherical shells with redshift thickness Δz and only considering their angular distribution.

The IDE case

Parameter	Planck		Planck + BAO		Planck + BAOtr		Planck + BAOtr + H_0	
		+ lensing		+ lensing		+ lensing		+ lensing
H_0 [Km/s/Mpc]	67.32 ± 0.62	67.32 ± 0.53	67.65 ± 0.44	67.60 ± 0.43	69.01 ± 0.51	68.85 ± 0.55	69.88 ± 0.48	69.65 ± 0.44
S_8	0.832 ± 0.016	0.834 ± 0.013	0.825 ± 0.012	0.827 ± 0.011	0.794 ± 0.013	0.802 ± 0.012	0.774 ± 0.013	$0.7871^{+0.0095}_{-0.011}$
r_s [Mpc]	147.06 ± 0.30	147.04 ± 0.27	$147.21^{+0.23}_{-0.26}$	147.13 ± 0.23	147.75 ± 0.26	147.64 ± 0.26	148.06 ± 0.25	147.91 ± 0.24

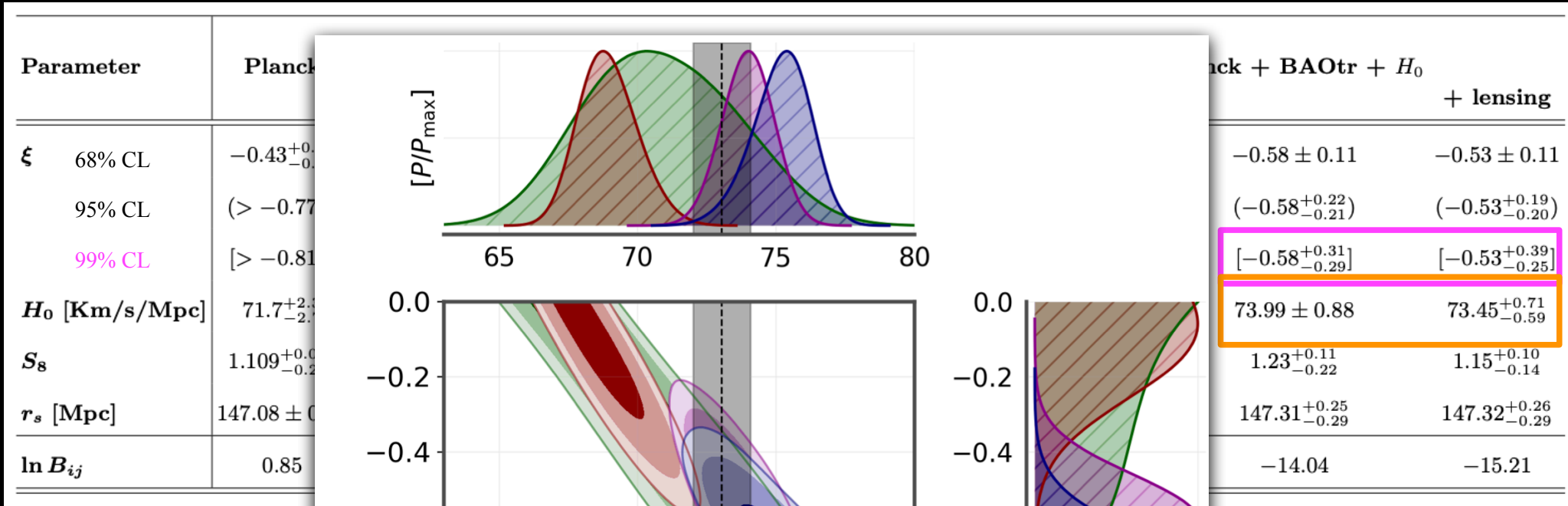
A comparison between the **3D BAO data**, model dependent and obtained assuming Λ CDM, and the **2D BAO measurements**, less model dependent, shows almost the same results for the Λ CDM scenario.

The IDE case

Parameter	Planck		Planck + BAO		Planck + BAOtr		Planck + BAOtr + H_0	
	+ lensing		+ lensing		+ lensing		+ lensing	
ξ 68% CL	$-0.43^{+0.28}_{-0.21}$	$-0.40^{+0.23}_{-0.20}$	> -0.207	> -0.210	$-0.683^{+0.088}_{-0.11}$	$-0.683^{+0.087}_{-0.12}$	-0.58 ± 0.11	-0.53 ± 0.11
95% CL	(> -0.775)	$(-0.40^{+0.40}_{-0.32})$	(> -0.389)	(> -0.411)	$(-0.68^{+0.21}_{-0.19})$	$(-0.68^{+0.23}_{-0.20})$	$(-0.58^{+0.22}_{-0.21})$	$(-0.53^{+0.19}_{-0.20})$
99% CL	$[> -0.819]$	$[> -0.743]$	$[> -0.486]$	$[> -0.527]$	$[-0.68^{+0.29}_{-0.23}]$	$[-0.68^{+0.37}_{-0.27}]$	$[-0.58^{+0.31}_{-0.29}]$	$[-0.53^{+0.39}_{-0.25}]$
H_0 [Km/s/Mpc]	$71.7^{+2.3}_{-2.7}$	71.6 ± 2.1	$68.93^{+0.79}_{-1.2}$	$69.08^{+0.74}_{-1.3}$	$75.2^{+1.2}_{-0.75}$	$75.3^{+1.3}_{-0.75}$	73.99 ± 0.88	$73.45^{+0.71}_{-0.59}$
S_8	$1.109^{+0.063}_{-0.28}$	$1.053^{+0.079}_{-0.21}$	$0.891^{+0.025}_{-0.062}$	$0.893^{+0.021}_{-0.065}$	$1.49^{+0.24}_{-0.29}$	1.49 ± 0.26	$1.23^{+0.11}_{-0.22}$	$1.15^{+0.10}_{-0.14}$
r_s [Mpc]	147.08 ± 0.30	147.12 ± 0.27	147.03 ± 0.25	147.05 ± 0.25	147.32 ± 0.27	147.35 ± 0.29	$147.31^{+0.25}_{-0.29}$	$147.32^{+0.26}_{-0.29}$
$\ln B_{ij}$	0.85	-0.17	1.60	0.60	-9.22	-11.68	-14.04	-15.21

A comparison between the **3D BAO data**, model dependent and obtained assuming Λ CDM, and the **2D BAO measurements**, less model dependent, shows completely different results for the IDE model. There is a strong evidence for the coupling at more than 99% CL, solving at the same time the H_0 tension with SH0ES.

The IDE case



There is a strong evidence for the coupling at more than 99% CL, solving at the same time the H_0 tension with SH0ES.

The IDE case

Table II. Constraints at 68% CL on the parameters of the Λ CDM model.

Parameter	CMB	CMB+BAO-3D	CMB+BAO-2D (ON)	CMB+BAO-2D (M&M)
$10^2 \times \Omega_b h^2$	2.236 ± 0.015	2.245 ± 0.013	2.263 ± 0.014	2.246 ± 0.014
$\Omega_c h^2$	0.1202 ± 0.0014	0.11911 ± 0.00096	0.1165 ± 0.0011	0.11877 ± 0.00097
H_0	67.32 ± 0.62	67.84 ± 0.43	69.01 ± 0.51	67.96 ± 0.44
τ_{reio}	0.0536 ± 0.0081	0.0590 ± 0.0070	0.0606 ± 0.0081	0.0567 ± 0.0080
$\log(10^{10} A_s)$	3.043 ± 0.016	3.053 ± 0.015	3.049 ± 0.017	3.047 ± 0.016
n_s	0.9646 ± 0.0045	0.9677 ± 0.0037	0.9742 ± 0.0038	0.9688 ± 0.0037

A comparison between the **3D BAO data** and the **2D BAO measurements** [Menote & Marra arXiv:2112.10000](#), from the same BOSS DR12 and eBOSS DR16, gives exactly the same results for the Λ CDM scenario.

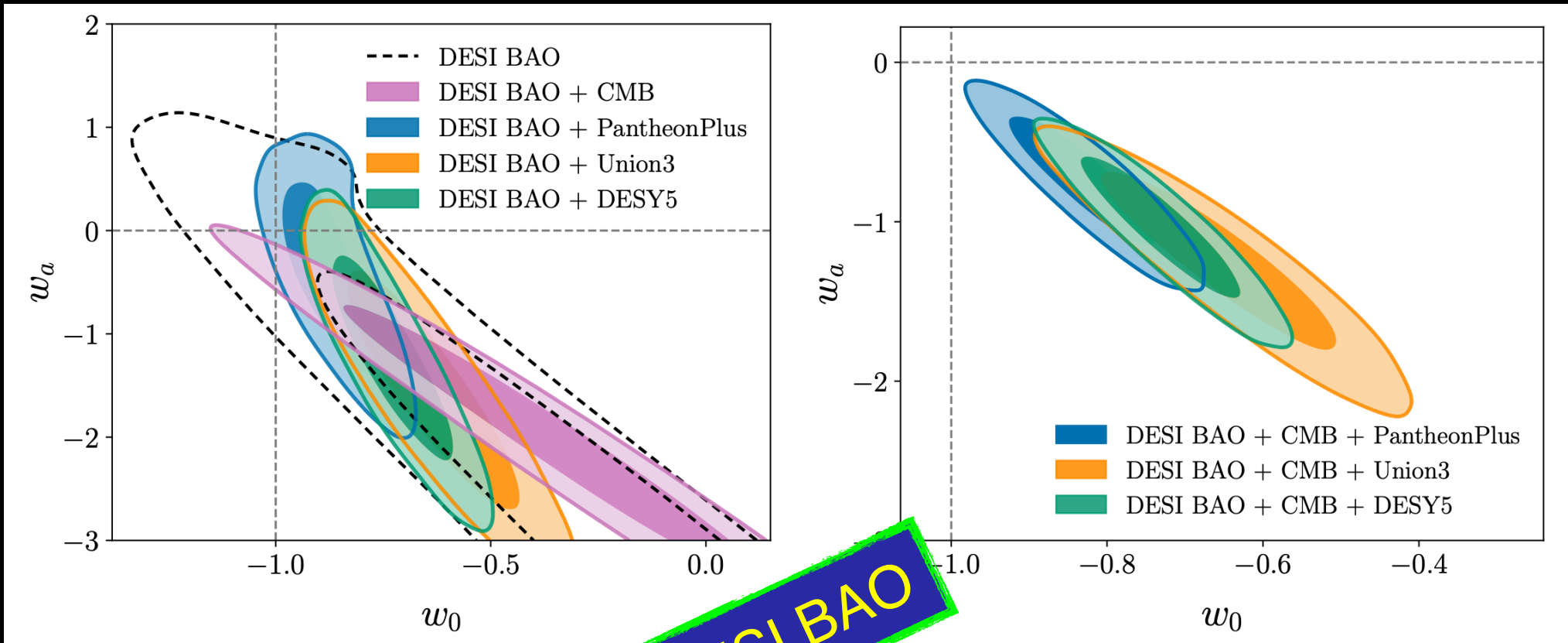
The IDE case

Table I. Constraints at 68% (95%) CL on the parameters of the IDE model.

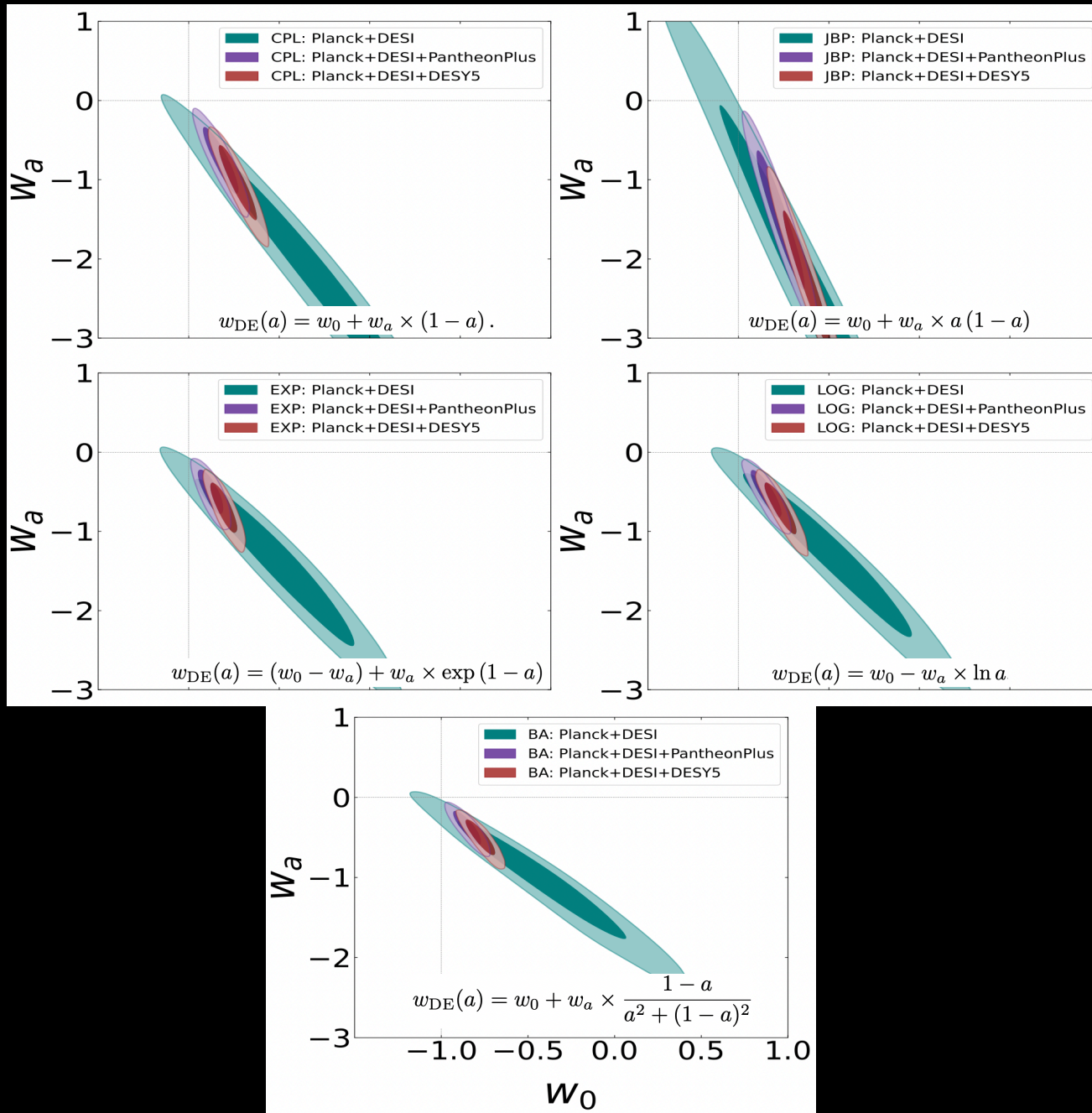
Parameter	CMB	CMB+BAO-3D	CMB+BAO-2D (ON)	CMB+BAO-2D (M&M)
$10^2 \times \Omega_b h^2$	2.239 ± 0.015	2.236 ± 0.013	2.248 ± 0.014	2.237 ± 0.014
$\Omega_c h^2$	$0.067^{+0.042}_{-0.031} (< 0.115)$	$0.101^{+0.016}_{-0.012}$	$0.022^{+0.014}_{-0.019}$	$0.089^{+0.019}_{-0.016}$
H_0	71.6 ± 2.1	$68.92^{+0.96}_{-1.2}$	$75.2^{+1.1}_{-0.96}$	69.9 ± 1.1
τ_{reio}	0.0534 ± 0.0079	0.0544 ± 0.0079	0.0556 ± 0.0082	0.0537 ± 0.0078
$\log(10^{10} A_s)$	3.042 ± 0.016	3.045 ± 0.016	3.044 ± 0.017	3.044 ± 0.016
n_s	0.9655 ± 0.0045	0.9650 ± 0.0037	0.9695 ± 0.0040	0.9657 ± 0.0039
ξ	$-0.40^{+0.23}_{-0.20} (> -0.775)$	$> -0.207 (> -0.389)$	$-0.683^{+0.088}_{-0.11}$	$-0.26^{+0.18}_{-0.12} (> -0.505)$

A comparison between the **3D BAO data** and the **2D BAO measurements** [Menote & Marra arXiv:2112.10000](#), from the same BOSS DR12 and eBOSS DR16, gives different H_0 values for the IDE scenario.

Baryon Acoustic Oscillations



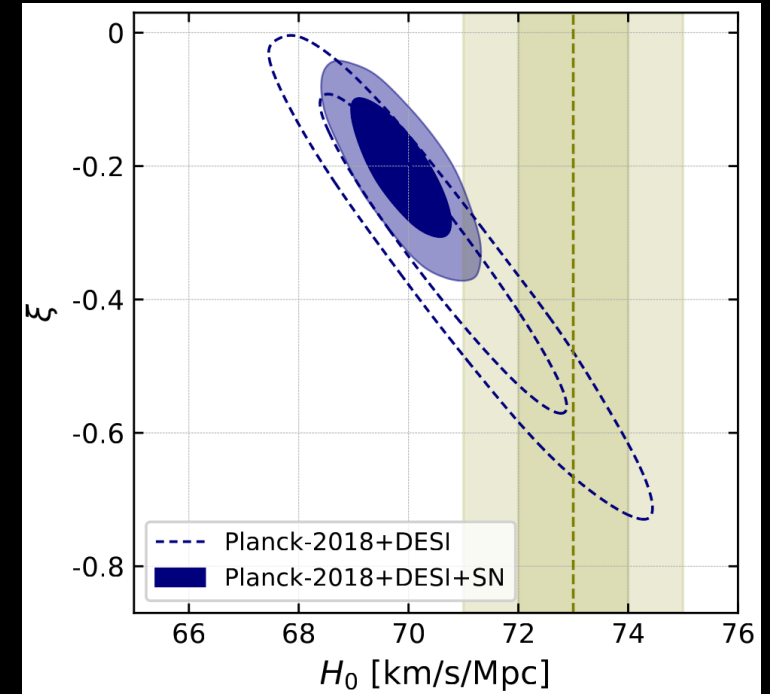
Baryon Acoustic Oscillations



The IDE case

Constraints at 68% cl.

Parameter	Planck-2018+DESI	Planck-2018+DESI+SN
$\Omega_b h^2$	0.02243 ± 0.00014 ($0.02243_{-0.00026}^{+0.00028}$)	0.02254 ± 0.00013 ($0.02254_{-0.00027}^{+0.00026}$)
$\Omega_c h^2$	$0.079_{-0.016}^{+0.025}$ ($0.079_{-0.042}^{+0.037}$)	$0.0962_{-0.0074}^{+0.0085}$ ($0.096_{-0.015}^{+0.015}$)
$100\theta_s$	1.04198 ± 0.00029 ($1.04198_{-0.00056}^{+0.00056}$)	1.04211 ± 0.00028 ($1.04211_{-0.00057}^{+0.00055}$)
τ_{reio}	0.0555 ± 0.0074 ($0.055_{-0.014}^{+0.015}$)	$0.0592_{-0.0079}^{+0.0069}$ ($0.059_{-0.014}^{+0.016}$)
n_s	0.9672 ± 0.0037 ($0.9672_{-0.0072}^{+0.0073}$)	0.9696 ± 0.0038 ($0.9696_{-0.0073}^{+0.0075}$)
$\log(10^{10} A_s)$	3.045 ± 0.014 ($3.045_{-0.028}^{+0.029}$)	3.051 ± 0.015 ($3.051_{-0.028}^{+0.031}$)
ξ	$-0.32_{-0.14}^{+0.18}$ ($-0.32_{-0.29}^{+0.30}$)	-0.186 ± 0.068 ($-0.19_{-0.14}^{+0.13}$)
H_0 [km/s/Mpc]	$70.8_{-1.7}^{+1.4}$ ($70.8_{-2.7}^{+2.8}$)	69.87 ± 0.60 ($69.9_{-1.2}^{+1.2}$)
Ω_m	$0.206_{-0.044}^{+0.056}$ ($0.206_{-0.096}^{+0.090}$)	0.245 ± 0.020 ($0.245_{-0.039}^{+0.037}$)
σ_8	$1.23_{-0.36}^{+0.14}$ ($1.23_{-0.52}^{+0.74}$)	$0.974_{-0.088}^{+0.059}$ ($0.97_{-0.14}^{+0.15}$)
r_{drag} [Mpc]	147.28 ± 0.23 ($147.28_{-0.45}^{+0.45}$)	147.42 ± 0.23 ($147.42_{-0.46}^{+0.44}$)
$\Delta\chi^2$	-1.02	-2.27
$\ln \mathcal{B}_{ij}$	-0.10	-0.32



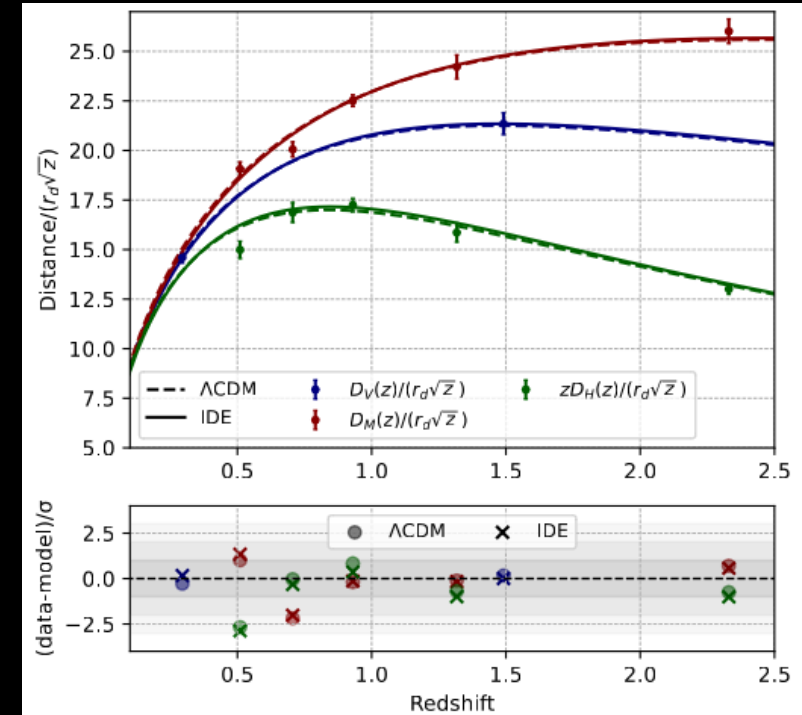
Giare, Sabogal, Nunes, Di Valentino, arXiv:2404.15232

By combining Planck-2018 and DESI data, we observe a preference for interactions exceeding the 95% CL, yielding a present-day expansion rate $H_0 = 70.8_{-1.7}^{+1.4}$ km/s/Mpc, in agreement with SH0ES at less than 1.3σ . This preference remains robust when including Type-Ia Supernovae sourced from the Pantheon-plus catalog using the SH0ES Cepheid host distances as calibrators.

