

# Exploring new physics with the tip of the red giant branch

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arXiv:2309.06465



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Varun Muralidharan



Howard Hong

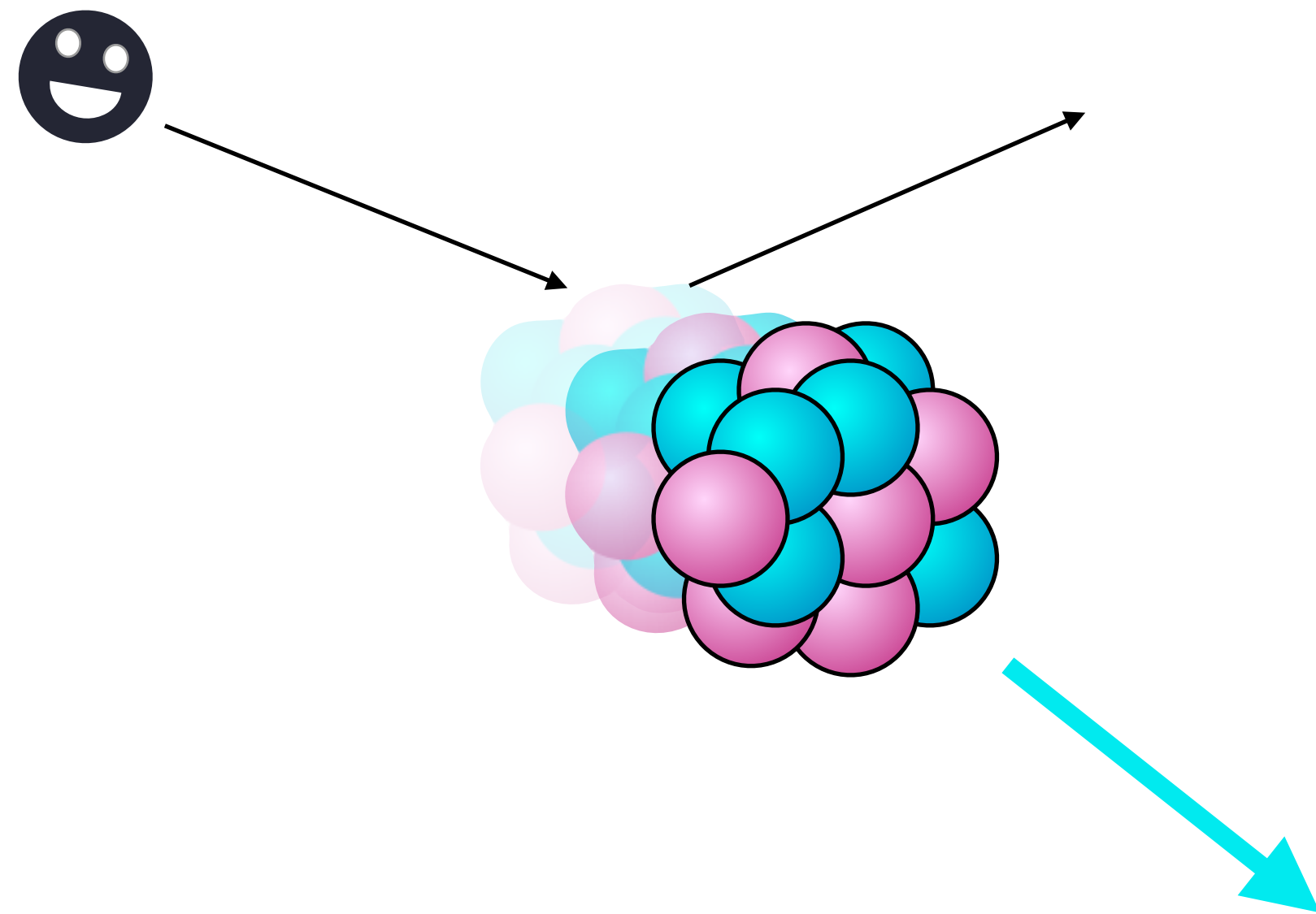
arXiv:2407.08773

# Plan

1. Dark matter igniting the TRGB
2. Energy loss to millicharged particles delaying the TRGB

# I. Dark matter and the red giants

# Dark matter-nucleus elastic scattering



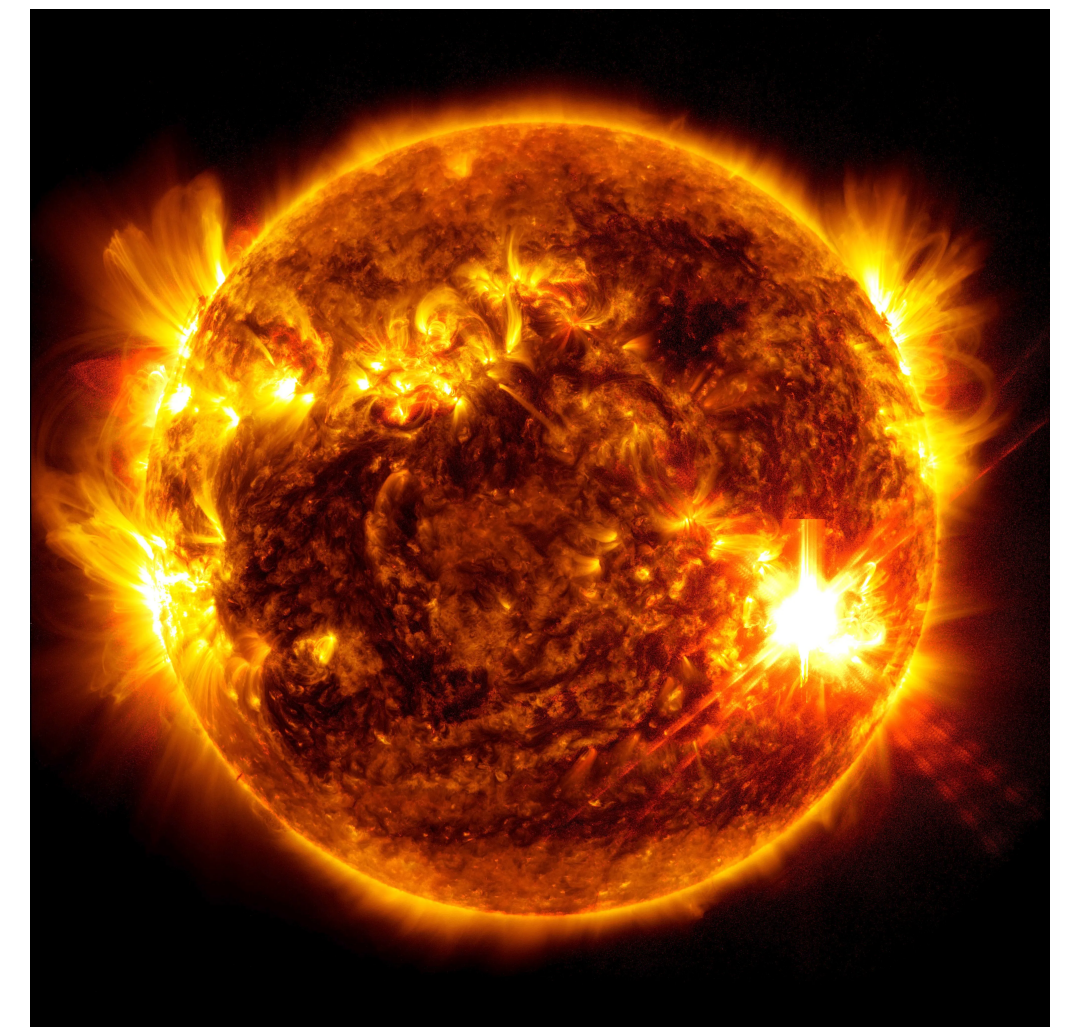
If this happens here

(a direct detection experiment)



It also happens here

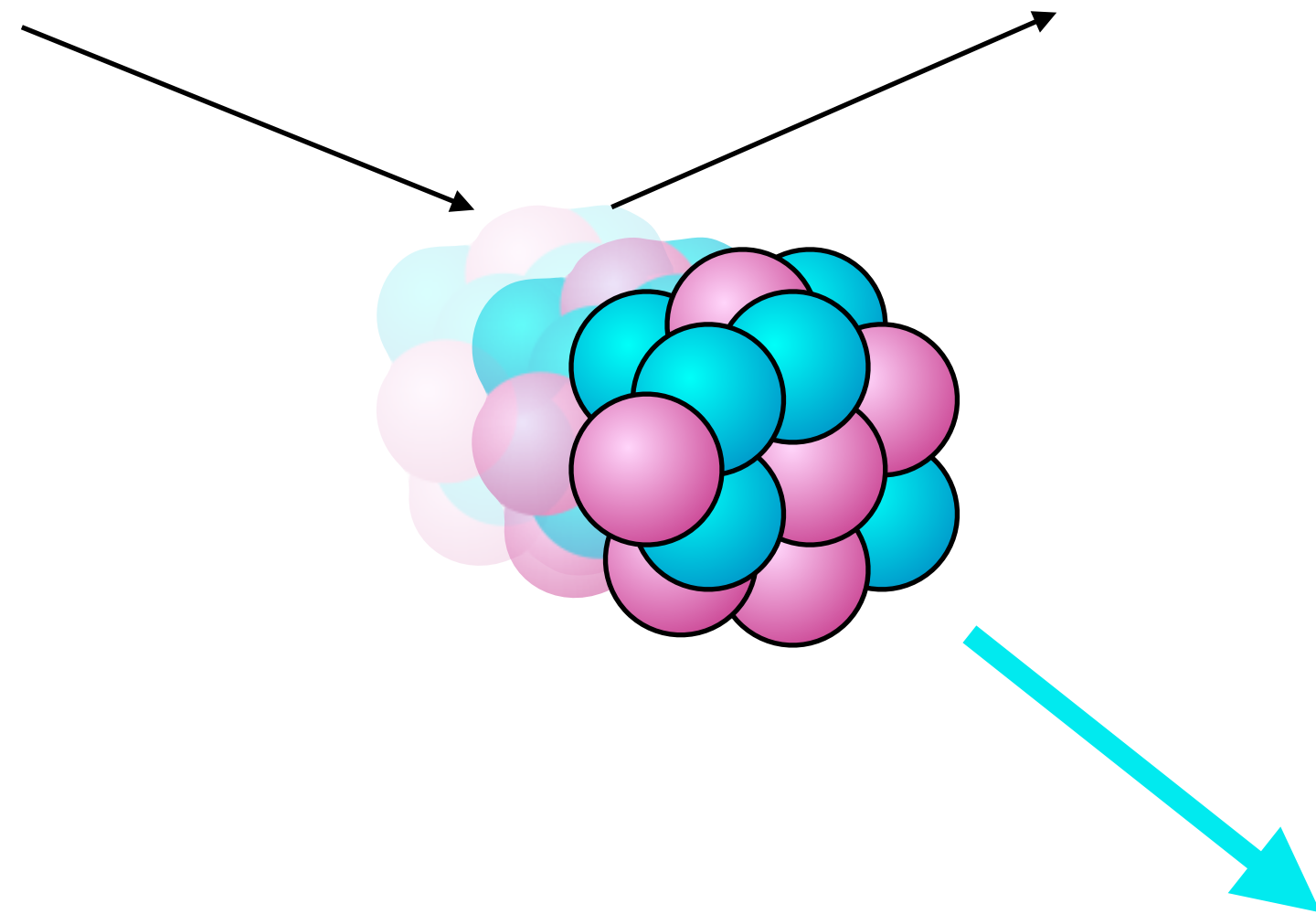
(a star)



# Dark matter-nucleus elastic scattering

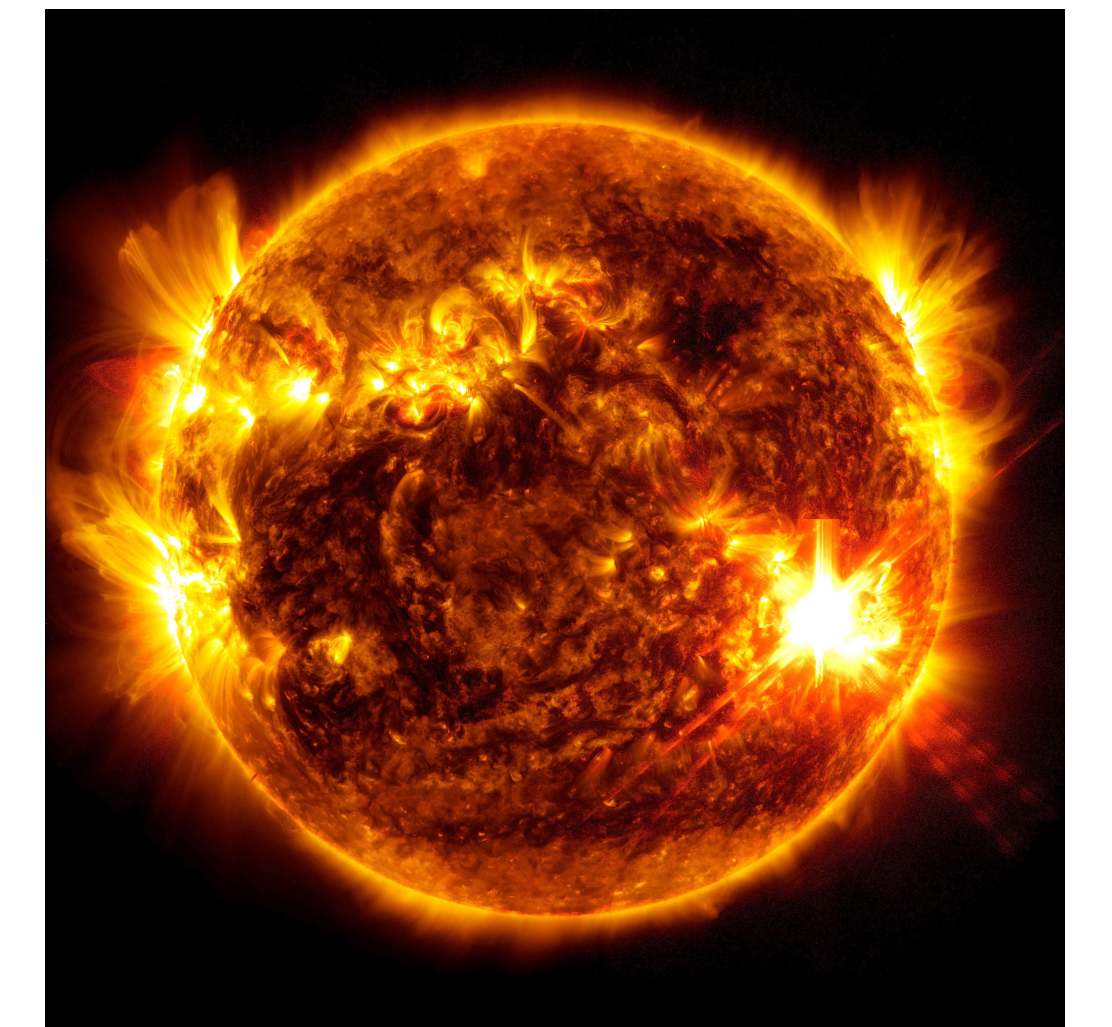
If this happens here

(a direct detection experiment)

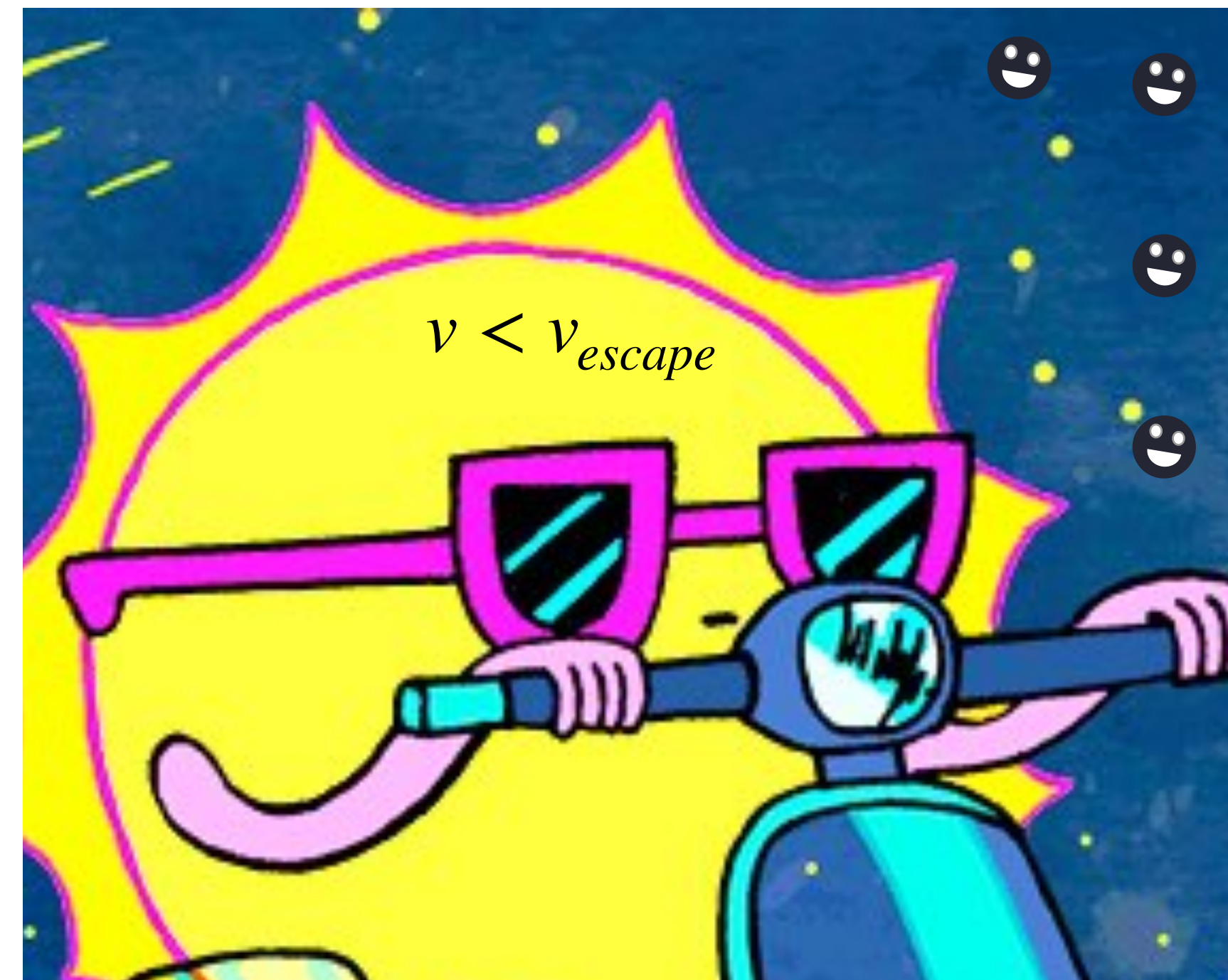
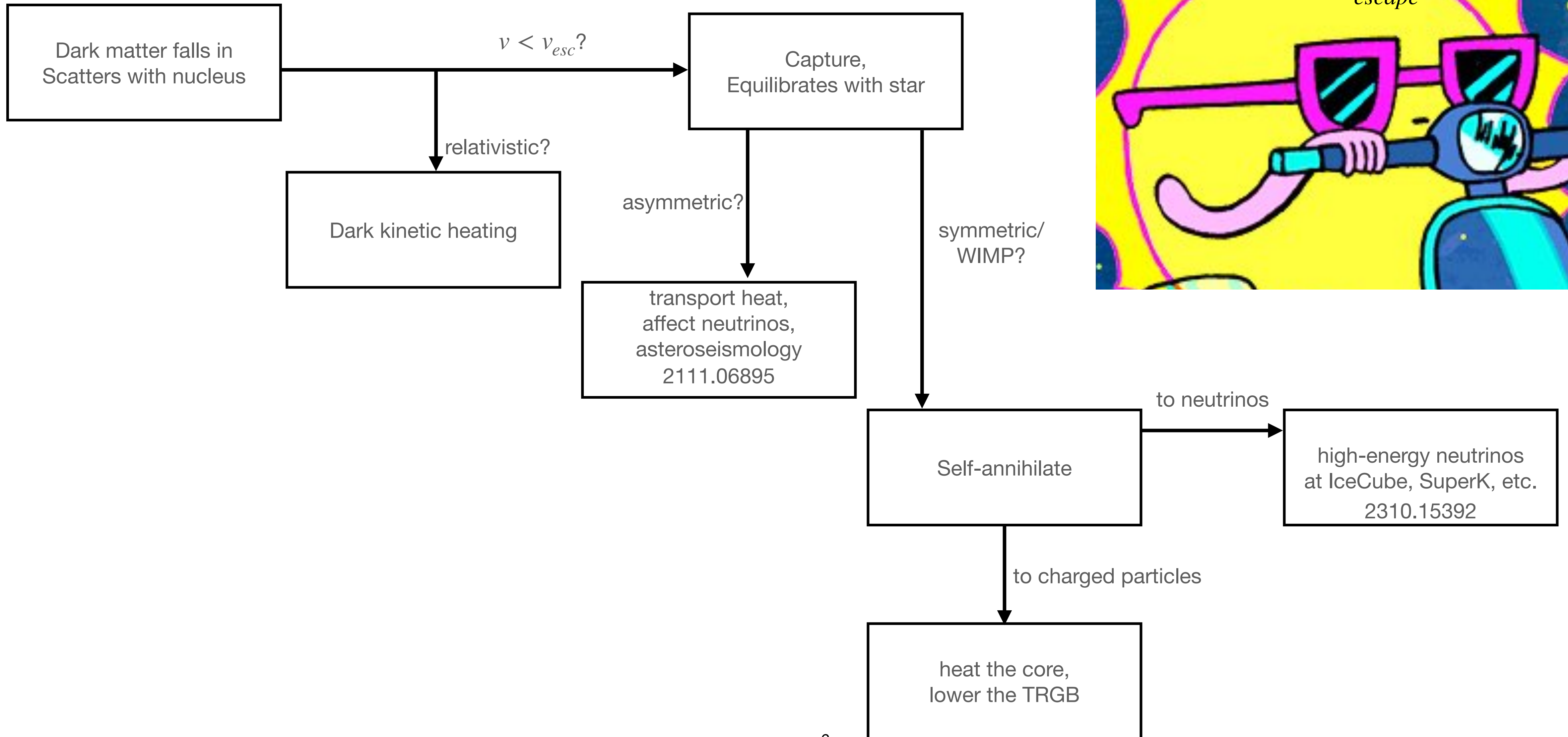


It also happens here

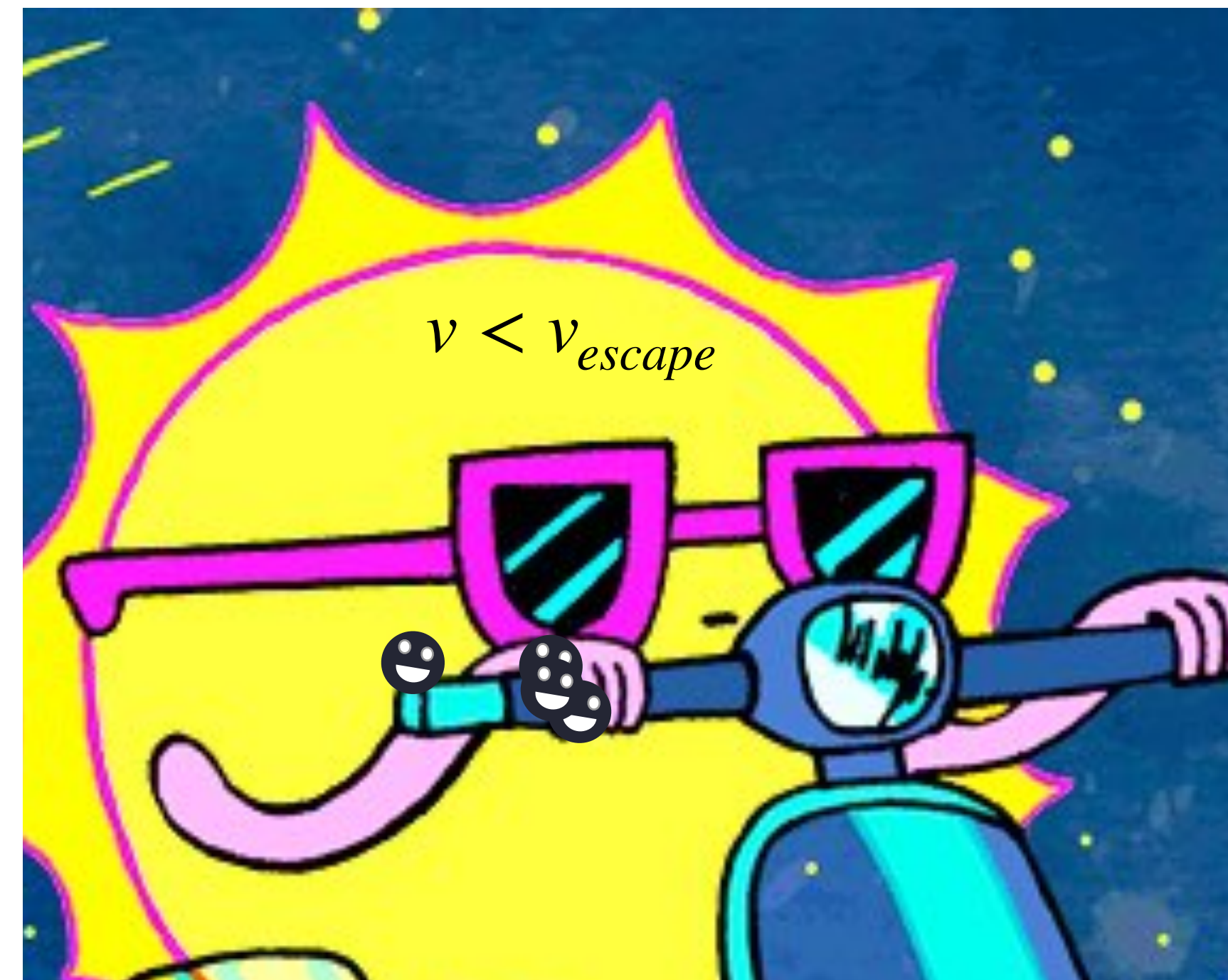
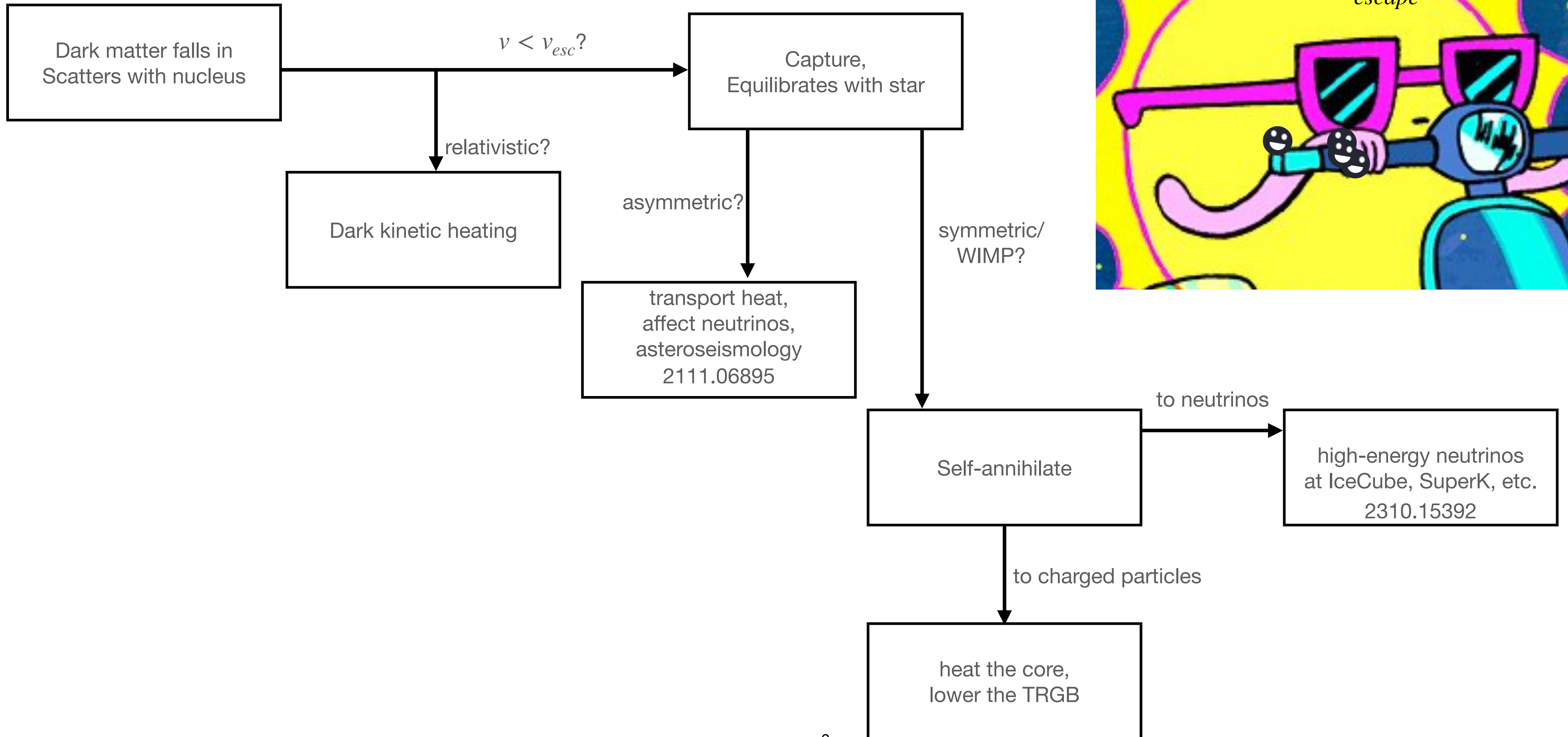
(a star)



