Costas Kounnas memorial day

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Words are not enough

A short time line of our interaction

- first met Costas in Paris in 2006
- PhD at ENS, 2007-2011
- 3+1 joint papers

An extraordinary man of many passions

- Cyprus, Greece, Family
- Physics
- Smoking :(

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The first encounter

- before Paris
- the "shy" Physicist
- the famous blackboard & laptop

SUPER visor

- you know nothing, I will teach you!
- the lectures

an exercise you must solve!

$$\vartheta_3^4(0|\tau) - \vartheta_4^4(0|\tau) - \vartheta_2^4(0|\tau) = 0 \qquad \text{Jacobi's "abstrusa"} \quad \text{(SUSY)}$$

$$\frac{1}{2} \left(\frac{\vartheta_3(0|\tau)}{\eta(\tau)} \right)^{12} - \frac{1}{2} \left(\frac{\vartheta_4(0|\tau)}{\eta(\tau)} \right)^{12} - \frac{1}{2} \left(\frac{\vartheta_2(0|\tau)}{\eta(\tau)} \right)^{12} = 24 \qquad \text{"MSDS"}$$

$$V_{24} - S_{24} = 24$$

$$24 + \binom{24}{3} = 2^{11}$$

The first paper

- you didn't prove it, I did!
- the "trivial" stuff

Later memories

- don't tamper with my windings!
- the unique model that solves everything
- the smile

The last paper





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$\mathcal{N}=2 \rightarrow 0$ super no-scale models and moduli quantum stability

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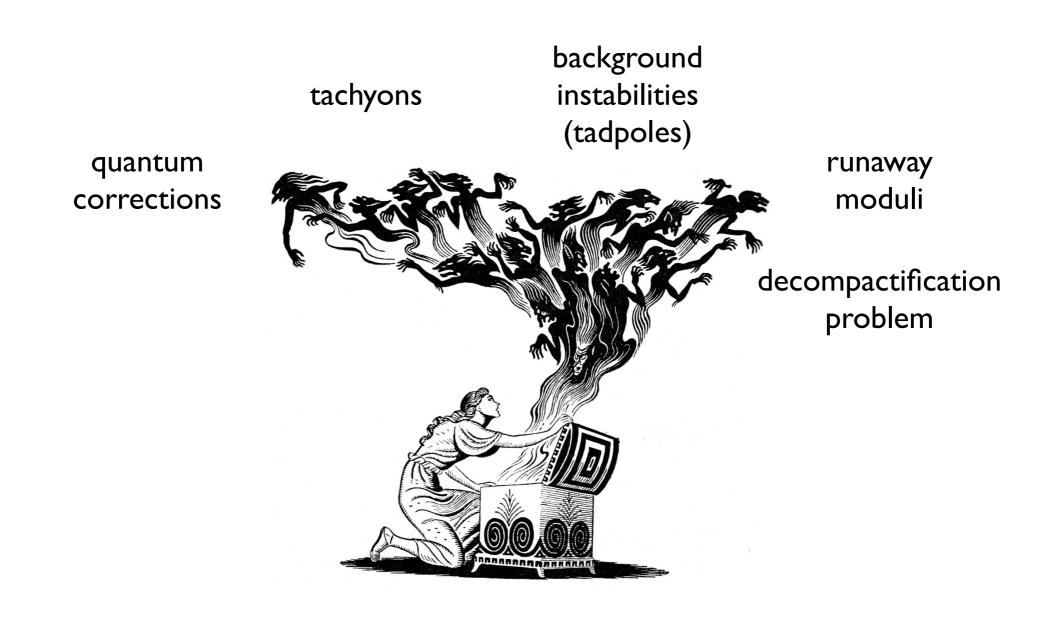
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Abstract

We consider a class of heterotic $\mathcal{N}=2\to 0$ super no-scale \mathbb{Z}_2 -orbifold models. An appropriate stringy Scherk–Schwarz supersymmetry breaking induces tree level masses to all massless bosons of the twisted hypermultiplets and therefore stabilizes all twisted moduli. At high supersymmetry breaking scale, the tachyons that occur in the $\mathcal{N}=4\to 0$ parent theories are projected out, and no Hagedorn-like instability takes place in the $\mathcal{N}=2\to 0$ models (for small enough marginal deformations). At low supersymmetry breaking scale, the stability of the untwisted moduli is studied at the quantum level by taking into account both untwisted and twisted contributions to the 1-loop effective potential. The latter depends on the specific branch of the gauge theory along which the background can be deformed. We derive its expression in terms of all classical marginal deformations in the pure Coulomb phase, and in some mixed Coulomb/Higgs phases. In this class of models, the super no-scale condition requires having at the massless level equal numbers of untwisted bosonic and twisted fermionic degrees of freedom. Finally, we show that $\mathcal{N}=1\to 0$ super no-scale models are obtained by implementing a second \mathbb{Z}_2 orbifold twist on $\mathcal{N}=2\to 0$ super no-scale \mathbb{Z}_2 -orbifold models.