The IDE case

Constraints at 68% cl.

Parameter	Planck-2018+DESI	Planck-2018+DESI+SN
$\Omega_b h^2$	0.02243 ± 0.00014 ($0.02243_{-0.00026}^{+0.00028}$)	0.02254 ± 0.00013 ($0.02254_{-0.00027}^{+0.00026}$)
$\Omega_c h^2$	$0.079_{-0.016}^{+0.025}$ ($0.079_{-0.042}^{+0.037}$)	$0.0962_{-0.0074}^{+0.0085}$ ($0.096_{-0.015}^{+0.015}$)
$100\theta_s$	1.04198 ± 0.00029 ($1.04198_{-0.00056}^{+0.00056}$)	1.04211 ± 0.00028 ($1.04211_{-0.00057}^{+0.00055}$)
τ_{reio}	0.0555 ± 0.0074 ($0.055_{-0.014}^{+0.015}$)	$0.0592_{-0.0079}^{+0.0069}$ ($0.059_{-0.014}^{+0.016}$)
n_s	0.9672 ± 0.0037 ($0.9672_{-0.0072}^{+0.0073}$)	0.9696 ± 0.0038 ($0.9696_{-0.0073}^{+0.0075}$)
$\log(10^{10} A_s)$	3.045 ± 0.014 ($3.045_{-0.028}^{+0.029}$)	3.051 ± 0.015 ($3.051_{-0.028}^{+0.031}$)
ξ	$-0.32_{-0.14}^{+0.18}$ ($-0.32_{-0.29}^{+0.30}$)	-0.186 ± 0.068 ($-0.19_{-0.14}^{+0.13}$)
H_0 [km/s/Mpc]	$70.8_{-1.7}^{+1.4}$ ($70.8_{-2.7}^{+2.8}$)	69.87 ± 0.60 ($69.9_{-1.2}^{+1.2}$)
Ω_m	$0.206_{-0.044}^{+0.056}$ ($0.206_{-0.096}^{+0.090}$)	0.245 ± 0.020 ($0.245_{-0.039}^{+0.037}$)
σ_8	$1.23_{-0.36}^{+0.14}$ ($1.23_{-0.52}^{+0.74}$)	$0.974_{-0.088}^{+0.059}$ ($0.97_{-0.14}^{+0.15}$)
r_{drag} [Mpc]	147.28 ± 0.23 ($147.28_{-0.45}^{+0.45}$)	147.42 ± 0.23 ($147.42_{-0.46}^{+0.44}$)
$\Delta\chi^2$	-1.02	-2.27
$\ln \mathcal{B}_{ij}$	-0.10	-0.32

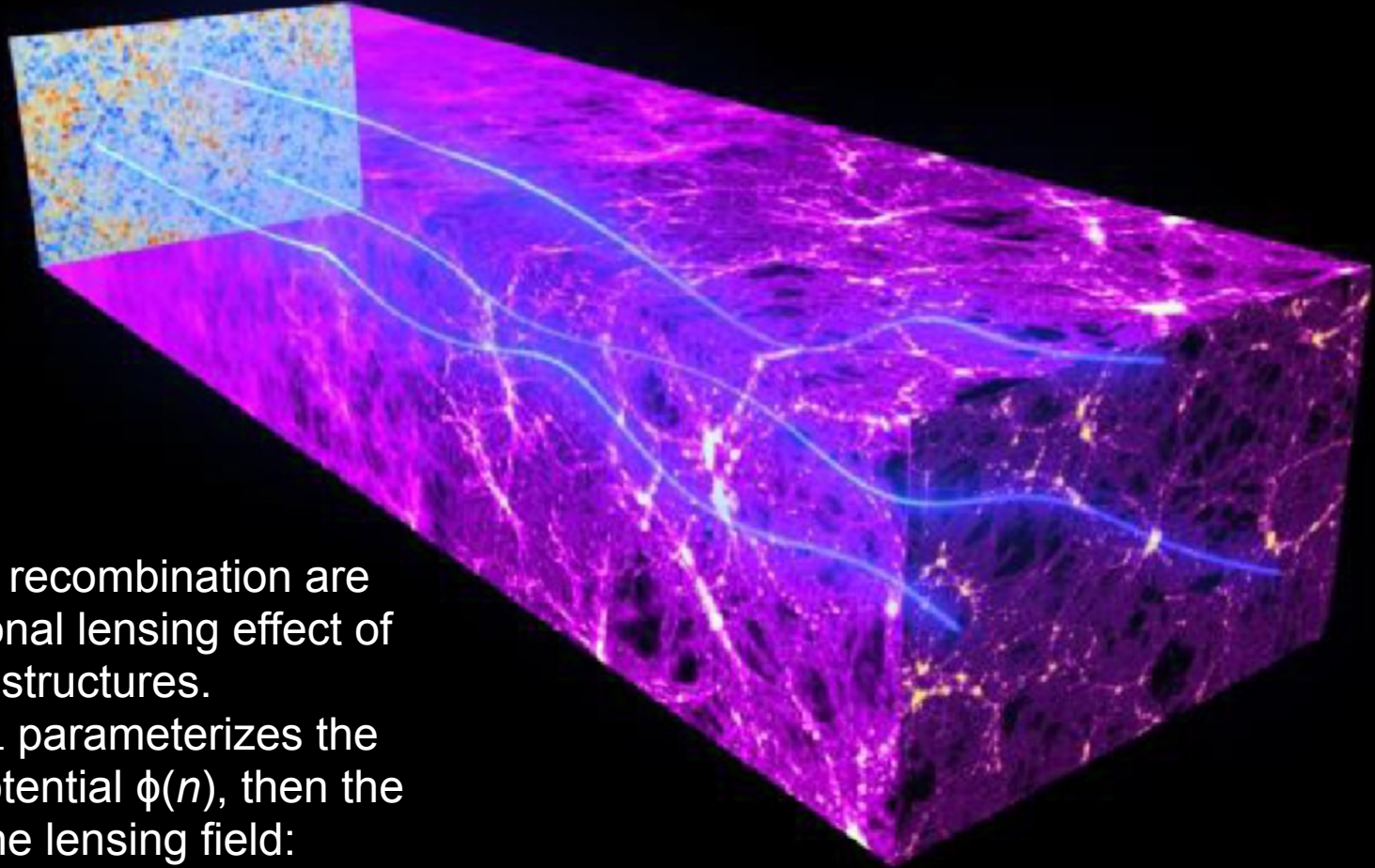


Giare, Sabogal, Nunes, Di Valentino, arXiv:2404.15232

Overall, high and low redshift data can be equally or better explained within the IDE framework compared to Λ CDM, while also yielding higher values of H_0 in better agreement with the local distance ladder estimate.

What if the problem is on the
CMB side?

A_L internal anomaly



CMB photons emitted at recombination are deflected by the gravitational lensing effect of massive cosmic structures.

The lensing amplitude A_L parameterizes the rescaling of the lensing potential $\phi(n)$, then the power spectrum of the lensing field:

$$C_\ell^{\phi\phi} \rightarrow A_L C_\ell^{\phi\phi}$$

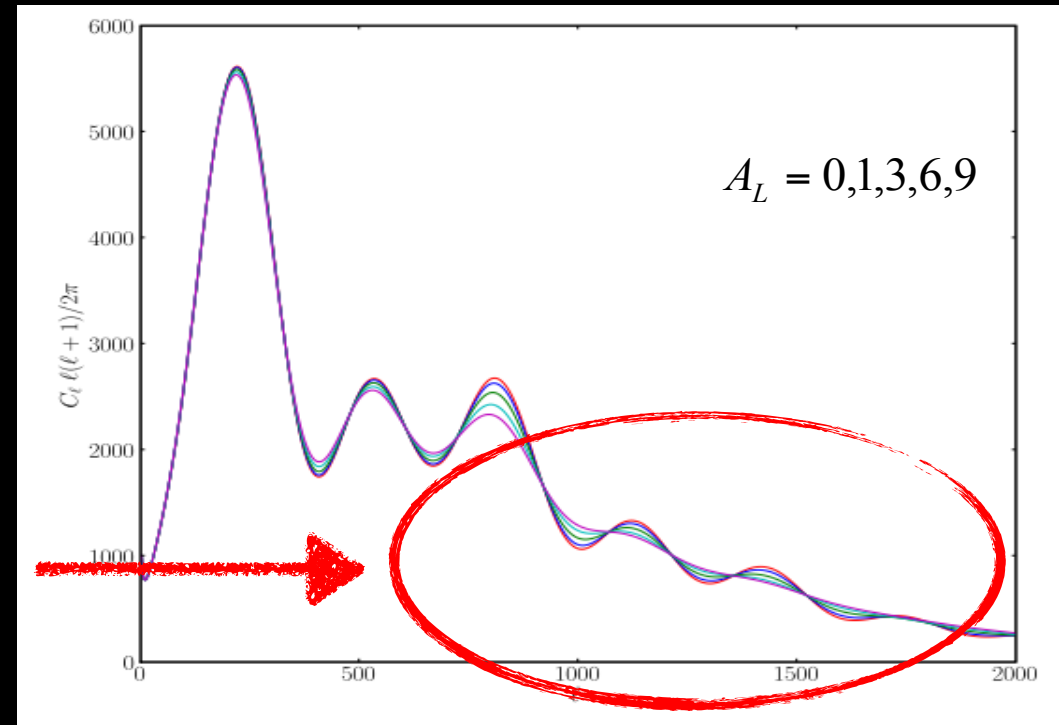
The gravitational lensing deflects the photon path by a quantity defined by the gradient of the lensing potential $\phi(n)$, integrated along the line of sight n , remapping the temperature field.

A_L internal anomaly

Its effect on the power spectrum is the smoothing of the acoustic peaks, increasing A_L .

Interesting consistency checks is if the amplitude of the smoothing effect in the CMB power spectra matches the theoretical expectation $A_L = 1$ and whether the amplitude of the smoothing is consistent with that measured by the lensing reconstruction.

If $A_L = 1$ then the theory is correct, otherwise we have a new physics or systematics.



Calabrese et al., Phys. Rev. D, 77, 123531

A_L : a failed consistency check

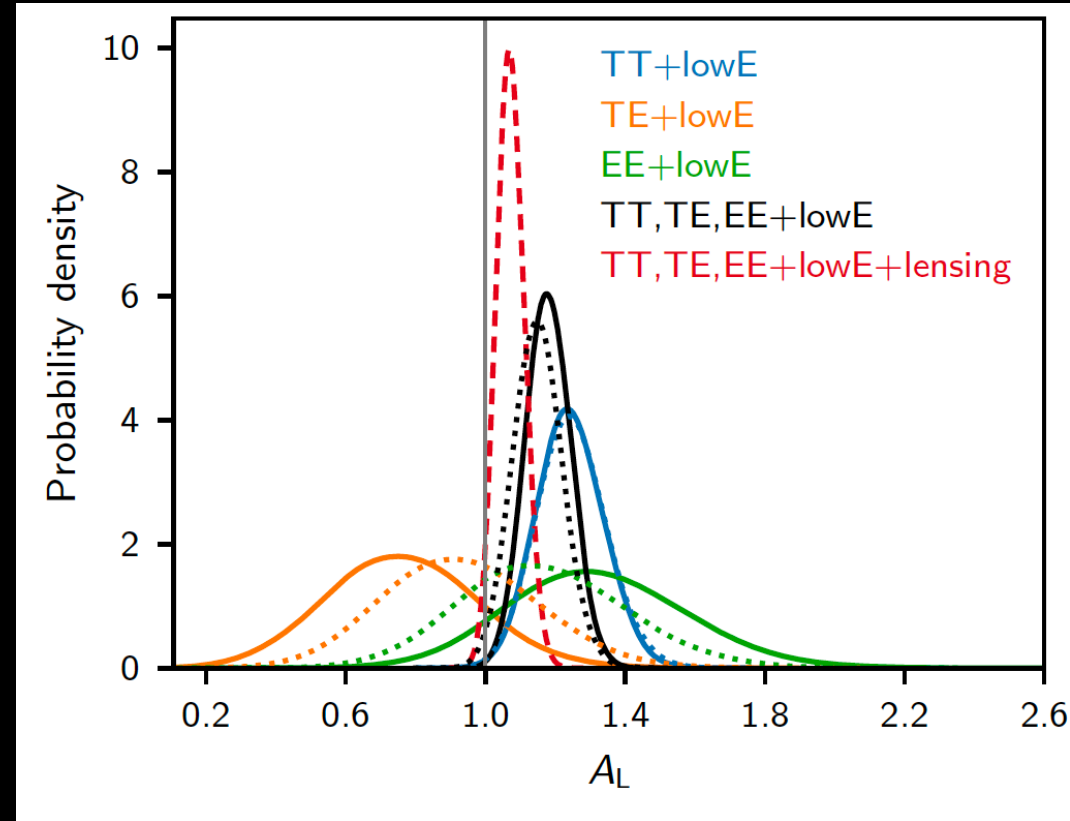
The Planck lensing-reconstruction power spectrum is consistent with the amplitude expected for Λ CDM models that fit the CMB spectra, so the Planck lensing measurement is compatible with $A_L = 1$.

However, the distributions of A_L inferred from the CMB power spectra alone indicate a preference for $A_L > 1$.

The joint combined likelihood shifts the value preferred by the TT data downwards towards $A_L = 1$, but the error also shrinks, increasing the significance of $A_L > 1$ to 2.8σ .

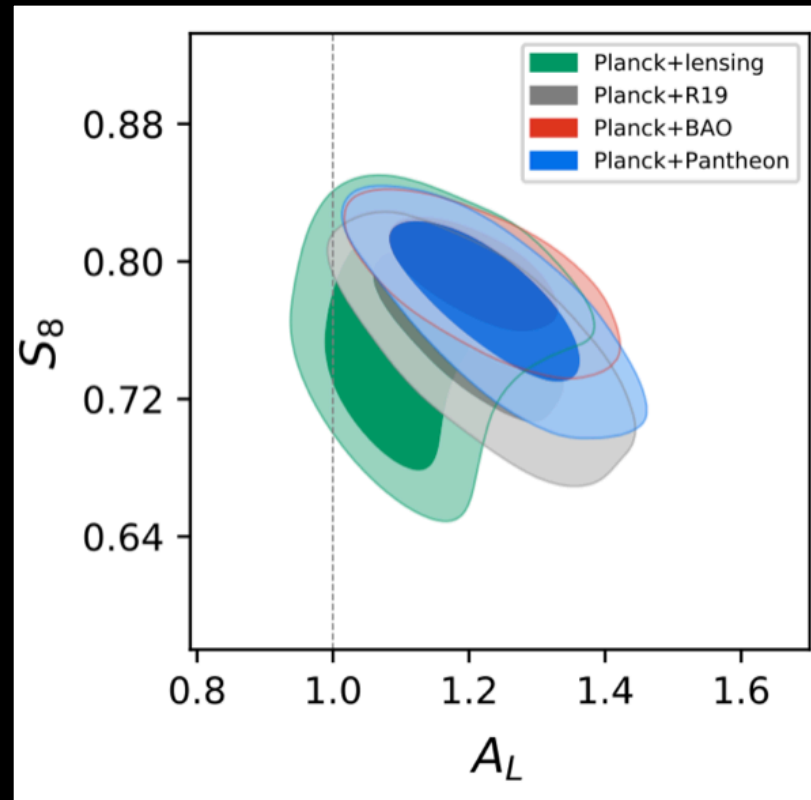
The preference for high A_L is not just a volume effect in the full parameter space, with the best fit improved by $\Delta\chi^2 \sim 9$ when adding A_L for TT+lowE and 10 for TTTEEE+lowE.

Planck 2018, Astron.Astrophys. 641 (2020) A6



$$A_L = 1.243 \pm 0.096 \quad (68\%, \text{ Planck TT+lowE}),$$
$$A_L = 1.180 \pm 0.065 \quad (68\%, \text{ Planck TT,TE,EE+lowE}),$$

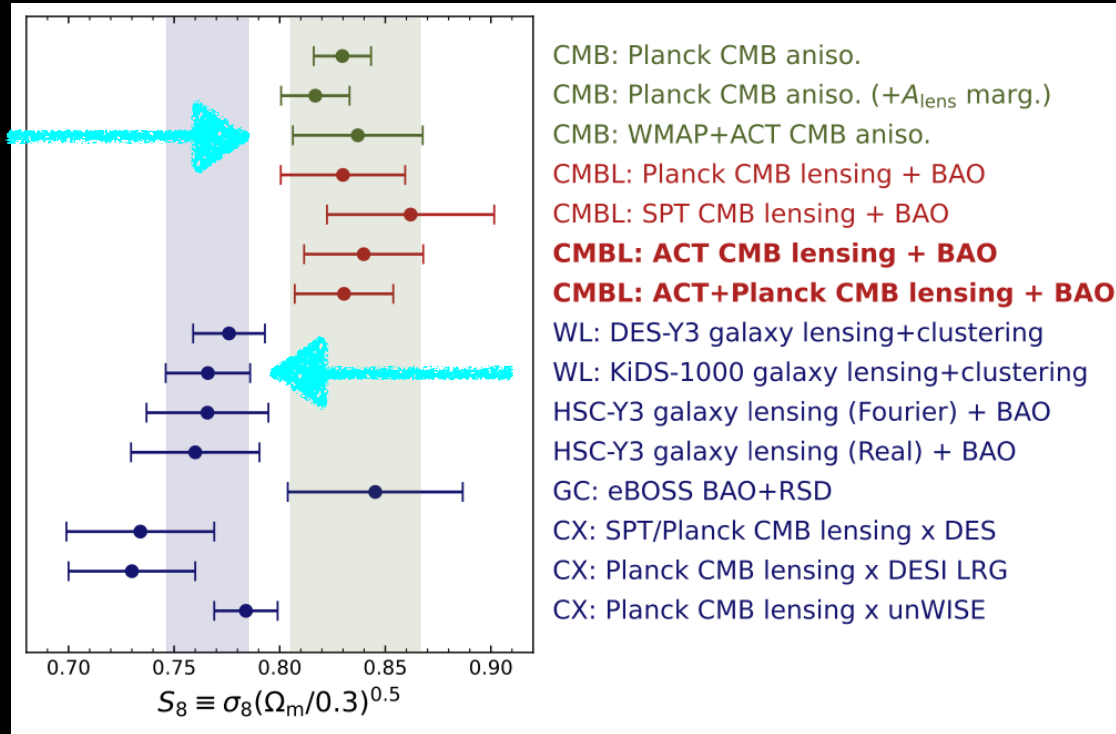
A_L can explain the S_8 tension



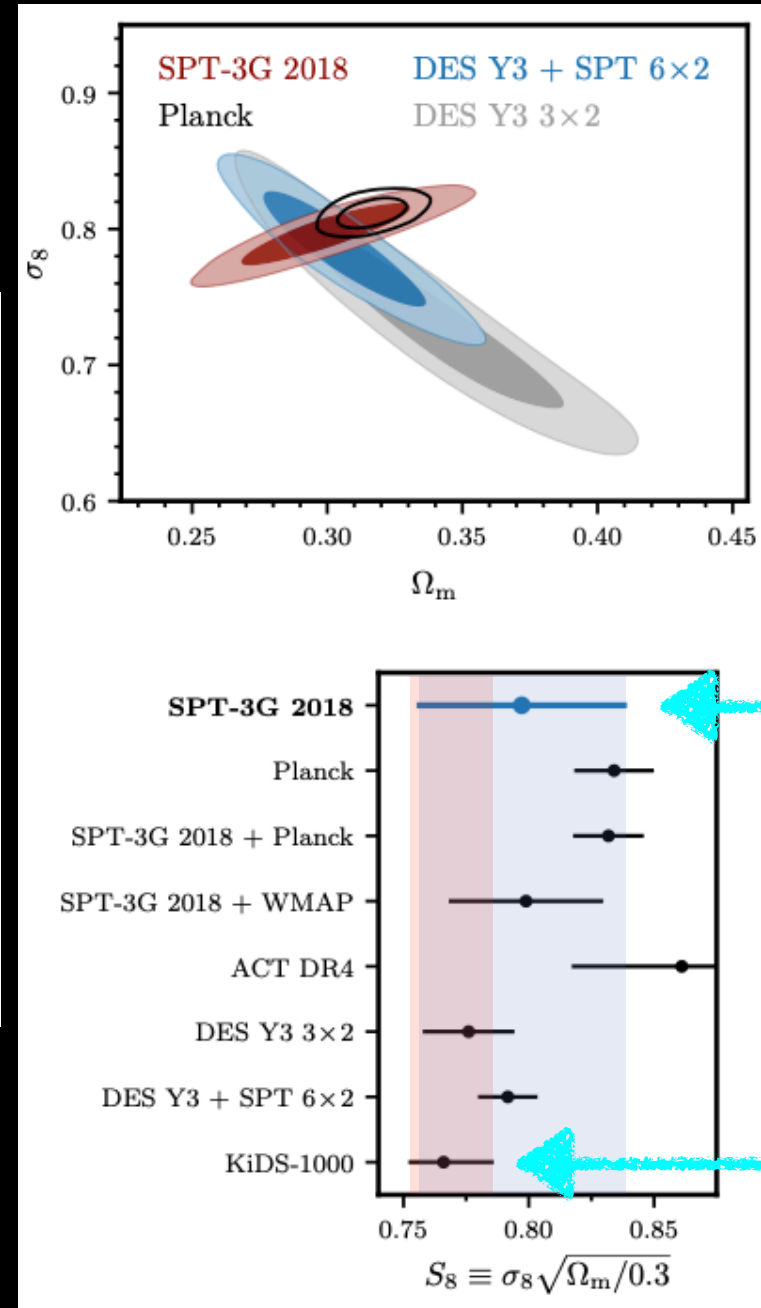
Di Valentino, Melchiorri and Silk, JCAP 2001 (2020) no.01, 013

A_L that is larger than the expected value at about 3 standard deviations even when combining the Planck data with BAO and supernovae type Ia external datasets.