# Dark matter in stars

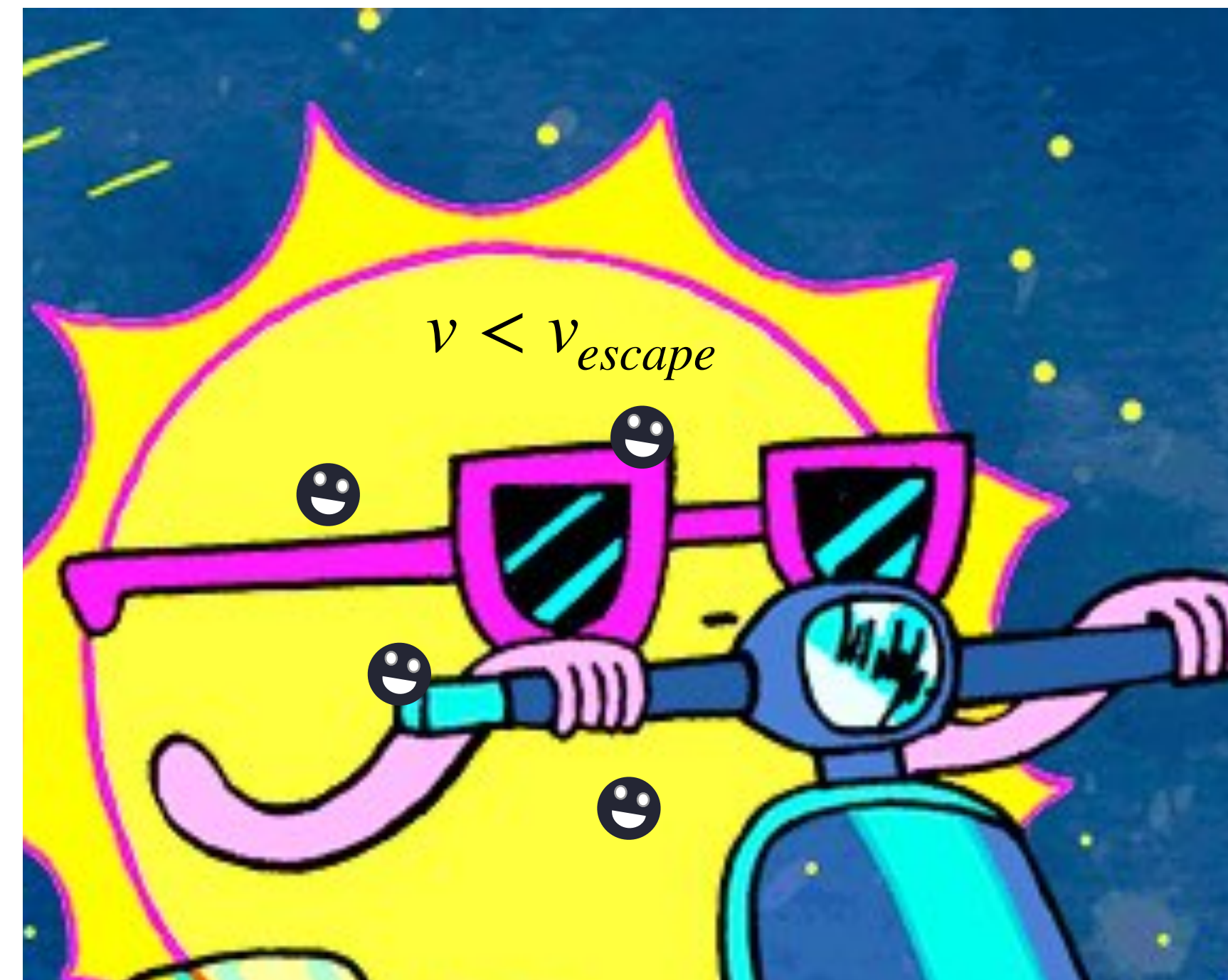
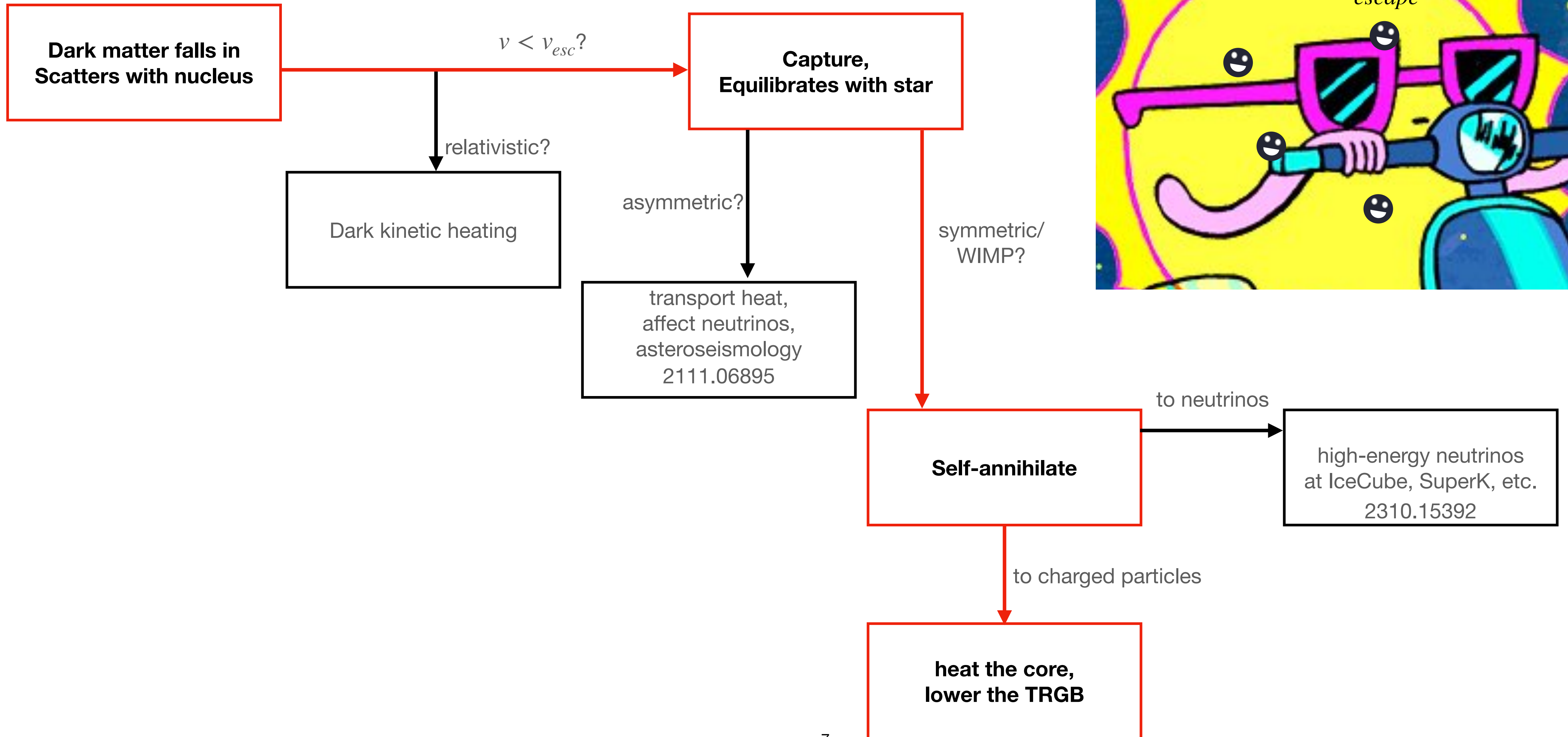


# Dark matter in stars





# Dark matter in stars

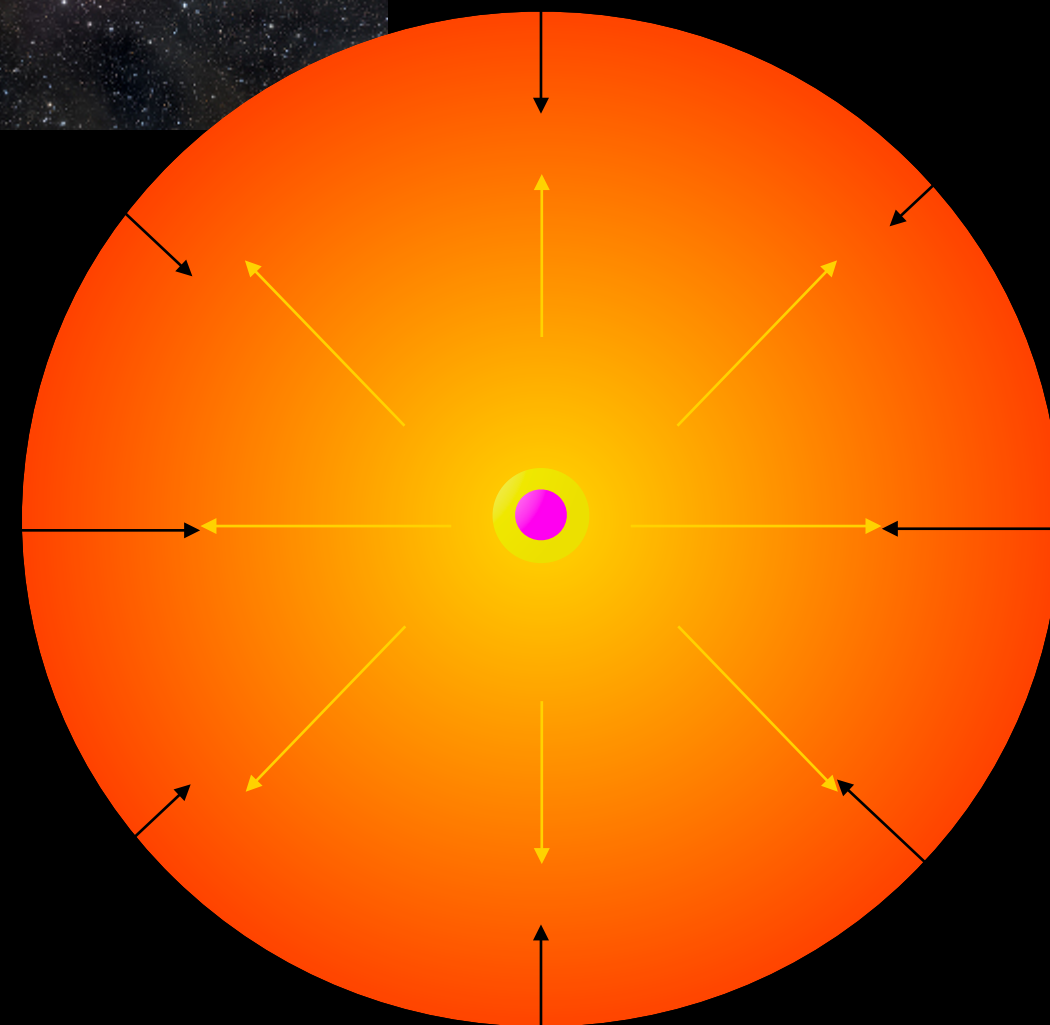


# Red giant branch

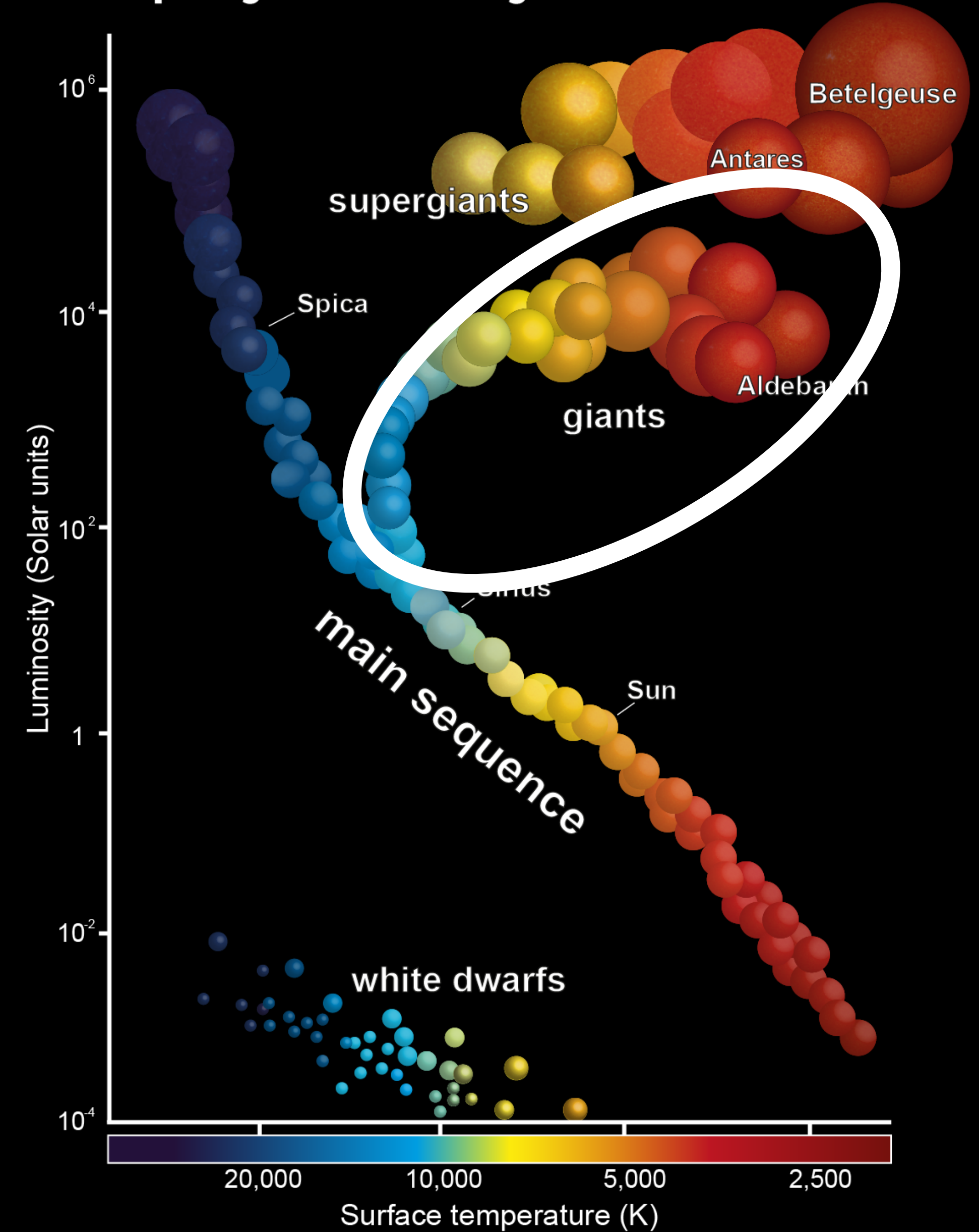


Rogelio Bernal Andreo  
www.DeepSkyColors.com

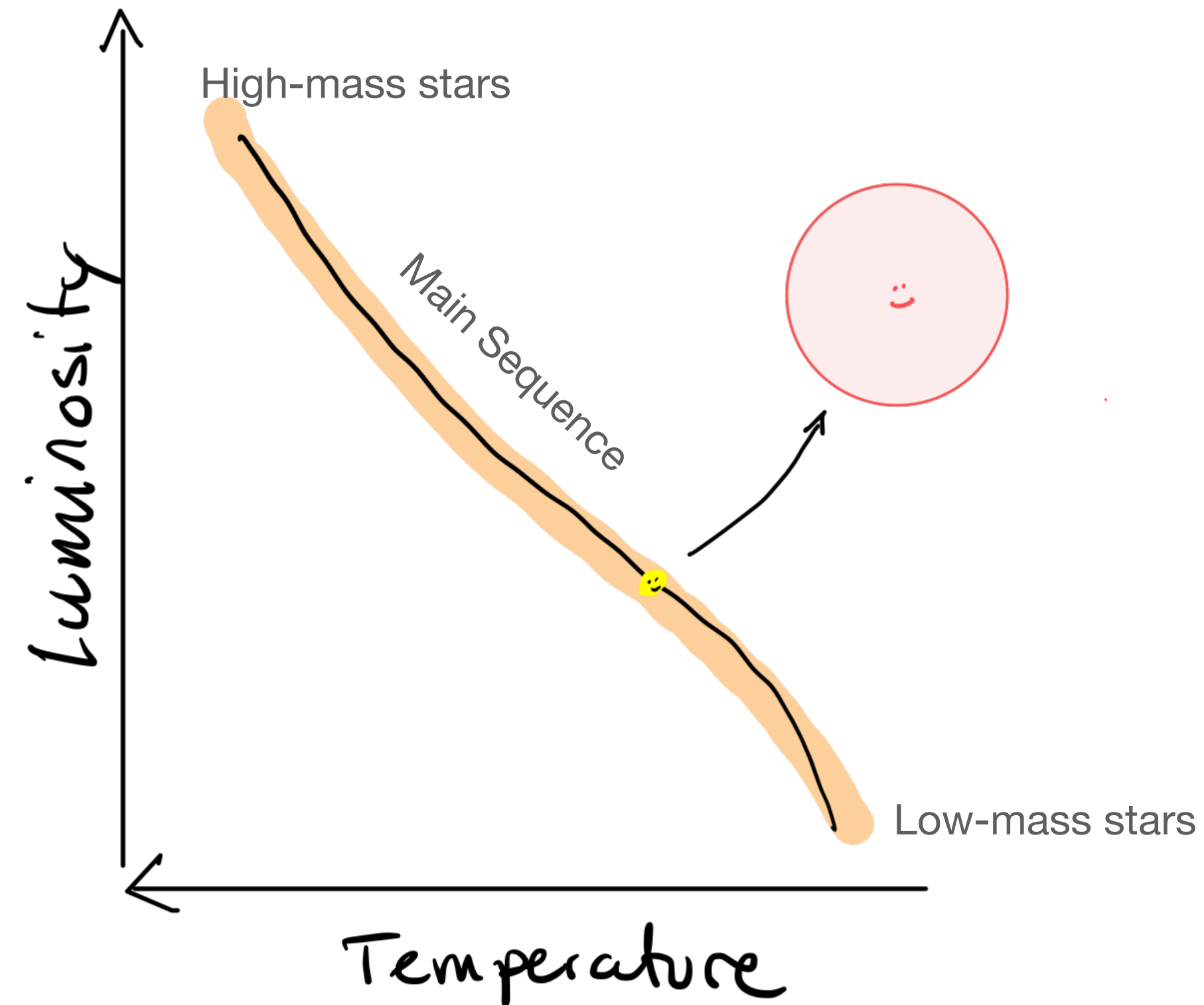
Helium core  
Hydrogen shell burning



## Hertzsprung–Russell Diagram



# Tip of the red giant branch

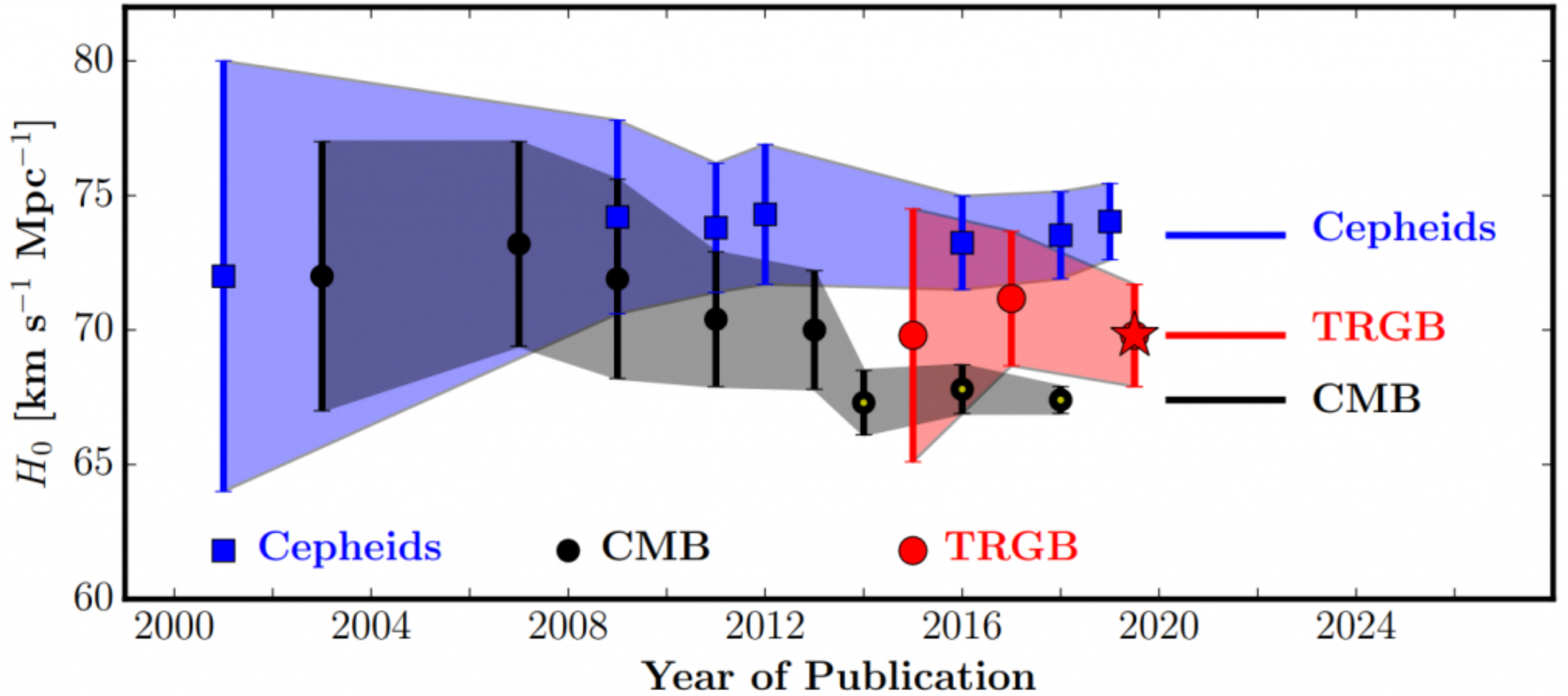


Stars on the **Main Sequence** are powered by hydrogen fusion into He

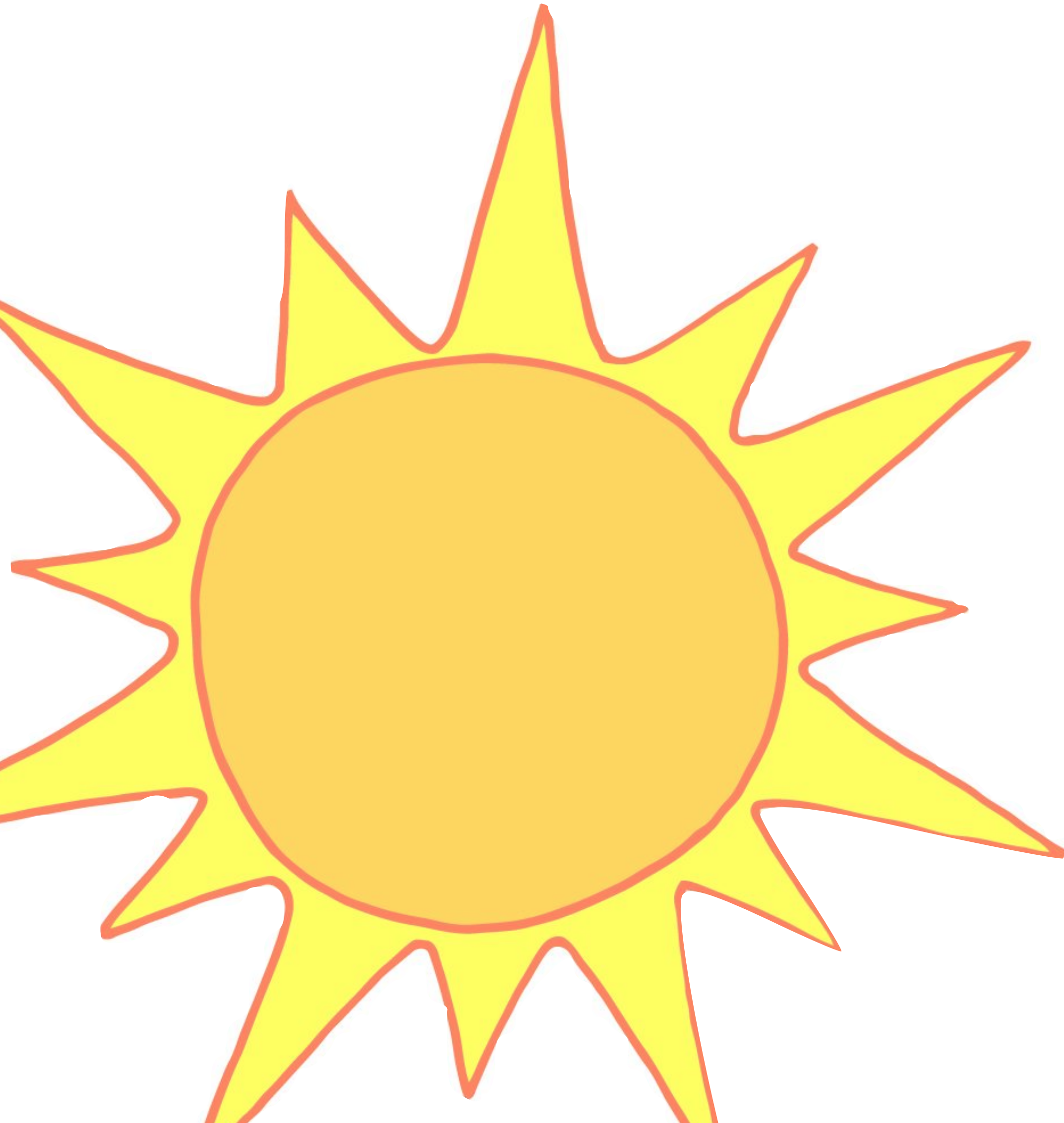
When H in the core is exhausted, they leave the main sequence and turn into **red giants**

The **tip of the red giant branch** is where the inert helium core ignites from heating to  $\sim 10^8$  K. It has an approximately constant luminosity across different stars — it is a **standard candle**

# Hubble Constant Over Time



# Igniting the TRGB early with WIMP dark matter



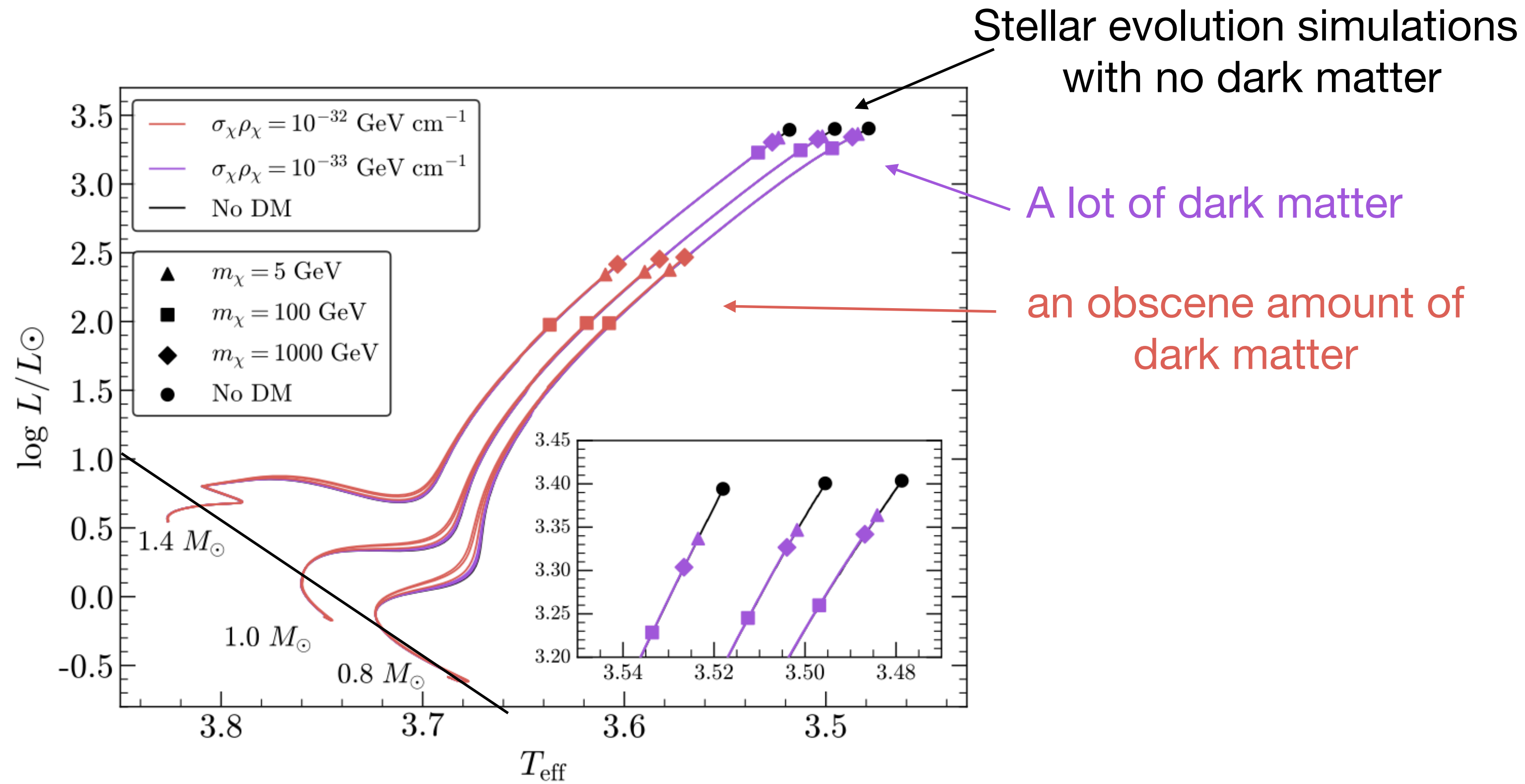
- When dark matter scatters in a star, it can fall below the local escape velocity
- Trapped particles can meet each other and annihilate
- Lopes & Lopes 2107.13885: dark matter capture and annihilation provides an extra source of heating (from everything except the neutrinos).
- This can lead to **premature ignition** of the helium core in a red giant star.