Supersymmetry breaking in String Theory



effective I-loop potential

hard breaking
$$\sim M_s^4$$

unbroken
$$=$$
 (

coordinate-dependent compactifications

$$m_{3/2} = 1/R$$

$$\sim (n_F - n_B) m_{3/2}^4 + \alpha m_{3/2}^2 M_s^2 e^{-M_s/m_{3/2}} + \dots$$

still too large

"super no-scale": extend no-scale structure to I-loop

$$\sim (n_F - p_B) m_{3/2}^4 + \alpha m_{3/2}^2 M_s^2 e^{-M_s/m_{3/2}} + \dots$$

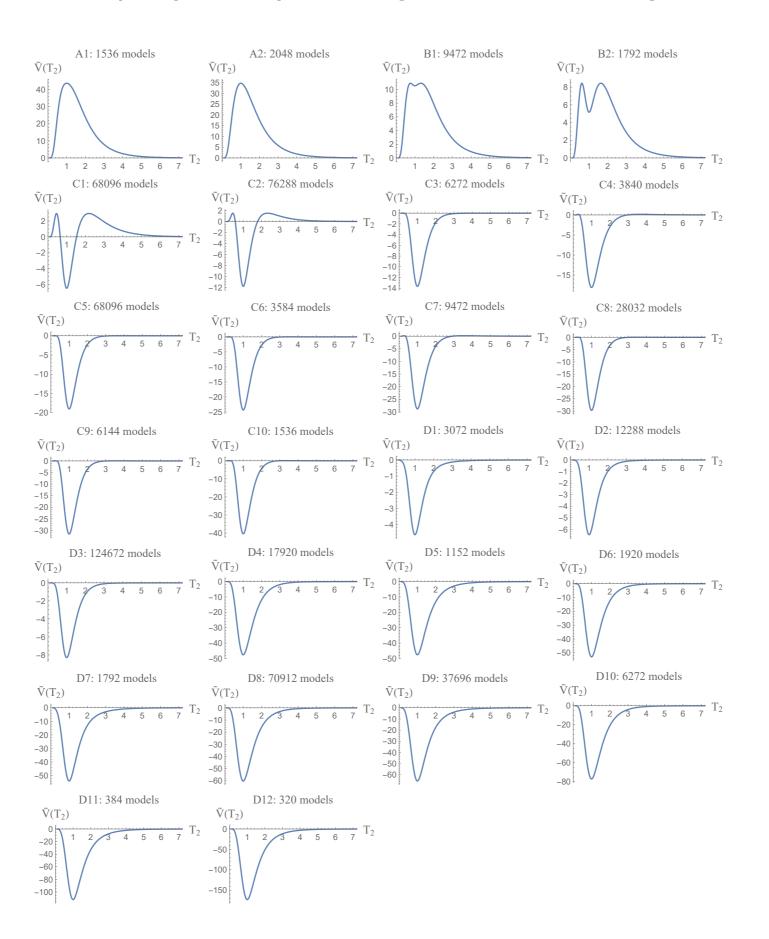
exponentially suppressed at $m_{3/2} << M_s$