Alternative CMB are not in significant tension



ACT collaboration, arXiv:2304.05203



SPT-3G collaboration, arXiv:2212.05642

But...
assuming General Relativity,
is there a **physical explanation**
for A_L ?

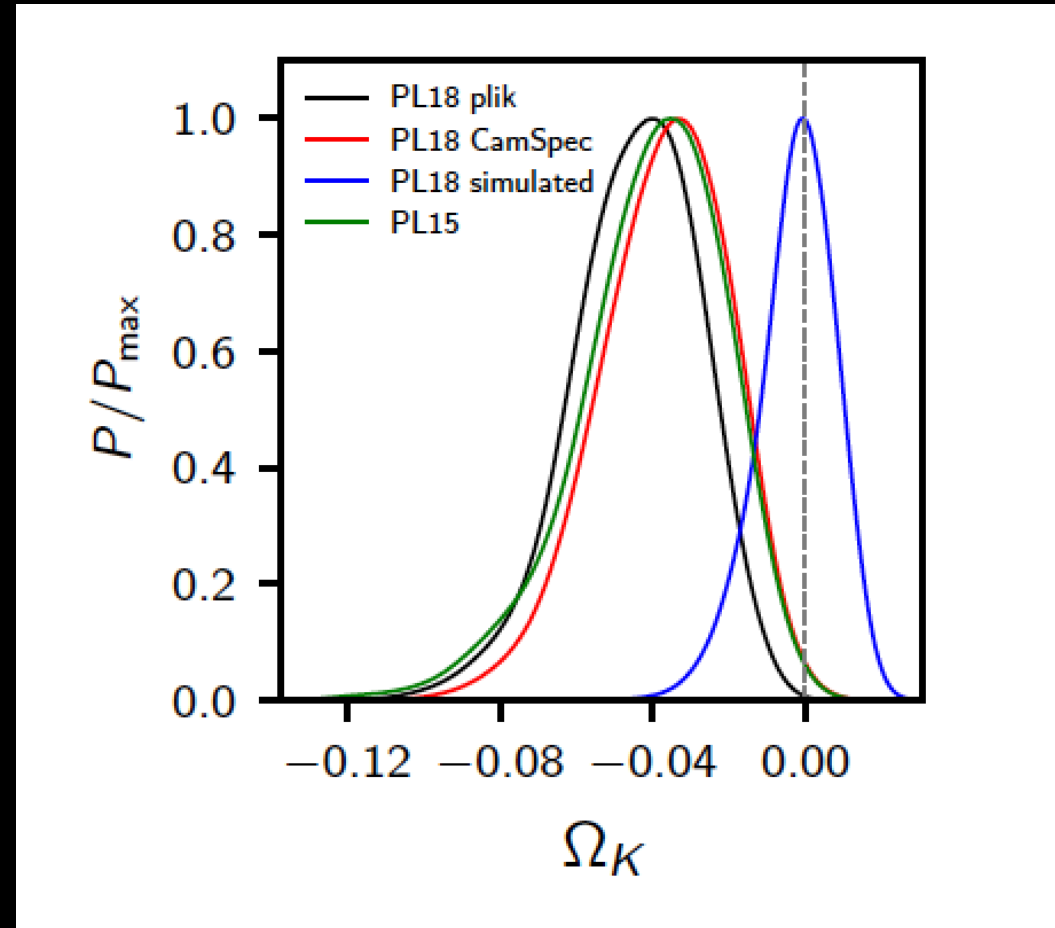
Curvature of the universe

Planck can provide an unbiased and reliable estimate of the universe's curvature, although there is a "geometrical degeneracy" with Ω_m , because the gravitational lensing, which depends on matter density, helps in breaking it. Simulations show that Planck can constrain curvature with a 2% uncertainty without significant bias towards closed models.

Planck suggests a closed universe ($\Omega_k < 0$) with 99.985% probability, providing a better fit than a flat model.

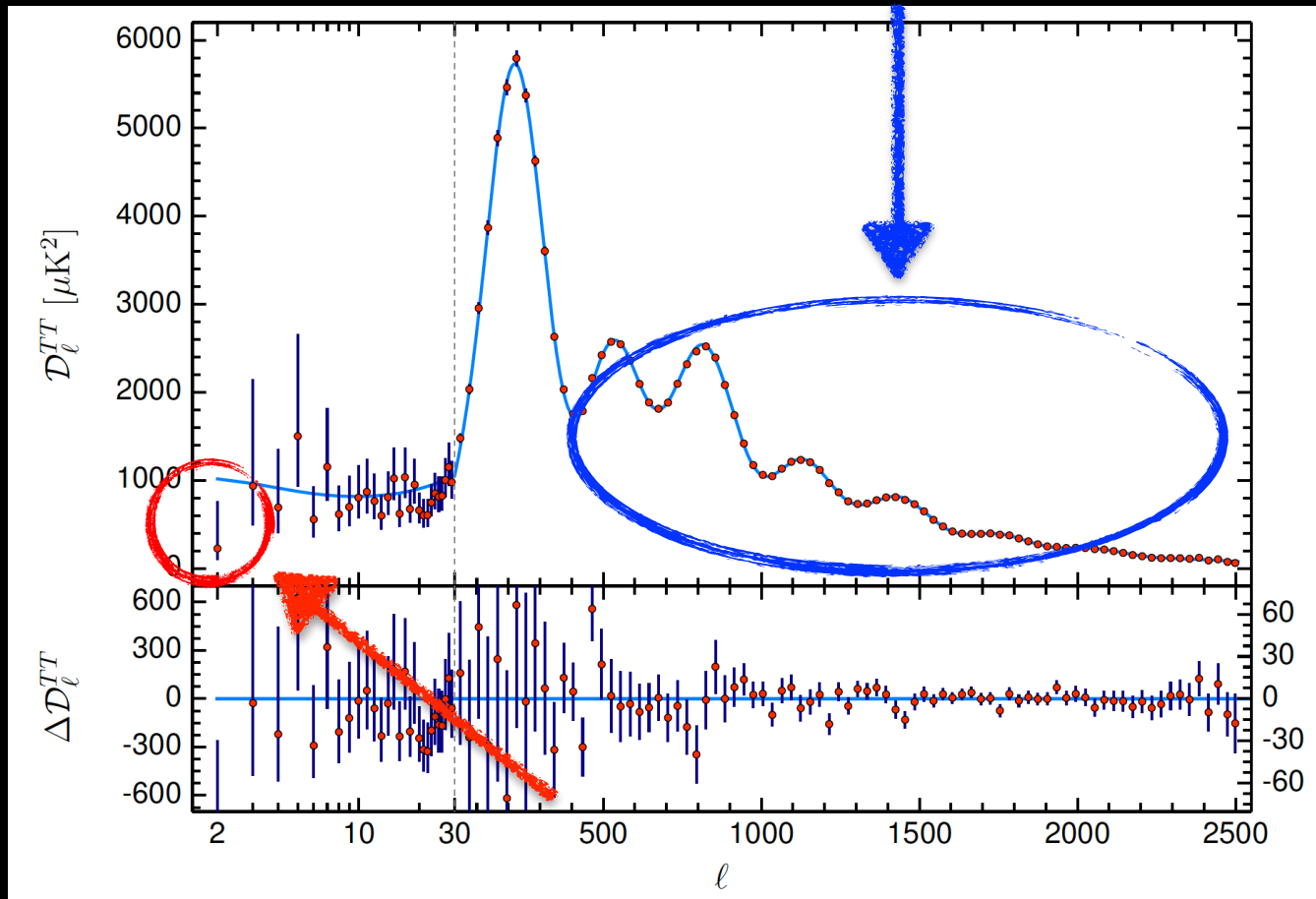
The best-fit $\Delta\chi^2$ improves by -11 when adding the curvature parameter to the base Λ CDM model.

This improvement is attributed not only to volume effects but also to the agreement of closed models with the observed low CMB anisotropy quadrupole, which may result from a large-scale cut-off in primordial density fluctuations.



Di Valentino, Melchiorri and Silk, *Nature Astron.* 4 (2019) 2, 196-203

Low CMB anisotropy quadrupole



Planck 2018, *Astron.Astrophys.* 641 (2020) A6

A model with $\Omega_k < 0$ is slightly preferred with respect to a flat model with $AL > 1$, because closed models better fit not only the damping tail, but also the low-multipole data, especially the quadrupole.

What about Planck PR4 (NPIPE) with CamSpec?

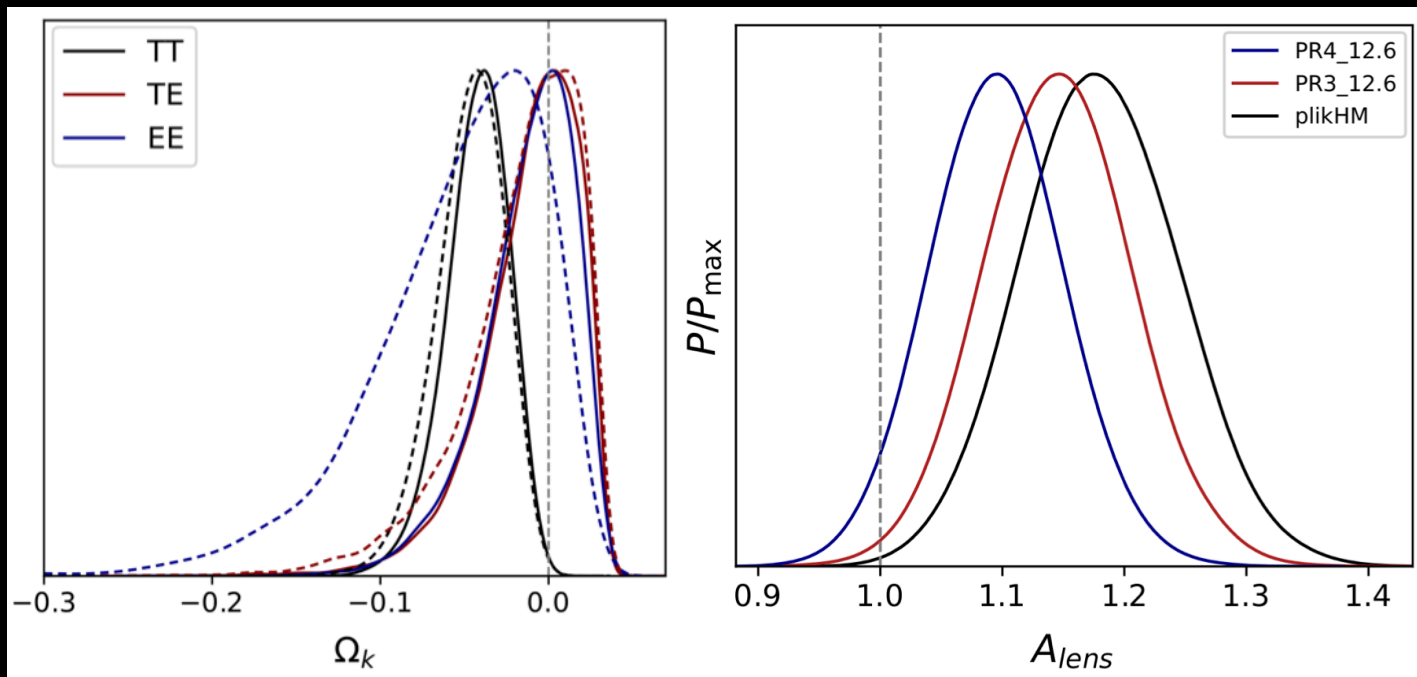
Astrophysics > Cosmology and Nongalactic Astrophysics

[Submitted on 22 May 2022 (v1), last revised 11 Nov 2022 (this version, v2)]

CMB power spectra and cosmological parameters from Planck PR4 with CamSpec

Erik Rosenberg, Steven Gratton, George Efstathiou

We present angular power spectra and cosmological parameter constraints derived from the Planck PR4 (NPIPE) maps of the Cosmic Microwave Background. NPIPE, released by the Planck Collaboration in 2020, is a new processing pipeline for producing calibrated frequency maps from Planck data. We have created new versions of the CamSpec likelihood using these maps and applied them to constrain LCDM and single-parameter extensions. We find excellent consistency between NPIPE and the Planck 2018 maps at the parameter level, showing that the Planck cosmology is robust to substantial changes in the mapmaking. The lower noise of NPIPE leads to $\sim 10\%$ tighter constraints, and we see both smaller error bars and a shift toward the LCDM values for beyond-LCDM parameters including Ω_K and A_{Lens} .

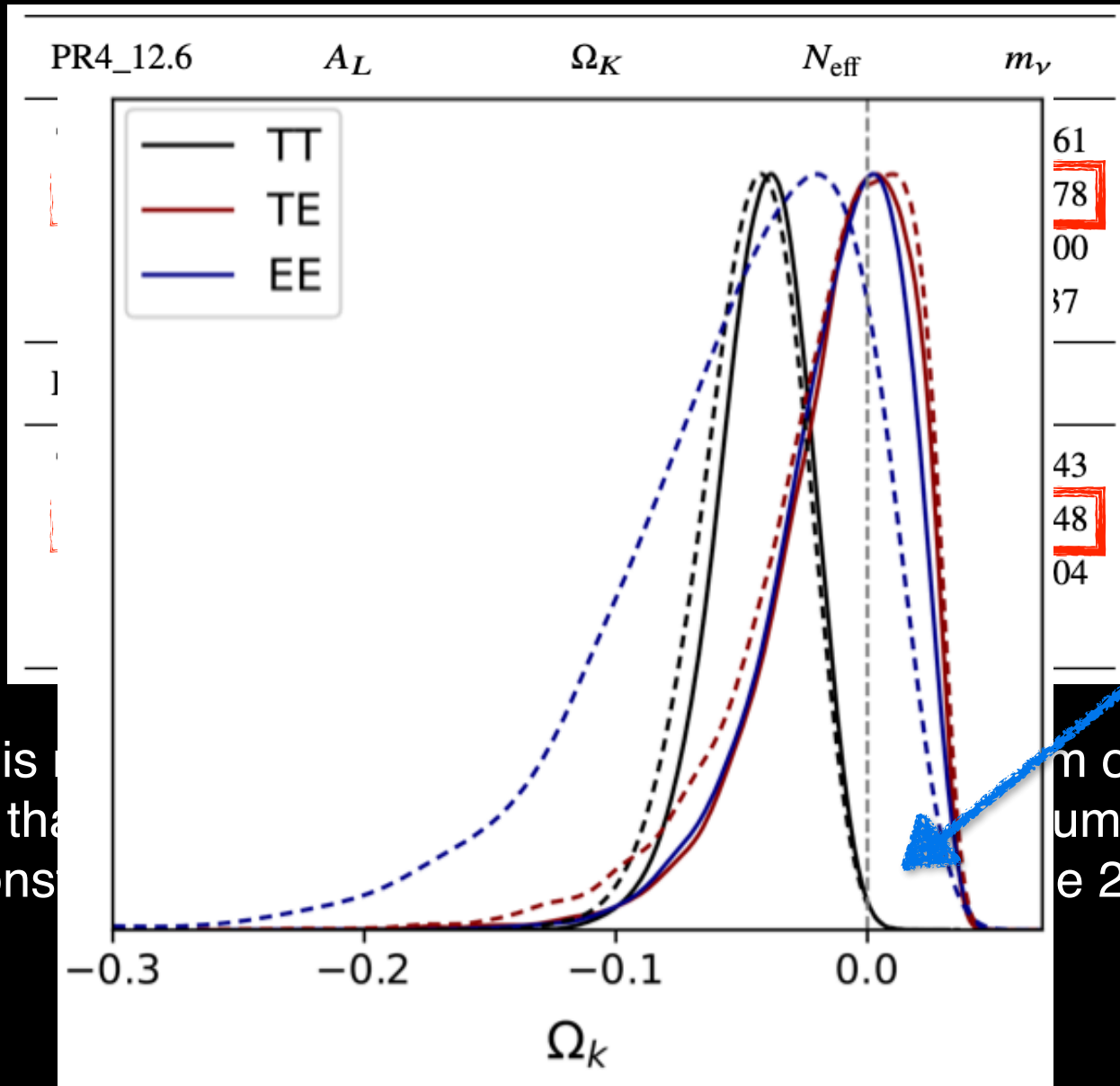


Planck PR4 (NPIPE) with CamSpec

PR4_12.6	A_L	Ω_K	N_{eff}	m_ν
TTTEEE	1.095 ± 0.056	$-0.025^{+0.013}_{-0.010}$	3.00 ± 0.21	< 0.161
TT	1.198 ± 0.084	$-0.042^{+0.022}_{-0.016}$	$2.98^{+0.28}_{-0.35}$	< 0.278
TE	0.96 ± 0.15	$-0.010^{+0.035}_{-0.015}$	$3.11^{+0.38}_{-0.42}$	< 0.400
EE	0.995 ± 0.15	$-0.012^{+0.034}_{-0.017}$	4.6 ± 1.3	< 2.37
PR3_12.6	A_L	Ω_K	N_{eff}	m_ν
TTTEEE	1.146 ± 0.061	$-0.035^{+0.016}_{-0.012}$	$2.94^{+0.20}_{-0.23}$	< 0.143
TT	1.215 ± 0.089	$-0.047^{+0.024}_{-0.017}$	$2.89^{+0.28}_{-0.32}$	< 0.248
TE	0.96 ± 0.17	$-0.015^{+0.043}_{-0.015}$	$2.96^{+0.42}_{-0.49}$	< 0.504
EE	1.15 ± 0.20	$-0.053^{+0.063}_{-0.029}$	$2.46^{+0.94}_{-1.7}$	-

...but this new likelihood is not really solving the problem of A_L/Ω_K , that is mainly coming from the TT power spectrum. And the constraints coming from TT are not changing in the 2 releases...

Planck PR4 (NPIPE) with CamSpec



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Planck PR4 (NPIPE) with CamSpec

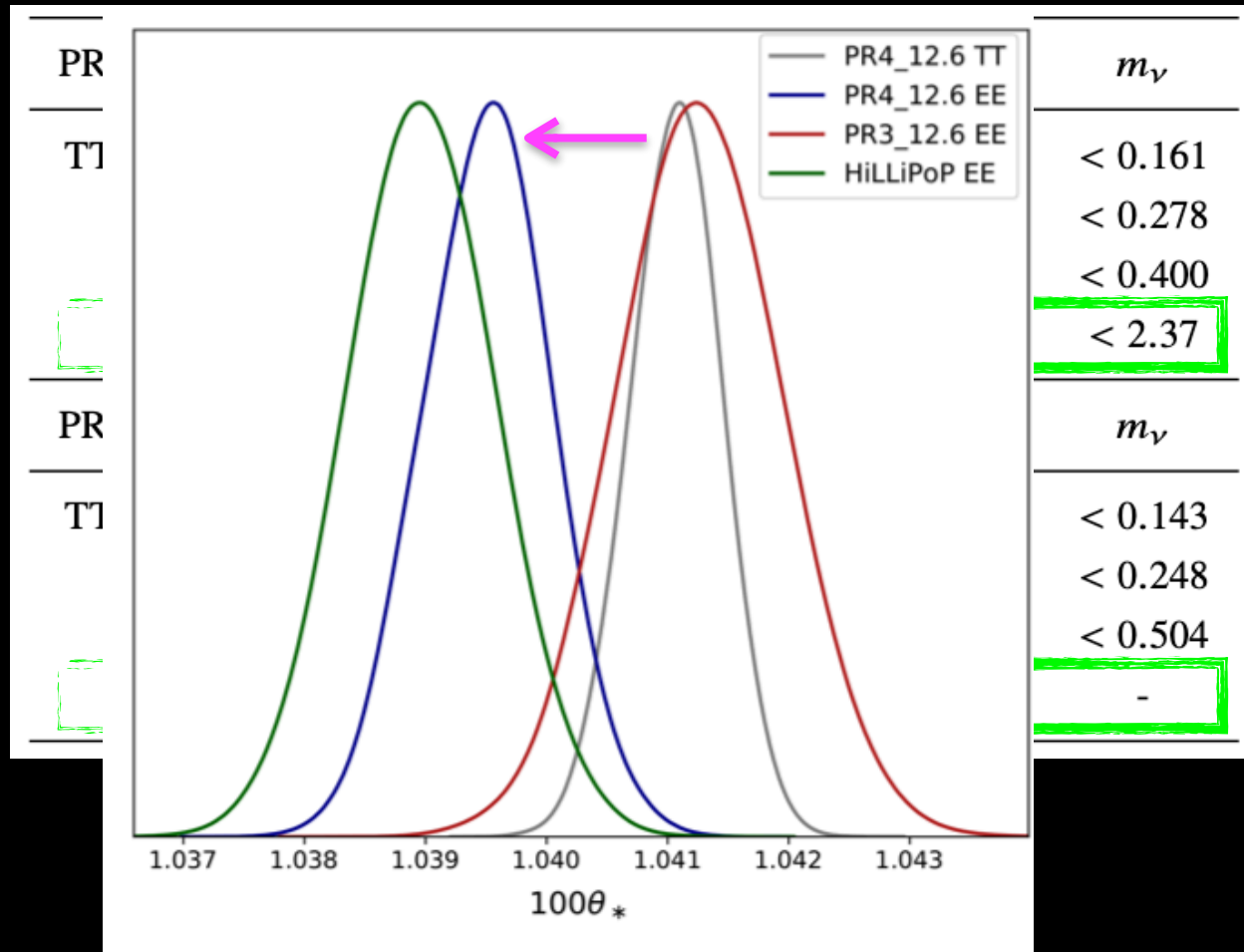
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...but this new likelihood is not really solving the problem of A_L/Ω_K , that is mainly coming from the TT power spectrum.

And the constraints coming from TT are not changing in the 2 releases...

The constraints derived from the EE power spectrum are instead those pulling all the parameters towards Λ CDM and thus alleviating the tensions.

Planck PR4 (NPIPE) with CamSpec



However, this change in EE is producing a significant shift of the acoustic scale parameter θ , and an internal tension at 2.8σ between TT and EE, that becomes more than $3.2-3.3\sigma$ when AL/Ω_K vary.