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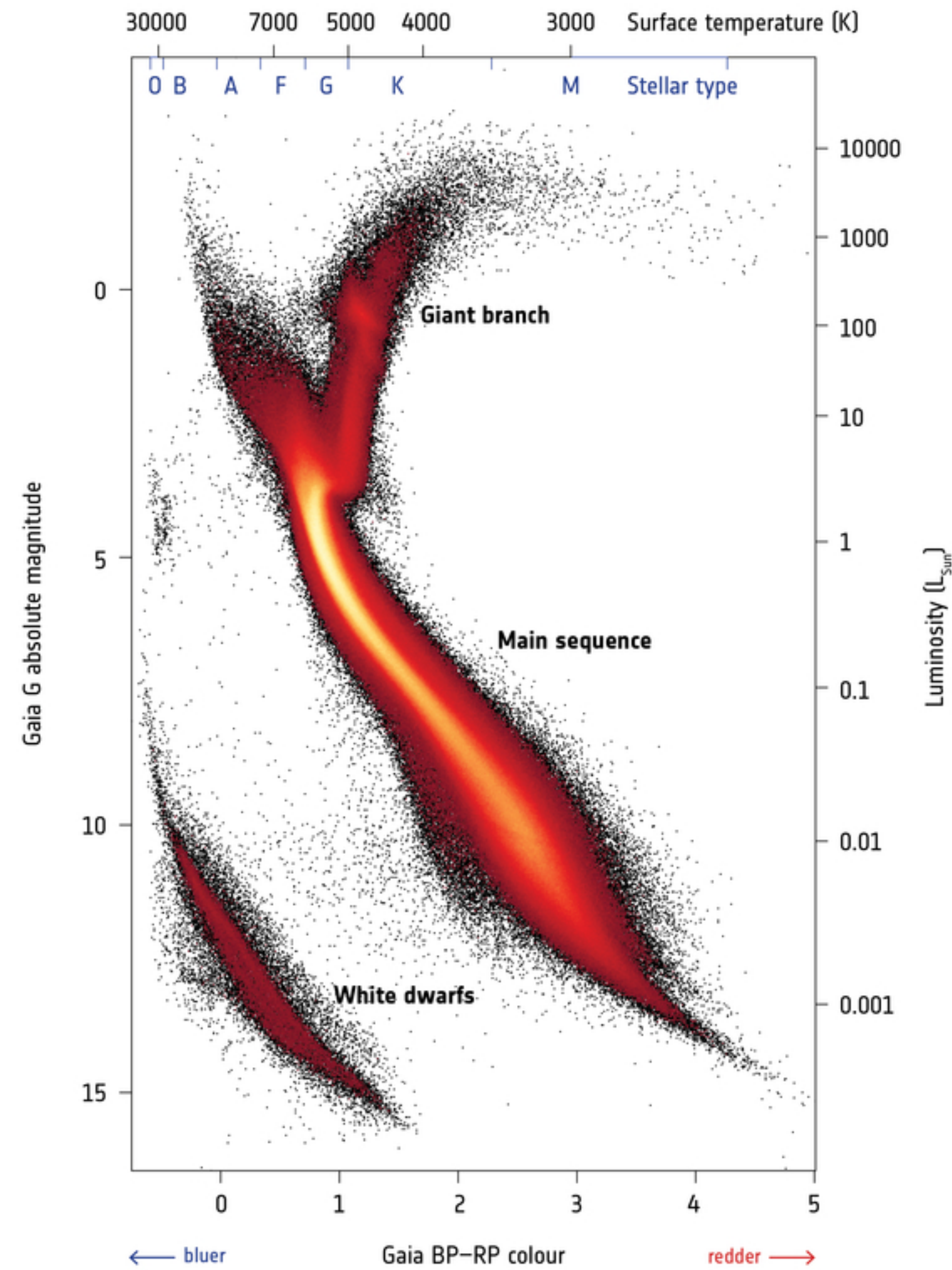
# Igniting the TRGB early with WIMP dark matter



How do we test this?

Lopes & Lopes 2107.13885

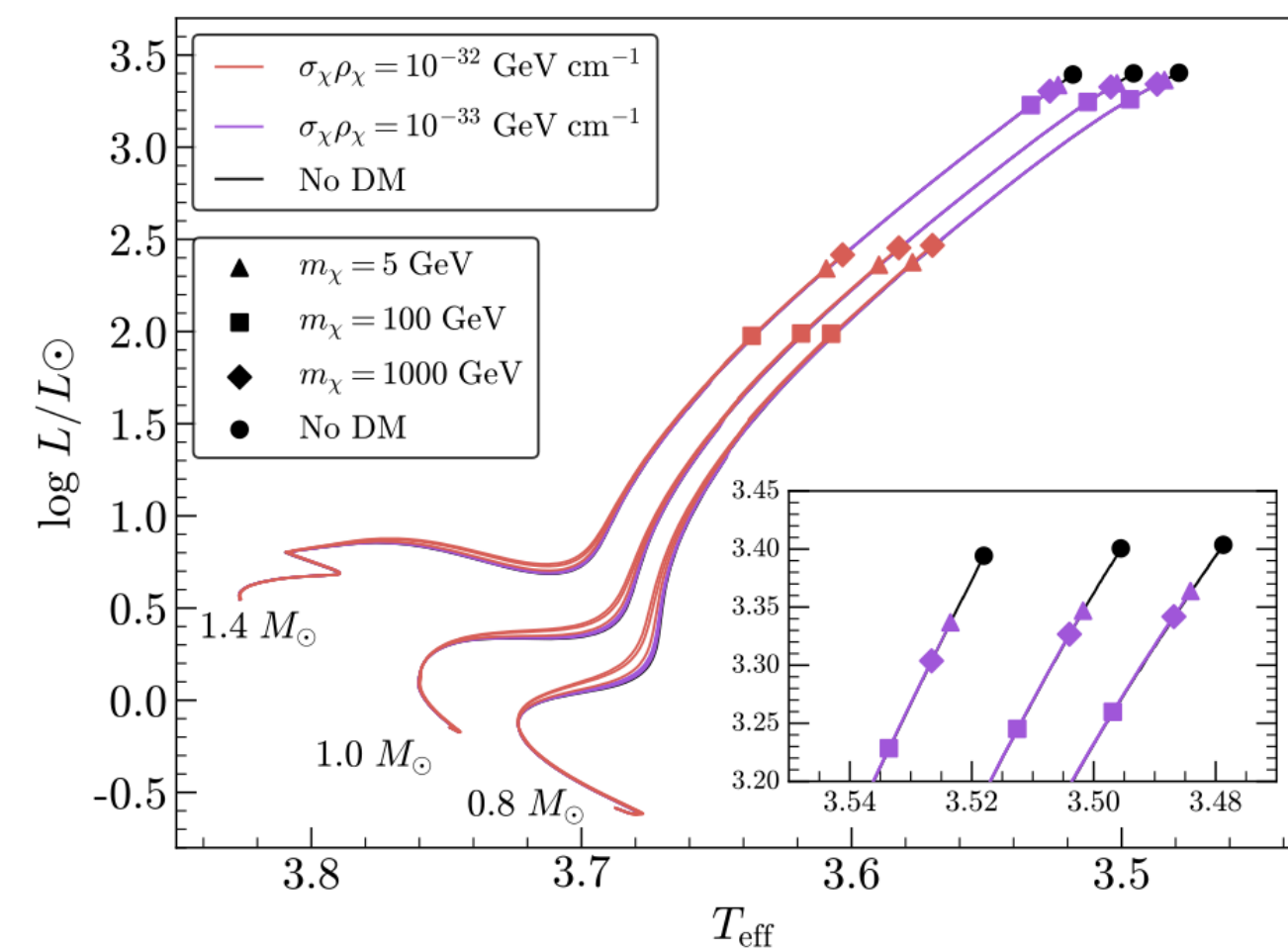
→ GAIA'S HERTZSPRUNG-RUSSELL DIAGRAM



The TRGB luminosity is constant over a ranager of stellar masses, **but** depends on metallicity

The Milky Way's disk (i.e. us) is a mess of stellar populations

Ideally, we would like to compare the TRGB at different locations, where stars sample different amounts of dark matter

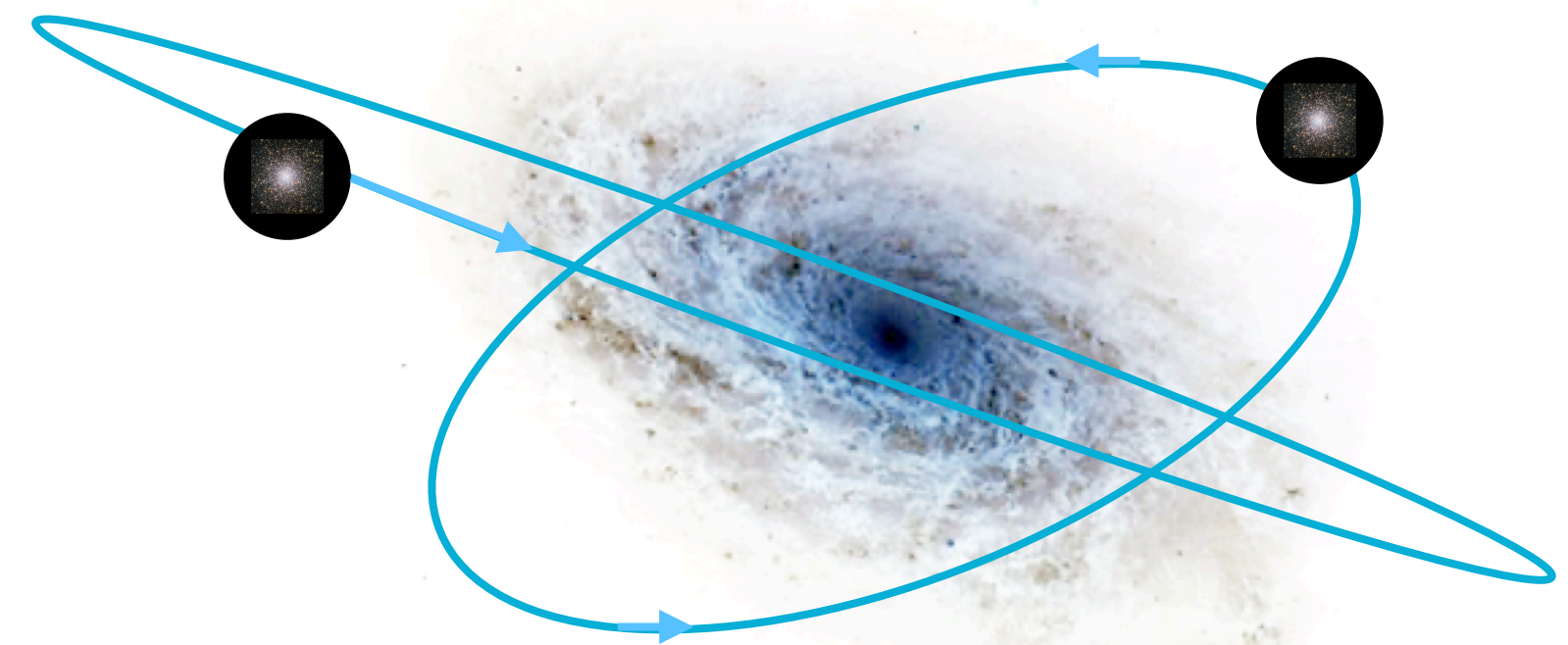
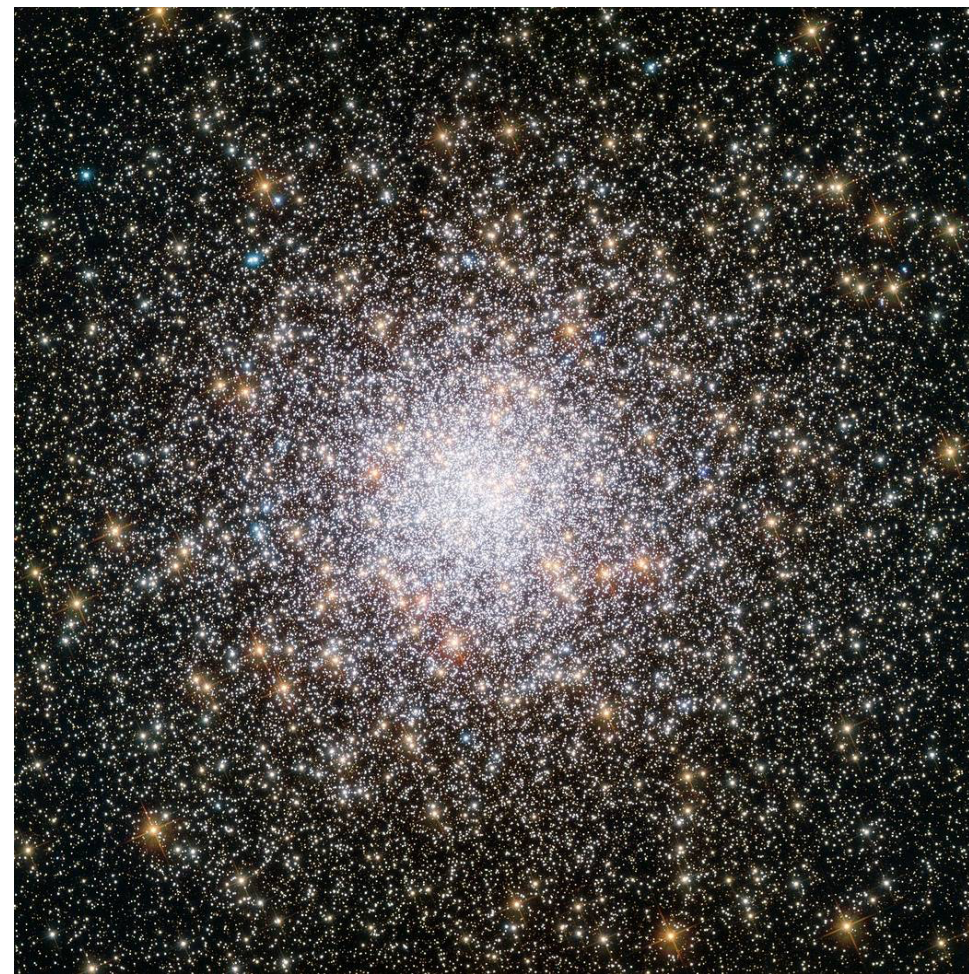




# Globular clusters

Look at globular clusters: populations of  $\gtrsim 10^6$  stars bound in the same orbit of the Milky Way Galaxy.

They are fairly homogeneous, each containing stars with similar ages and metallicities



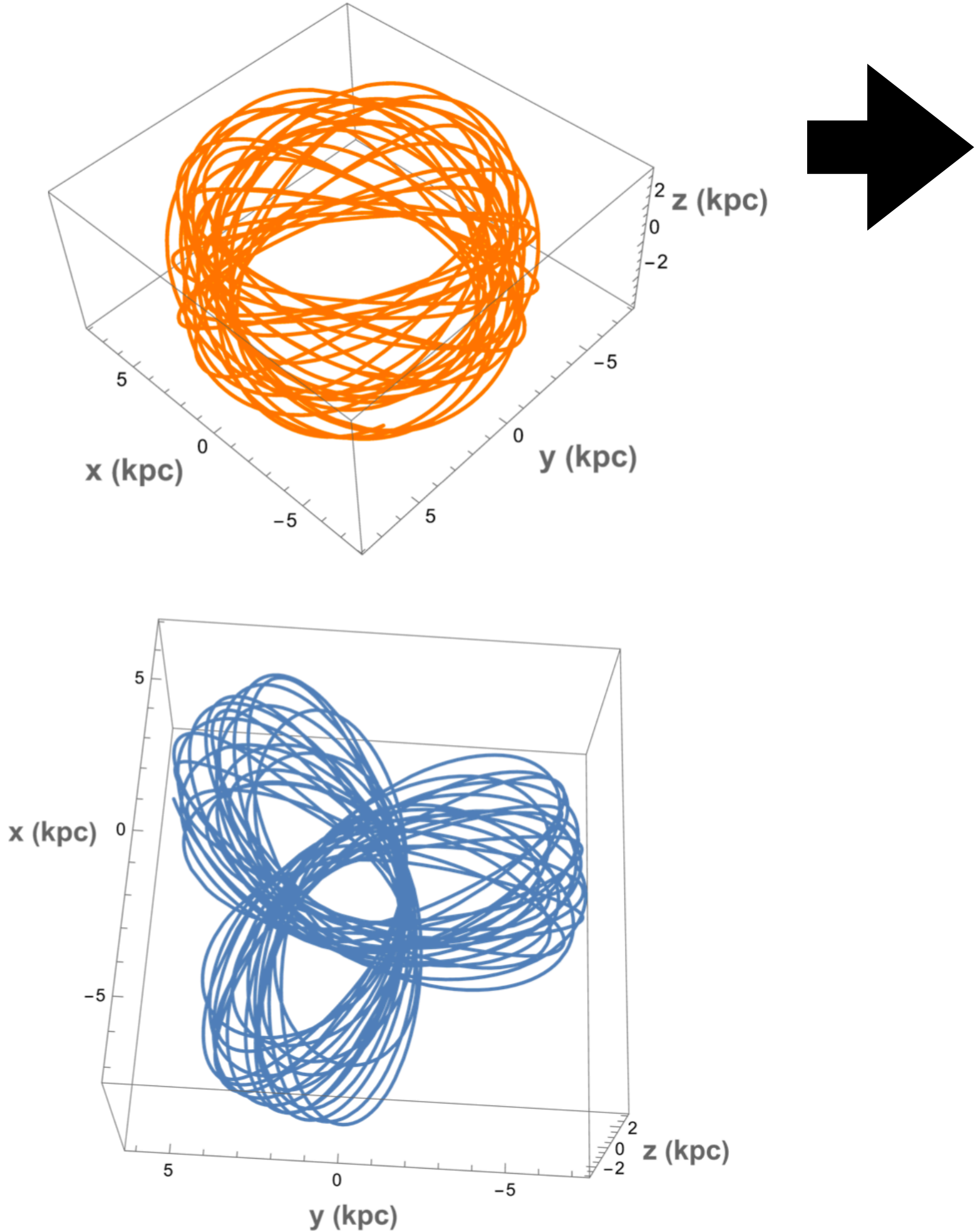
Some clusters have wide circular orbits others have more radial orbits that bring them closer to the galactic centre



# How much dark matter does a globular cluster “see”?

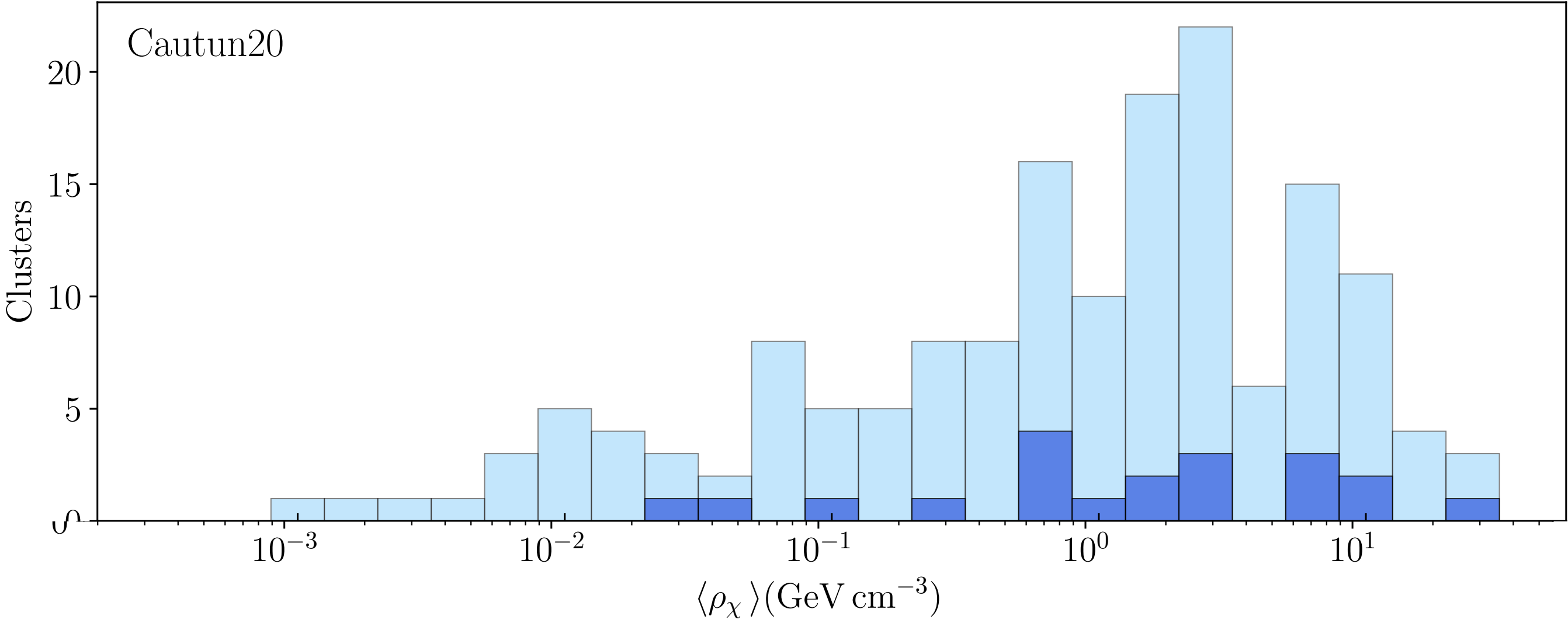
- Model trajectory over the past few Gyr using
- Gravitational potential (Newton...) from
  - Dark matter
  - Gas
  - Stars
- Initial conditions from *Gaia* 6d phase space measurements

Use *Gaia* data + gravitational potential of Milky Way, simulate trajectories of 161 Globular Clusters



Howard Hong

Determine average **exposure to dark matter** (proxy for capture rate) over past ~ Gyr and model **red giant evolution** in these environments