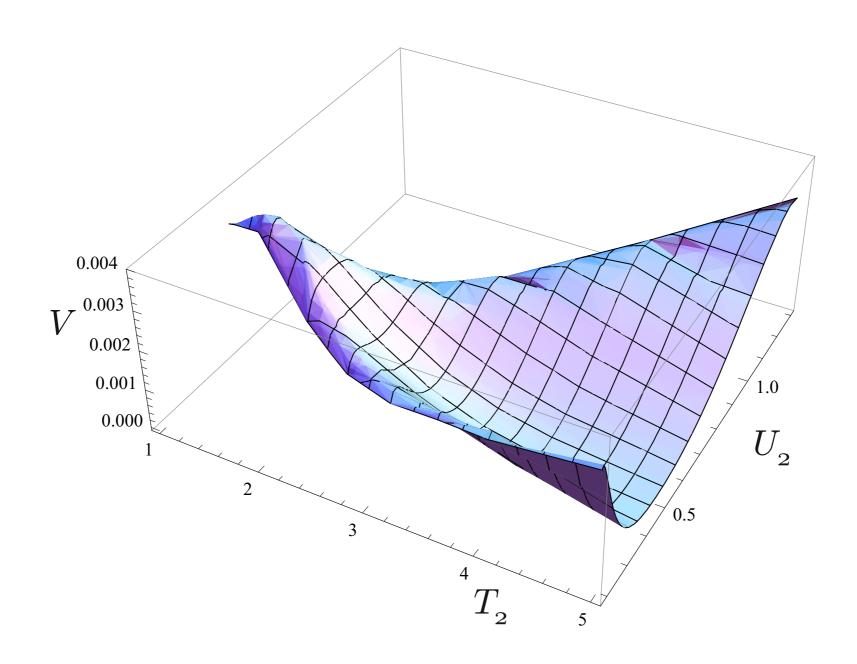
$$n_B = n_F$$

massless boson-fermion degeneracy

"calibration" of hidden sector

in general, much richer structure $V_{
m eff}(T_I,U_I,W_I)$

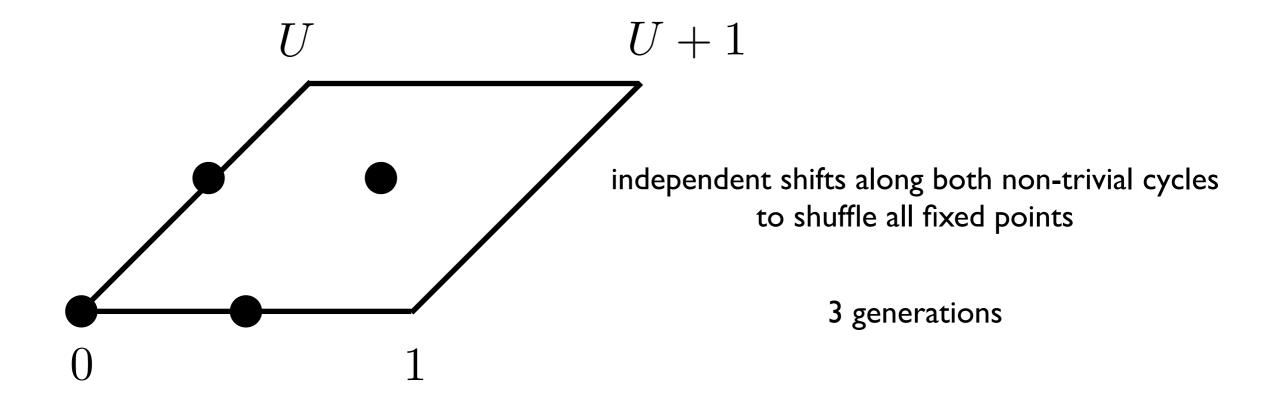




chirality
$$\mathcal{N}=1 \to 0$$
 $T^2 \times T^2 \times T^2/\mathbb{Z}_2 \times \mathbb{Z}_2 \times \Gamma$

$$V_{\text{eff}} = -\frac{M_s^2}{2(2\pi)^4} \int_{\mathcal{F}} \frac{d^2\tau}{\tau_2^3} Z(\tau, \bar{\tau}; \ldots)$$

moduli dependence from N=2 "sectors", dominated by light KK modes



chirality
$$\mathcal{N}=1 \to 0$$
 $T^2 \times T^2 \times T^2/\mathbb{Z}_2 \times \mathbb{Z}_2 \times \Gamma$

$$V_{\text{eff}} \sim -\frac{1}{(\text{Im}T)^2} \left[(\dots) E_{\infty}^{\star}(3; U) + (\dots) E_{\infty}^{\star}(3; 2U) \right] + \dots$$

$$E_{\infty}^{\star}(s;z) = \frac{1}{2} \zeta^{\star}(2s) \sum_{\substack{c,d \in \mathbb{Z} \\ (2c,d)=1}} \frac{(\text{Im}z)^s}{|2cz+d|^{2s}}$$

(at least) two independent conditions

$$M^{2} = \frac{|m_{2} - Um_{1}|^{2}}{\operatorname{Im} T \operatorname{Im} U} \qquad M^{2} = \frac{|m_{2} + \frac{1}{2} - Um_{1}|^{2}}{\operatorname{Im} T \operatorname{Im} U}$$

massless states accompanied by infinite KK tower

$$n_B = n_F$$

infinite KK tower with mass gap

$$n_B' = n_F'$$

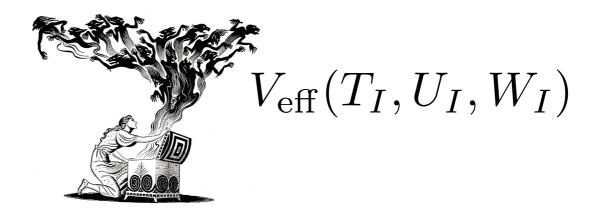
chirality
$$\mathcal{N}=1 \to 0$$
 $T^2 imes T^2 imes T^2/\mathbb{Z}_2 imes \mathbb{Z}_2 imes \Gamma$

$$V_{\text{eff}} \sim -\int \frac{dt}{t^2} \operatorname{Str}(-1)^Q e^{-\pi t M^2} + \dots$$

$$M^{2} = \frac{|m_{2} + \frac{H}{2} - Um_{1}|^{2}}{\operatorname{Im} T \operatorname{Im} U} + \dots$$

super no-scale condition:

massive but light KK states must enjoy separate boson-fermion matching





Lessons and inspiration for years to come