Planck PR4 (NPIPE) with CamSpec

	ℓ range	N_D	$\hat{\chi}^2$	$(\hat{\chi}^2 - 1)/\sqrt{2/N_D}$
TT 143x143	30 – 2000	1971	1.021	0.67
TT 143x217	500 – 2500	2001	0.985	-0.47
TT 217x217	500 – 2500	2001	1.002	0.05
TT All	30 – 2500	5973	1.074	4.07
TE	30 – 2000	1971	1.055	1.73
EE	30 – 2000	1971	1.026	0.82
TEEE	20 – 2000	3942	1.046	2.02
TTTEEE	30 – 2500	9915	1.063	4.46

Table 1. χ^2 of the different components of the PR4_12.6 likelihood with respect to the TTTEEE best-fit model. N_D is the size of the data vector. $\hat{\chi}^2 = \chi^2/N_D$ is the reduced χ^2 . The last column gives the number of standard deviations of $\hat{\chi}^2$ from unity.

..but more significantly, the reduced χ^2 values show a more than 4σ tension of the data with the best-fit obtained by TTTEEE assuming a Λ CDM model.

Should we really prioritize enhancing the agreement with the Λ CDM model over preventing an internal inconsistency and a worse fit of the data?

A_L for different data releases

Table 1. Posterior A_L Constraints from Analyses of Planck Temperature and Polarization Data since 2018 Release

Reference	Data Version	Likelihood	Data Combination	A_L	' $N\sigma$ ' Preference for $A_L > 1$
Planck Collaboration VI (2020)	PR3/2018	plik	TTTEEE+lowl/lowE	1.180 ± 0.065	2.8σ
	PR3/2018	plik	TT+lowl/lowE	1.243 ± 0.096	2.5σ
Rosenberg et al. (2022)	PR3/2018	CamSpec	TTTEEE+lowl/lowE	1.146 ± 0.061	2.4σ
	PR3/2018	CamSpec	TT+lowl/lowE	1.215 ± 0.089	2.4σ
	PR4/NPIPE	CamSpec	TTTEEE+lowl/lowE	1.095 ± 0.056	1.7σ
	PR4/NPIPE	CamSpec	TT+lowl/lowE	1.198 ± 0.084	2.4σ
Tristram et al. (2023)	PR4/NPIPE	HiLLiPoP	TTTEEE+lowl/LoLLiPoP ^a	1.036 ± 0.051	0.7σ
	PR4/NPIPE	HiLLiPoP	TT+lowl/LoLLiPoP	1.068 ± 0.081	0.8σ

Addison et al, arXiv:2310.03127

$$S_8 = 0.834 \pm 0.016$$

$$H_0 = 67.36 \pm 0.54 \text{ km/s/Mpc}$$

Planck 2018, Aghanim et al., arXiv:1807.06209 [astro-ph.CO]

$$S_8 = 0.819 \pm 0.014$$

$$H_0 = 67.64 \pm 0.52 \text{ km/s/Mpc}$$

Tristram et al., arXiv:2309.10034 [astro-ph.CO]

The role of the optical depth:
can the anomalies such as
lensing and curvature recast a
wrong calibration of τ ?

The optical depth

During the cosmic reionization, CMB photons undergo Thomson scattering off free electrons at scales smaller than the horizon size.

As a result, they deviate from their original trajectories, reaching us from a direction different from the one set during recombination.

Similarly to recombination, this introduces a novel 'last scattering' surface at later times and produces distinctive imprints in the angular power spectra of temperature and polarization anisotropies.

A well-known effect of reionization is an enhancement of the spectrum of CMB polarization at large angular scales alongside a suppression of temperature anisotropies occurring at smaller scales ($A_s e^{-2\tau}$).

The distinctive polarization bump produced by reionization on large scales dominates the signal in the EE spectrum whose amplitude strongly depends on the total integrated optical depth to reionization:

$$\tau = \sigma_T \int_0^{z_{\text{rec}}} dz \bar{n}_e(z) \frac{dr}{dz},$$

where σ_T is the Thomson scattering cross-section, $\bar{n}_e(z)$ is the free electron proper number density at redshift z , and dr/dz is the line-of-sight proper distance per unit redshift.

For this reason, precise observations of E-mode polarization on large scales are crucial.

The optical depth

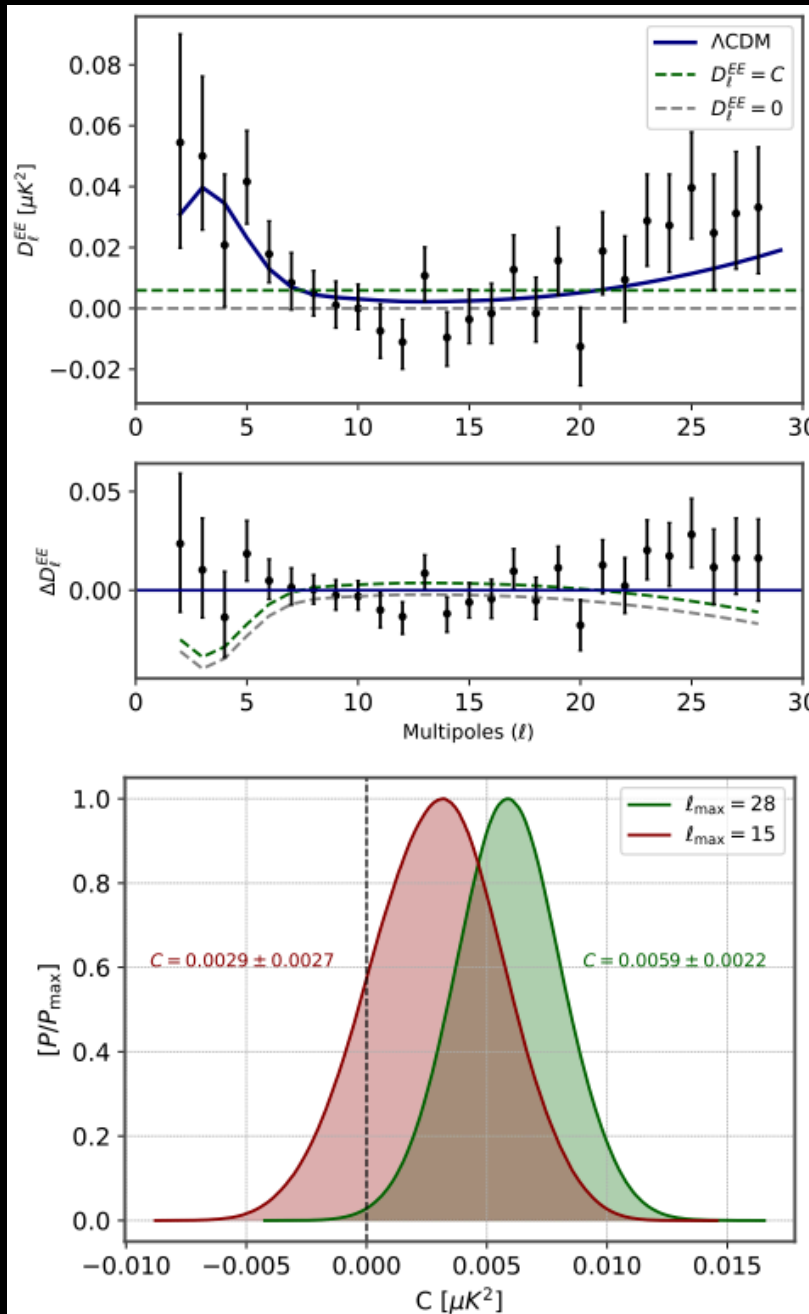
Thanks to large-scale polarization measurements released by the Planck satellite, we have achieved an unprecedented level of accuracy, constraining the optical depth at reionization down to $\tau = 0.054 \pm 0.008$ at 68% CL, from the WMAP9 value of $\tau = 0.089 \pm 0.014$.

Measuring τ to such a level of precision holds **implications that extend beyond reionization models**. For example, the constraints on the Hubble parameter H_0 and the scalar spectral index n_s both improve by approximately 22% when incorporating Planck large-scale polarization data in the analysis. However, as often happens when dealing with high-precision measurements at low multipoles, there are **certain aspects that remain less than entirely clear**:

- **The detected signal in the EE spectrum is extremely small**, on scales where cosmic variance sets itself a natural limit on the maximum precision achievable, and even minor undetected systematic errors could have a substantial impact on the results.
- **Small, undetected foreground effects could play a role** in determining polarization measurements.
- **Measurements of temperature and polarization anisotropies at large angular scales exhibit a series of anomalies**. For example, the TE spectrum at low multipoles shows an excess variance compared to simulations, for reasons that are not understood, and is commonly disregarded for cosmological data analyses.

The optical depth

$$C_{\ell}^{EE} \propto \tau^2 / \ell^4$$

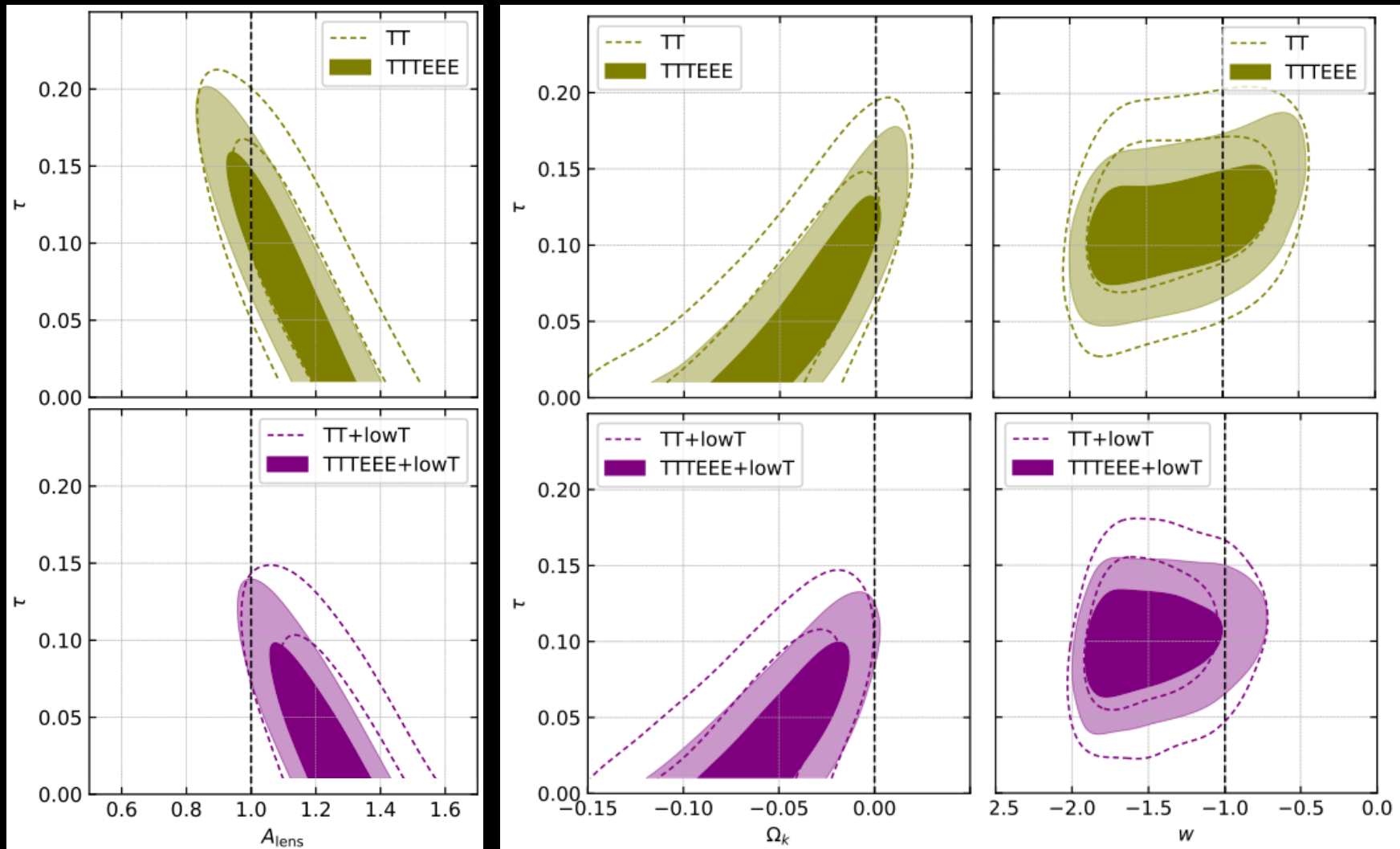


We perform a fit to measurements of the low multipoles EE data assuming a constant instead of the expected reionization bump, and this is compatible with the data with a p-value of $p=0.063$, above the threshold value typically adopted to reject the hypothesis.

And if we focus only on data-points at $2 \leq \ell \leq 15$, i.e. those scale that contribute more when determining τ because it is where the reionization bump in polarization manifests itself more prominently, the case $C = 0$ (i.e., no signal at all) falls basically within the 1σ range.

Therefore we argue the concern that, when dealing with measurements so close to the absence of a signal and experimental sensitivity, any statistical fluctuation or lack of understanding of the foregrounds could be crucial and potentially have implications in the measurement of τ .

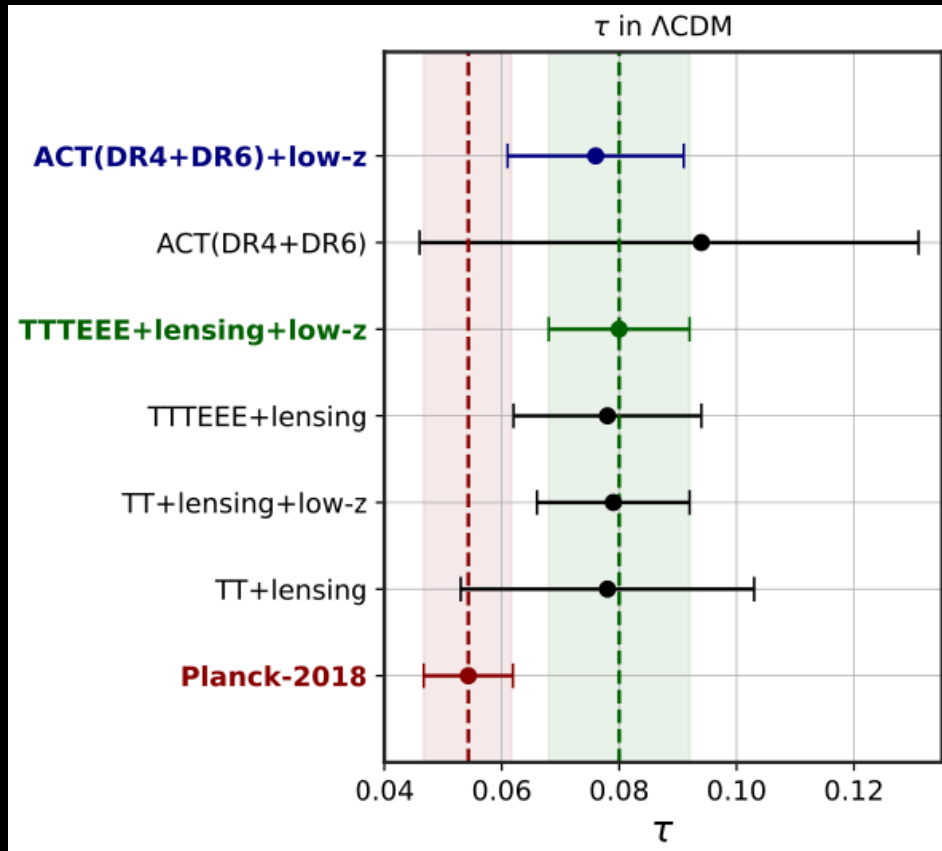
Planck new physics depends on the optical depth



Excluding the lowE data everything is consistent with Λ CDM.

Is it possible to achieve competitive constraints on τ without exclusively relying on large-scale CMB polarization?

lowE independent optical depth

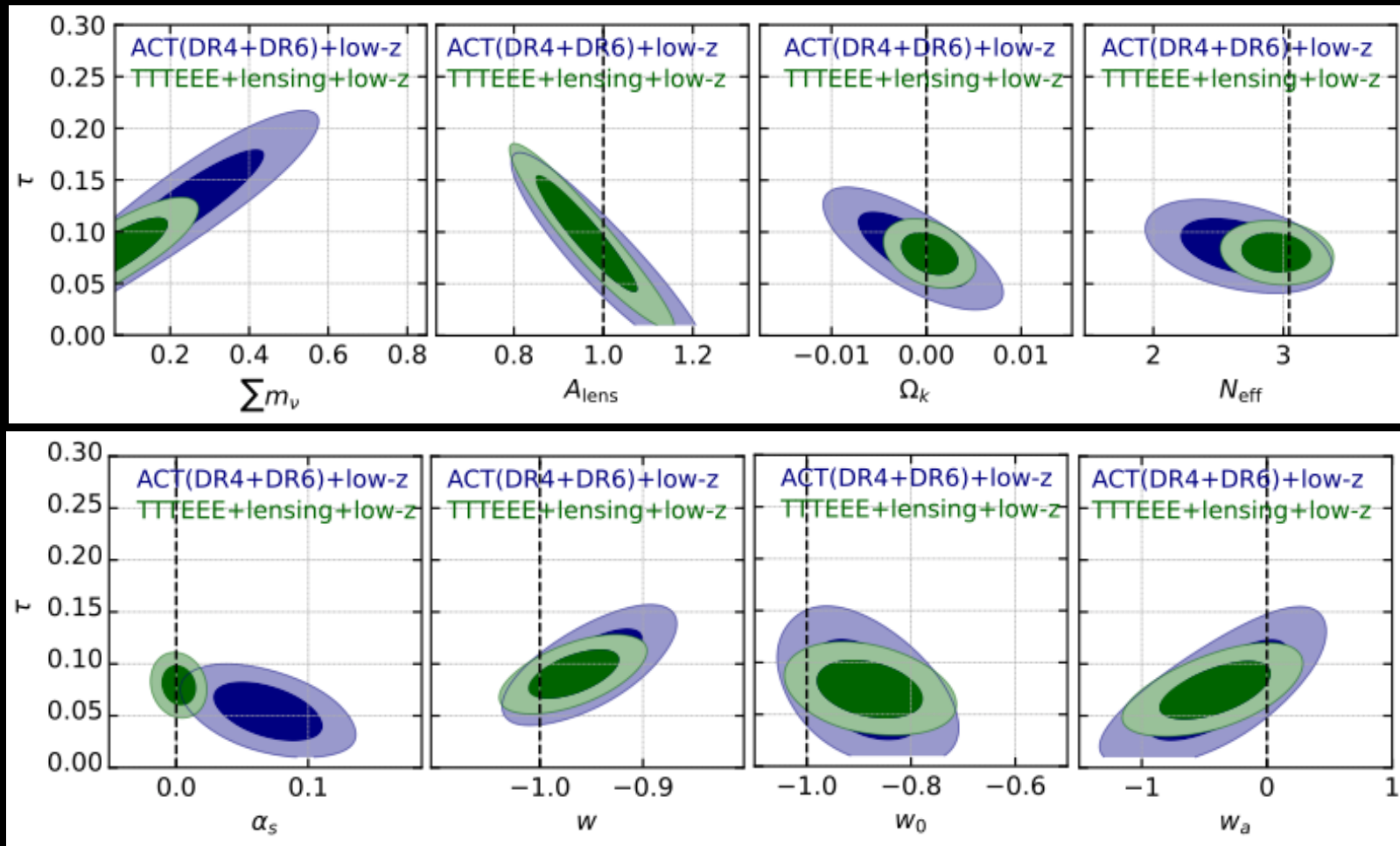


By using different combinations of Planck temperature and polarization data at $l > 30$, ACT and Planck reconstructions of the lensing potential, BAO measurements from BOSS and eBOSS surveys, and Type-Ia supernova data from the Pantheon-Plus sample, we can constrain τ independently.

The most constraining limit $\tau = 0.080 \pm 0.012$ comes from TTTEEE+lensing+low-z.

Using only ACT- based temperature, polarization, and lensing data, from ACT(DR4+DR6)+low-z we got $\tau = 0.076 \pm 0.015$ which is entirely independent of Planck.

lowE independent optical depth



Considering our best combinations to constrain τ the typical Λ CDM extensions are all in agreement with the expected values.

What about the alternative CMB experiments?

Harrison-Zel'dovich scale-invariant spectrum?

Dataset	Scalar Spectral Index (n_s)
	Λ CDM
ACT	1.009 ± 0.015
ACT+BAO (DR12)	1.006 ± 0.013
ACT+BAO (DR16)	1.006 ± 0.014
ACT+DESy1	1.007 ± 0.013
ACT+SPT+BAO (DR12)	0.996 ± 0.012
Planck	0.9649 ± 0.0044
Planck+BAO (DR12)	0.9668 ± 0.0038
Planck+BAO (DR16)	0.9677 ± 0.0037
Planck ($2 \leq \ell \leq 650$)	0.9655 ± 0.0043
Planck ($\ell > 650$)	0.9634 ± 0.0085

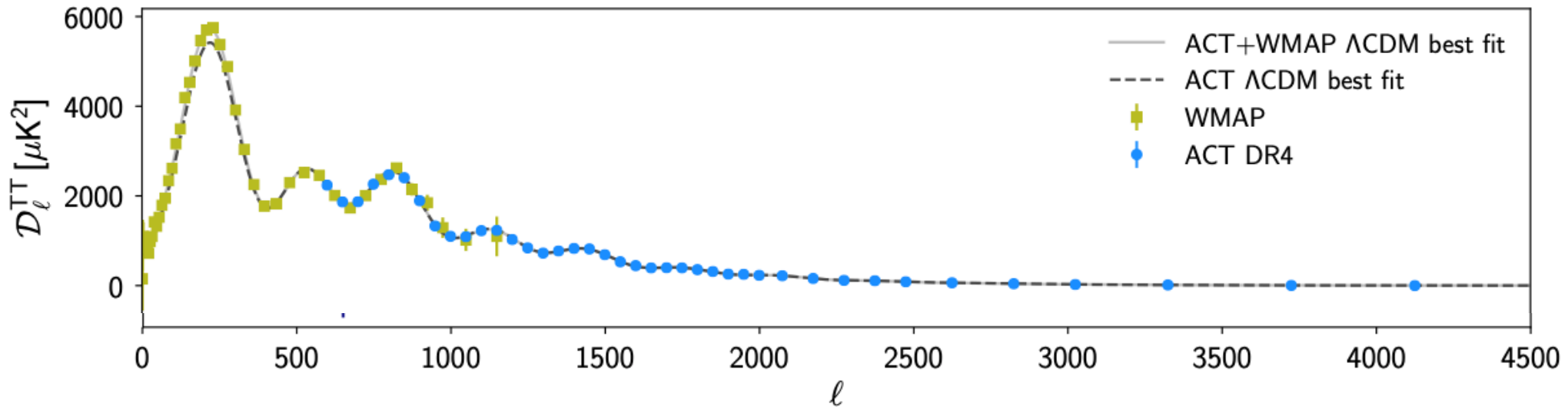
ACT shows a preference for a larger spectral index consistent with a Harrison-Zel'dovich scale-invariant spectrum $n_s=1$ of primordial density perturbations introducing a tension with a significance of 2.7σ with the results from the Planck satellite.