Look for correlation between **TRGB magnitude** and **dark matter exposure**

# Milky Way mass distribution

Test two representative distributions

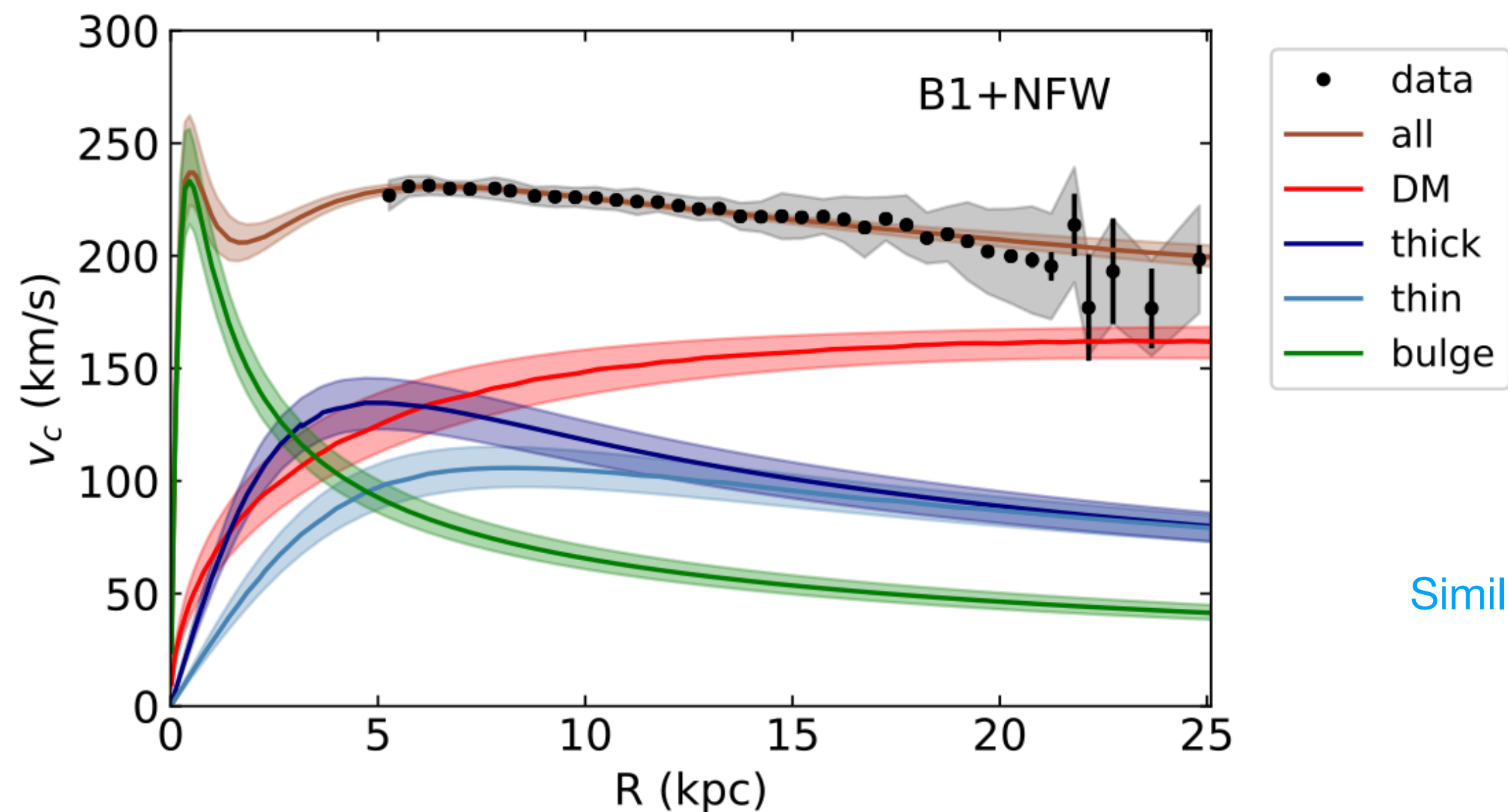
both use data from Gaia DR2

**“Pure” NFW**  
motivated by DM only sims

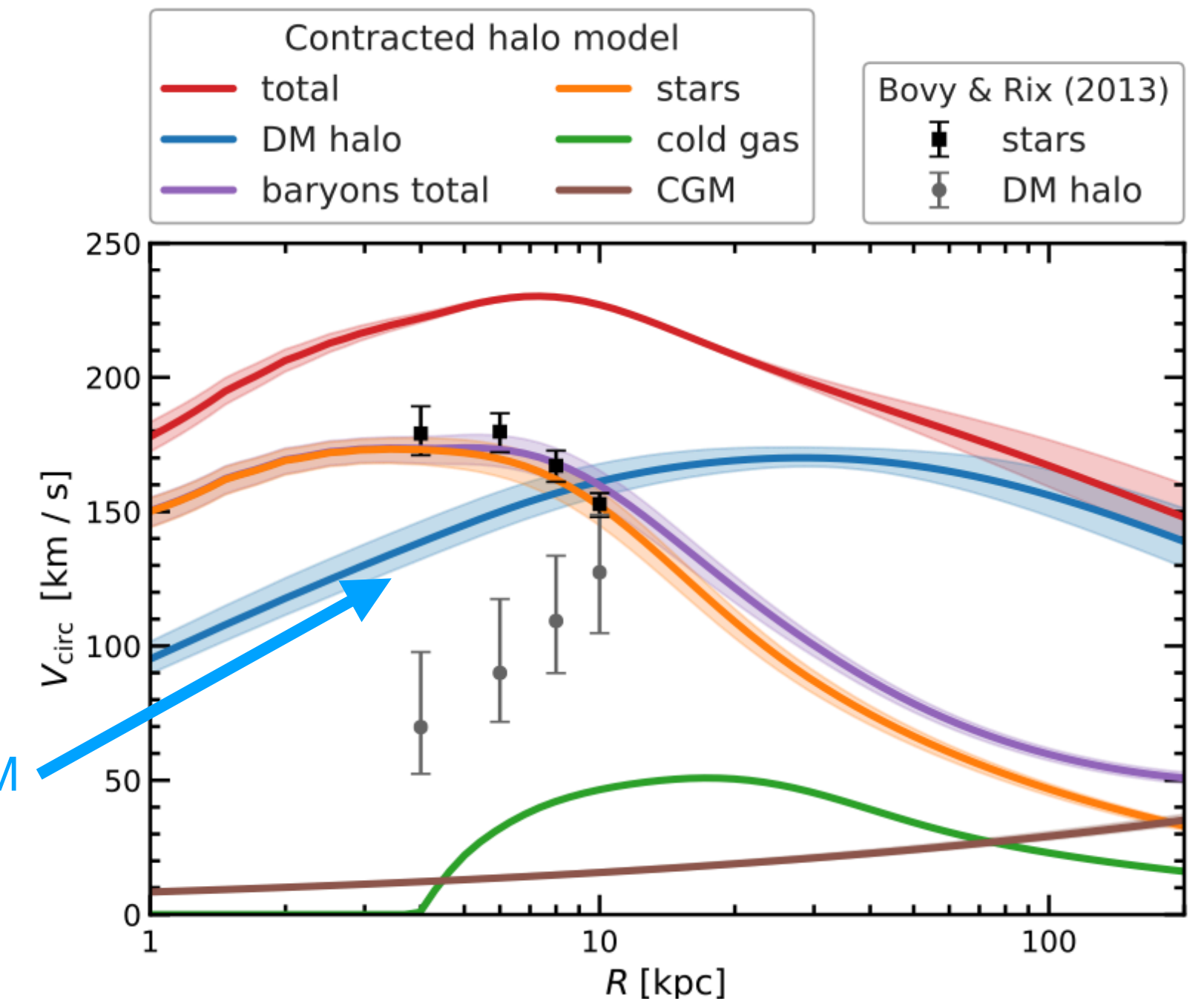
de Salas et al 1906.06133

**Contracted halo**  
motivated by hydro sims

Cautun et al 1911.04557



Similar potentials, but higher DM contribution at low  $r$



Cautun et al. point out their “pure NFW” fit to the *Gaia* data is just as good

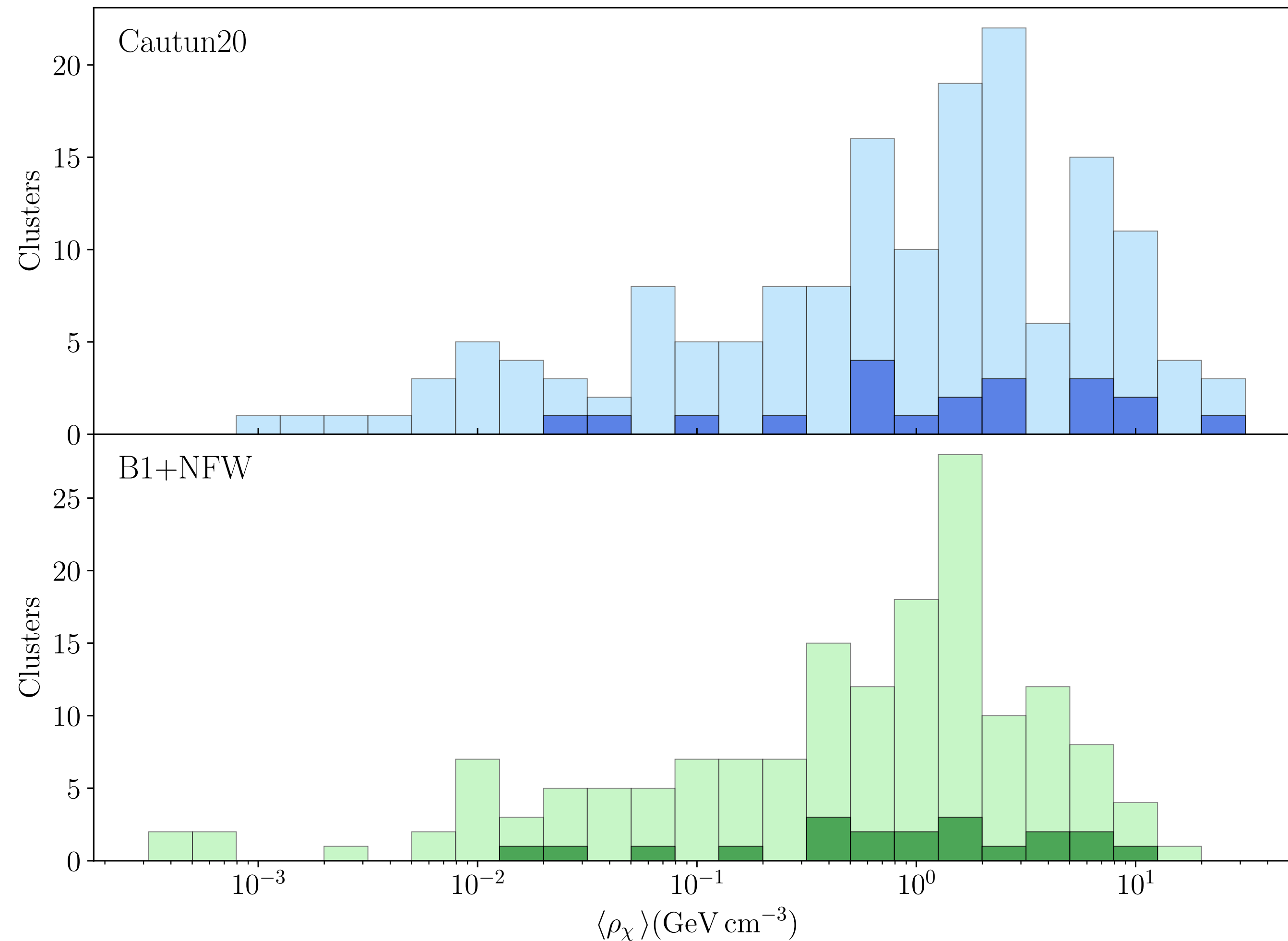
# Dark matter seen by each Globular cluster

Light: the 161 GCs we have 6d kinematic data from (Vasiliev & Baumgardt 2021)

Dark: the 22 GCs we additionally have TRGB measurements for (HST + ground-based measurements, see Straniero et al. 2010.03833)

**Contracted halo**

**“Pure” NFW**



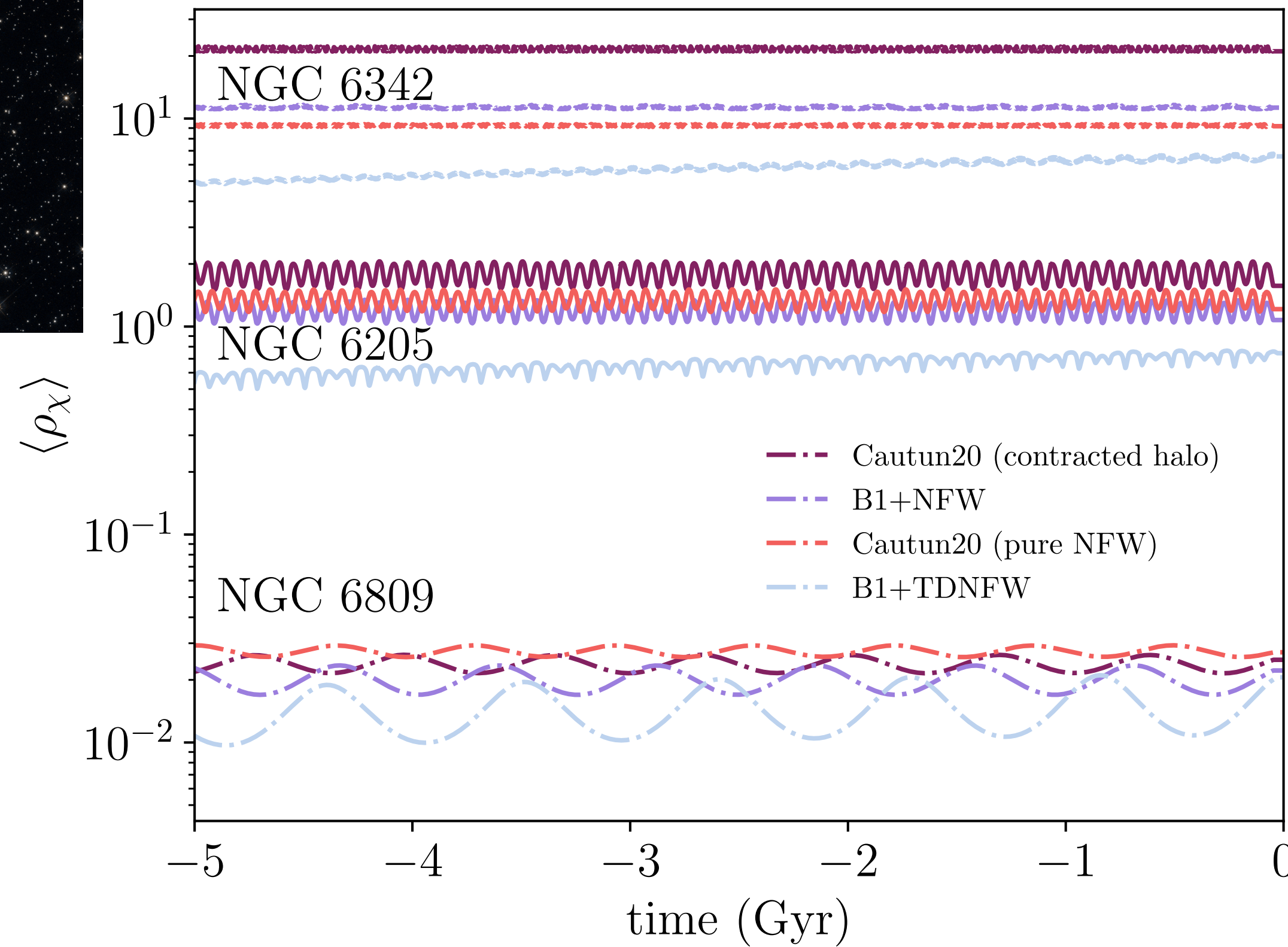
# Time dependence?



Hubble



ESO/J. Emerson/VISTA



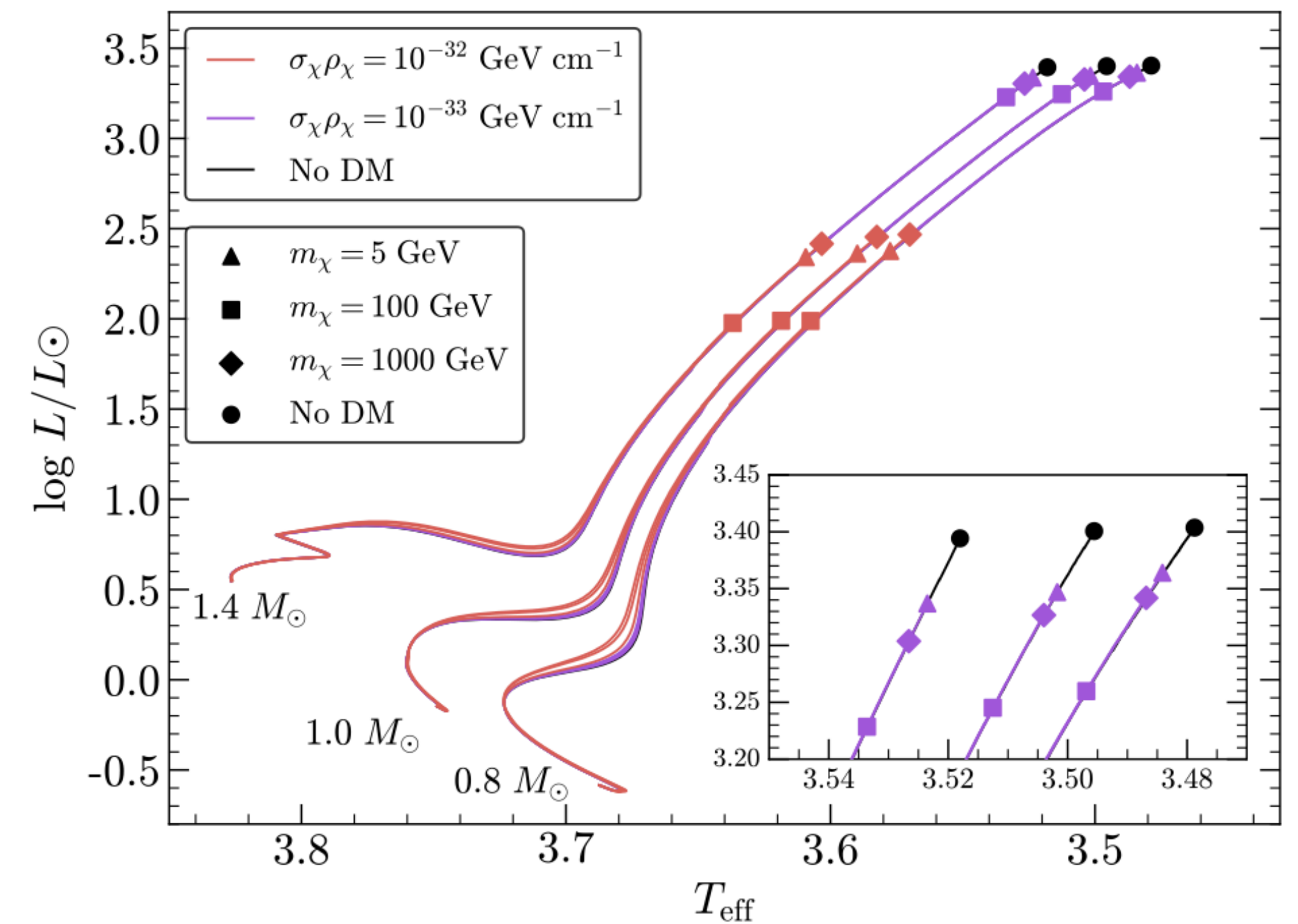
Sid Leach/Adam Block/Mount Lemmon SkyCenter

— Time dependence of the potential follows concentration parameter  $c(t)$  from Dutton & Macciò (1402.7073), but not calibrated to MW rotation curve (simulation results)

Upshot: differentiation between clusters is robust

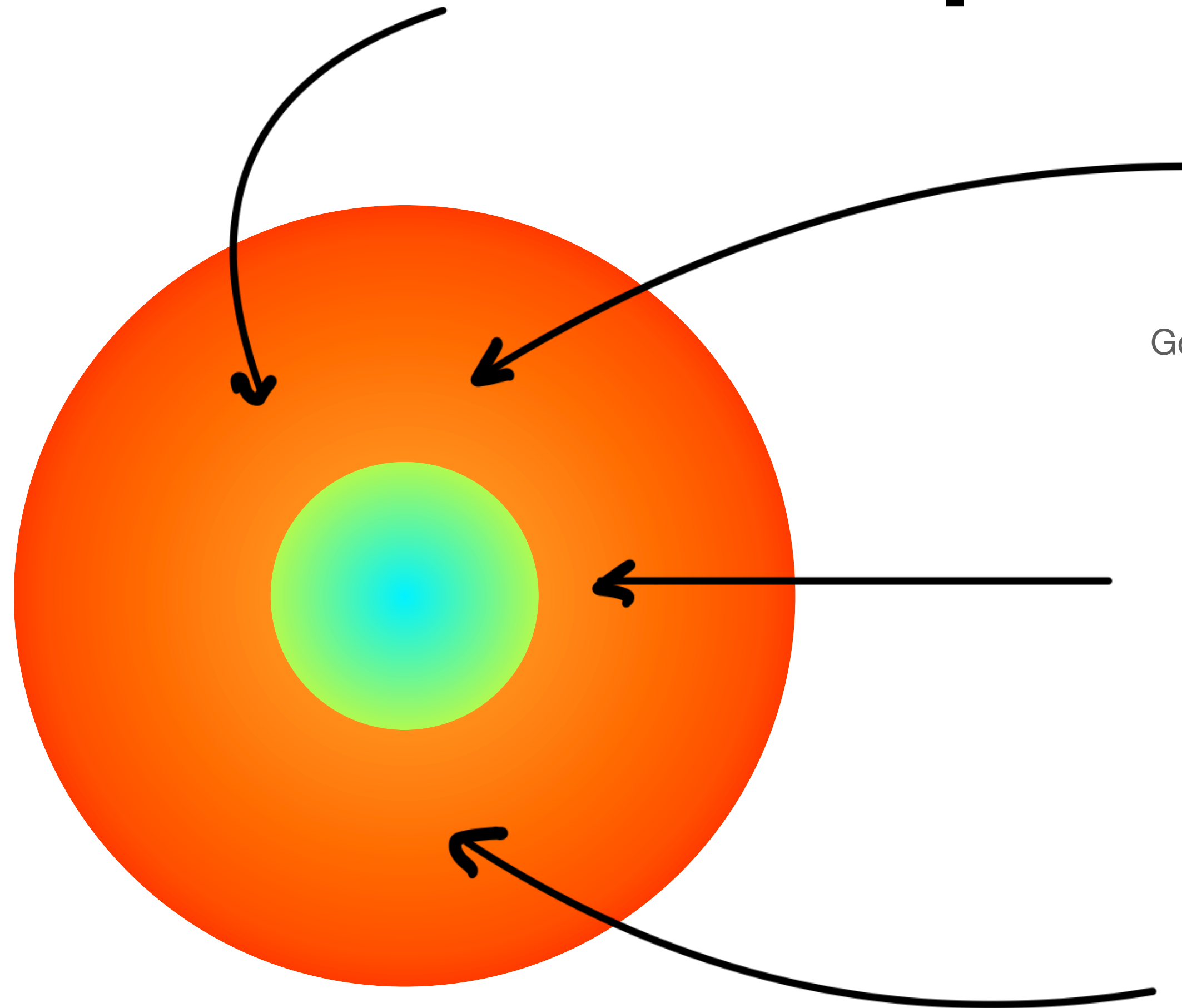
# Dark matter capture & stellar modelling

- Modify MESA module from Lopes & Lopes
- Includes dark matter capture based on the local DM density
- Deposit heat in the red giant core
- Evolve a set of  $0.8 M_{\odot}$  stars to the tip of the red giant branch (TRGB).





# Dark matter capture & saturation



Gould 1985: 
$$C_{\star}(t) = 4\pi \int_0^{R_{\star}} r^2 \int_0^{\infty} \frac{f_{\star}(u)}{u} w \Omega(w) du dr,$$

Dark matter velocity distribution in the star's frame

Integral over the star

Probability to scatter  $w \rightarrow \leq v_{escape}$

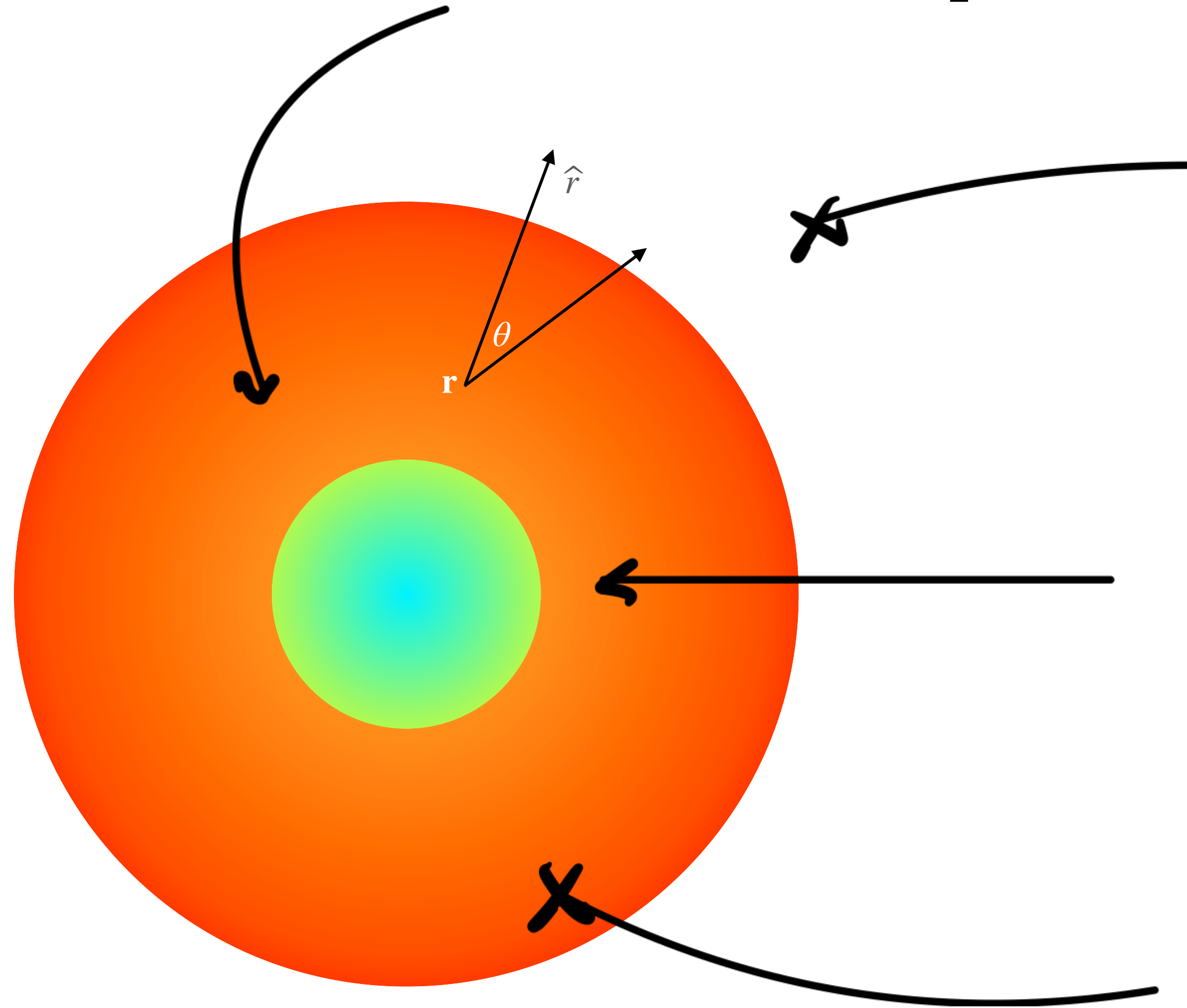
$\Omega \propto \sigma_{SI}$

This overestimates the capture rate: you can't just keep increasing  $\sigma_{SI}$

At some point, **all** the dark matter intersecting the star is captured.

Especially problematic in a red giant: the dense core saturates well before the diffuse envelope

# Dark matter capture & saturation



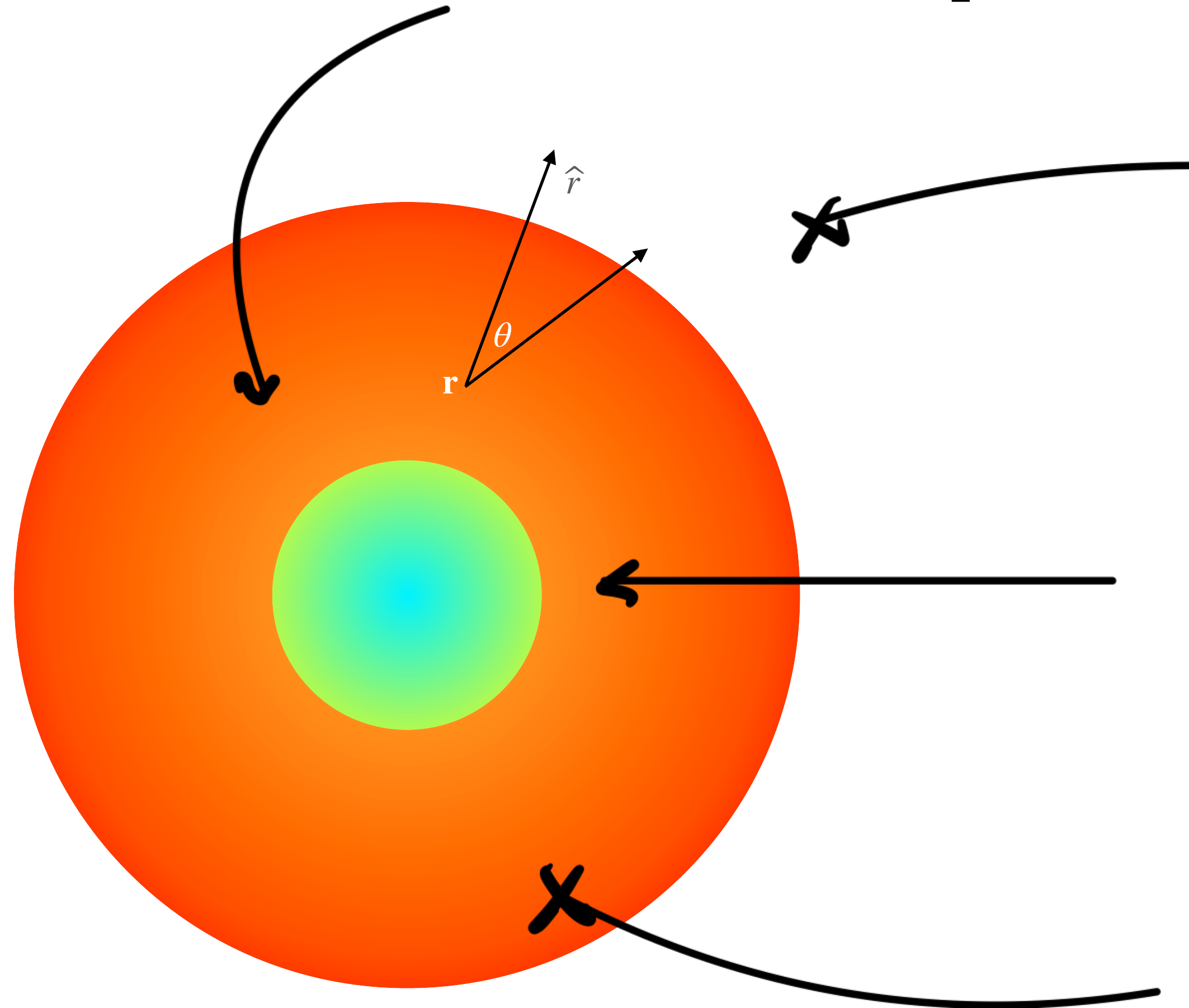
Gould's approach:

$$C_{\star}(t) = 4\pi \int_0^{R_{\star}} r^2 \int_0^{\infty} \eta(r) \frac{f_{\star}(u)}{u} w \Omega(w) du dr,$$

$$\eta(r) = \frac{1}{2} \int_{-1}^1 dz e^{-\tau(r,z)}$$

Remove flux of particles that may have already scattered on their way in

# Dark matter capture & saturation



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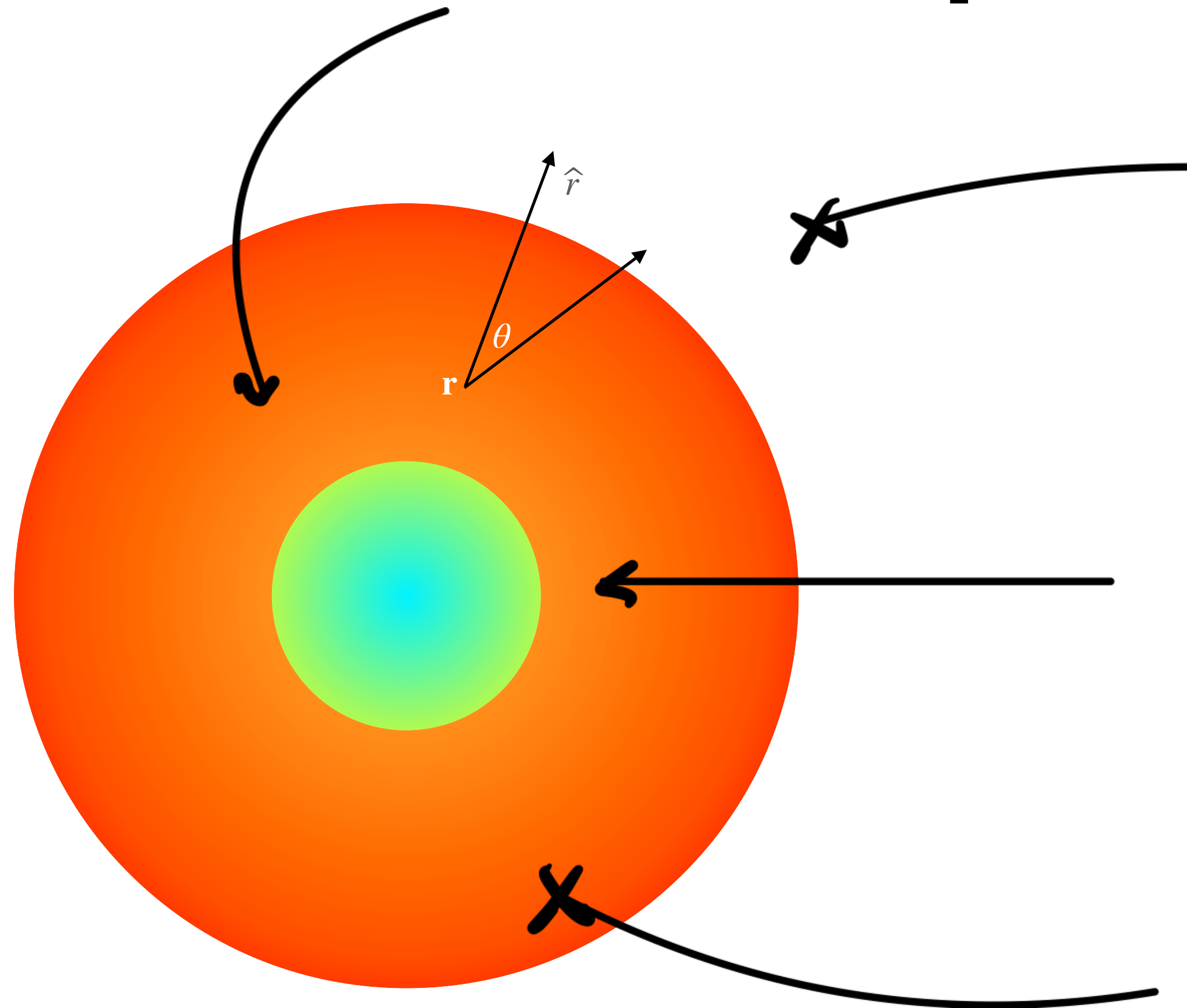
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Remove flux of particles that may have already scattered on their way in

optical depth to the surface for every line of sight  $z = \cos\theta$

$$\tau(r, z) = \int_{rz}^{\sqrt{R^2 - r^2(1-z^2)}} dx \sum_i n_i(r') \langle \sigma_{i,Tot} \rangle$$

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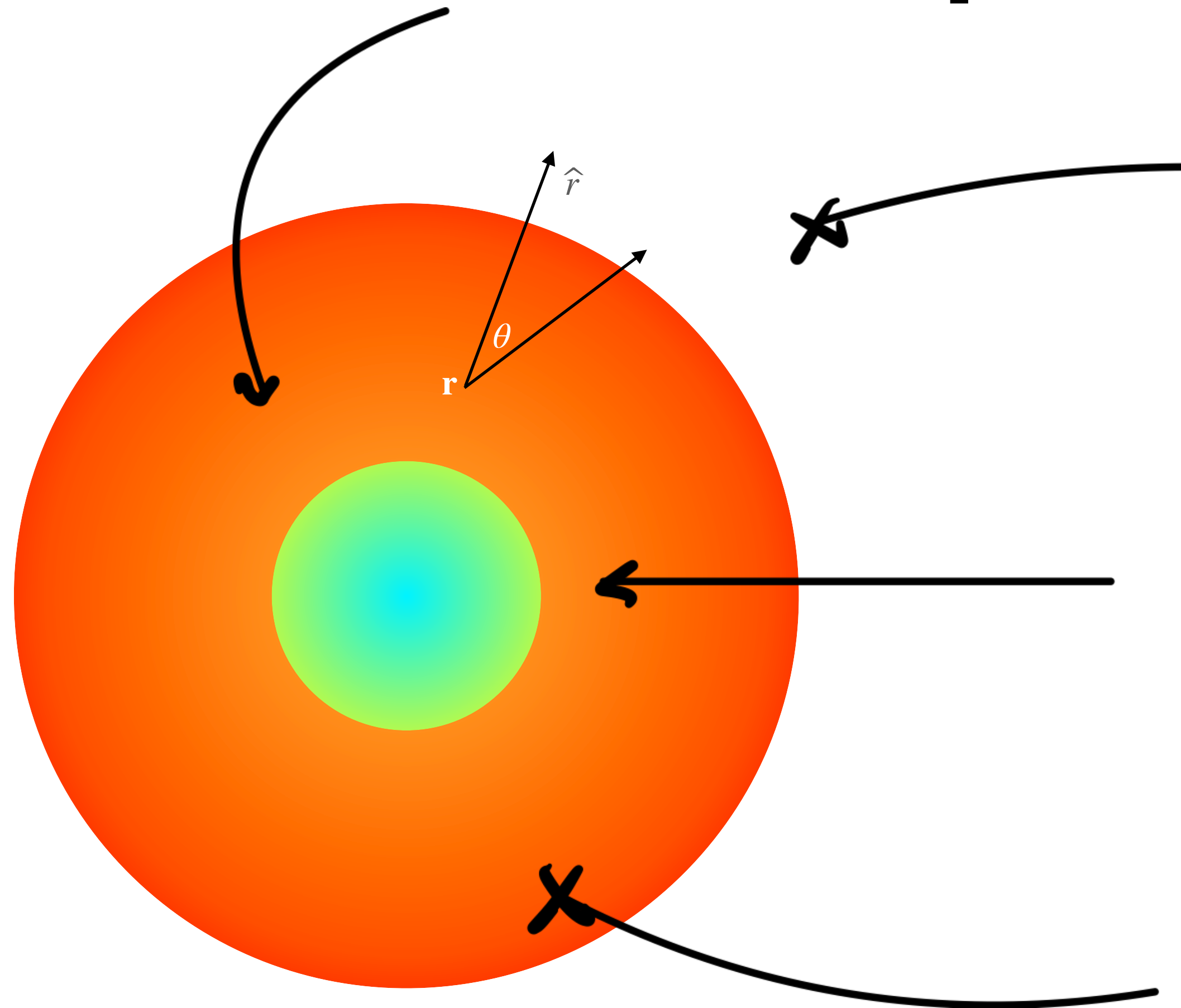
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But this removes **all** particles that have scattered

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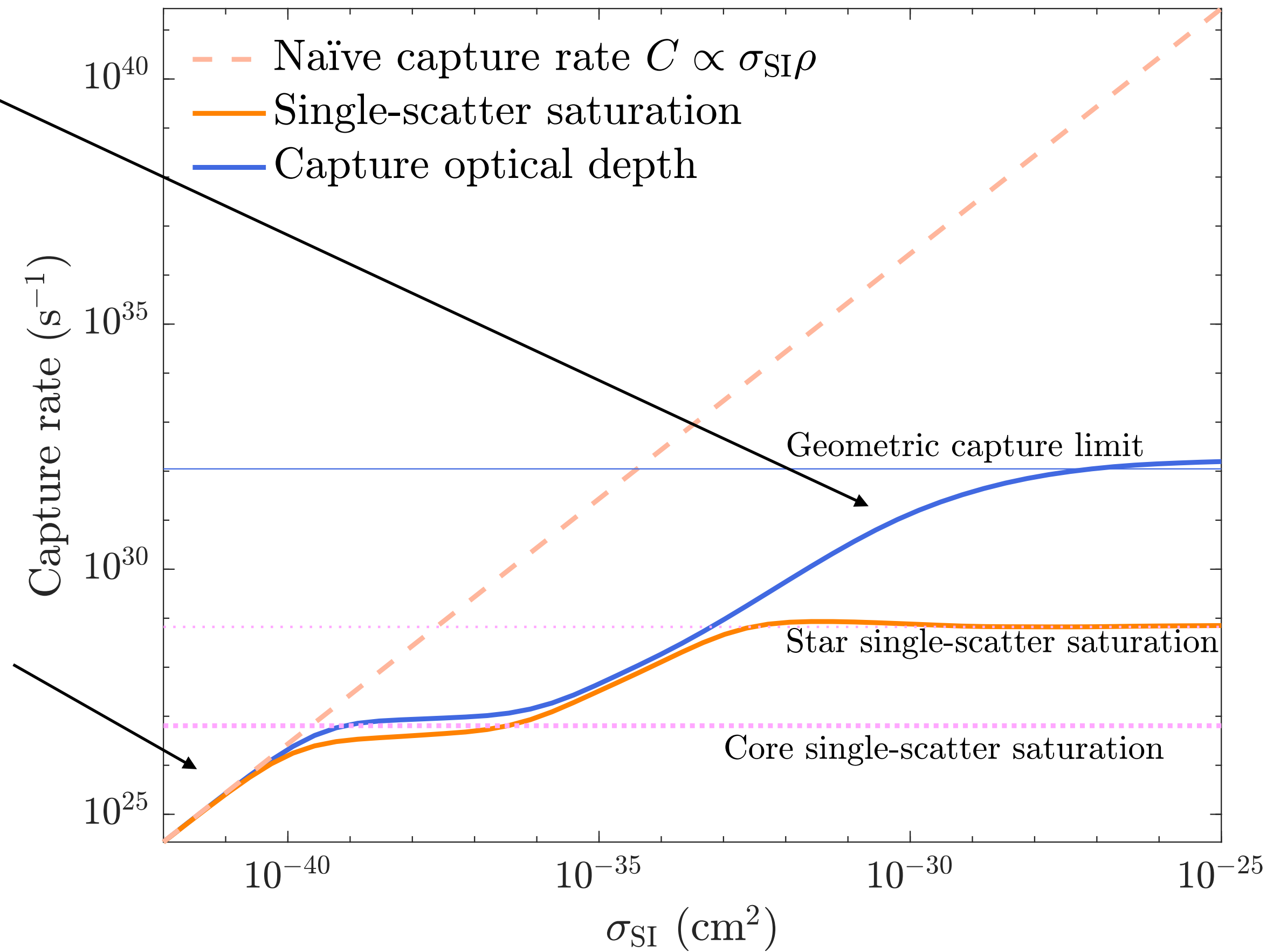
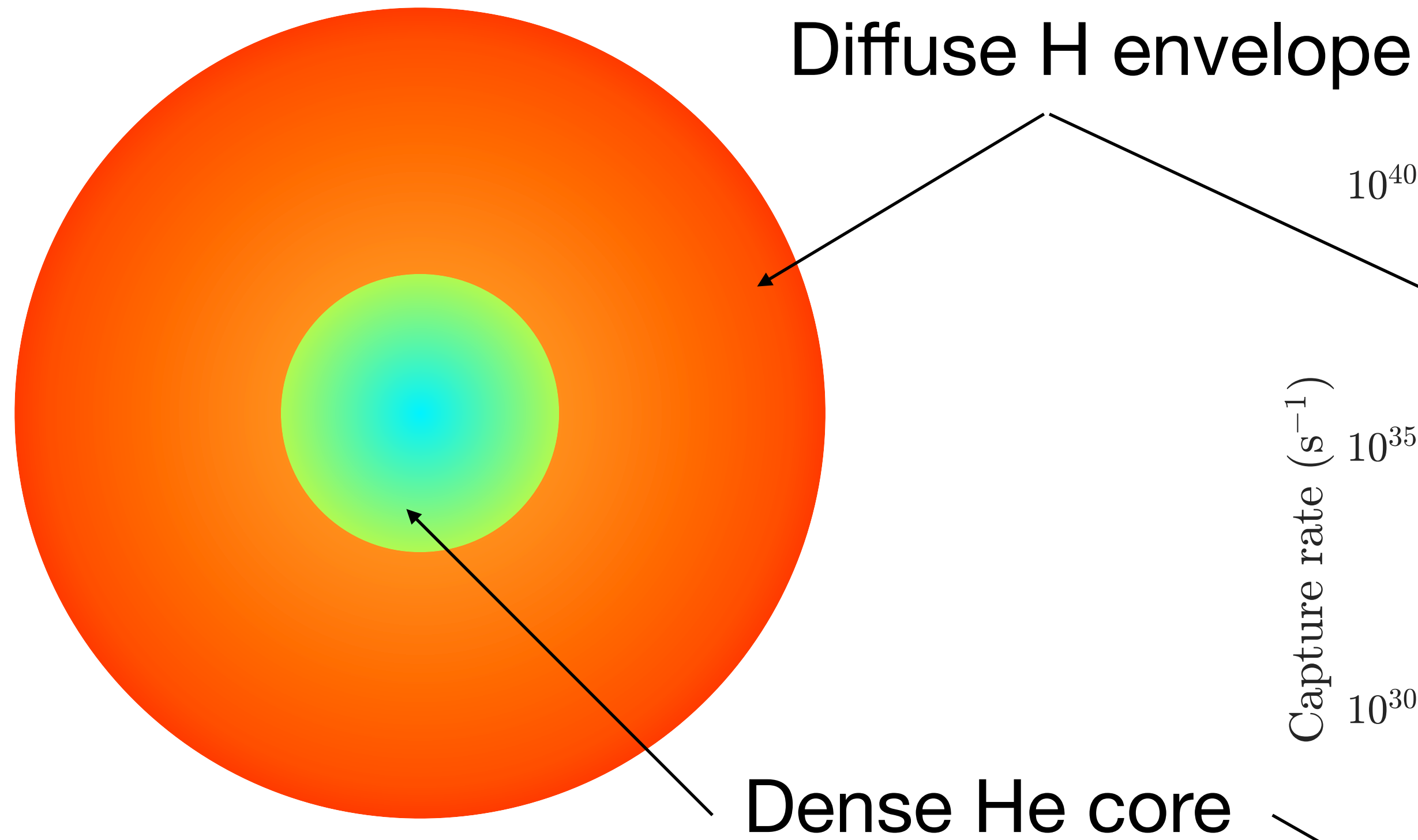
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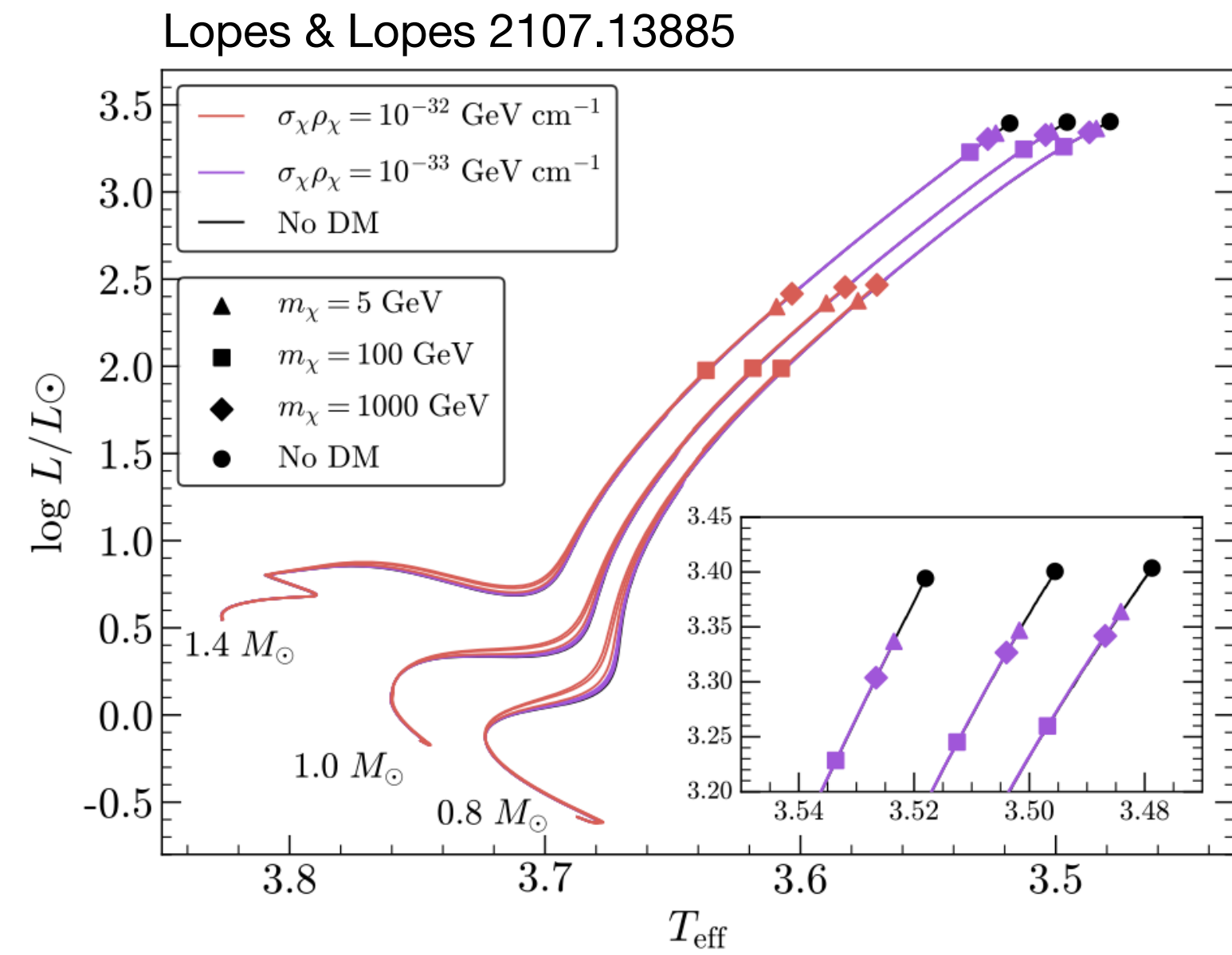
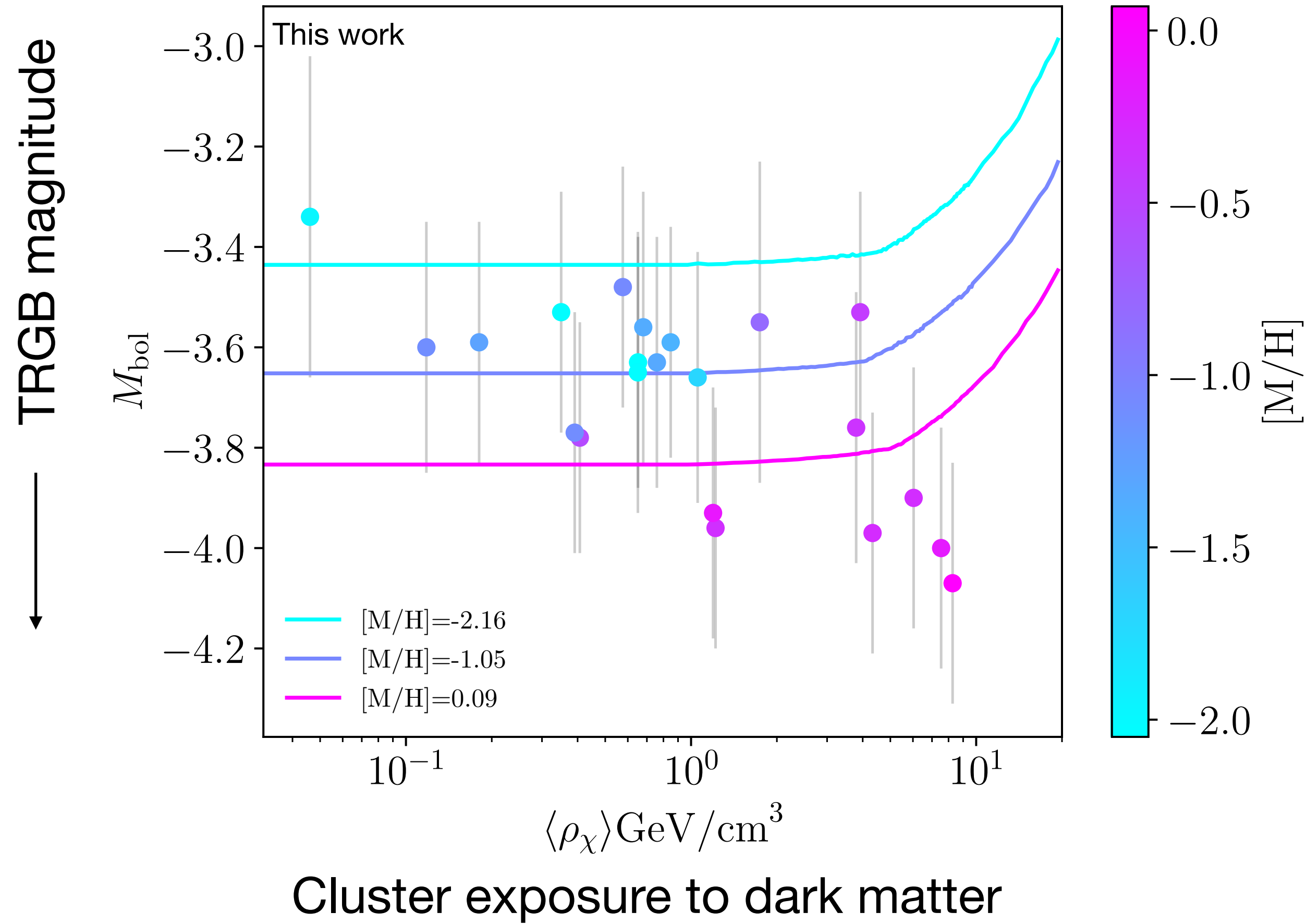
But this removes **all** particles that have scattered

Use optical depth to capture

$$\tau(r, z) = \int_{rz}^{\sqrt{R^2 - r^2(1 - z^2)}} dx \int du \Omega(w) \frac{w f_{\star}(u)}{u}$$

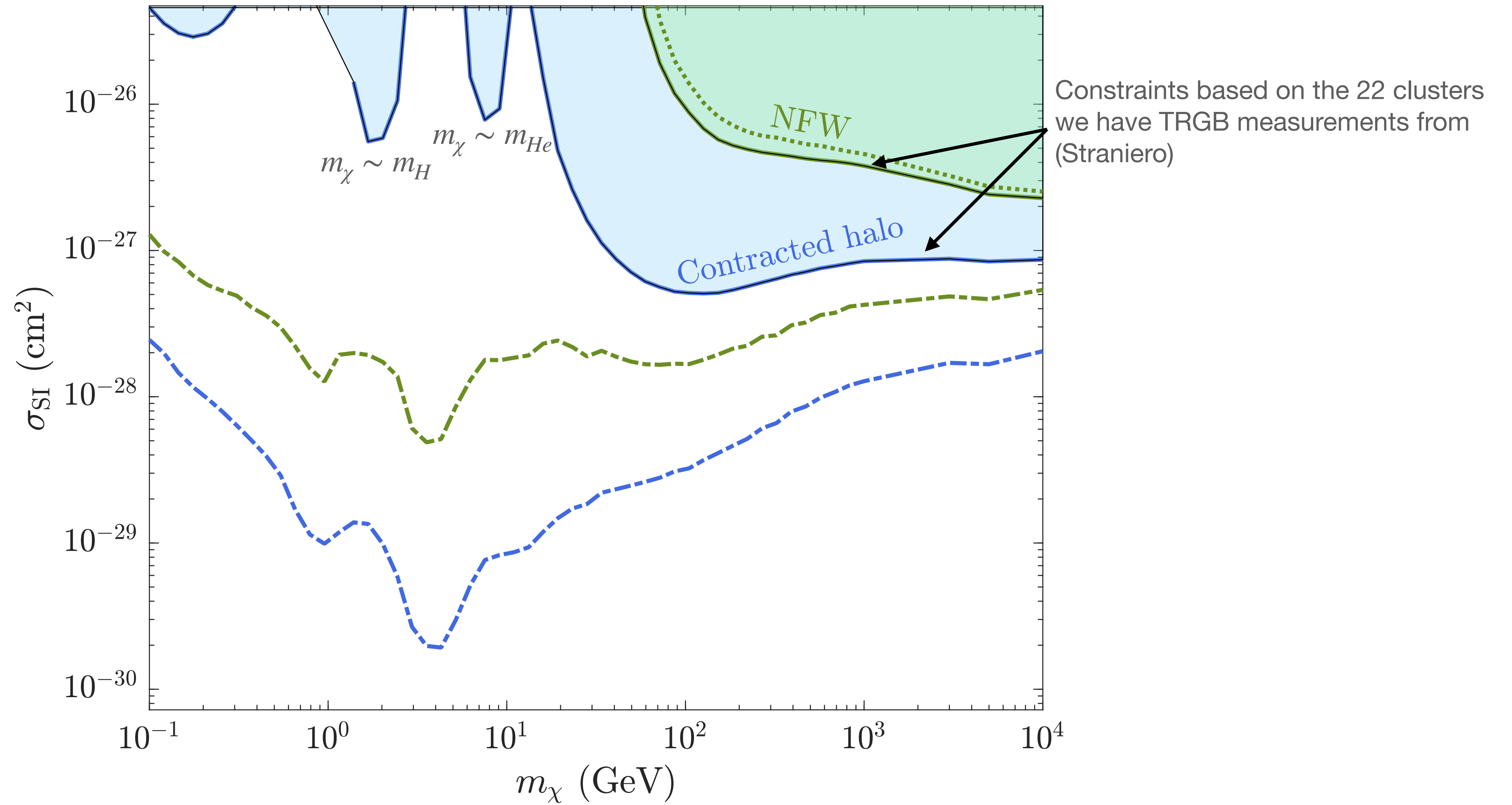
# Dark matter capture & Saturation





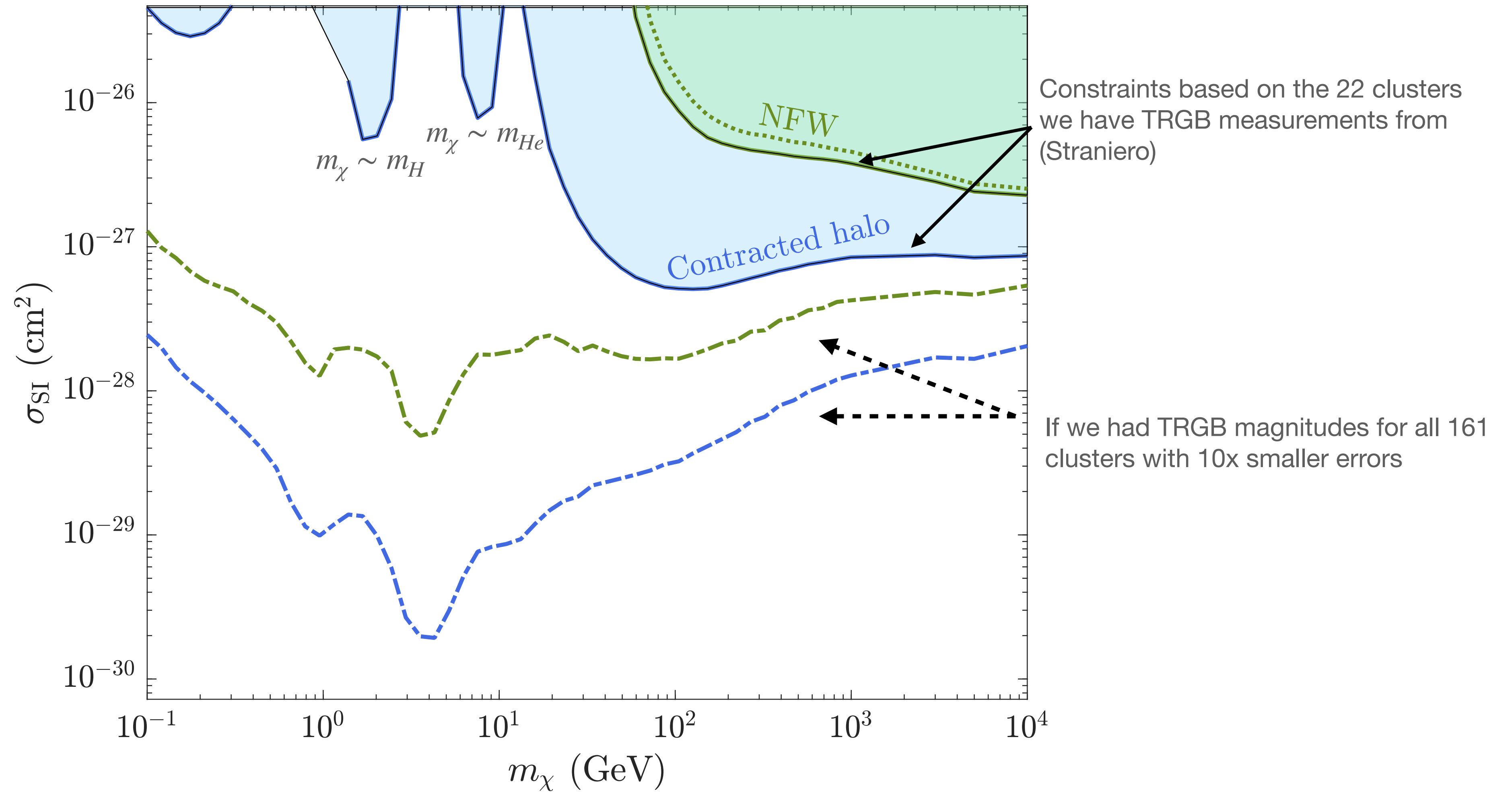
Now we can compare predicted luminosities as a function of DM mass and cross section to the measured ones and extract a limit