Giare, Renzi, Mena, Di Valentino, and Melchiorri,
MNRAS 521 (2023) 2, 2911

Harrison-Zel'dovich scale-invariant spectrum?

In ACT-DR4 2020, [arXiv:2007.07288](https://arxiv.org/abs/2007.07288) [astro-ph.CO] this discrepancy was interpreted as a consequence of the **lack of information concerning the first acoustic peak** of the temperature power spectrum.

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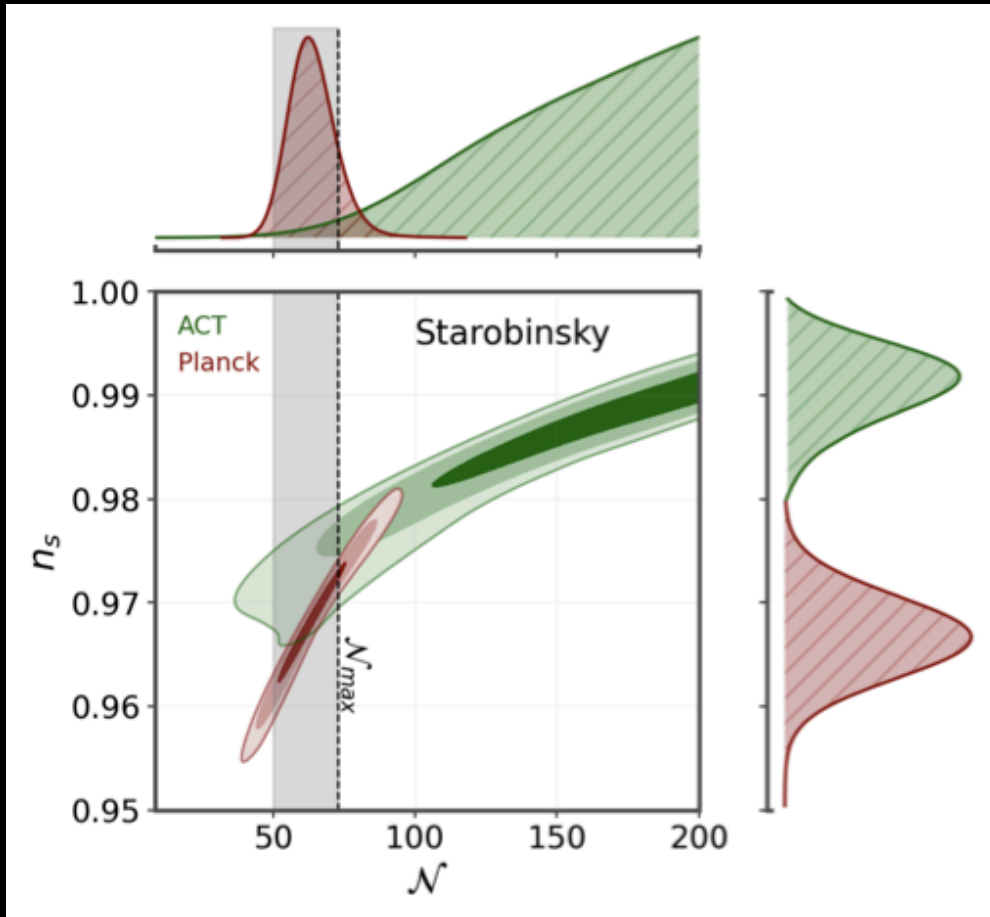
Giare, Renzi, Mena, Di Valentino, and Melchiorri,
MNRAS 521 (2023) 2, 2911

In ACT-DR4 2020, [arXiv:2007.07288](https://arxiv.org/abs/2007.07288) [astro-ph.CO] this discrepancy was interpreted as a consequence of the lack of information concerning the first acoustic peak of the temperature power spectrum.

To verify this origin of the discrepancy in the CMB values of n_s , we have performed two separate analyses of the Planck observations, splitting the likelihood into low $2 < \ell < 650$ and high $\ell > 650$ multipoles. We find that the discrepancy still persists at the level of 3σ (2σ) for low (high) multiple temperature data.

Planck data still prefer a value of the scalar spectral index smaller than unity at $\sim 4.3\sigma$ when the information about the first acoustic peak is removed.

We tested some models of inflation regarded as well - established benchmark scenarios and found out that they are ruled out by ACT at more than 3σ .

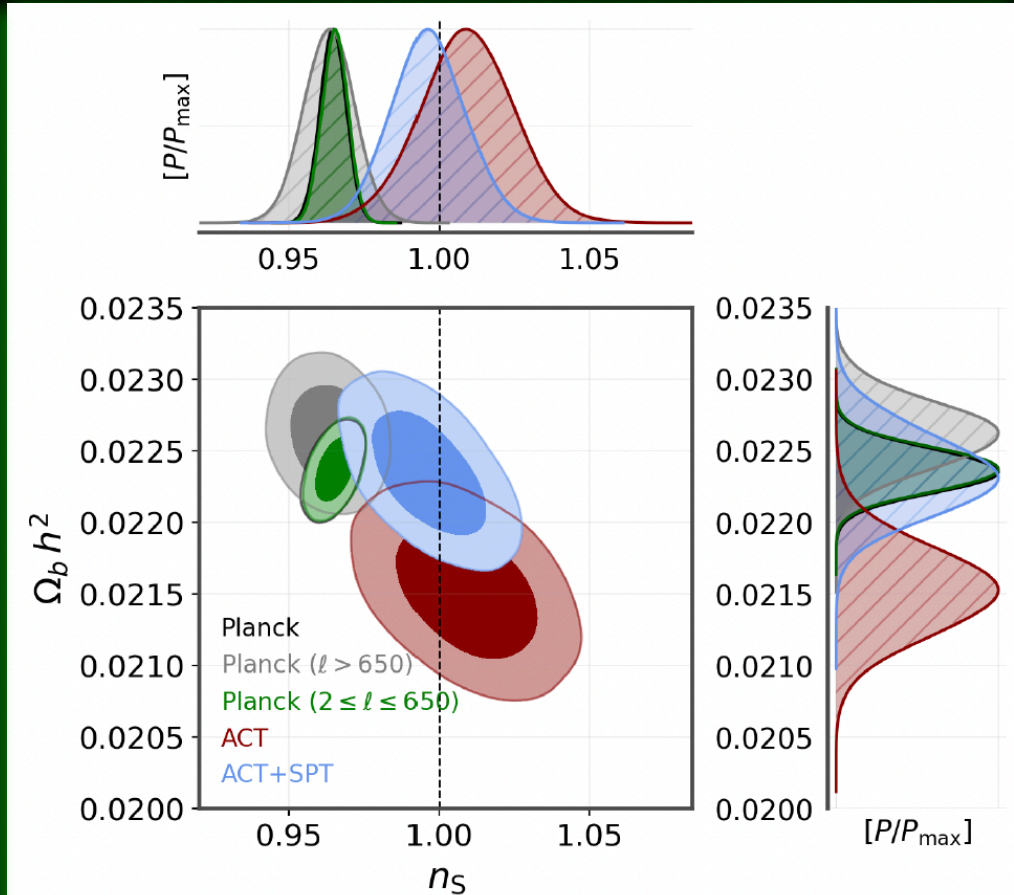
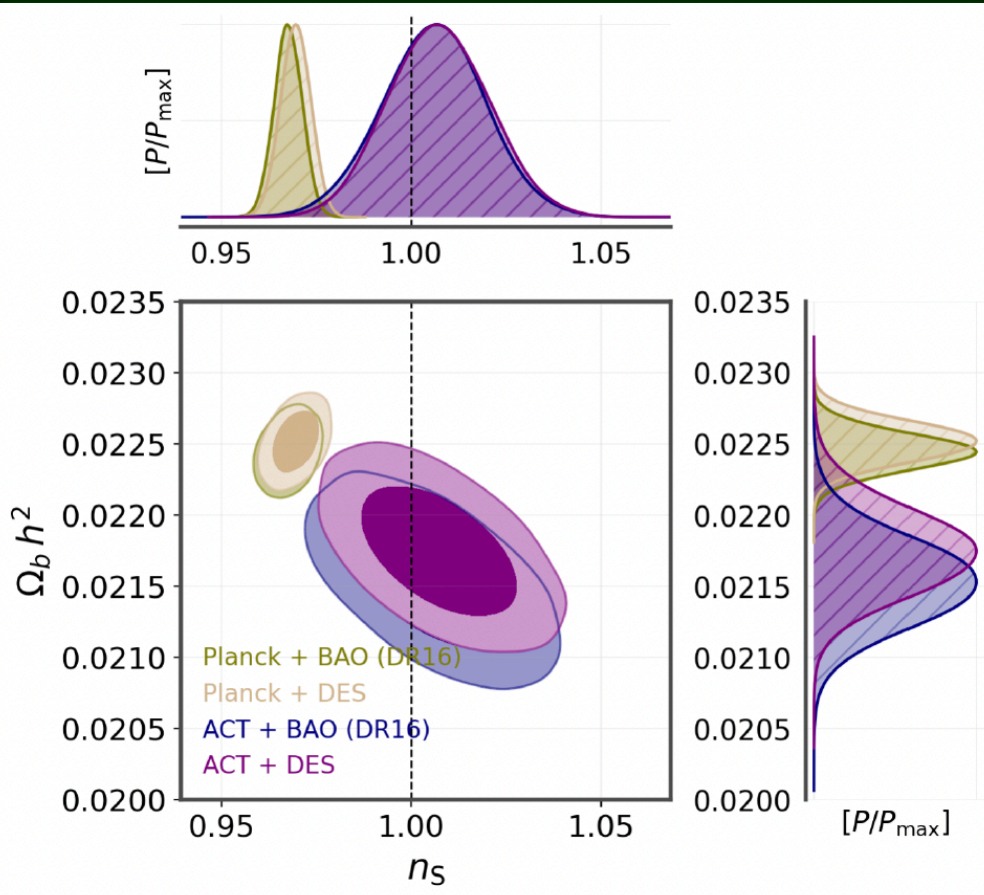


Giarè, Pan, Di Valentino, Yang, de Haro, and Melchiorri, *JCAP* 09 (2023) 019

In the plot we show for example the 2D contours at 68%, 95%, and 99% CL and 1D posteriors in the (n_s, N_{efolds}) plane for the Starobinsky model. The grey vertical band refers to the typical range of folds expansion $N_{\text{efolds}} \in [50, N_{\text{max}}]$, expected in standard inflation. The upper limit, $N_{\text{max}} \leq 73$, is represented by the black dashed line.

Very similar results are obtained for all the other potentials, and in particular for ACT we find the following values for the number of e-folds at 68% (95%) CL:

- $\mathcal{N} > 138$ ($\mathcal{N} > 92.8$) for the Starobinsky model;
- $\mathcal{N} > 134$ ($\mathcal{N} > 88.6$) for α -Attractor models;
- $\mathcal{N} > 257$ ($\mathcal{N} > 208$) for Polynomial inflation;
- $\mathcal{N} > 177$ ($\mathcal{N} > 105$) for the SUSY potential.



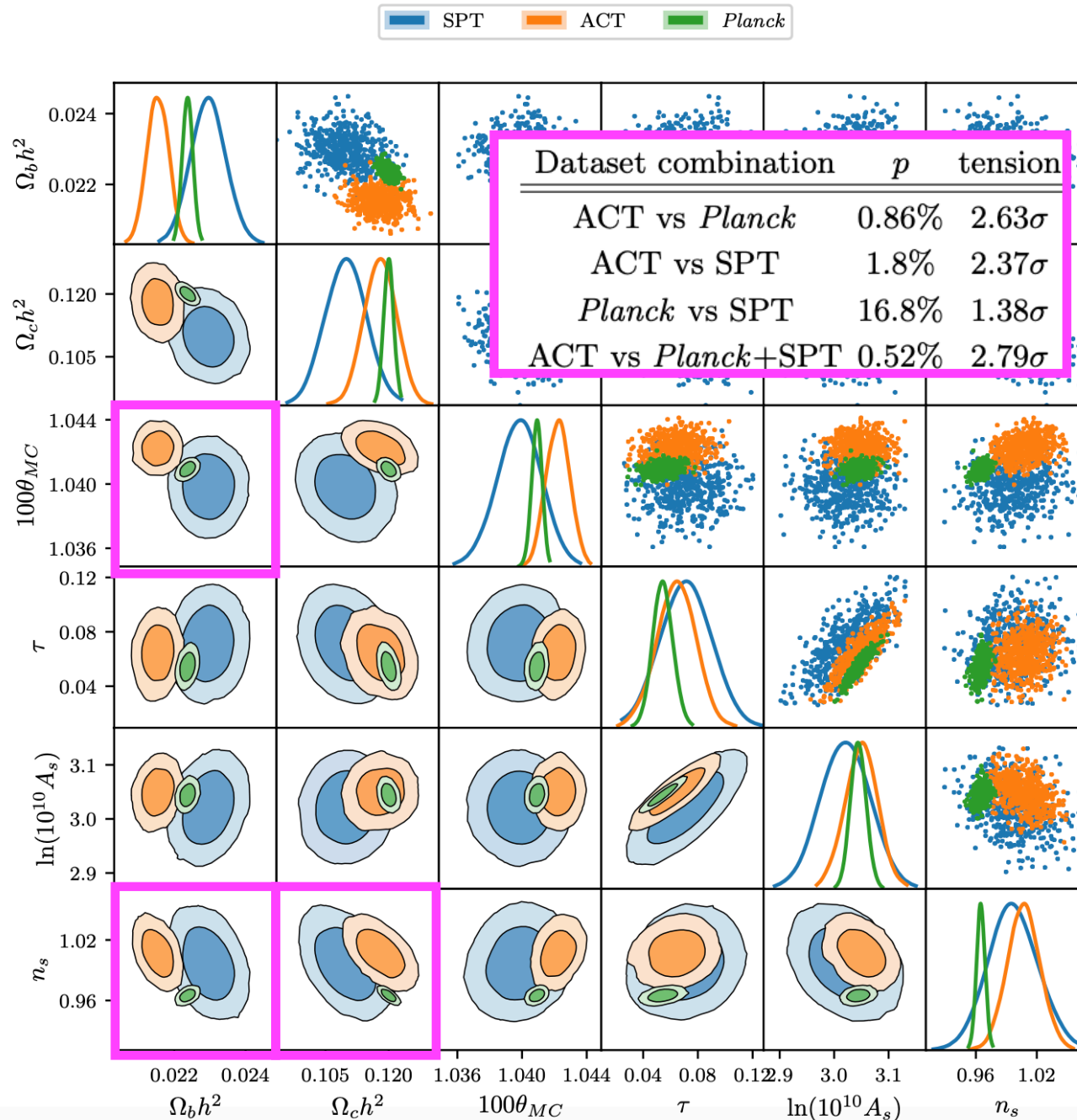
Giarè, Renzi, Mena, Di Valentino, and Melchiorri, MNRAS 521 (2023) 2, 2911

Such preference remains robust under the addition of large scale structure information, and in the two-dimensional plane it can be definitely noted that the direction of the $\Omega_b h^2 - n_s$ degeneracy is opposite for ACT and Planck, and the disagreement here is significantly exceeding 3σ .

This tension is partially driven by the ACT polarization data, as we can see replacing it with the SPT polarization measurements, but while the tension is relaxed in the plane $\Omega_b h^2 - n_s$, this combination is still preferring $n_s=1$.

Quantifying global CMB tension

Handley and Lemos, arXiv:2007.08496 [astro-ph.CO]



Global tensions between CMB datasets.

For each pairing of datasets this is the tension probability p that such datasets would be this discordant by (Bayesian) chance, as well as a conversion into a Gaussian-equivalent tension.

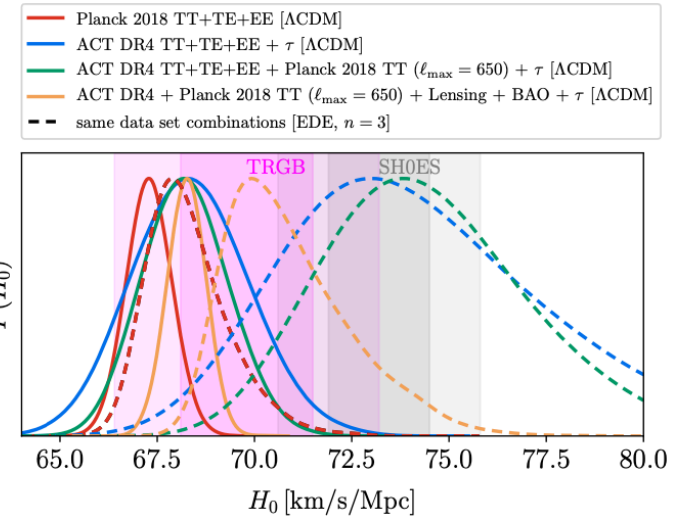
Between *Planck* and ACT there is a 2.6σ tension.

Assuming Λ CDM

ACT-DR4 vs Planck: EDE

Constraints on EDE ($n = 3$)

Parameter	ACT DR4 TT+TE+EE, τ	ACT DR4 TT+TE+EE, Planck 2018 TT ($\ell_{\max} = 650$), τ	ACT DR4 TT+TE+EE, Planck 2018 TT ($\ell_{\max} = 650$), Planck 2018 lensing, BAO, τ	Planck 2018 TT+TE+EE (from Ref. [38])	ACT DR4 TT+TE+EE, Planck 2018 TT+TE+EE (no low- ℓ EE), τ
f_{EDE}	$0.142^{+0.039}_{-0.072}$	$0.129^{+0.028}_{-0.055}$	$0.091^{+0.020}_{-0.036}$	< 0.087	< 0.124
$\log_{10}(z_c)$	< 3.70	< 3.43	< 3.36	$3.66^{+0.24}_{-0.28}$	$3.54^{+0.25}_{-0.20}$
θ_i	> 0.24	< 2.89	< 2.82	> 0.36	> 0.51
$\Omega_c h^2$	$0.1307^{+0.0054}_{-0.0120}$	$0.1291^{+0.0051}_{-0.0080}$	$0.1286^{+0.0027}_{-0.0060}$	$0.1234^{+0.0019}_{-0.0038}$	$0.1244^{+0.0025}_{-0.0051}$
H_0 [km/s/Mpc]	$74.5^{+2.5}_{-4.4}$	$74.4^{+2.2}_{-3.0}$	$70.9^{+1.0}_{-2.0}$	$68.29^{+0.73}_{-1.20}$	$69.17^{+0.83}_{-1.70}$
Ω_m	$0.276^{+0.020}_{-0.023}$	0.274 ± 0.017	0.3000 ± 0.0072	0.3145 ± 0.0086	0.3084 ± 0.0084
σ_8	$0.831^{+0.027}_{-0.043}$	$0.827^{+0.029}_{-0.035}$	$0.829^{+0.013}_{-0.021}$	$0.820^{+0.009}_{-0.013}$	$0.838^{+0.013}_{-0.015}$
S_8	0.796 ± 0.049	$0.791^{+0.040}_{-0.046}$	$0.828^{+0.015}_{-0.018}$	0.839 ± 0.018	0.850 ± 0.017



ACT collaboration, Hill et al. arXiv:2109.04451

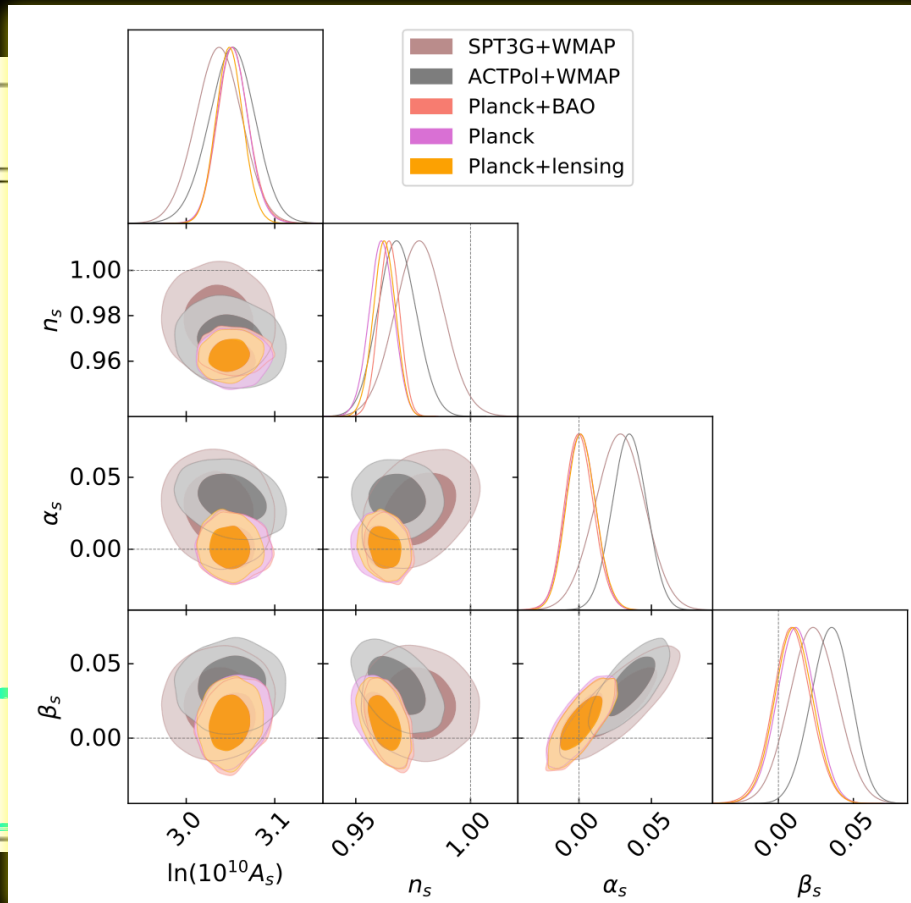
Considering ACT only data or combined with Planck TT up to multipoles 650, there is an evidence for EDE $> 3\sigma$, solving completely the Hubble tension. The evidence for EDE $> 3\sigma$ persists with the inclusion of Planck lensing + BAO data, but shifting H_0 towards a lower value. Once the full Planck data are considered, the evidence for EDE disappears and H_0 is again in tension with SHOES.