# Limits



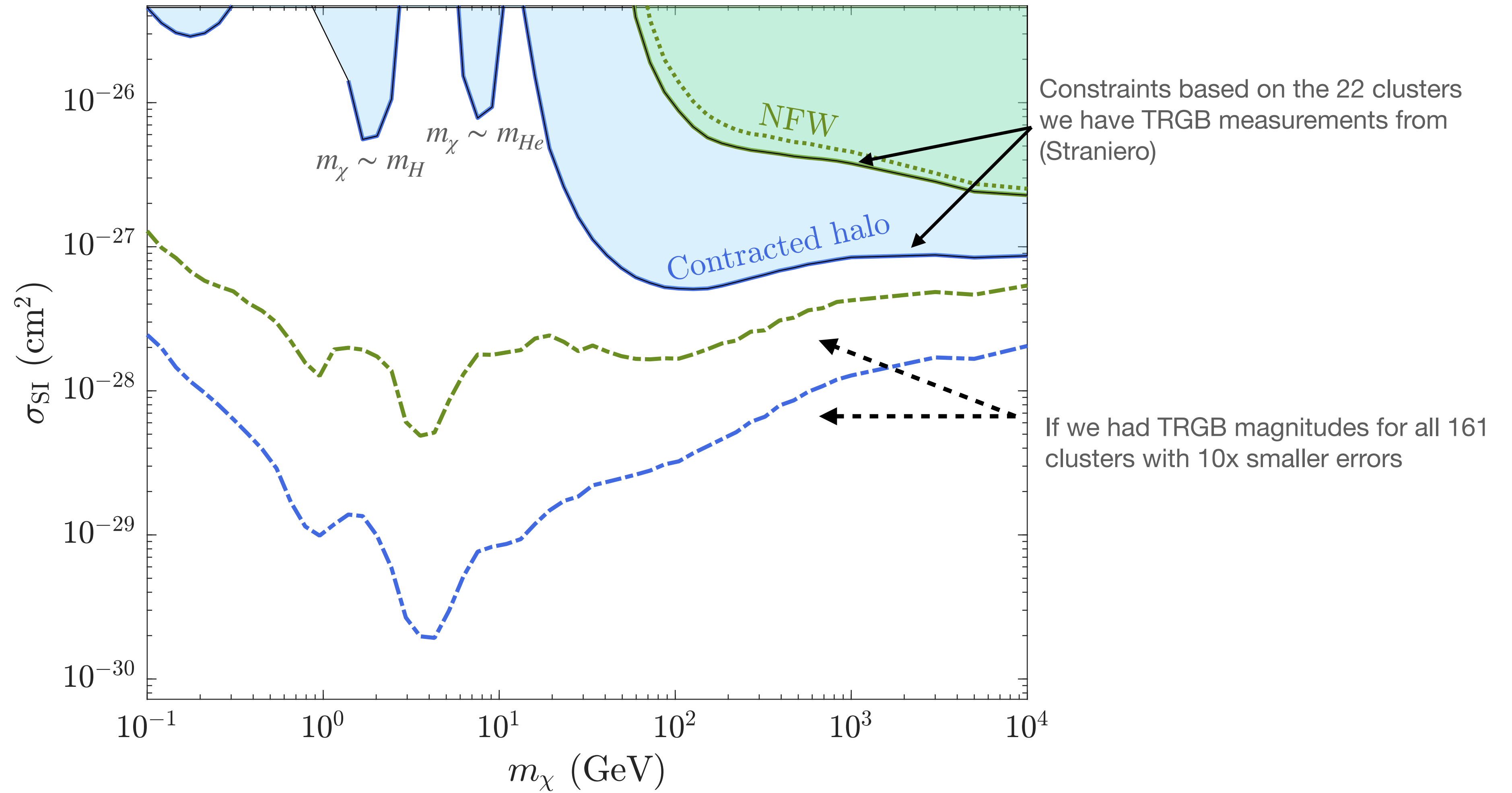


# Limits

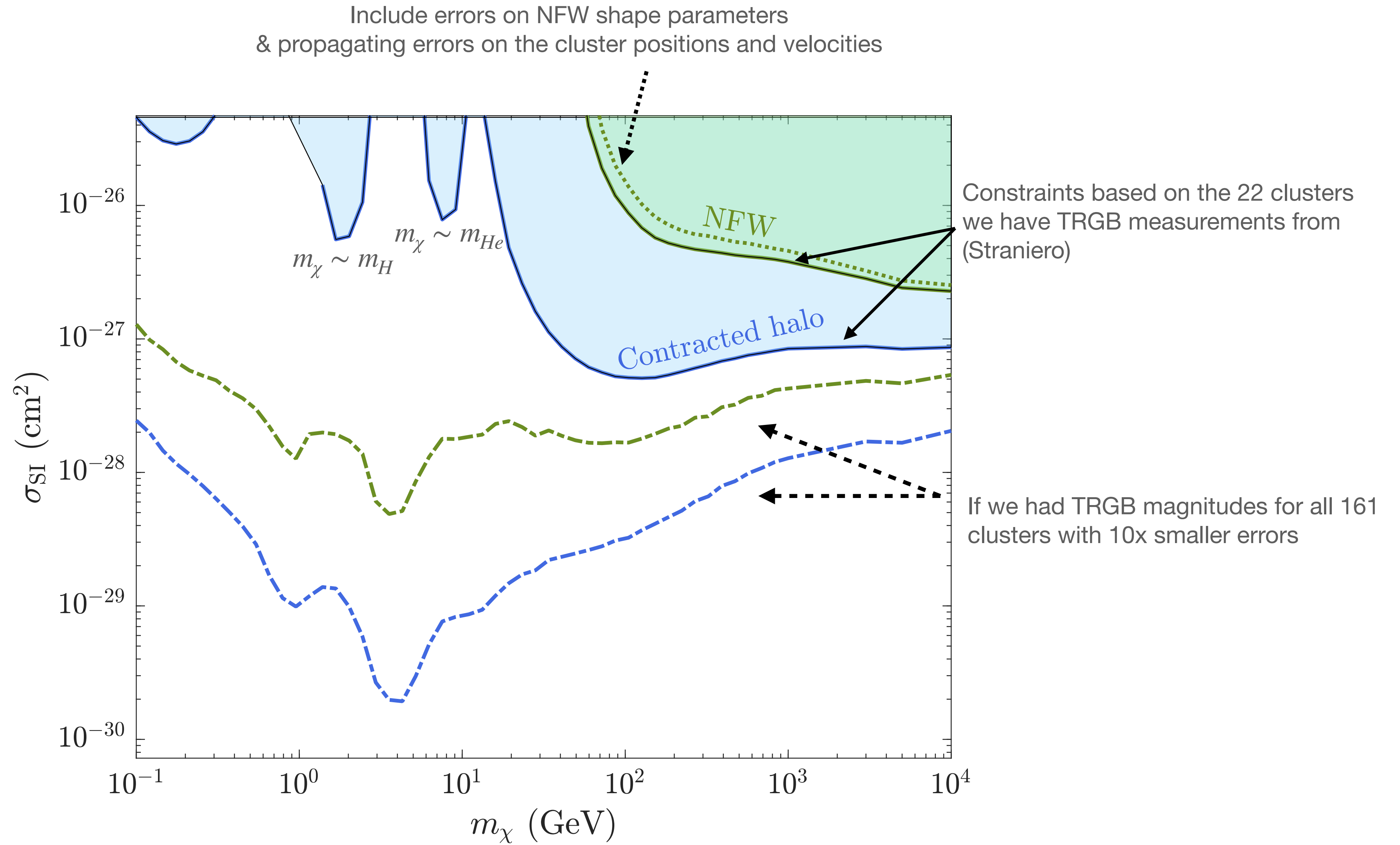


# Limits

Include errors on NFW shape parameters  
& propagating errors on the cluster positions and velocities

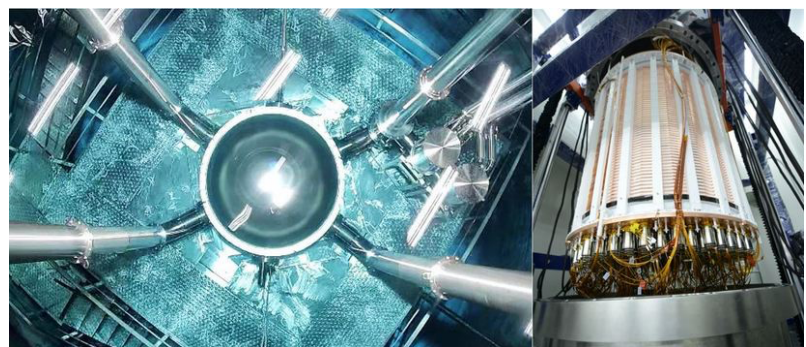
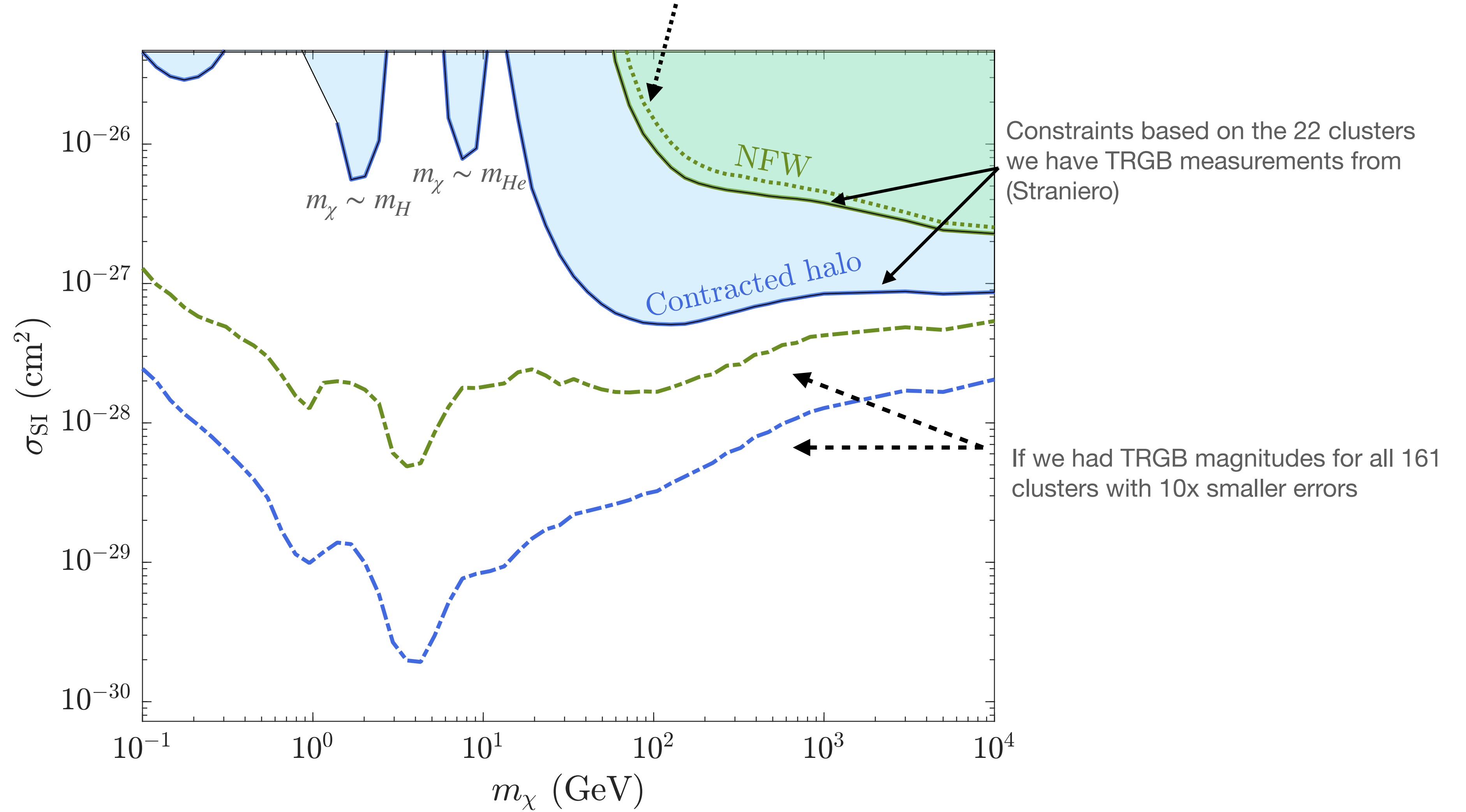


# Limits



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Include errors on NFW shape parameters  
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PandaX-4T →



**You are without doubt the worst  
dark matter limit I've ever heard of.**

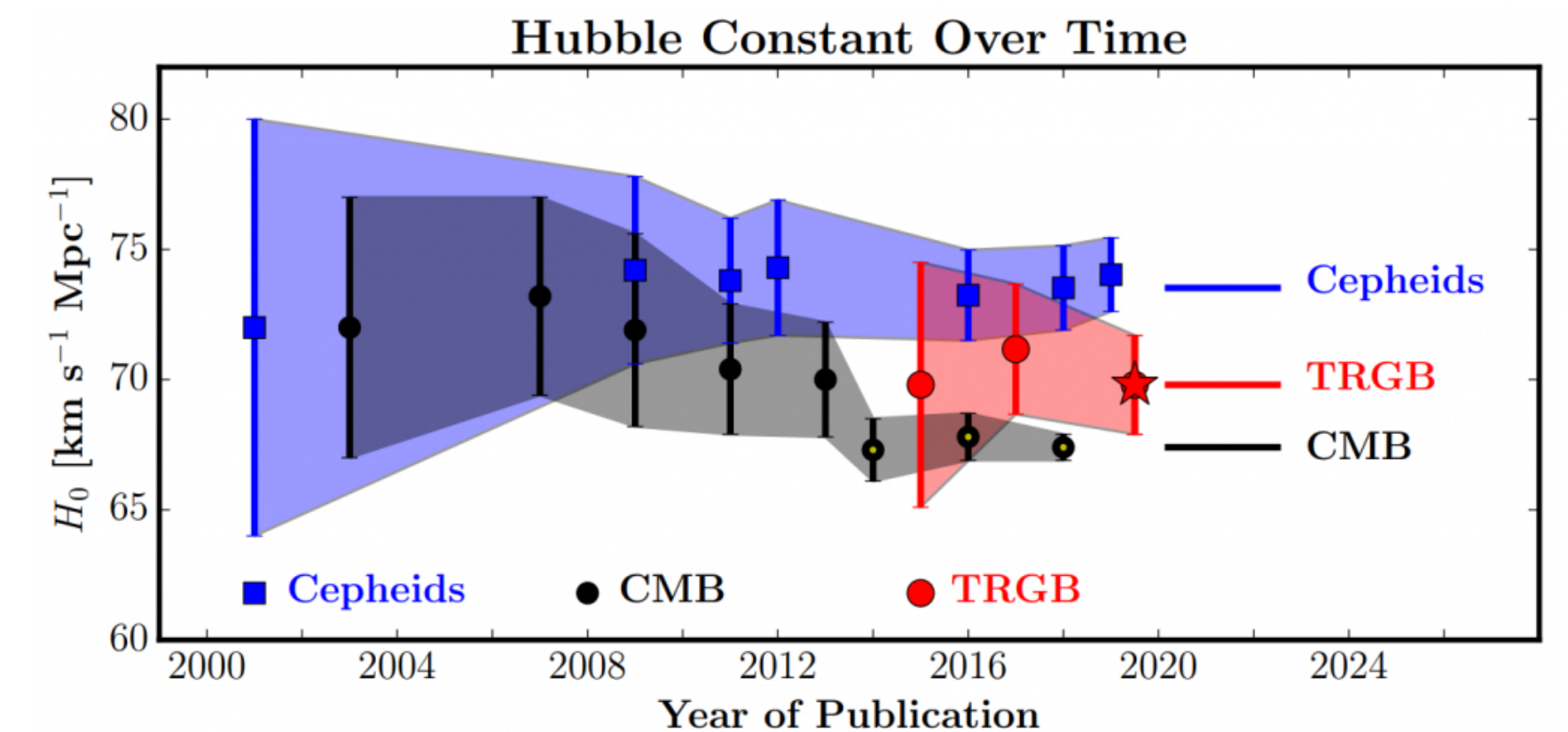
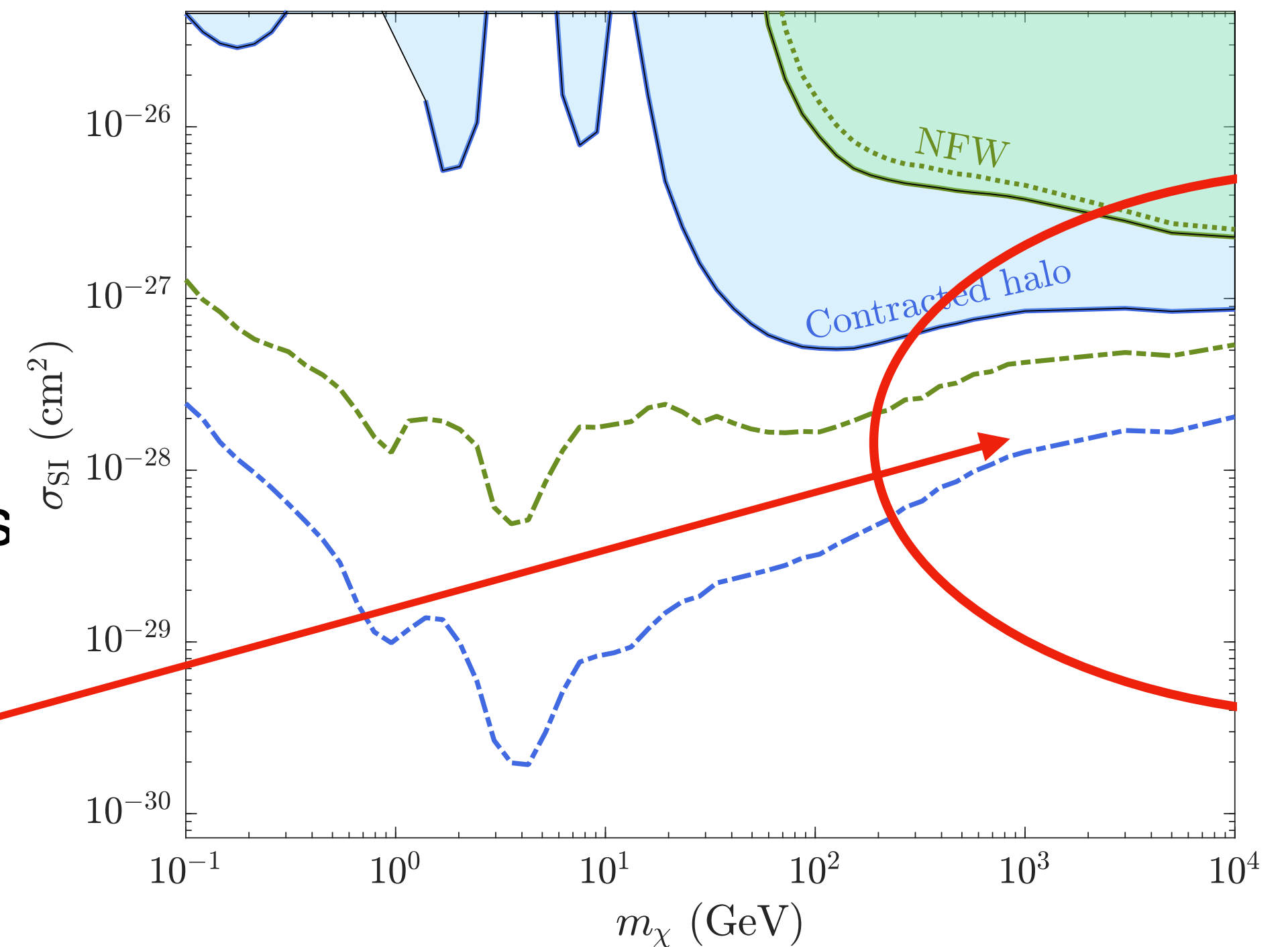


**But you have heard of me.**

# So what have we learned?

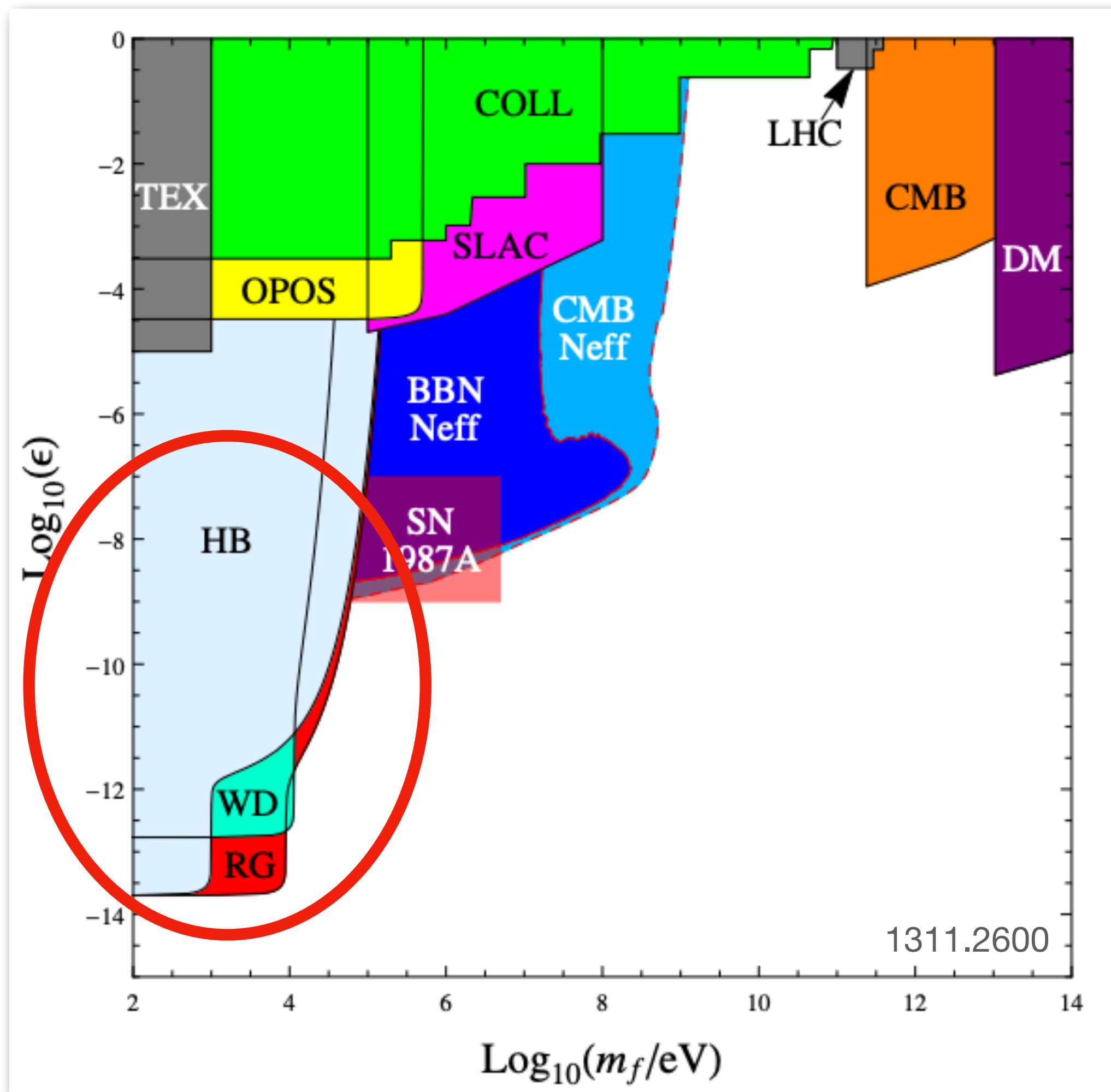
## Dark matter effects on the TRGB

- You need a **lot** of dark matter to have a visible effect on the TRGB. More than the Milky Way seems to be telling us it contains
- Some space now closed if **local** DM is underabundant?
- Spin-independent dark matter-nucleon cross section limits that are **independent of any Earth/Sun-related systematics**
- TRGB as a **standard candle** seems pretty **robust**.
- **Unless** our higher-redshift TRGB measurements happen to be in very dark matter-rich environments
- Maybe you can constrain a dark matter spike.



# II. Plasmon decay in the RGB

# “millicharged” particles



fractional electric charge  $q$  (same as  $\epsilon$ )

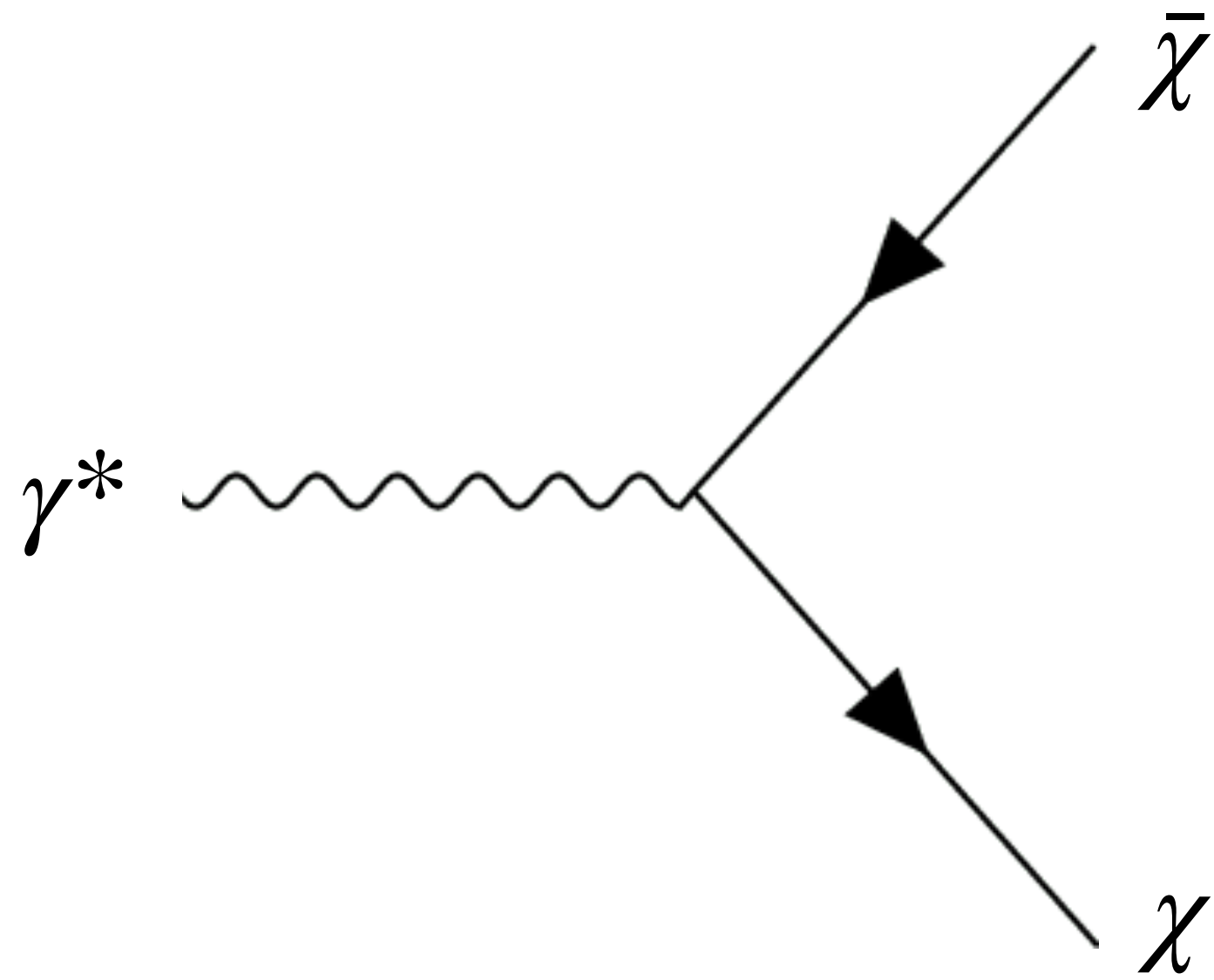
$$\mathcal{L} \supset qe\bar{\chi}\gamma_{\mu}\chi A^{\mu} + \bar{\chi}(i\gamma^{\mu}\partial_{\mu} - m)\chi$$

Plug: for bounds from atmospheric production see Wu, Hardy, Song 2406.01668



# I. PLASMON DECAY $\rightarrow$ (FERMIONIC) MCP

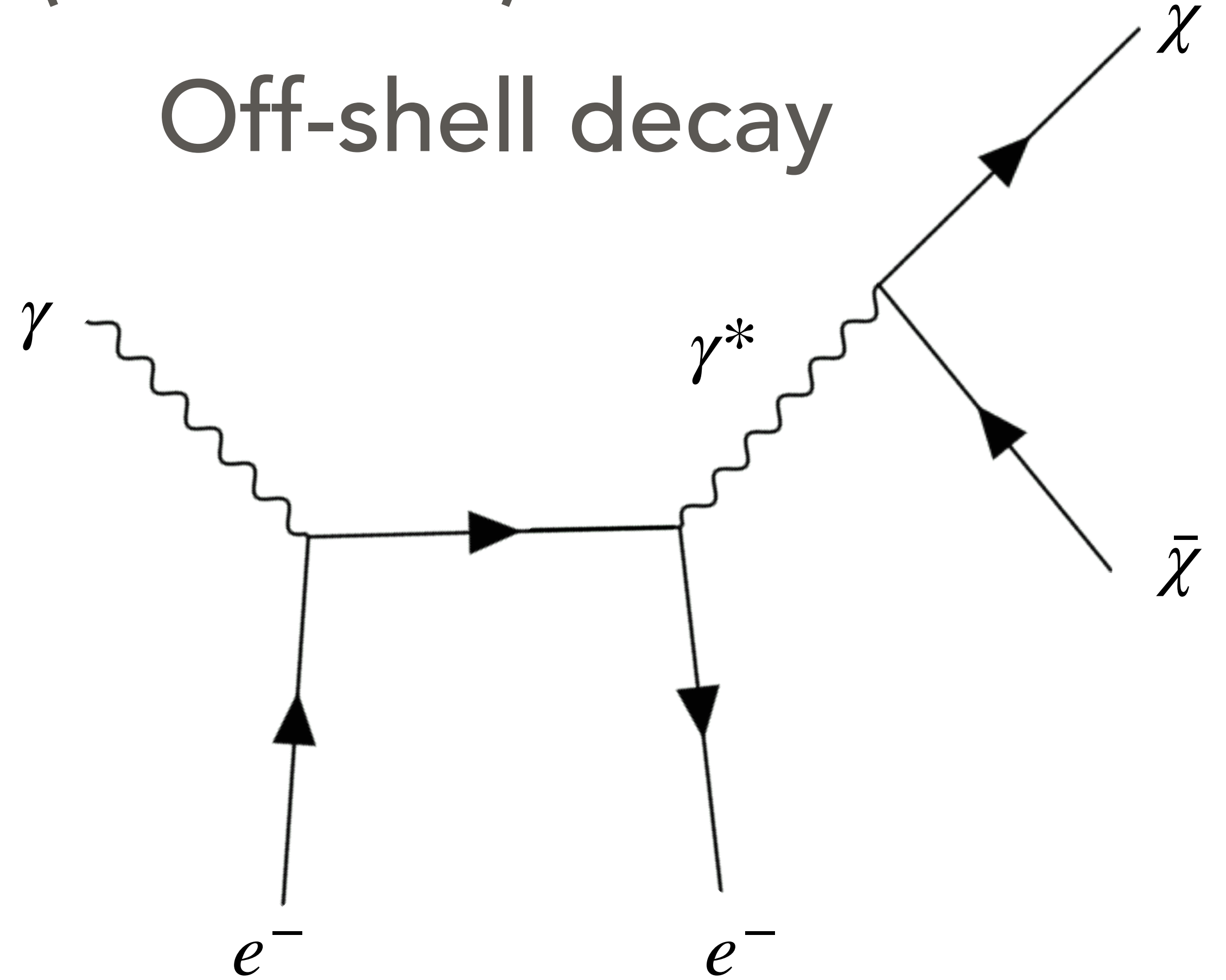
## On-shell decay

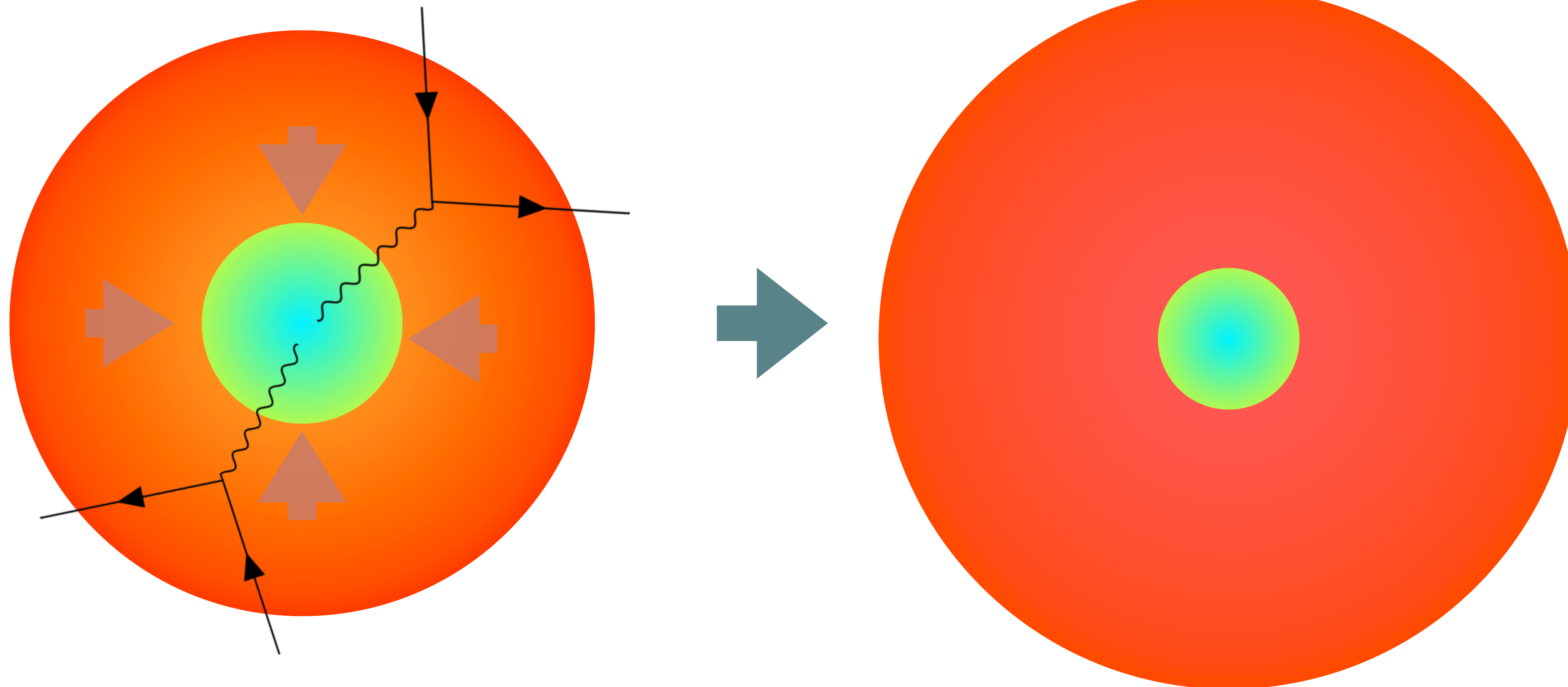


longitudinal:  $\omega_L = \omega_p$

Transverse:  $\omega_T^2 = k^2 + \omega_p^2$

## Off-shell decay



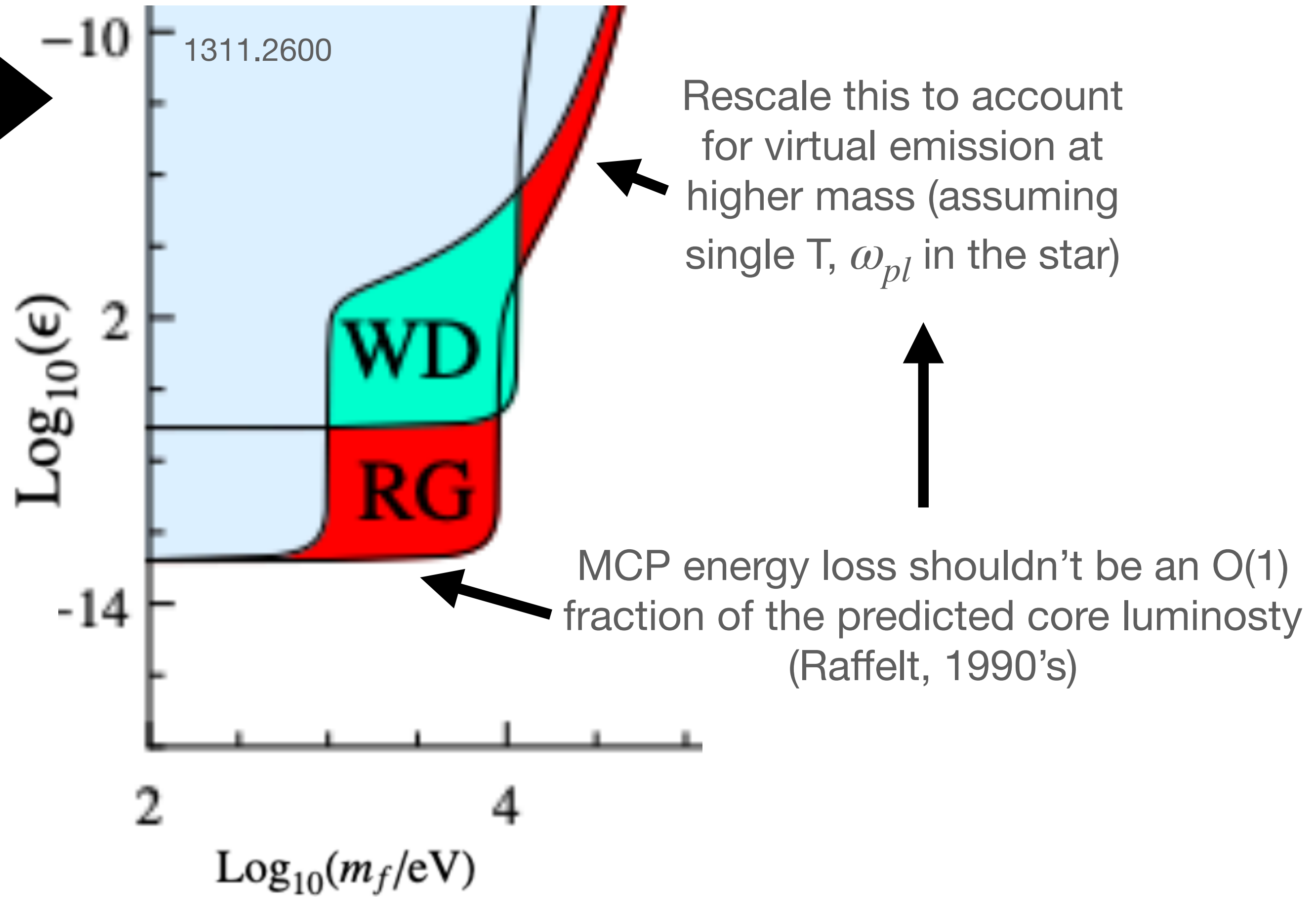
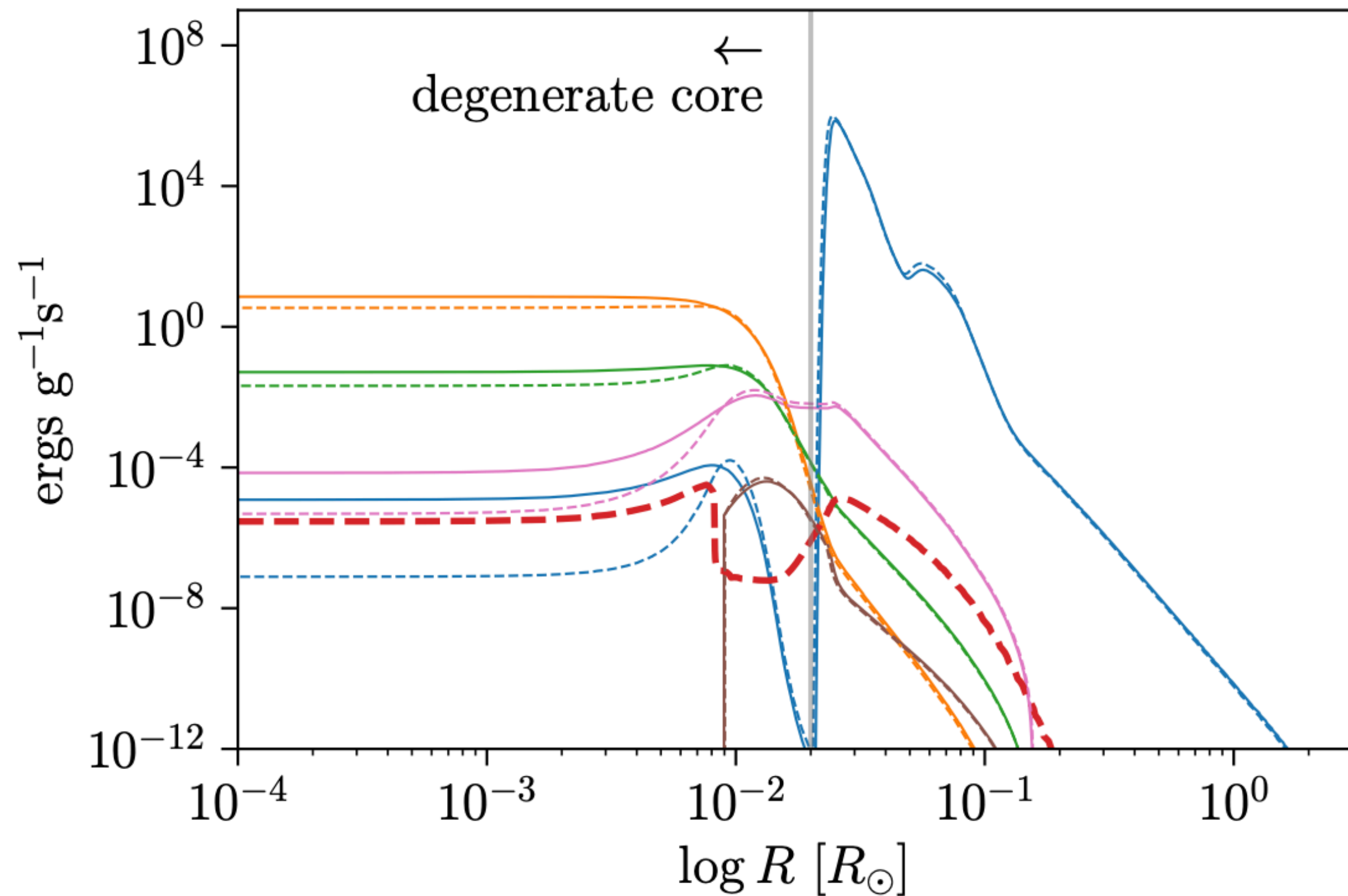
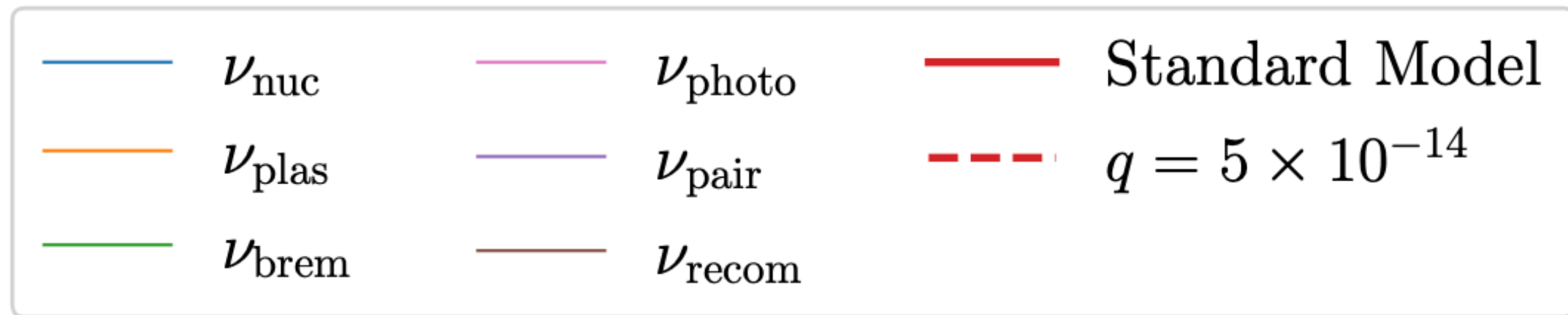


When the plasma frequency allows  $A_\mu \rightarrow \chi\bar{\chi}$  weakly interacting particles can be produced and escape

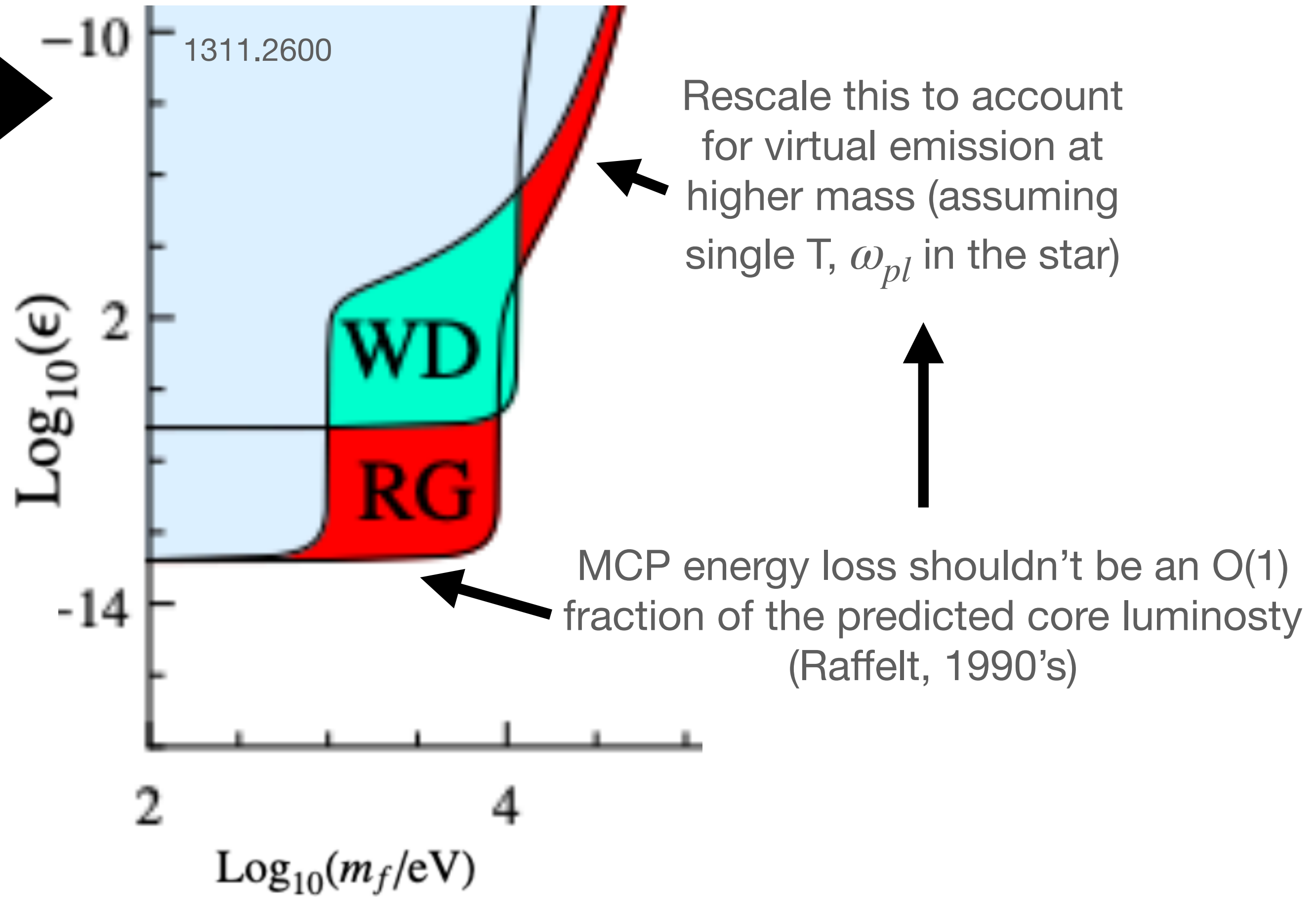
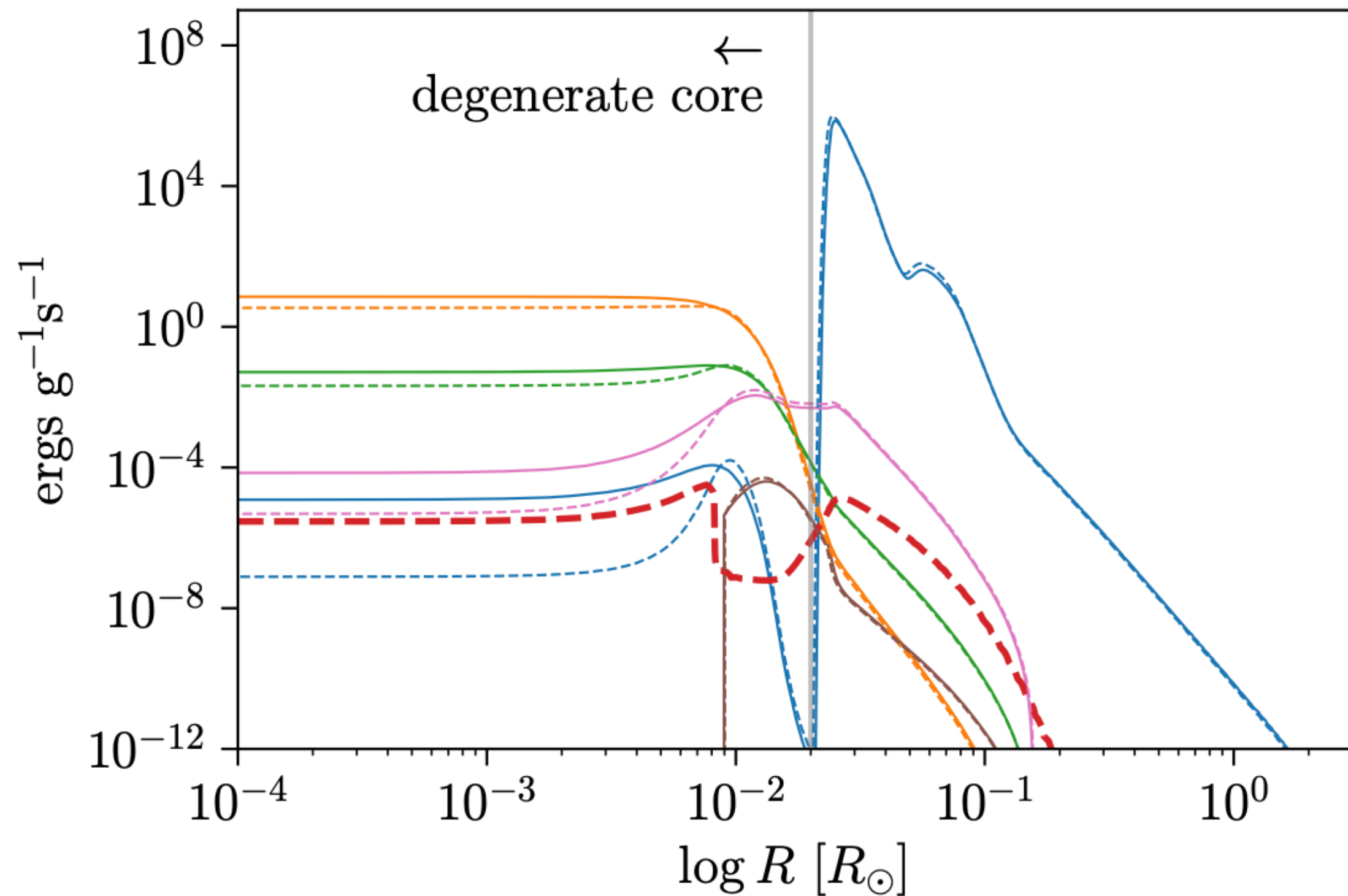
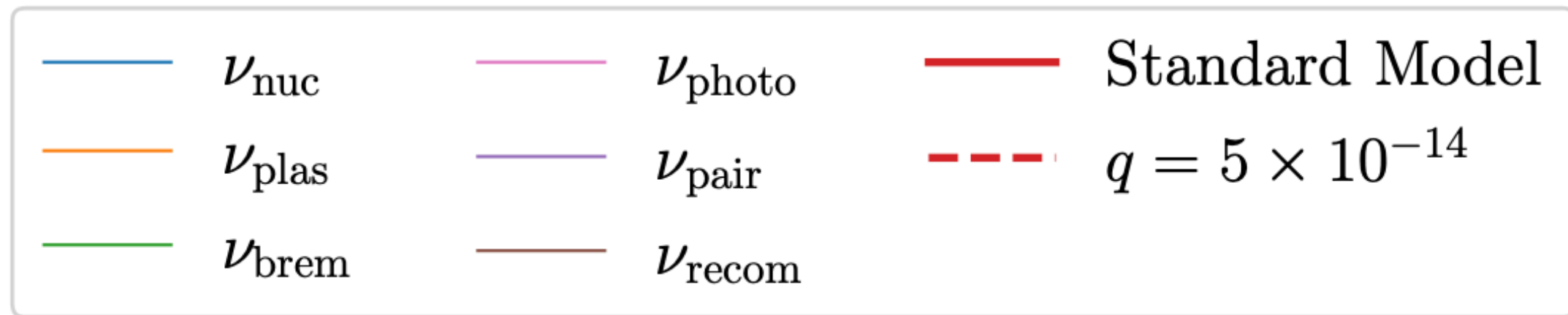
This means the core must accumulate more He before it is hot enough to ignite

Note: plasmon decay to **neutrinos** is a SM process that already does this!

# Previous work

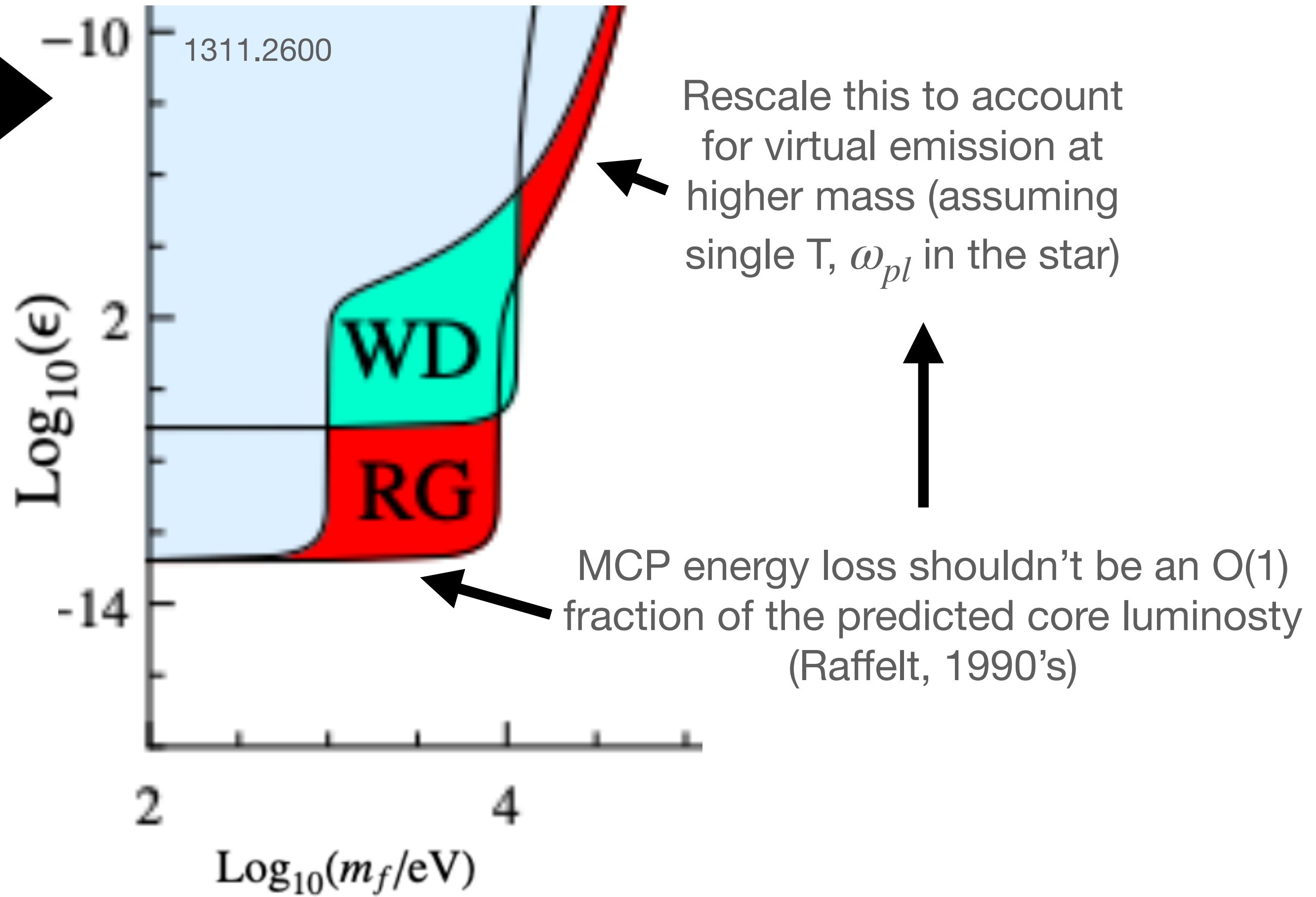
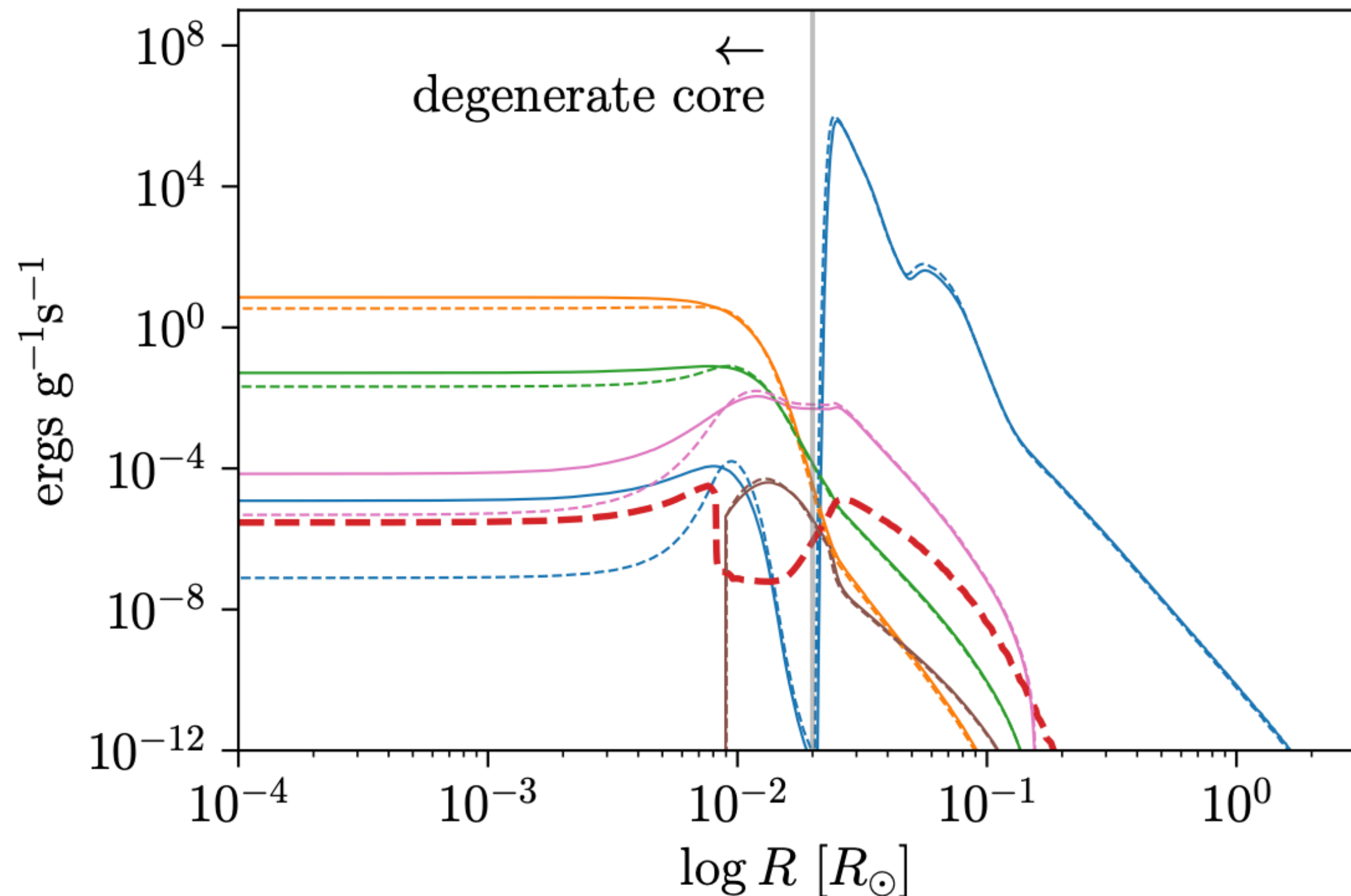
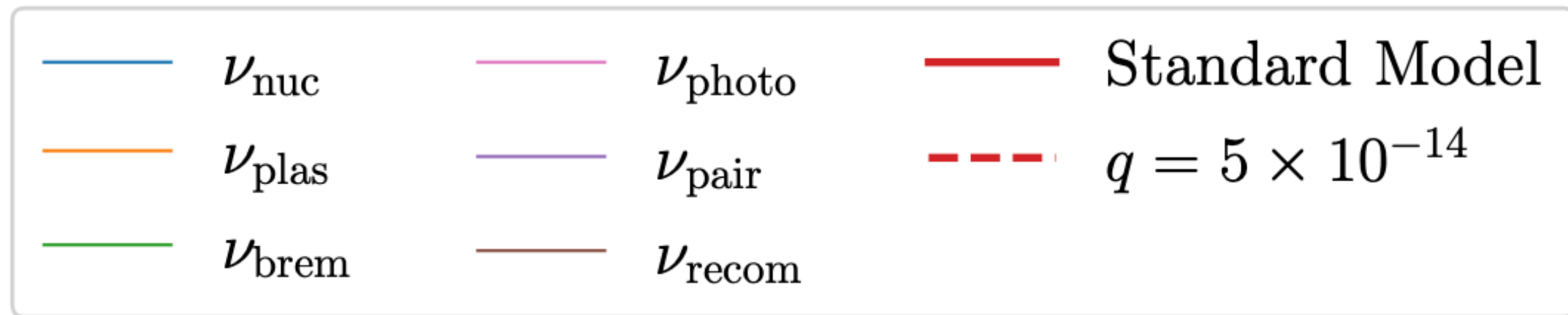