The Planck damping tail is in disagreement with EDE different from zero.

ACT-DR4 vs Planck: α_s and β_s

Forconi, Giarè, Di Valentino and Melchiorri, *Phys.Rev.D* 104 (2021) 10, 103528

Parameter	Planck18
$\Omega_b h^2$	0.02235 ± 0.00017
$\Omega_c h^2$	0.1207 ± 0.0015
$\alpha_s \doteq \left[\frac{dn_s}{d \log k} \right]_{k=k_*}$	$\beta_s \doteq \left[\frac{d\alpha_s}{d \log k} \right]_{k=k_*}$
$\log(10^{10} A_s)$	3.053 ± 0.018
n_s	0.9612 ± 0.0054
α_s	0.001 ± 0.010
β_s	0.012 ± 0.013



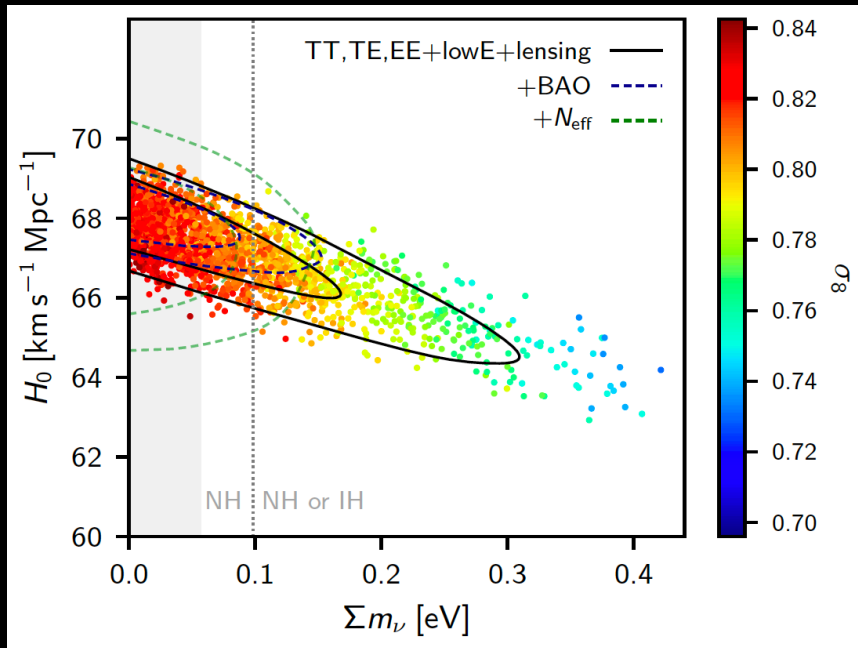
ACTPol + WMAP
0.02195 ± 0.00025
0.1190 ± 0.0029
1.04174 ± 0.00066
0.061 ± 0.013
3.051 ± 0.026
0.9680 ± 0.0082
0.035 ± 0.012
0.035 ± 0.013

ACT-DR4 and SPT-3G are in agreement one with each other, but in disagreement with Planck, for the value of the

running of the scalar spectral index α_s and of the running of the running β_s .

In particular ACT-DR4 + WMAP prefer both a non vanishing running α_s and running of the running β_s at the level of 2.9σ and 2.7σ , respectively.

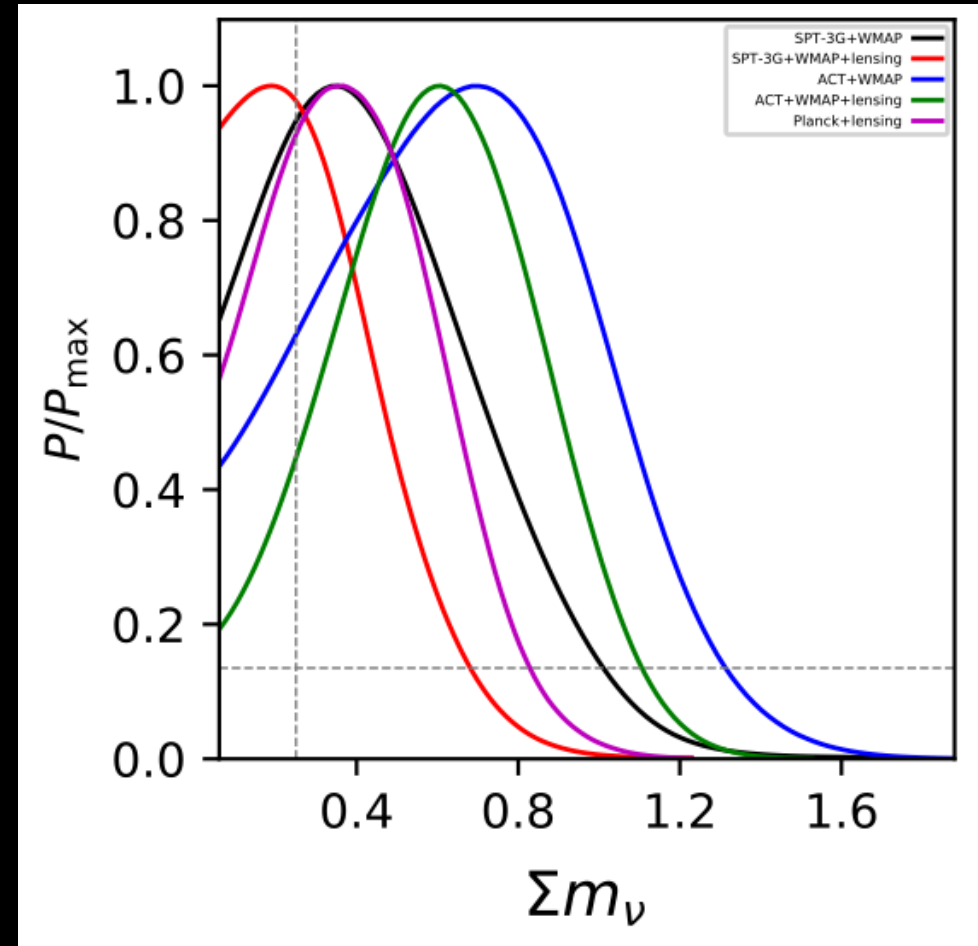
Alternative CMB vs Planck: Σm_ν



$$\Sigma m_\nu < 0.24 \text{ eV} \quad (95\%, \text{ TT,TE,EE+lowE+lensing})$$

Planck 2018 collaboration, arXiv:1807.06209 [astro-ph.CO]

While we have only an upper limit for Planck on the total neutrino mass, **ACT-DR4, when combined with WMAP and lensing, prefers a neutrino mass different from zero at more than 95% CL.**



Di Valentino and Melchiorri, 2022 *ApJL* **931** L18

Constraints at 68% CL

Dataset	Σm_ν [eV]
ACT-DR4+WMAP+Lensing	0.60 ± 0.25
Planck+Lensing (+ A_{lens})	$0.41^{+0.17}_{-0.25}$

Quantifying global CMB tension

Cosmological model	d	χ^2	p	$\log S$	Tension
Λ CDM	6	16.3	0.012	-5.17	2.51 σ
Λ CDM + A_s	7	18.5	0.00977	-5.77	2.58 σ
Λ CDM + N_{eff}	7	13	0.0719	-3	1.80 σ
Λ CDM + Ω_k	7	16.5	0.0209	-4.75	2.31 σ
w CDM	7	16.8	0.0187	-4.9	2.35 σ
Λ CDM + $\sum m_\nu$	7	20.7	0.00421	-6.86	2.86 σ
Λ CDM + α_s	7	20.6	0.00448	-6.78	2.84 σ
w CDM + Ω_k	8	17.6	0.0249	-4.78	2.24 σ
Λ CDM + $\Omega_k + \sum m_\nu$	8	21.2	0.00651	-6.62	2.72 σ
w CDM + $\Omega_k + \sum m_\nu$	9	19.8	0.0195	-5.38	2.34 σ
w CDM + $\Omega_k + \sum m_\nu + N_{\text{eff}}$	10	18.8	0.0434	-4.38	2.02 σ
w CDM + $\Omega_k + \sum m_\nu + \alpha_s$	10	22	0.015	-6.01	2.43 σ
w CDM + $\Omega_k + N_{\text{eff}} + \alpha_s$	10	20.9	0.0218	-5.45	2.29 σ
w CDM + $\sum m_\nu + N_{\text{eff}} + \alpha_s$	10	31.1	0.000575	-10.5	3.44 σ
w CDM + $\Omega_k + \sum m_\nu + N_{\text{eff}} + \alpha_s$	11	24.7	0.0102	-6.83	2.57 σ

Di Valentino et al., MNRAS 520 (2023) 1, 210-215

Λ CDM + N_{eff}	Planck	-	2.92 ± 0.19
	ACT-DR4	-	$2.35^{+0.40}_{-0.47}$

If we now study the global agreement between Planck and ACT in various cosmological models that differ by the inclusion of different combinations of additional parameters, we can use the Suspiciousness statistic, to quantify their global "CMB tension".

We find that the 2.5σ tension within the baseline Λ CDM is reduced at the level of 1.8σ when N_{eff} is significantly less than 3.044, while it ranges between 2.3σ and 3.5σ in all the other extended models.

Concluding

At this point, given the quality of all the analyses at play, probably these tensions are indicating a problem with the underlying cosmology and our understanding of the Universe, rather than the presence of systematic effects.

Therefore, this is presenting a serious limitation to the precision cosmology.

Many models have been proposed to solve the H_0 tension.

However, looking for a solution by changing the standard model of cosmology is challenging because of some additional complications:

1. The sound horizon problem
2. The S_8 tension
3. The correlation between the parameters and possible fake detection
4. The hidden model dependence of some of the datasets (such as BAO)
5. The Planck AL problem
6. The role of the optical depth
7. The inconsistency between the different CMB experiment

Overall, the new DESI BAO data add an intriguing twist to the situation.

These cosmic discordances call for new observations and stimulate the investigation of alternative theoretical models and solutions.

Thank you!

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COSMOVERSE • COST ACTION CA21136

Addressing observational tensions in cosmology with systematics and fundamental physics

<https://cosmoversetensions.eu/>

WG1 – Observational Cosmology and systematics

Unveiling the nature of the existing cosmological tensions and other possible anomalies discovered in the future will require a multi-path approach involving a wide range of cosmological probes, various multiwavelength observations and diverse strategies for data analysis.

[READ MORE](#)

WG2 – Data Analysis in Cosmology

Presently, cosmological models are largely tested by using well-established methods, such as Bayesian approaches, that are usually combined with Monte Carlo Markov Chain (MCMC) methods as a standard tool to provide parameter constraints.

[READ MORE](#)

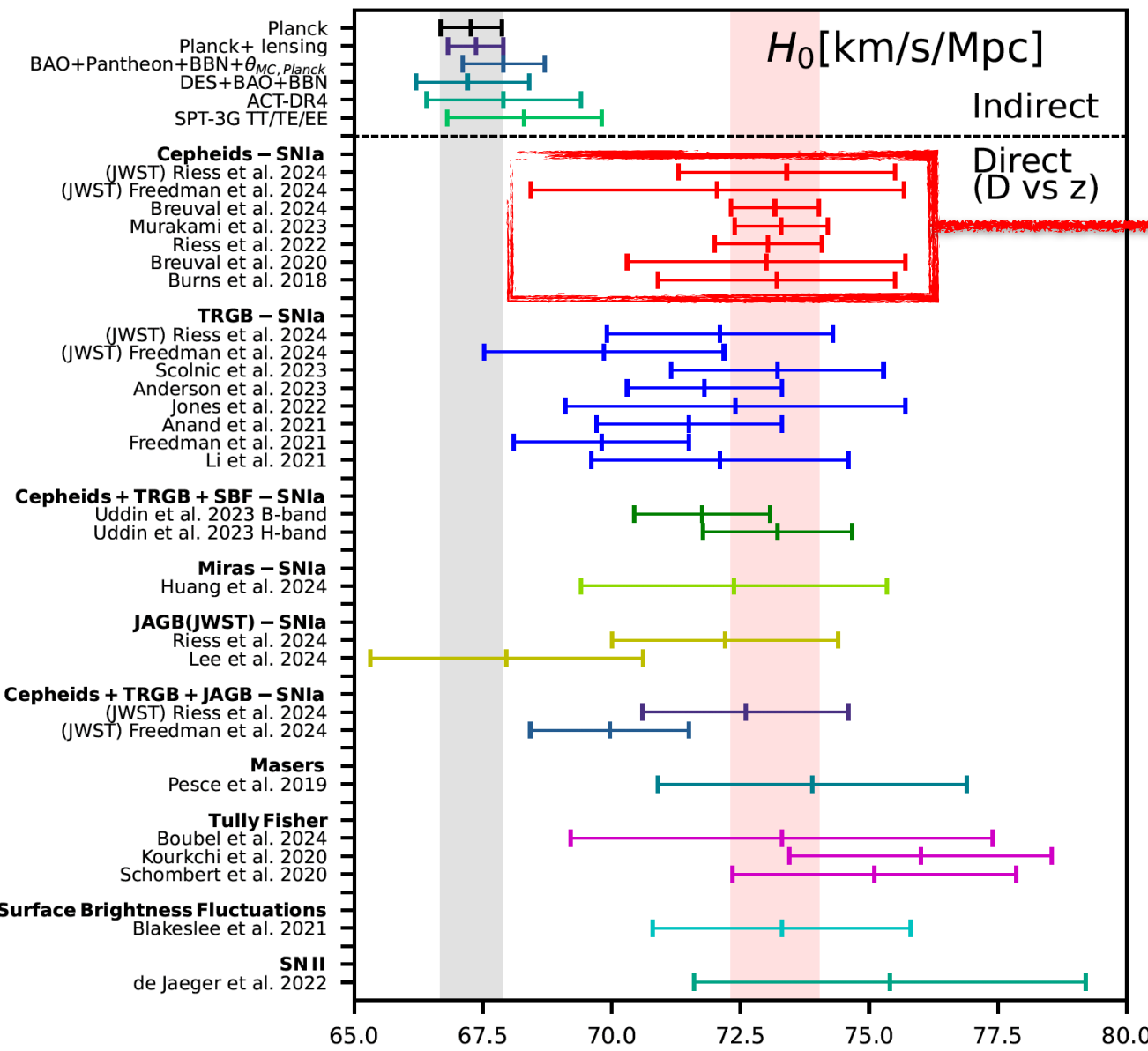
WG3 – Fundamental Physics

Given the observational tensions among different data sets, and the unknown quantities on which the model is based, alternative scenarios should be considered.

[READ MORE](#)



Latest H0 measurements



Cepheids-SN Ia:

$$H_0 = 74.3 \pm 2.1 \text{ km/s/Mpc}$$

Riess et al., arXiv: 2408.11770

$$H_0 = 72.05 \pm 3.62 \text{ km/s/Mpc}$$

Freedman et al., arXiv:2408.06153

$$H_0 = 73.17 \pm 0.86 \text{ km/s/Mpc}$$

Breuval et al., arXiv:2404.08038

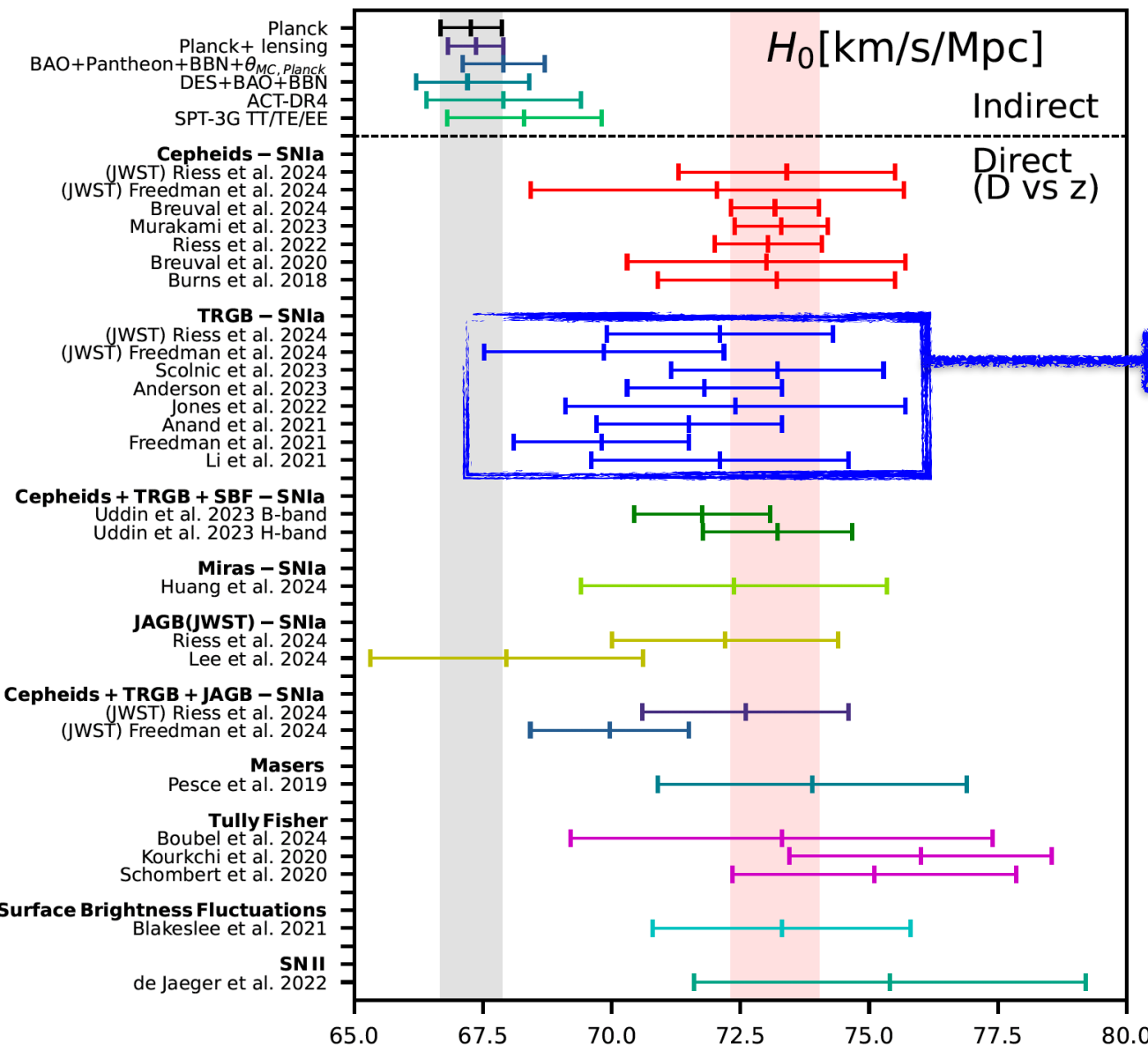
$$H_0 = 73.29 \pm 0.90 \text{ km/s/Mpc}$$

Murakami et al., arXiv:2306.00070

$$H_0 = 73.04 \pm 1.04 \text{ km/s/Mpc}$$

Riess et al., arXiv:2112.04510

Latest H0 measurements



The Tip of the Red Giant Branch (TRGB) is the peak brightness reached by red giant stars after they stop using hydrogen and begin fusing helium in their core.