# Previous work



**No modeling of the star's reaction!**  
**No data!**

# Previous work



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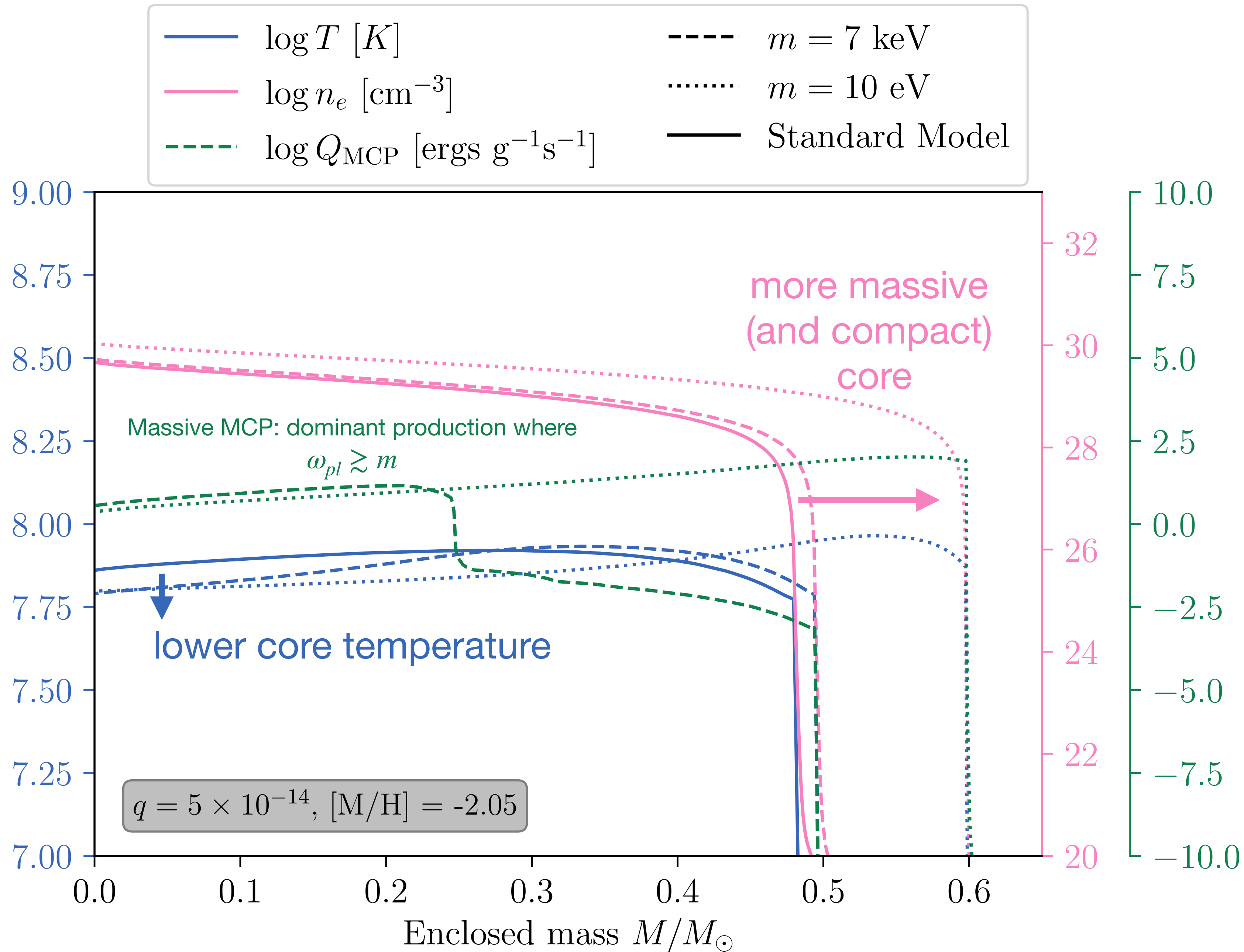
# Mesa again:

- Model the energy loss from the presence of a new fractionally charged fermion
- Evolve stars up the red giant branch

# Gaia again:

- Use the TRGB measurements compiled by Straniero et al. 2010.03833 (Gaia distances, HST/ground-based magnitudes)
- Note if MCPs are affecting the TRGB, it remains a standard candle

# At the TRGB:

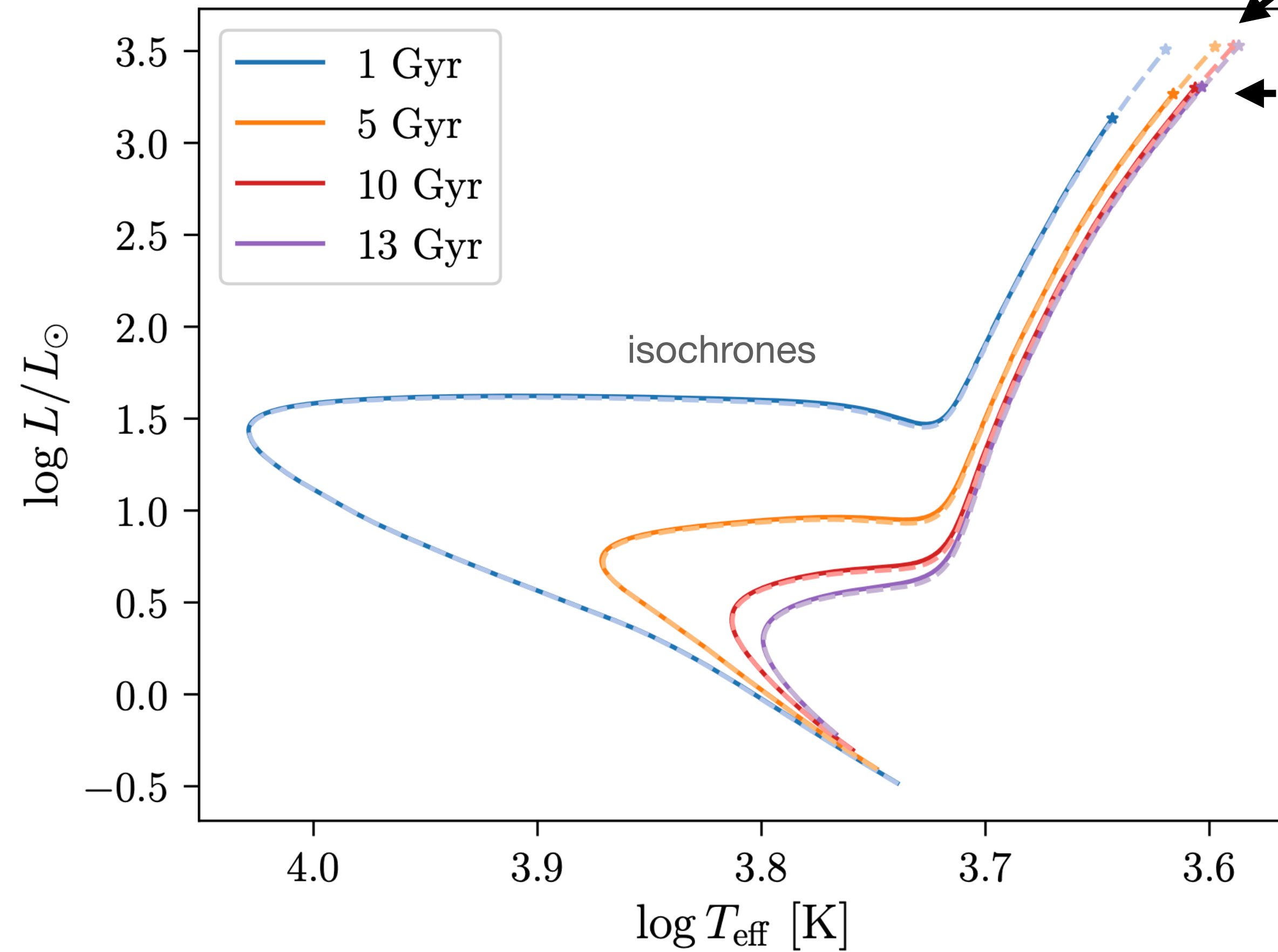


# Globular clusters again

with MCP emission:

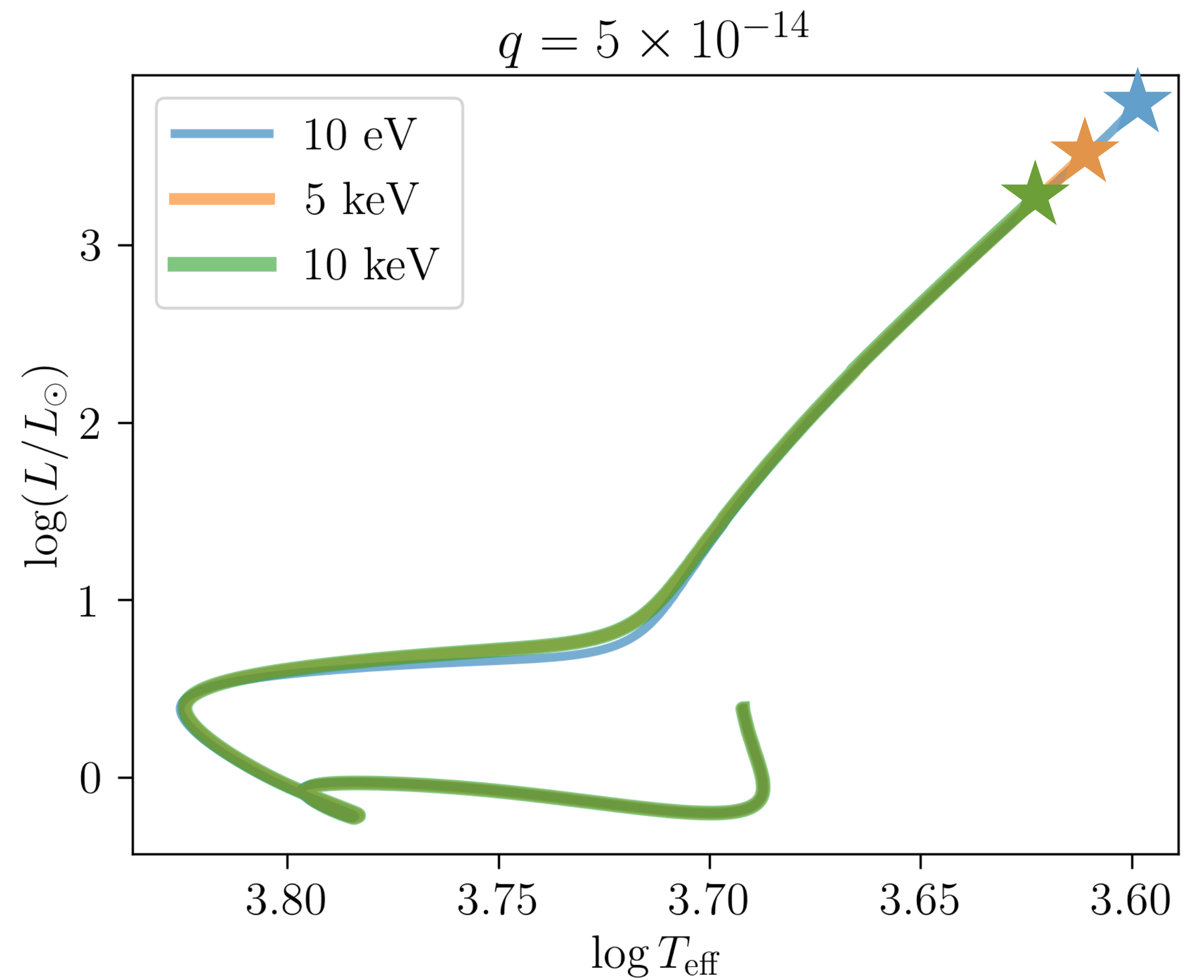
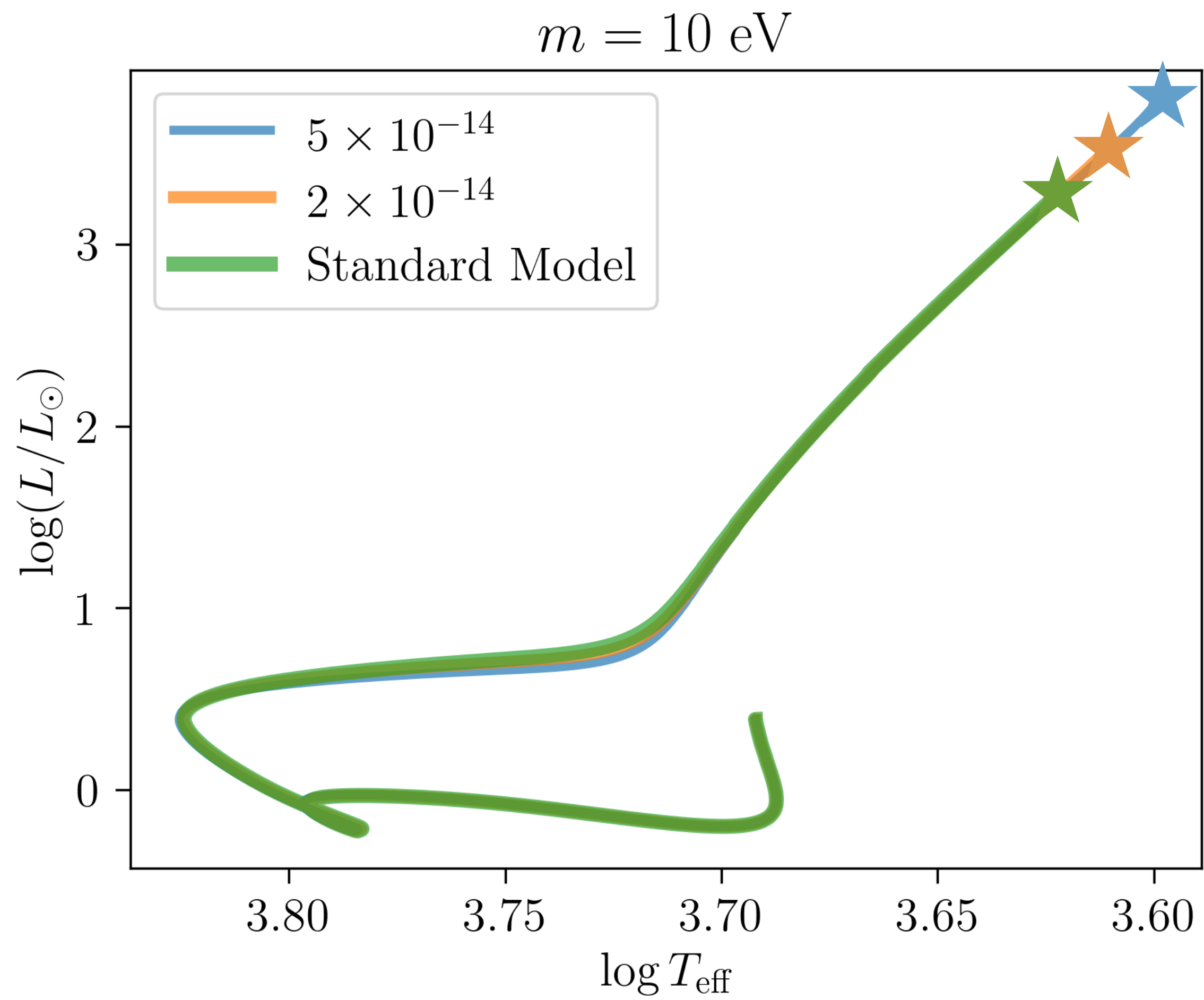
$$m = 10 \text{ eV}$$

$$q = 2 \times 10^{-14}$$

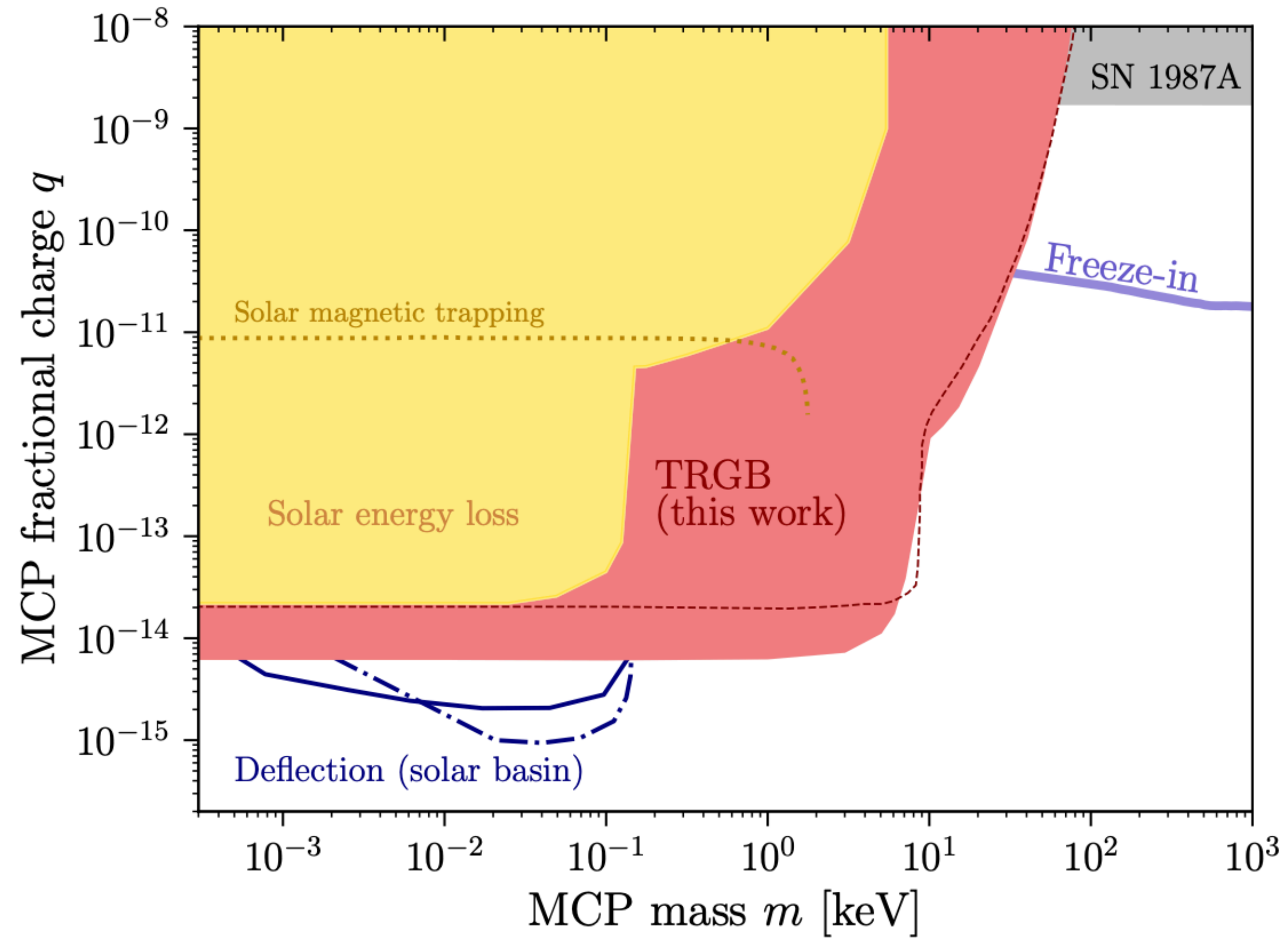


standard evolution





# Combine MESA simulations & data:



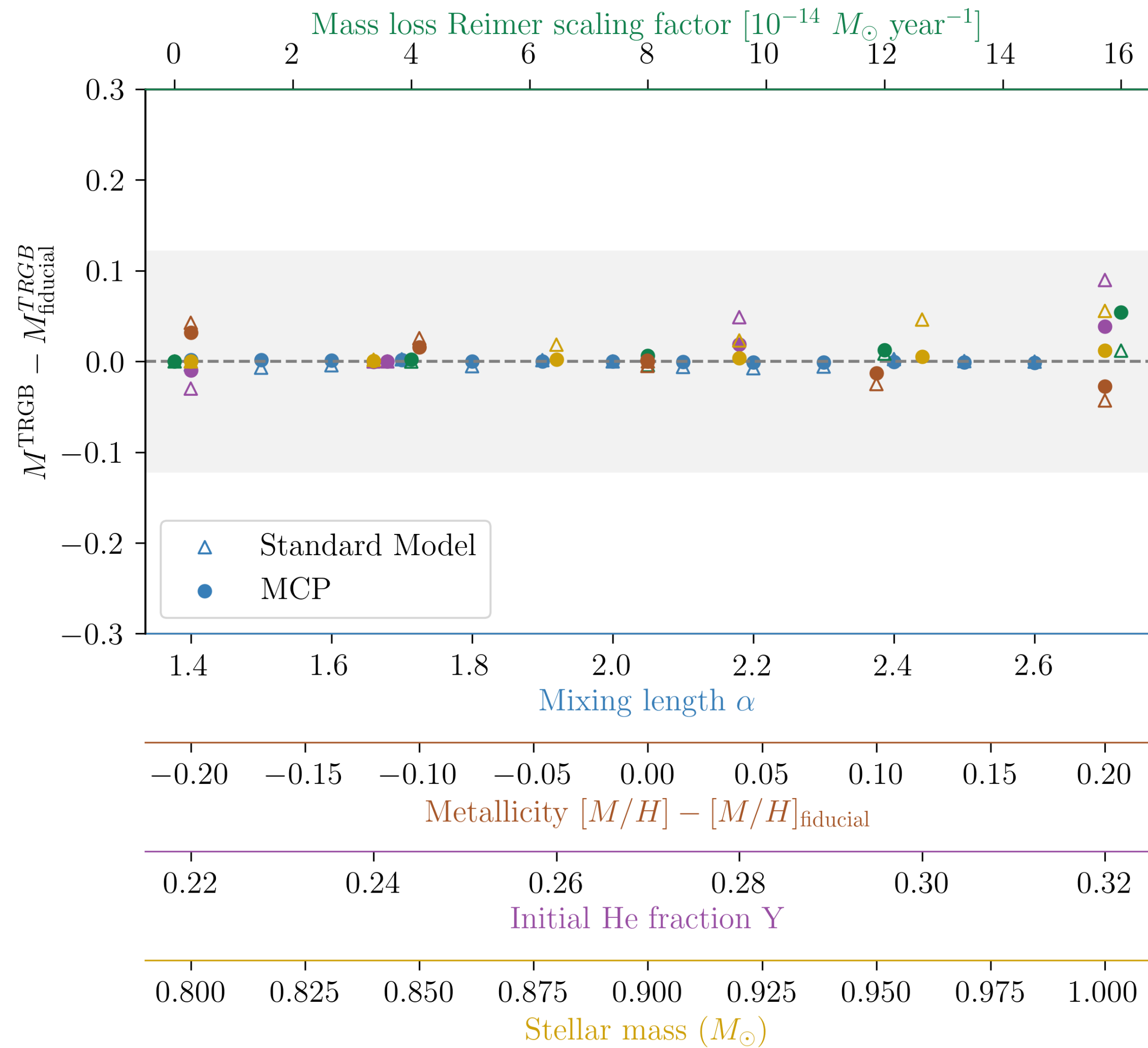
# Concluding conclusions

- Tip of the red giant branch remains a competitive probe of new physics
- Sensitivity to dark matter limited by low densities
- Sensitivity to rare new physics processes thanks to hot, dense, core and insensitivity to most standard model nuisance parameters

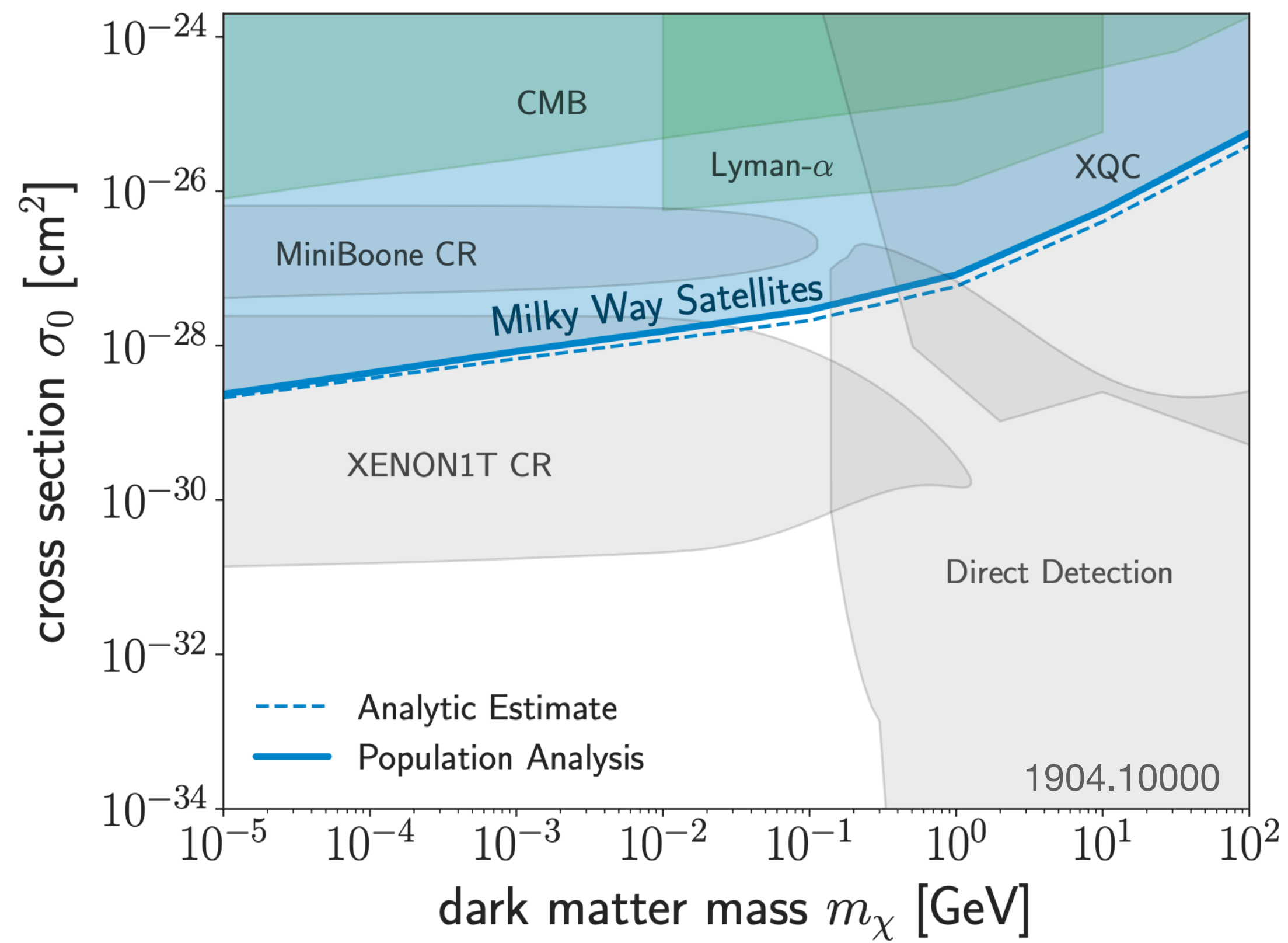




# Nuisance parameters



CONSTRAINTS ON DM MICROPHYSICS FROM MW SATELLITES



# 0.8M<sub>⊙</sub> AT HE FLASH