$H_0 = 72.1 \pm 2.2 \text{ km/s/Mpc}$

Riess et al., arXiv: 2408.11770

$H_0 = 69.85 \pm 2.33 \text{ km/s/Mpc}$

Freedman et al., arXiv:2408.06153

$H_0 = 73.22 \pm 2.06 \text{ km/s/Mpc}$

Scolnic et al., arXiv:2304.06693

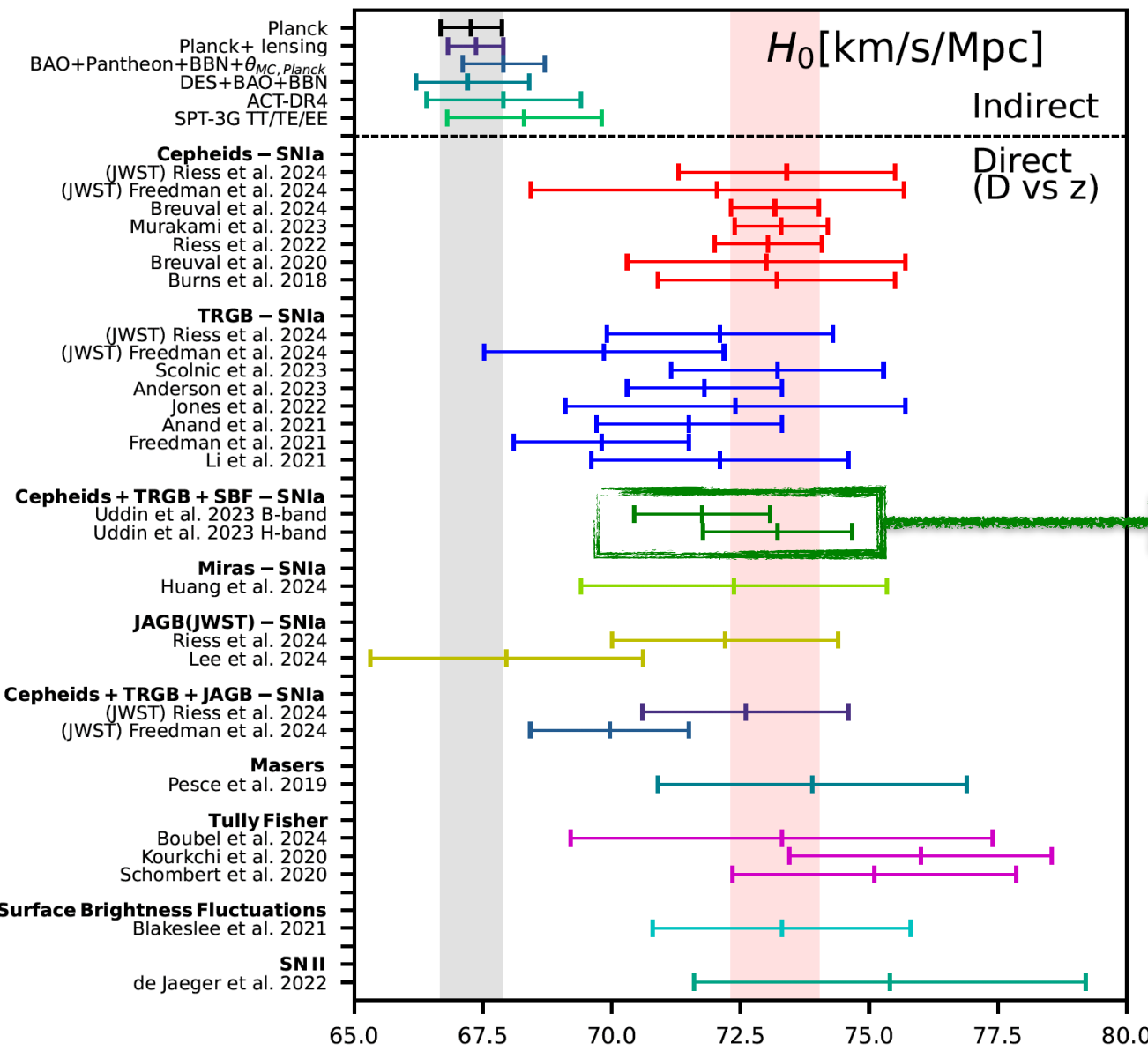
$H_0 = 71.8 \pm 1.5 \text{ km/s/Mpc}$

Anderson et al., arXiv:2303.04790

$H_0 = 69.8 \pm 1.7 \text{ km/s/Mpc}$

Freedman, arXiv:2106.15656

Latest H0 measurements



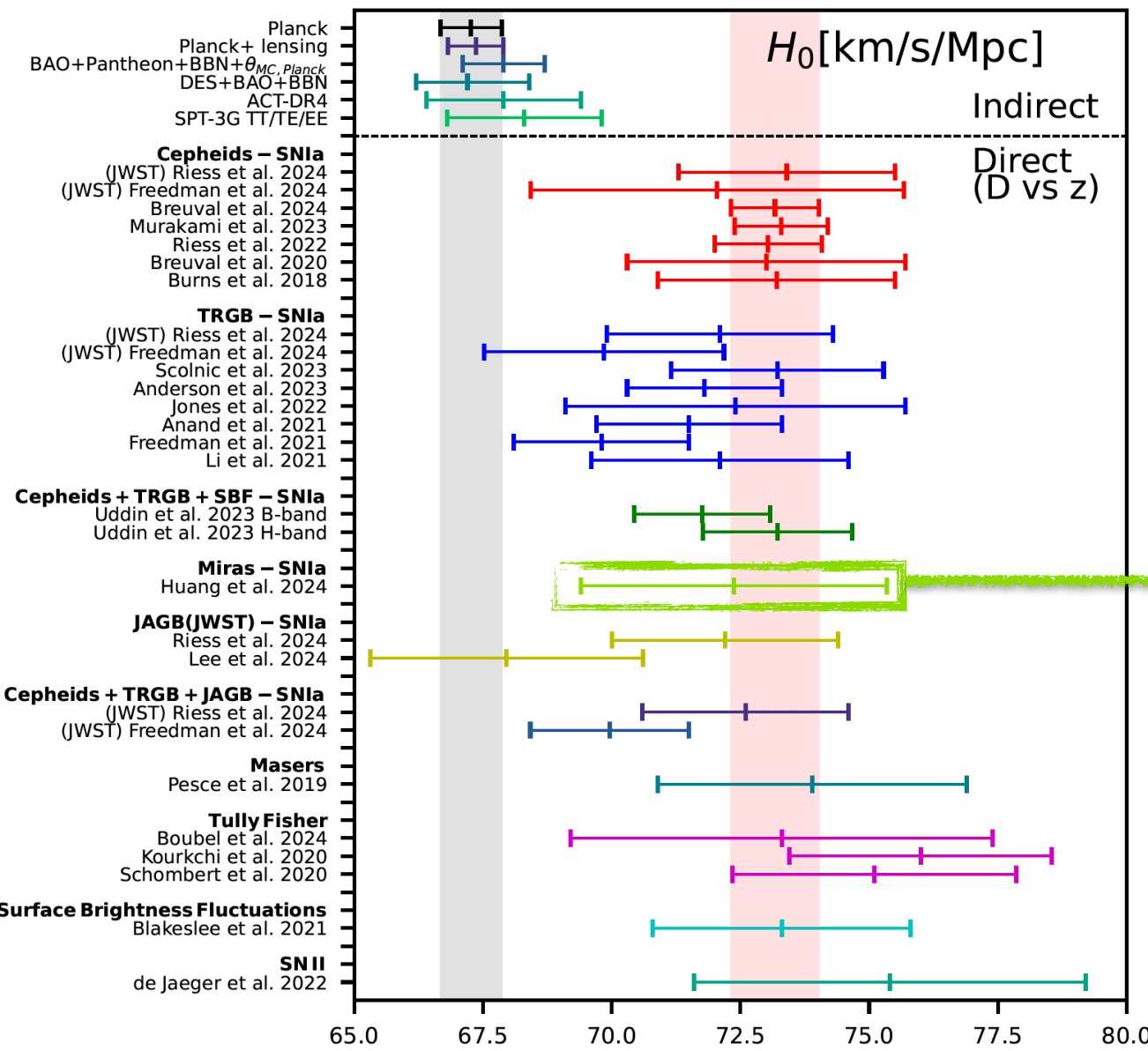
Carnegie Supernova Project:
Measurements of H0 using
Cepheids, TRGB, and SBF
Distance Calibration
to Type Ia Supernovae

$$H_0 = 71.76 \pm 1.32 \text{ km/s/Mpc}$$

$$H_0 = 73.22 \pm 1.45 \text{ km/s/Mpc}$$

Uddin et al., arXiv:2308.01875

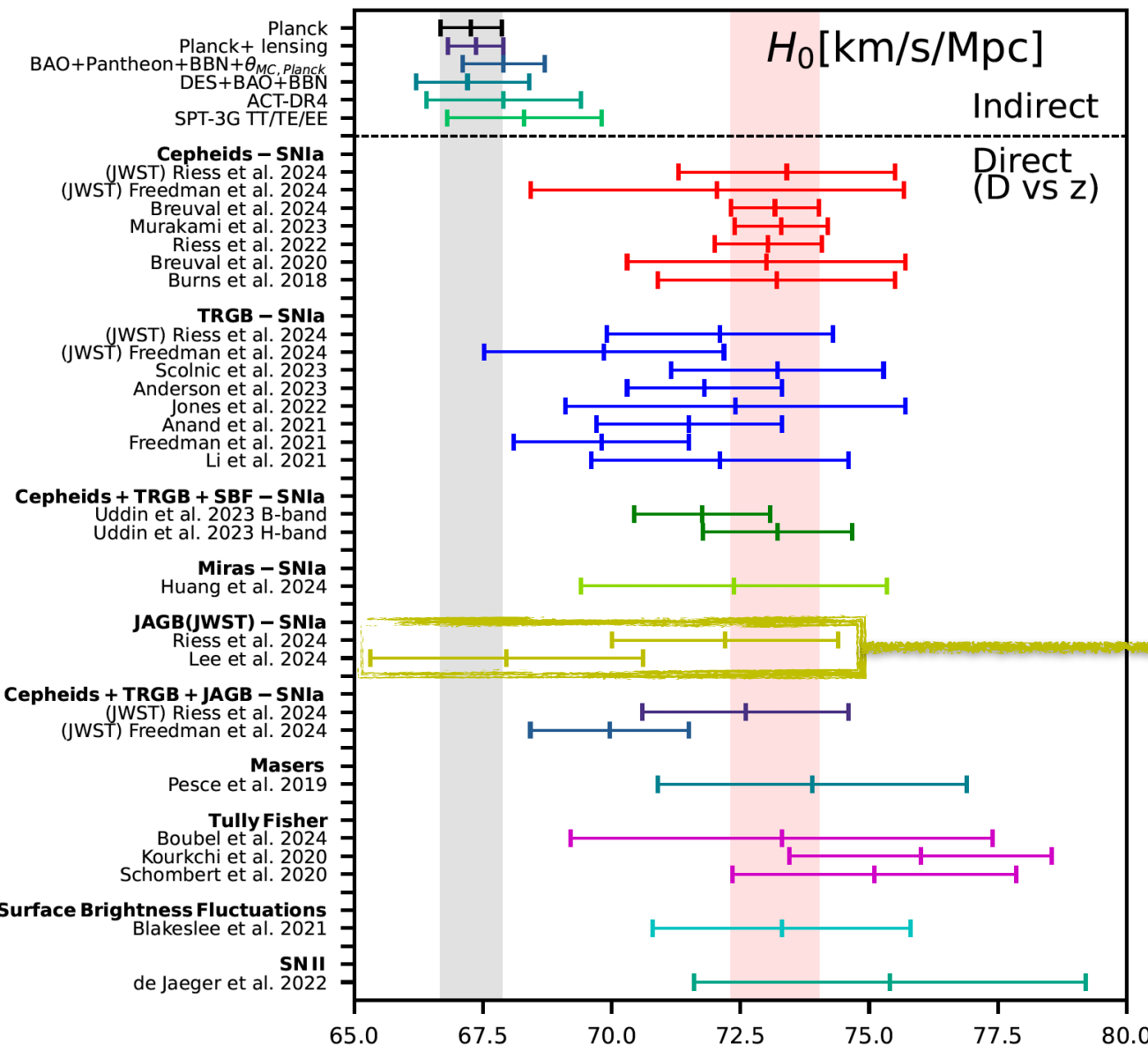
Latest H0 measurements



MIRAS
variable red giant stars from
older stellar populations

$H_0 = 72.37 \pm 2.97$ km/s/Mpc
Huang et al., arXiv:2312.08423]

Latest H0 measurements



JAGB

The J-regions of the Asymptotic Giant Branch is expected from stellar theory to be populated by thermally-pulsing carbon-rich dust-producing asymptotic giant branch stars.

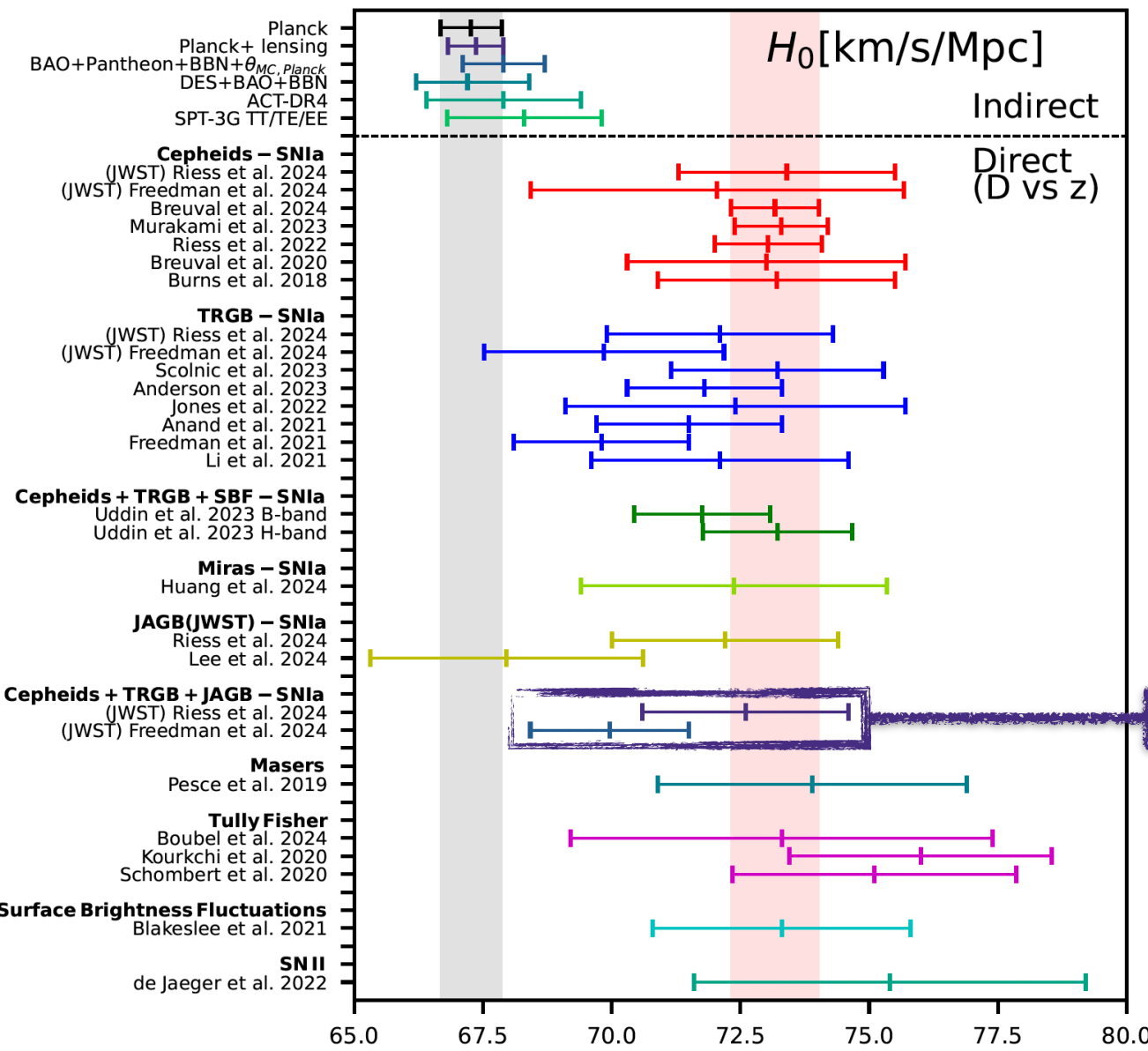
$H_0 = 72.2 \pm 2.2 \text{ km/s/Mpc}$

Riess et al., arXiv: 2408.11770

$H_0 = 67.96 \pm 2.65 \text{ km/s/Mpc}$

Lee et al., arXiv:2408.03474

Latest H0 measurements



Measurements of H0 using Cepheids, TRGB, and JAGB Distance Calibration to Type Ia Supernovae from JWST

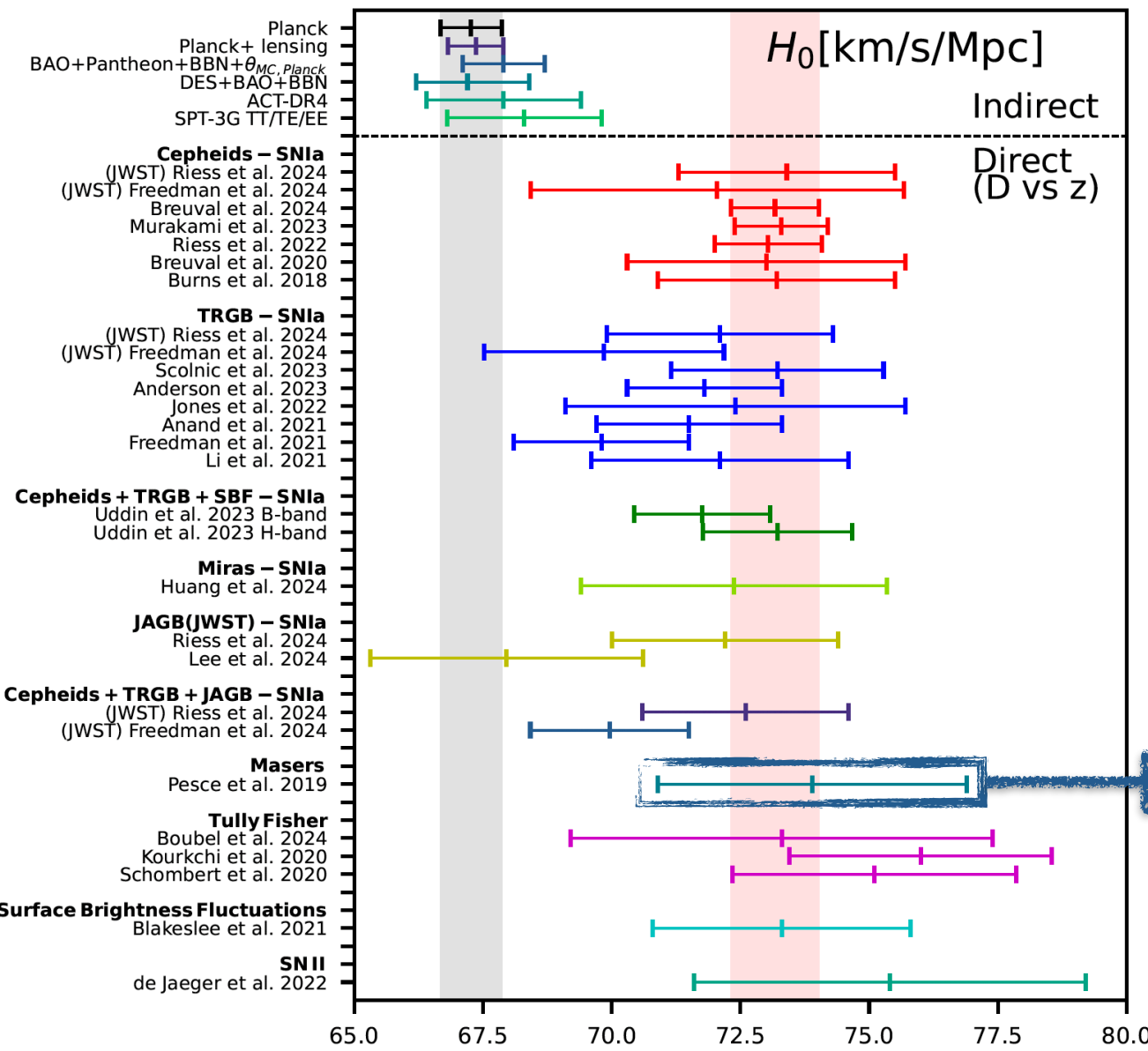
$$H_0 = 72.6 \pm 2.0 \text{ km/s/Mpc}$$

Riess et al., arXiv: 2408.11770

$$H_0 = 69.96 \pm 1.54 \text{ km/s/Mpc}$$

Freedman et al., arXiv:2408.06153

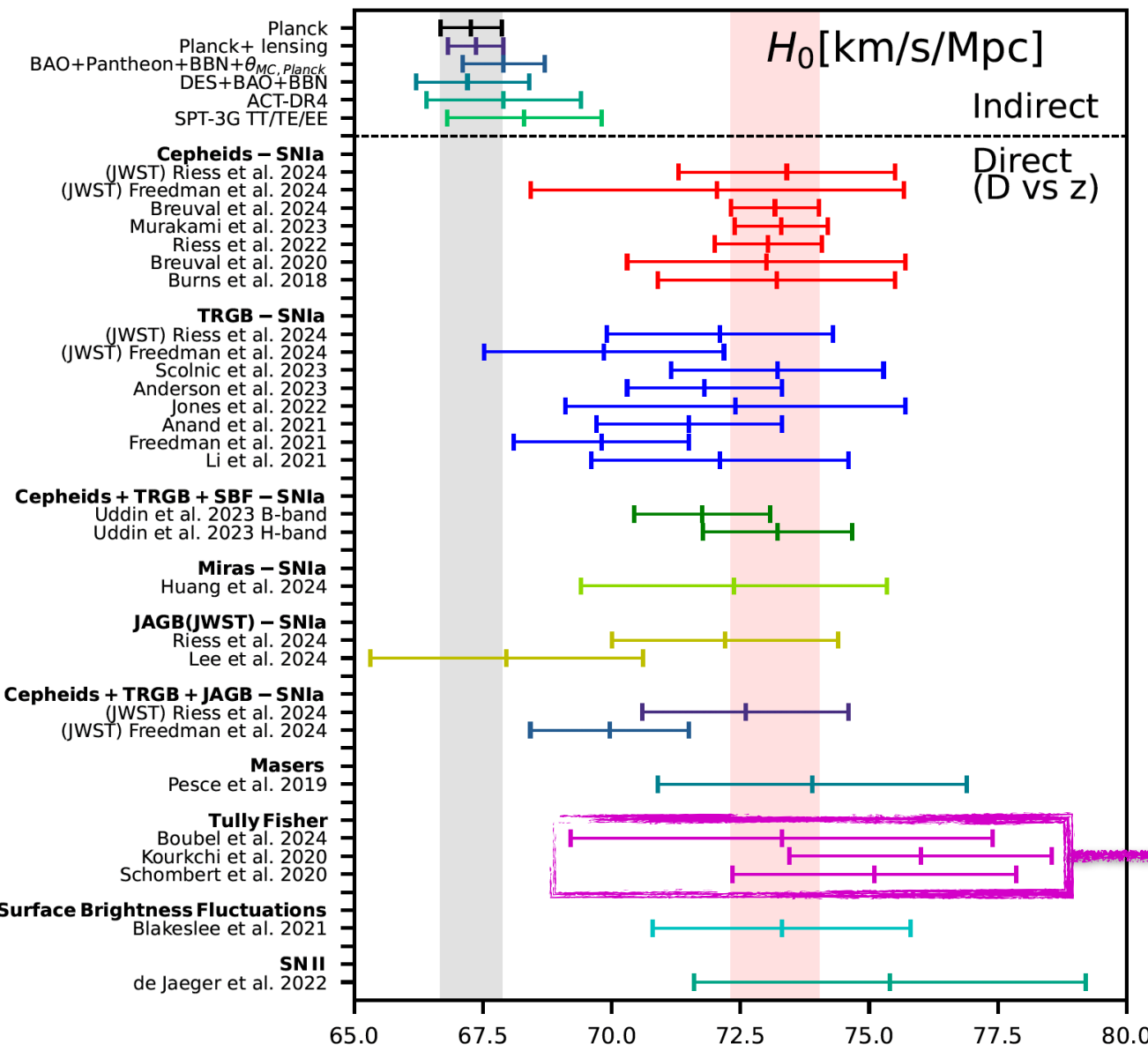
Latest H0 measurements



$H_0 = 73.9 \pm 3.0$ km/s/Mpc
 Pesce et al. arXiv:2001.09213

The Megamaser Cosmology Project measures H0 using geometric distance measurements to six Megamaser - hosting galaxies. This approach avoids any distance ladder by providing geometric distance directly into the Hubble flow.

Latest H0 measurements



$$H_0 = 73.3 \pm 4.1 \text{ km/s/Mpc}$$

Boubel et al. arXiv:2408.03660

$$H_0 = 76.00 \pm 2.55 \text{ km/s/Mpc}$$

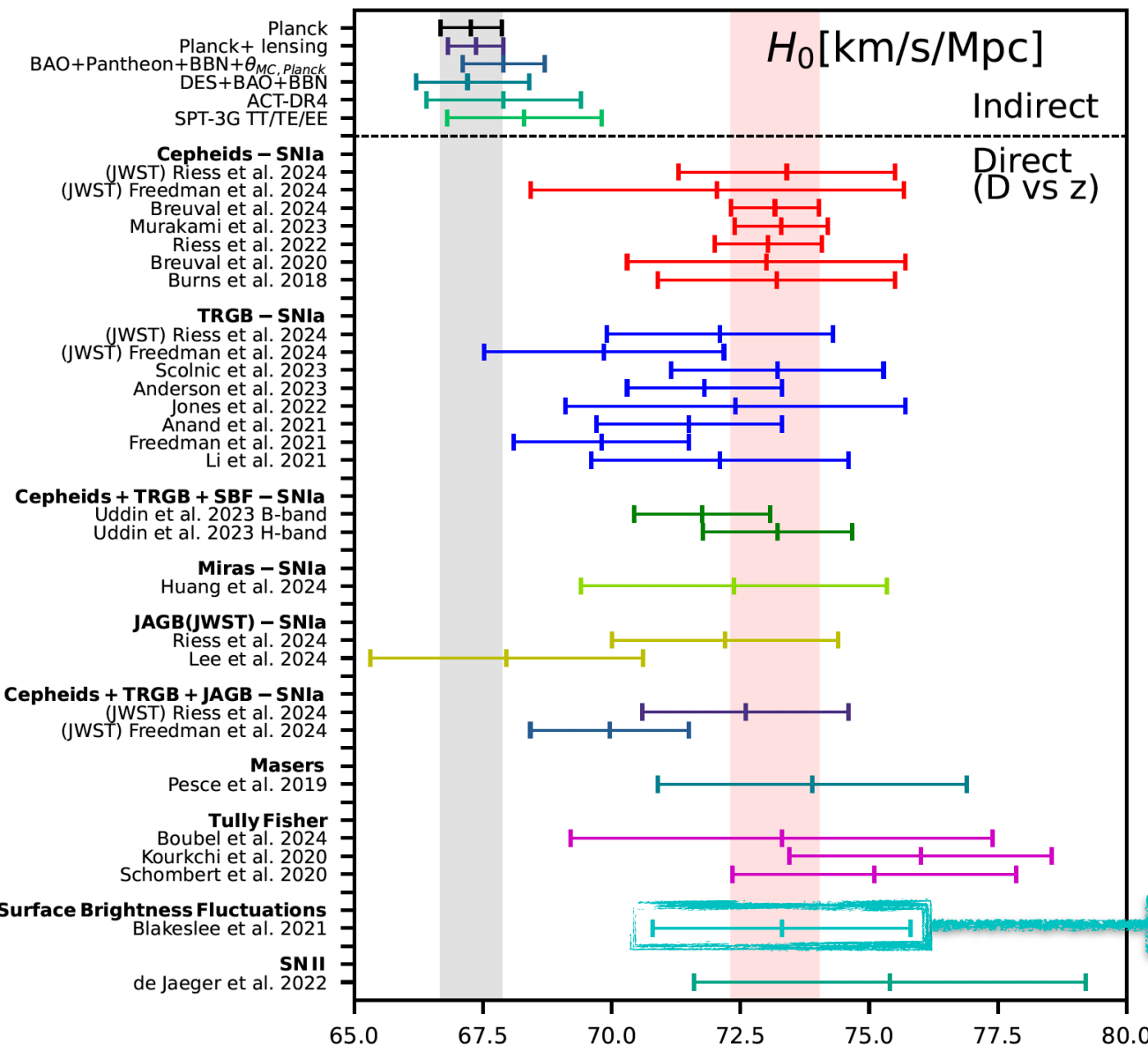
Kourkchi et al. arXiv:2004.14499

$$H_0 = 75.10 \pm 2.75 \text{ km/s/Mpc}$$

Schombert et al. arXiv:2006.08615

Tully-Fisher Relation
(based on the correlation between the rotation rate of spiral galaxies and their absolute luminosity or total baryonic mass, and using as calibrators Cepheids and TRGB)

Latest H0 measurements

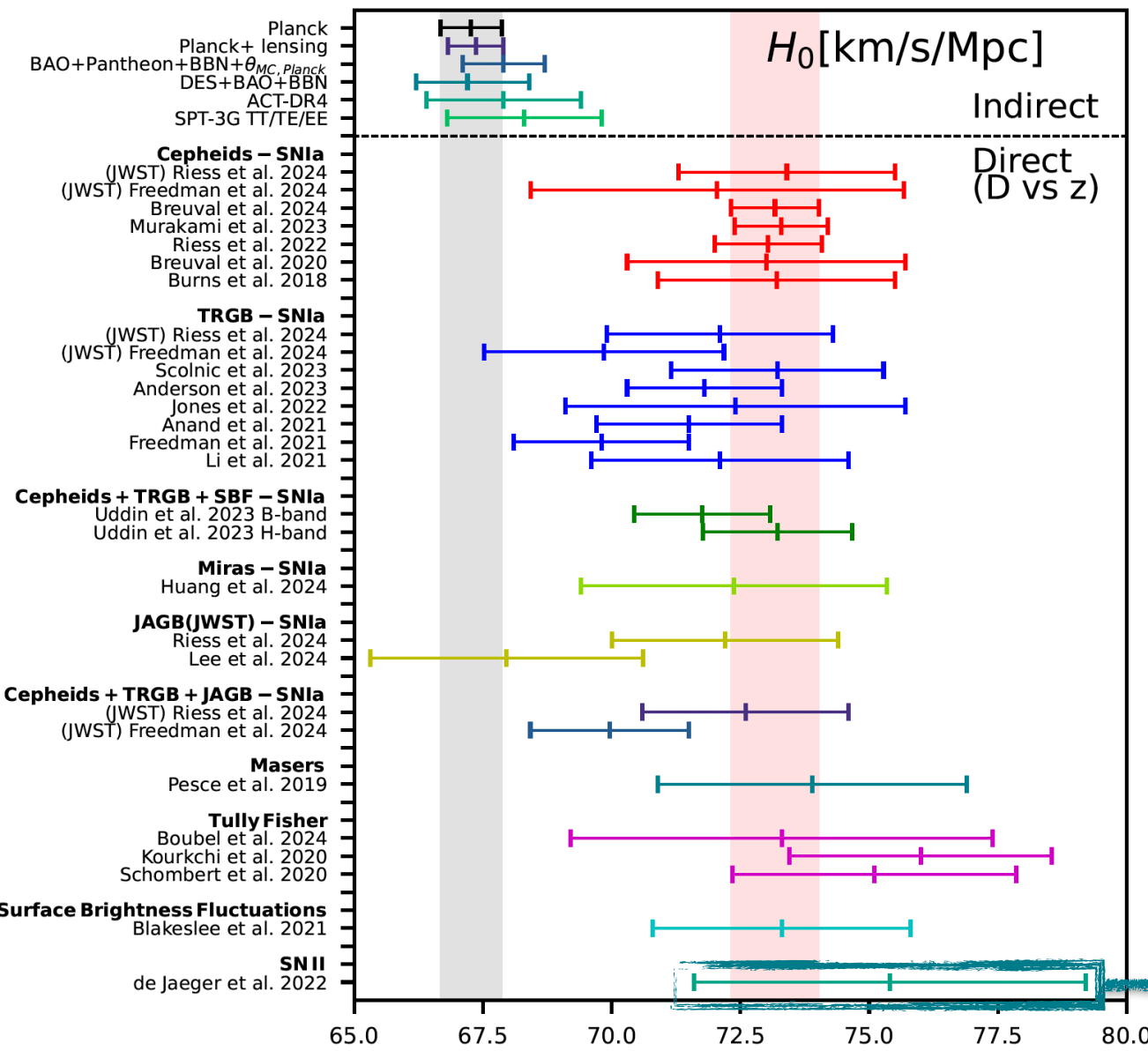


$H_0 = 73.3 \pm 2.5 \text{ km/s/Mpc}$

Blakeslee et al., arXiv:2101.02221

Surface Brightness
Fluctuations
(substitutive distance ladder
for long range indicator,
calibrated by both Cepheids
and TRGB)

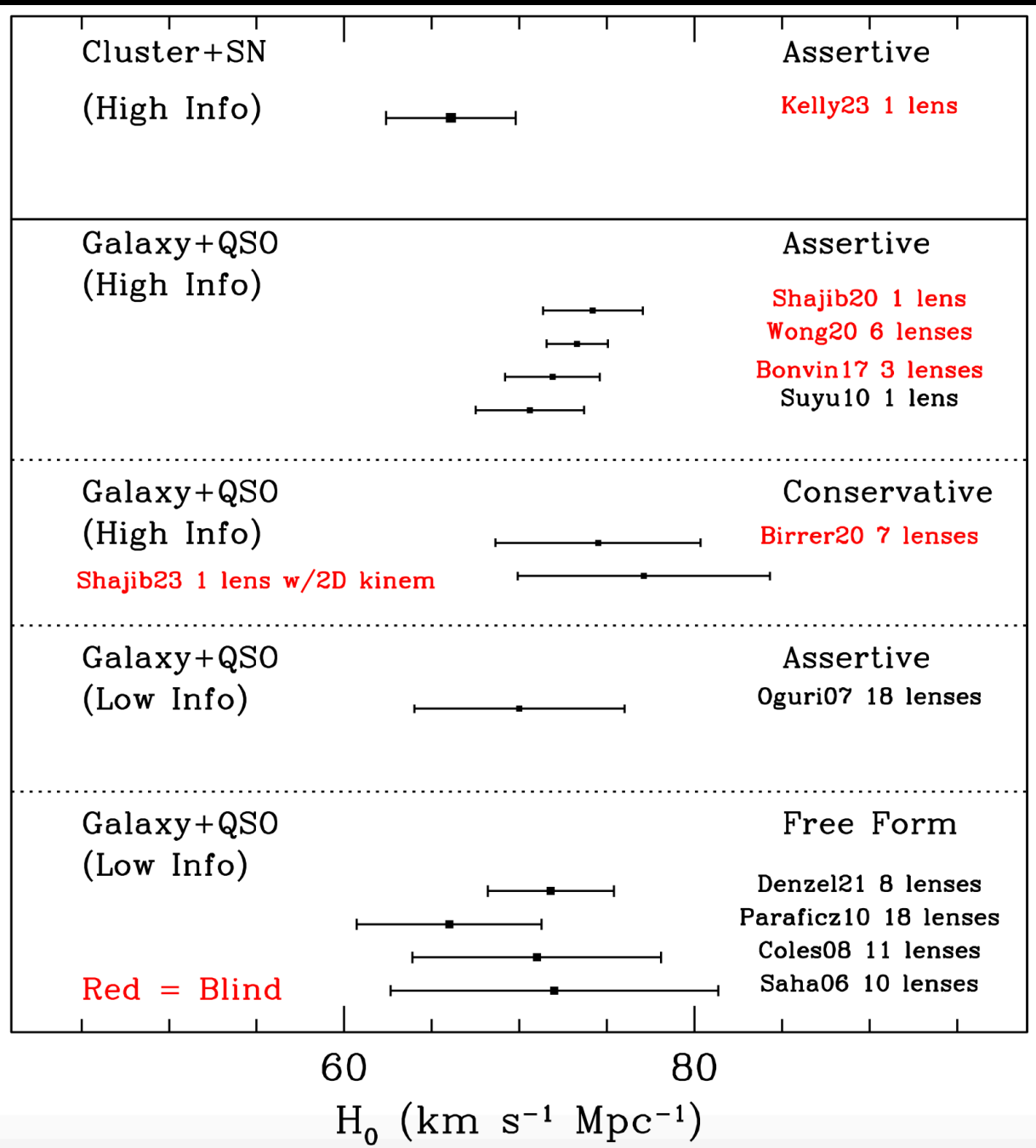
Latest H0 measurements



$$H_0 = 75.4^{+3.8}_{-3.7} \text{ km/s/Mpc}$$

de Jaeger et al., arXiv:2203.08974

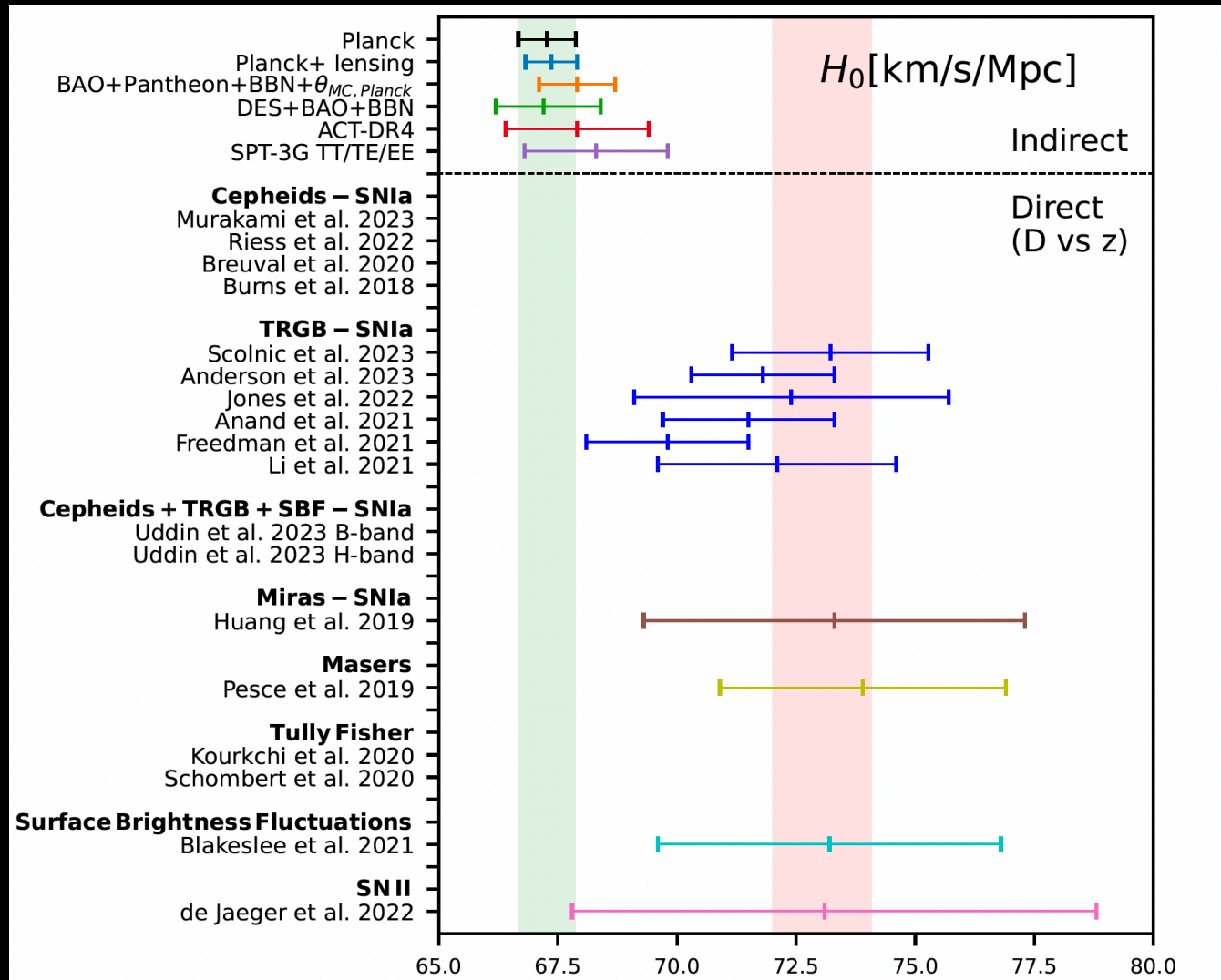
Type II supernovae
used as standardisable
candles and calibrated by
both Cepheids and TRGB



Measurements of the time delays of multiple images of quasar or SN systems caused by the strong gravitational lensing from a foreground galaxy.
 Uncertainties coming from the lens mass profile.

Astrophysical model dependent

Late universe measurements since 2020



Cepheids independent

DES Y1 + KiDS-1000 from peak count statistics

4.1 σ disagreement

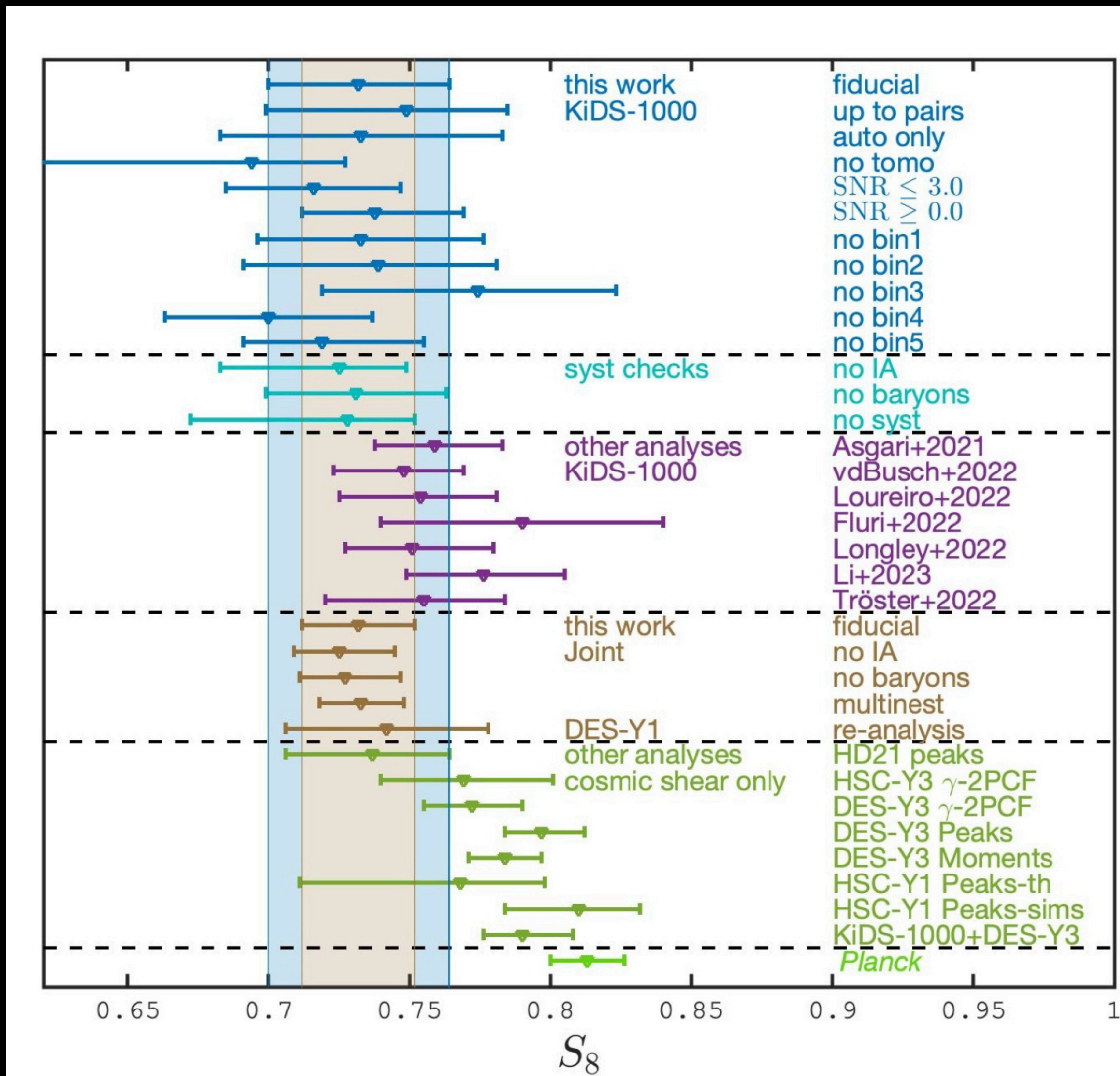


Figure 10. Summary of S_8 constraints from this work, from recent cosmic shear data analyses and from *Planck*. This figure shows the projected 1σ errors.

BAO measurements

To simplify let's consider an ensemble of galaxy pairs at a specific redshift z .

When the pairs are oriented **across the line-of-sight**, a preferred angular separation of galaxies $\Delta\theta$ can be observed. This allows us to measure the comoving distance **$DM(z) = rd/\Delta\theta$** to this redshift, which is an integrated quantity of the expansion rate of the universe.

$$D_M(z) = \frac{c}{H_0} \int_0^z dz' \frac{H_0}{H(z')}$$

The angular diameter distance will be **$DA(z) = DM(z)/(1+z)$** .

Conversely, when the pairs are aligned **along the line-of-sight**, a preferred redshift separation Δz can be observed. This measures a comoving distance interval that, for small values, provides a redshift dependent measurement of the Hubble parameter, represented by the equivalent distance variable **$DH(z) = c/H(z) = rd/\Delta z$** .

Hence BAO measurements constrain the quantities $DM(z)/rd$ and $DH(z)/rd$. This interpretation holds under standard assumptions and models similar to Λ CDM.

For measurements in redshift bins with **low signal-to-noise ratios**, the **angle-averaged quantity $DV(z)/rd$** can be constrained, where $DV(z)$ is the angle-average distance that represents the average of the distances measured along and perpendicular to the line-of-sight.

$$D_V(z) = (z D_M(z)^2 D_H(z))^{1/3}$$